

Introduction to the hardware of the NMR spectrometer

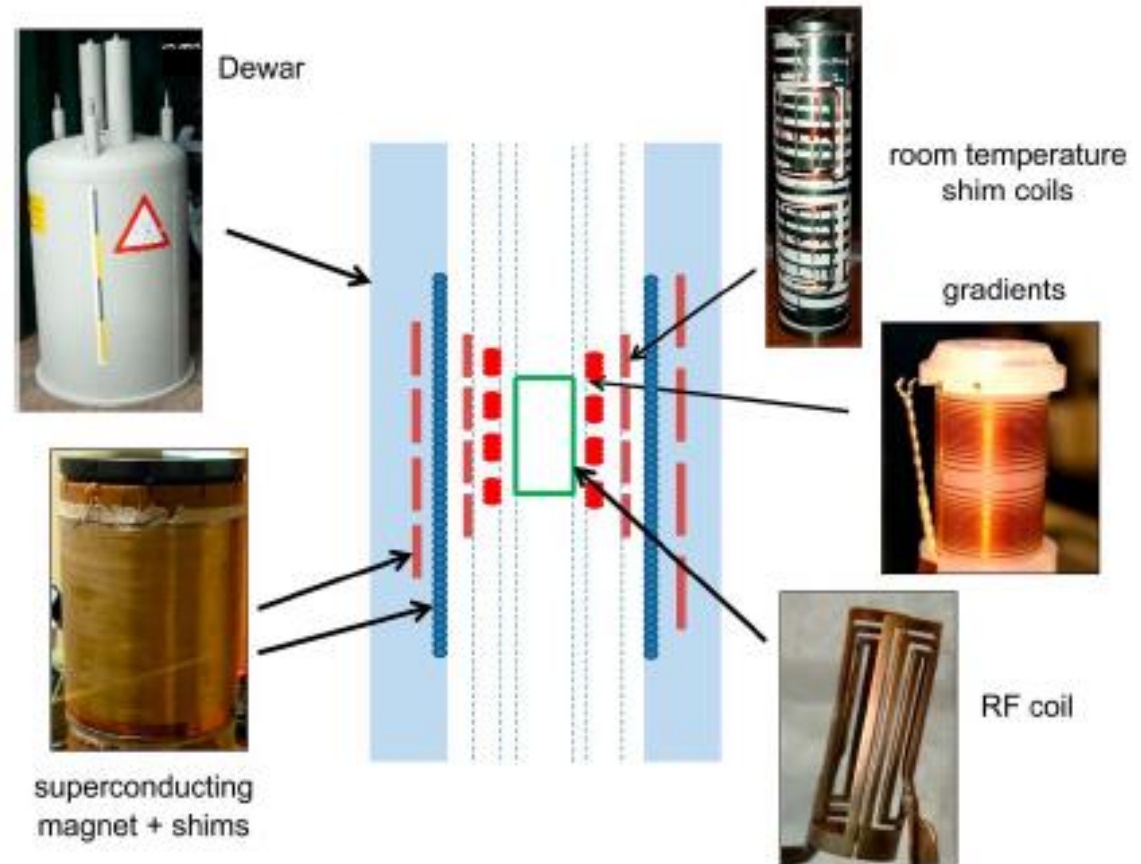
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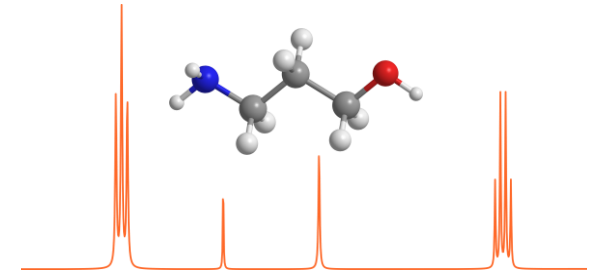
IMT, KIT

Agenda

- Quick overview on the NMR hardware
- The magnet
- The shims coils
- The gradient coils
- The RF coil
- The coaxial cables
- The RF transmitter
- The RF receiver



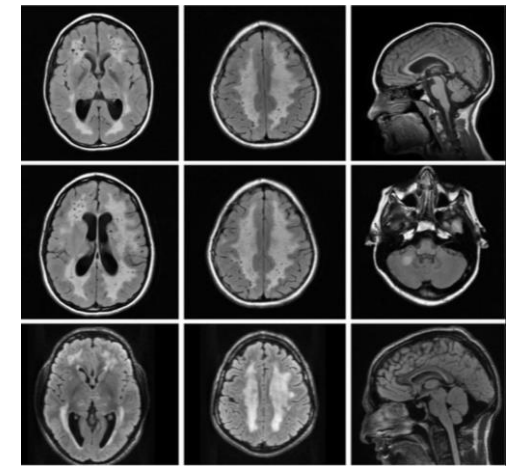
Magnetic resonance system



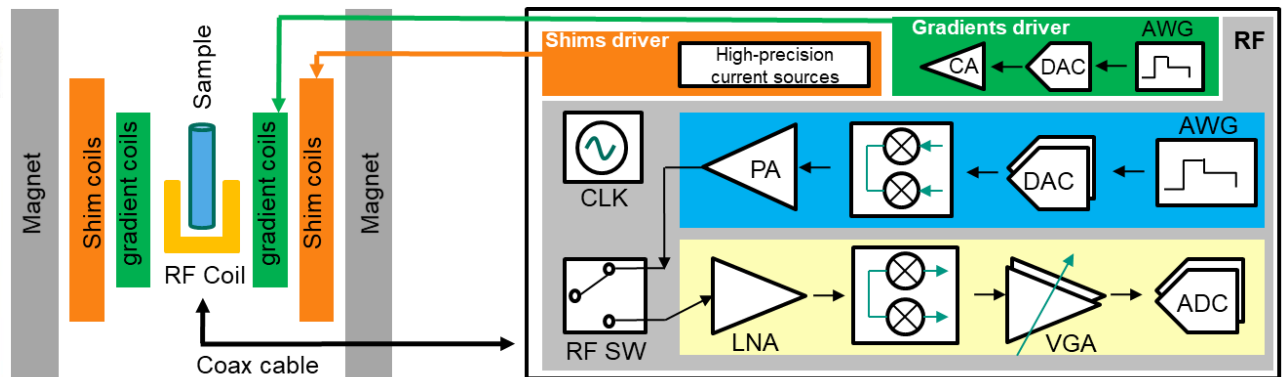
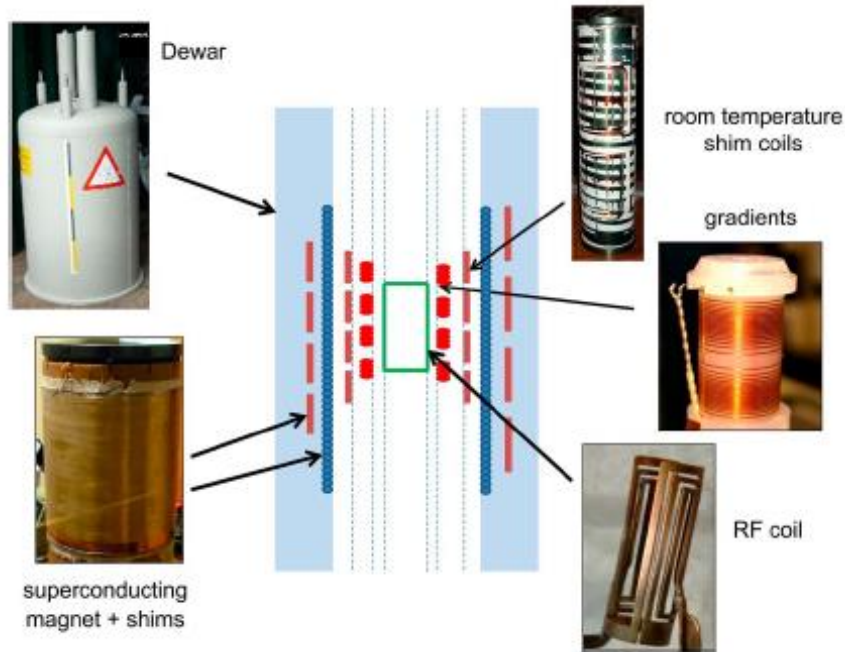
NMR spectrometers



MRI scanners



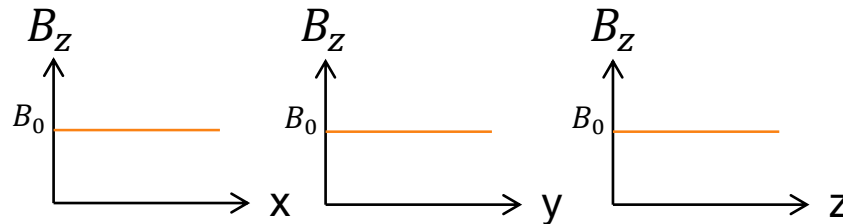
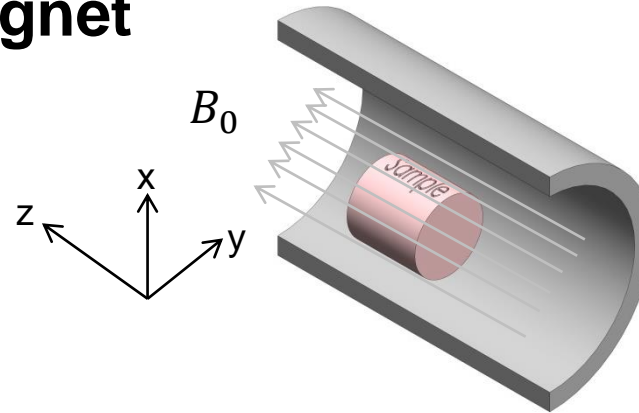
The MR spectrometer



MR spectrometer – The magnet

■ The Magnet is designed to be

- Stable
- Homogenous



$$M_0 = \frac{V_s \gamma^2 I(I + 1) B_0}{3K_B T_s}$$

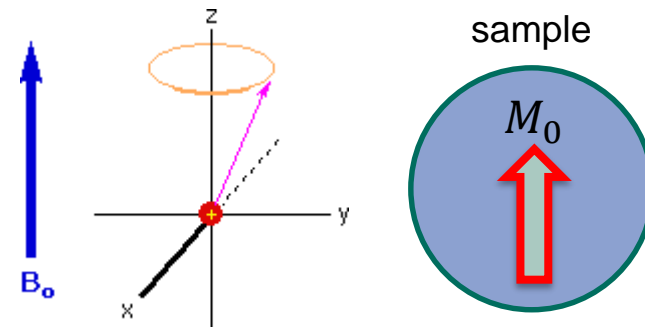
V_s : The sample volume

γ : gyromagnetic ration (42.58 MHz/T for ^1H)

I : spin number (1/2 for ^1H)

T_s : sample temperature

$$\omega_l = 2\pi \cdot \gamma \cdot B_0$$



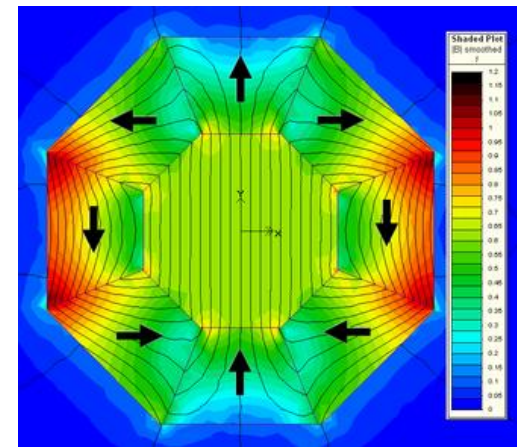
Types of magnets

Superconducting



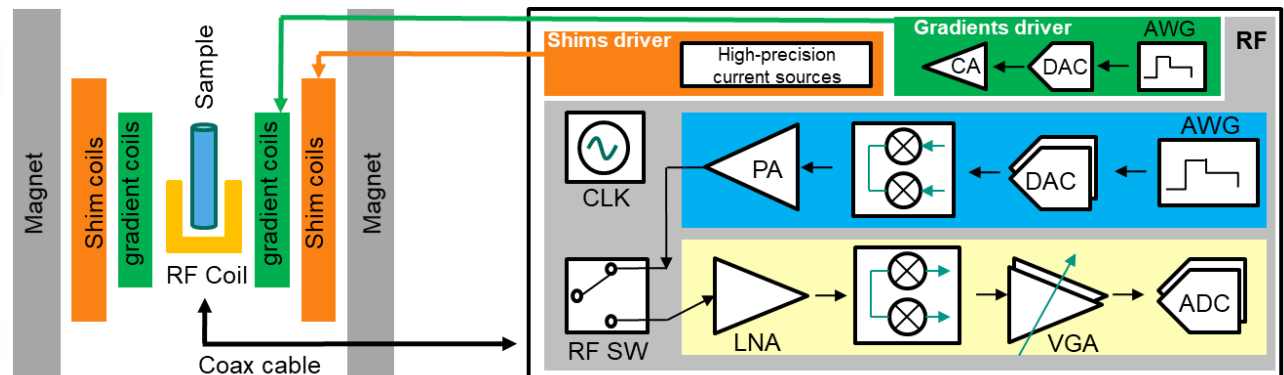
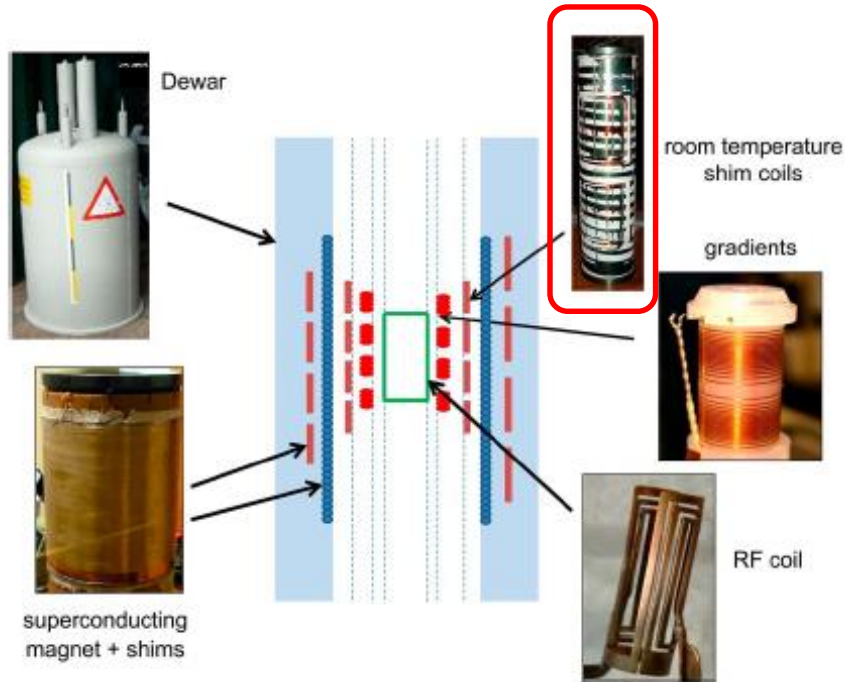
- Low-temp (<30K) **superconductors** such as **niobium-titanium** NbTi and **niobium-tin** Nb₃Sn alloys
- Generates high fields (>20T)
- Requires **liquid helium**

Permanent



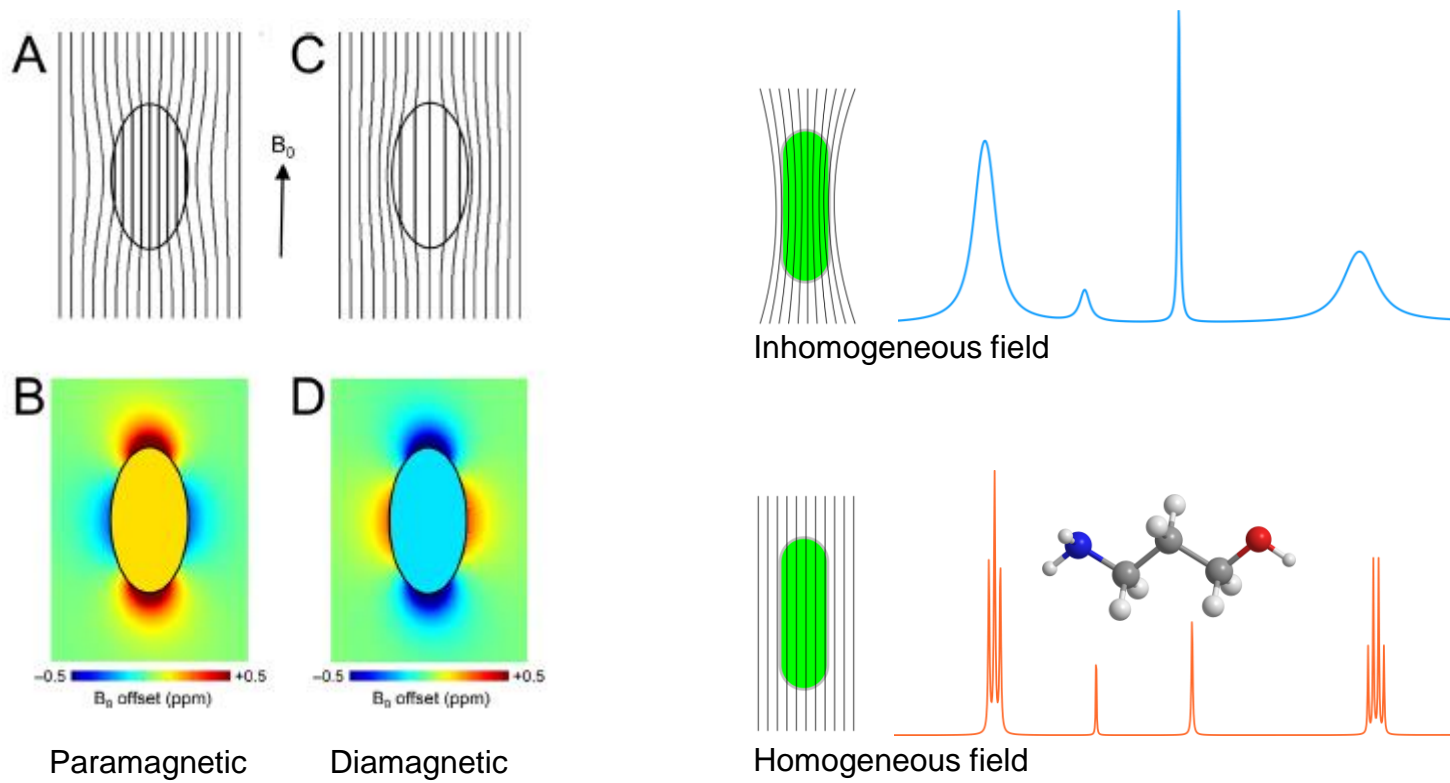
- Based on **Neodymium** (NdFeB) permanent magnets
- Fields up to **2T**
- **Halbach** configuration

The MR spectrometer



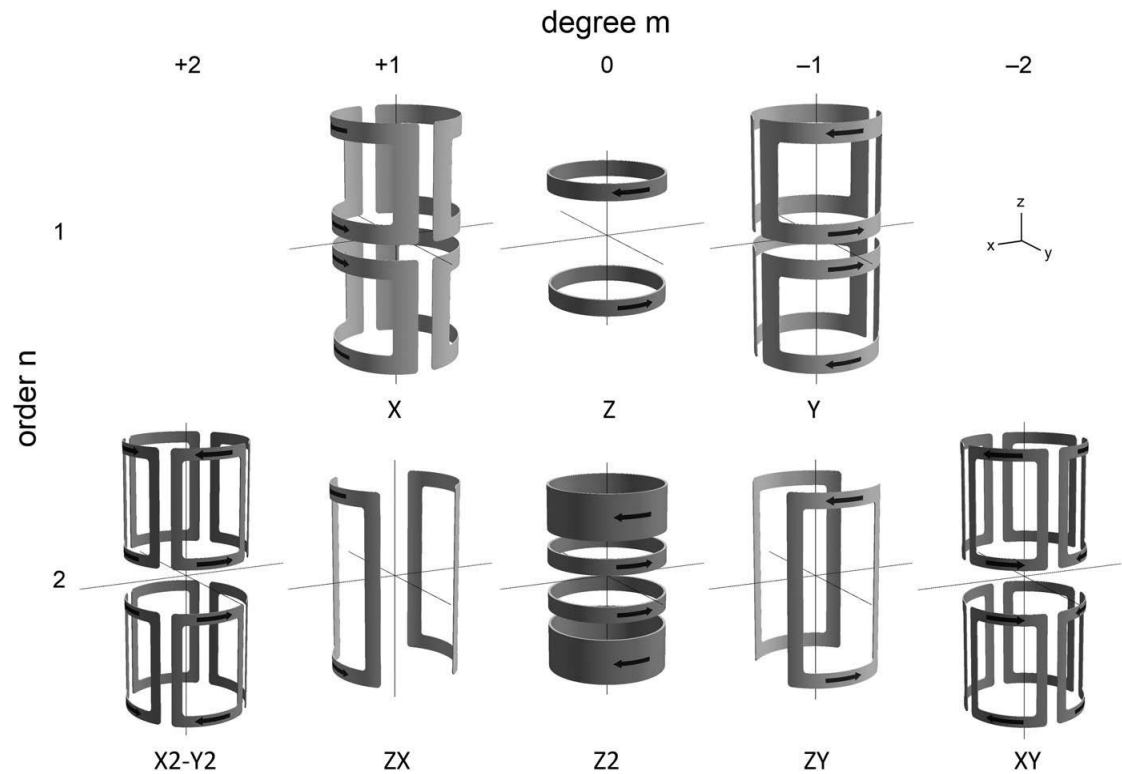
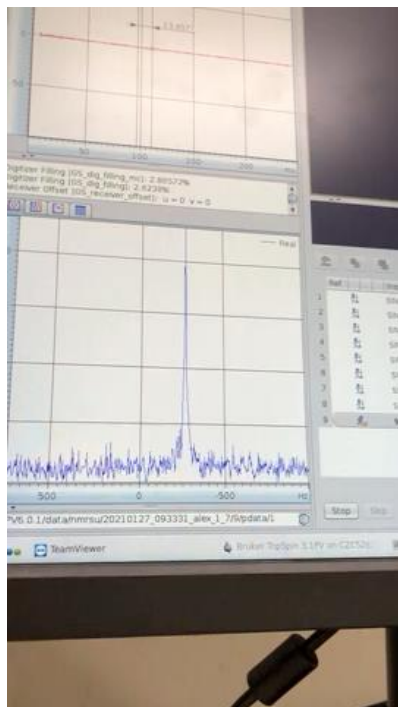
The shim coils

- Field **inhomogeneity** results from the **manufacturing** errors and the magnetic properties of the **sample**
- For **high resolution** spectroscopy, **ppb** homogeneity is required

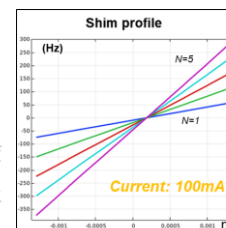
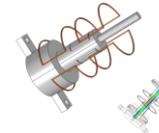


The shim coils

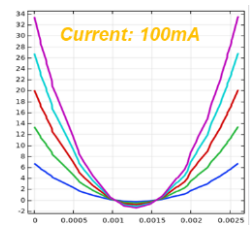
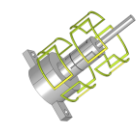
- Used to correct field **inhomogeneity**
- Driven by **DC** currents
- Can be up to **6th** order along x, y, and z axes



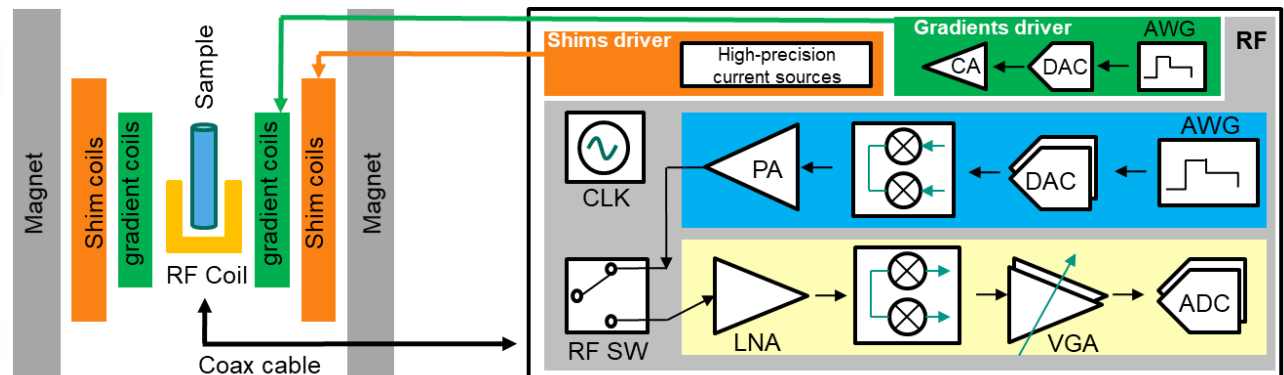
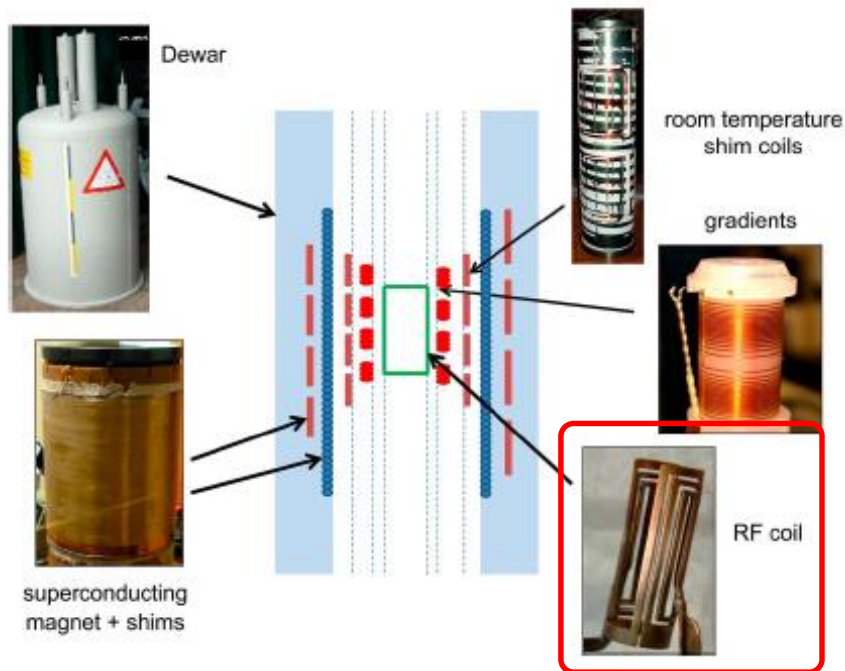
X, Y SHIM



X2-Y2 SHIM



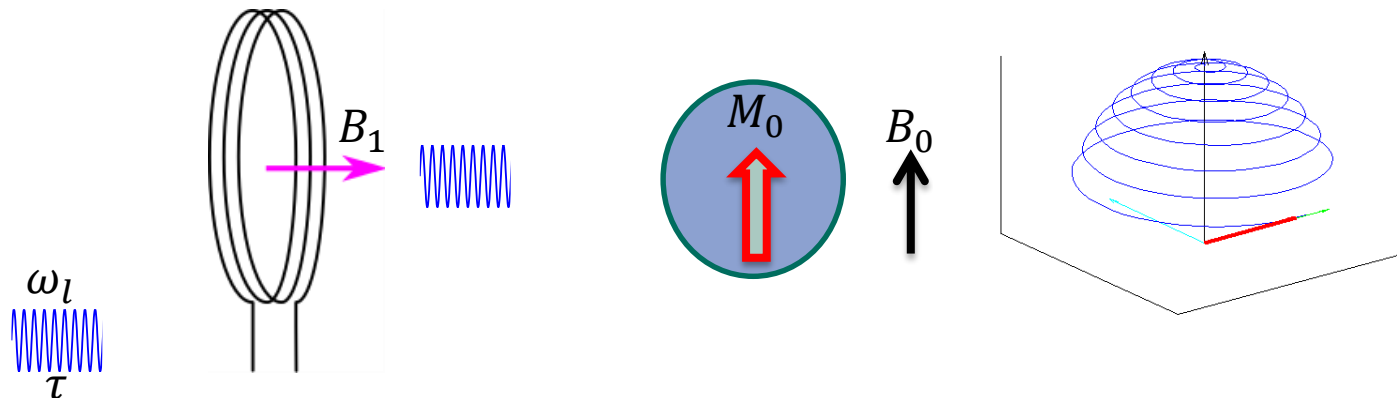
The MR spectrometer



MR spectrometer – The RF coil

■ The RF coil

- It is the tool to talk and listen to the magnetization
- **Excitation phase**
 - Tilting M_0 using a time-varying B_1 field with frequency ω_l
 - M_0 does not response to any other frequency
 - $\alpha = \gamma \cdot |B_1| \cdot \tau$



MRI scanner – The RF coil

■ The RF coil

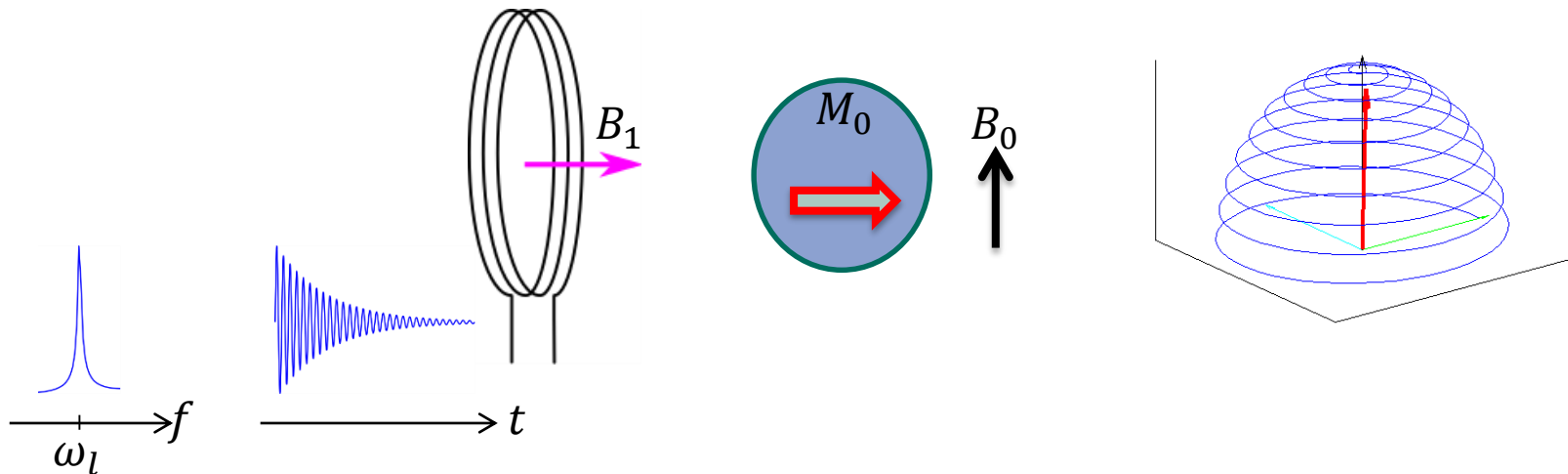
- It is the tool to talk and listen to the magnetization

■ Reception phase

- The excited magnetization induces a voltage across the terminals of the coil

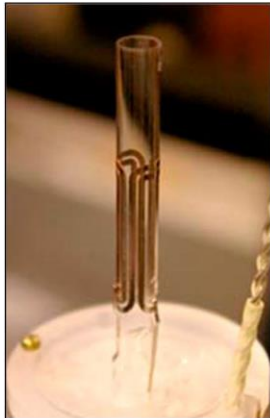
- $V_{MR,max} = \omega_l \cdot B_1 \cdot M_0$

- $V_{noise} = \sqrt{4k_B T_c \Delta f r_c}$

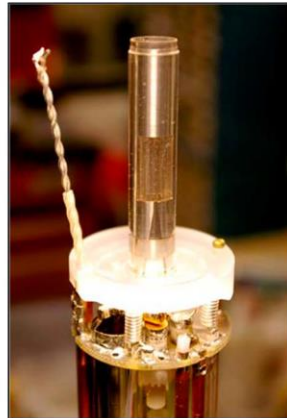


Types of RF coils

NMR coils



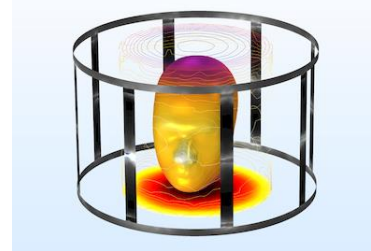
saddle coil



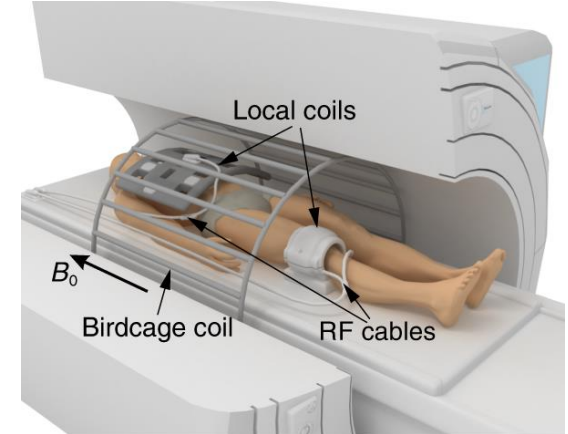
Alderman-Grant coil



MRI coils



Birdcage head coil



4-channel receive coil for mouse MRI

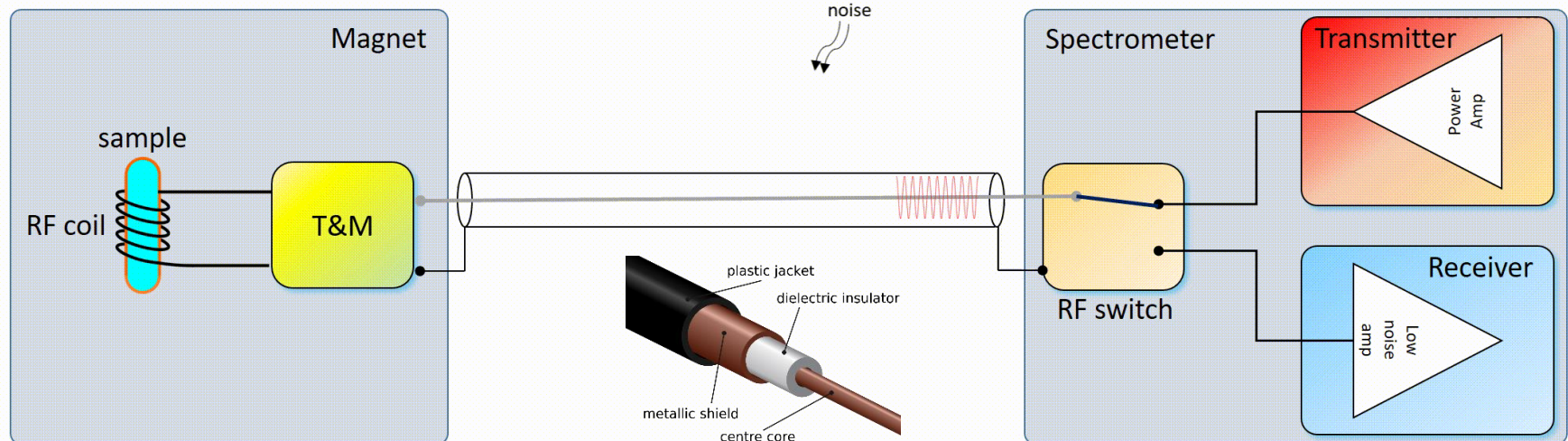


8-channel receive coil for mouse MRI

Interfacing the RF coil

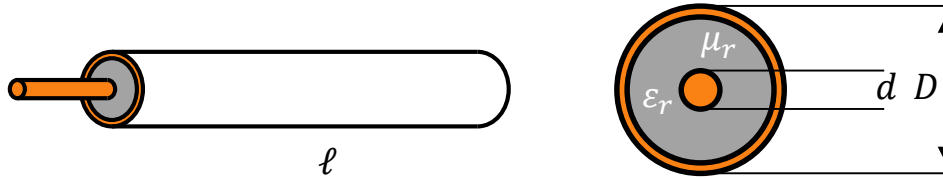


- Electronics are **too bulky** to fit in the magnet
- They're usually placed **few meters** from it



- Coaxial cables provide:
 - **Low-loss** transmission
 - **Shielding** against noise
- The use of coax cables puts **constraints** on all other parts

Coaxial cables - basics



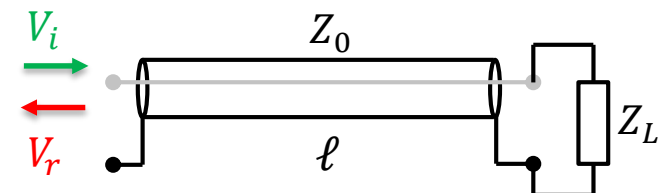
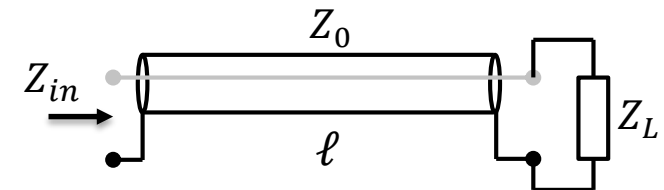
- Characteristic impedance: $Z_0 = \frac{1}{2\pi} \sqrt{\frac{\mu}{\epsilon}} \ln \frac{D}{d}$
- Standard values of Z_0 include: 50Ω and 75Ω
- Impedance transformation:

$$Z_{in} = Z_0 \frac{Z_L + jZ_0 \tan\left(\frac{2\pi f \ell}{v}\right)}{Z_0 + jZ_L \tan\left(\frac{2\pi f \ell}{v}\right)}$$

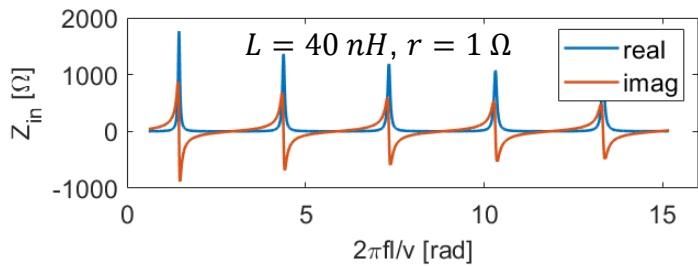
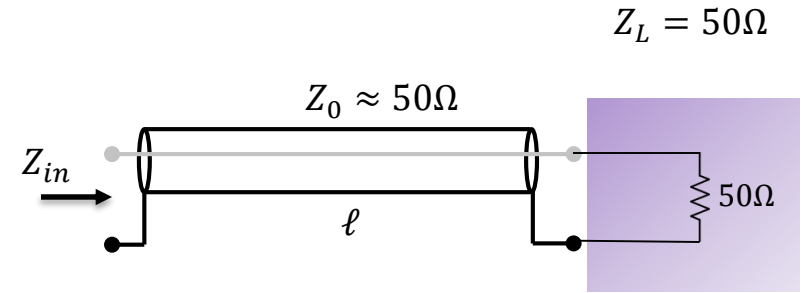
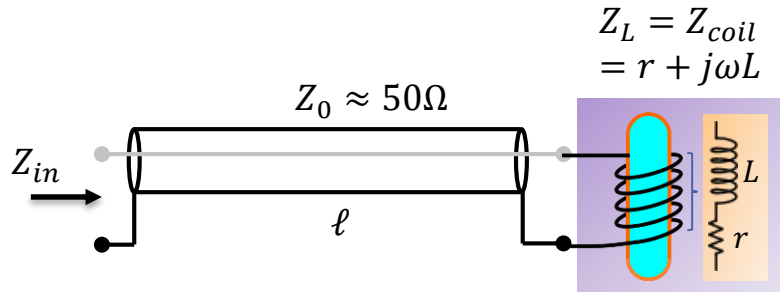
f : wave frequency
 v : wave speed in the cable

- Wave reflection:

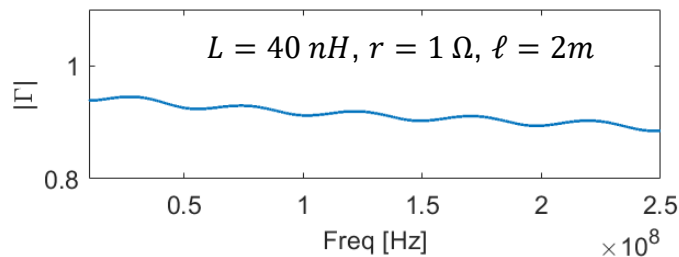
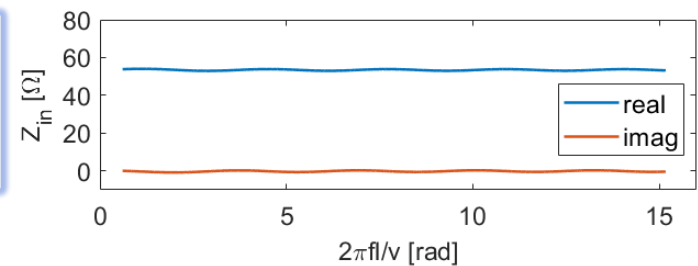
$$\Gamma = \frac{V_r}{V_i} = \frac{Z_L - Z_0}{Z_L + Z_0}$$



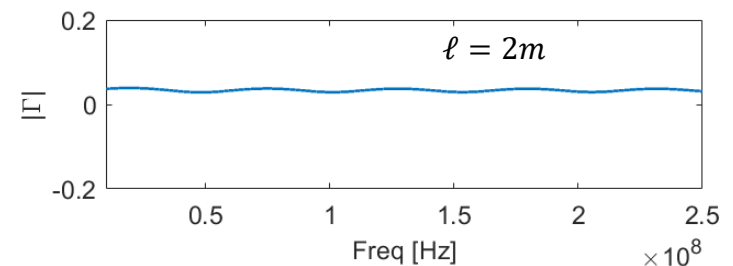
Impedance transformation & wave reflection



$$Z_{in} = Z_0 \frac{Z_L + jZ_0 \tan\left(\frac{2\pi f \ell}{v}\right)}{Z_0 + jZ_L \tan\left(\frac{2\pi f \ell}{v}\right)}$$



$$\Gamma = \frac{V_r}{V_i} = \frac{Z_L - Z_0}{Z_L + Z_0}$$

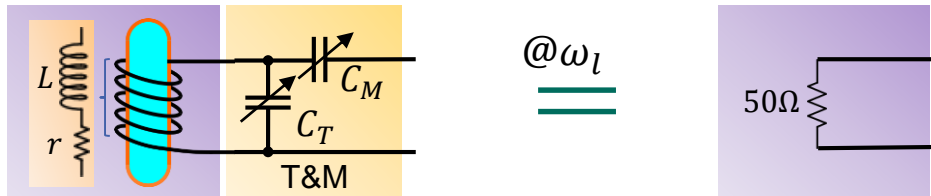


Inefficient power transmission

Efficient power transmission

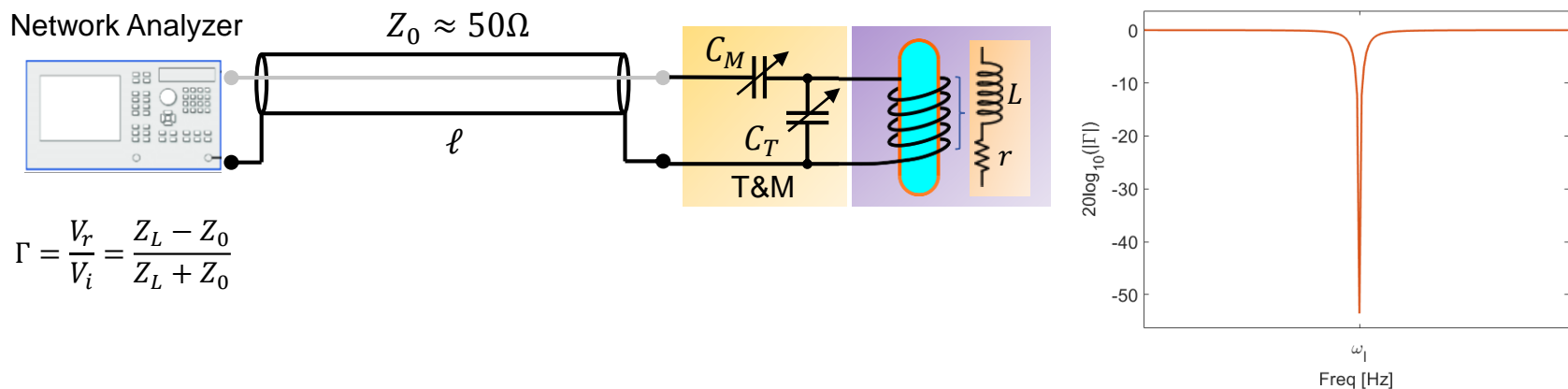
How T&M is measured?

- Example of commonly used T&M topology



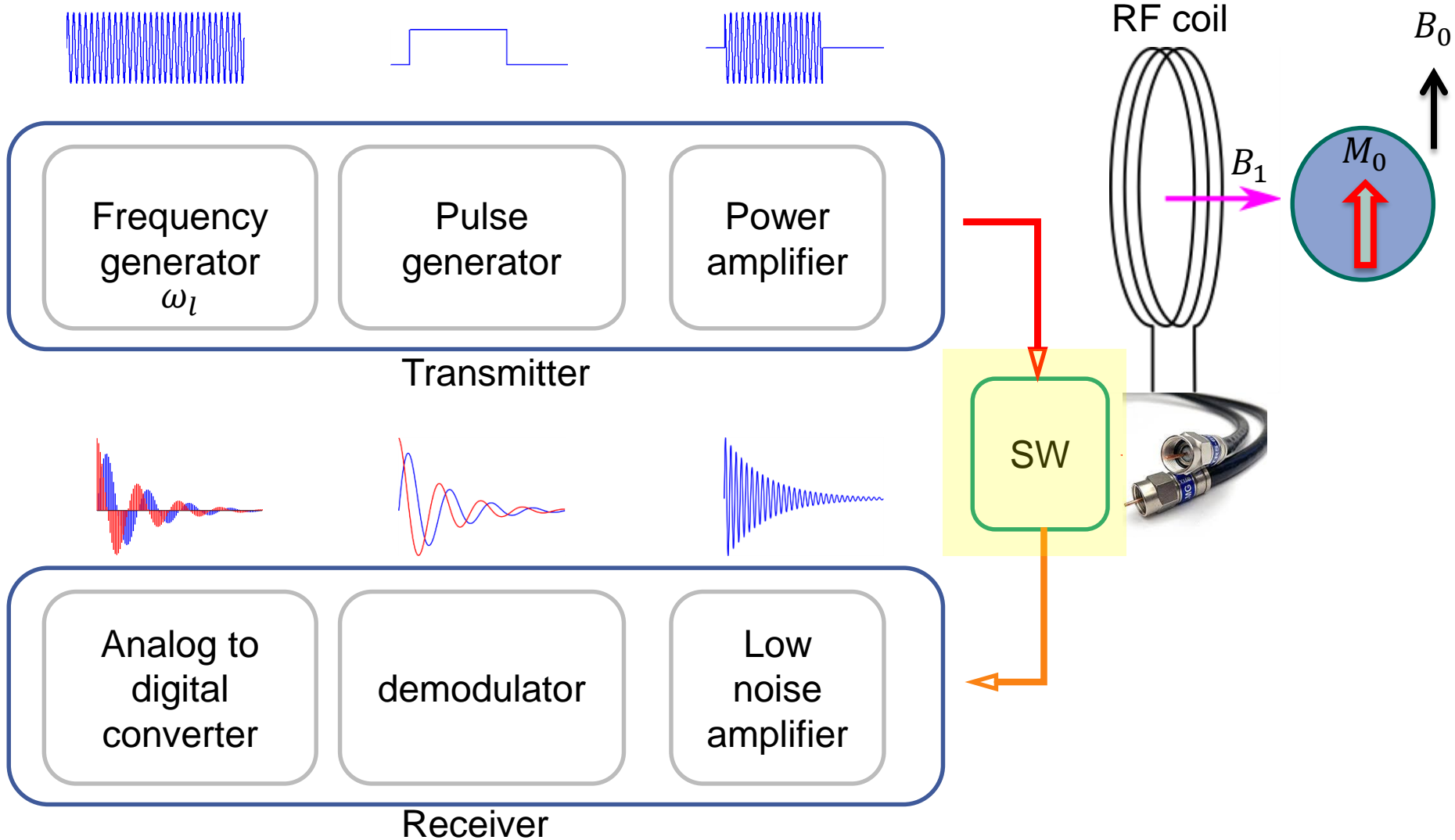
$$C_T \approx \frac{1}{\omega_l^2 L} \left(1 - \sqrt{\frac{r}{50}} \right), \quad C_M \approx \frac{1}{\omega_l^2 L} \left(\sqrt{\frac{r}{50}} \right)$$

- T&M condition can be tested by measuring wave reflection Γ via a Network Analyzer



$$\Gamma = \frac{V_r}{V_i} = \frac{Z_L - Z_0}{Z_L + Z_0}$$

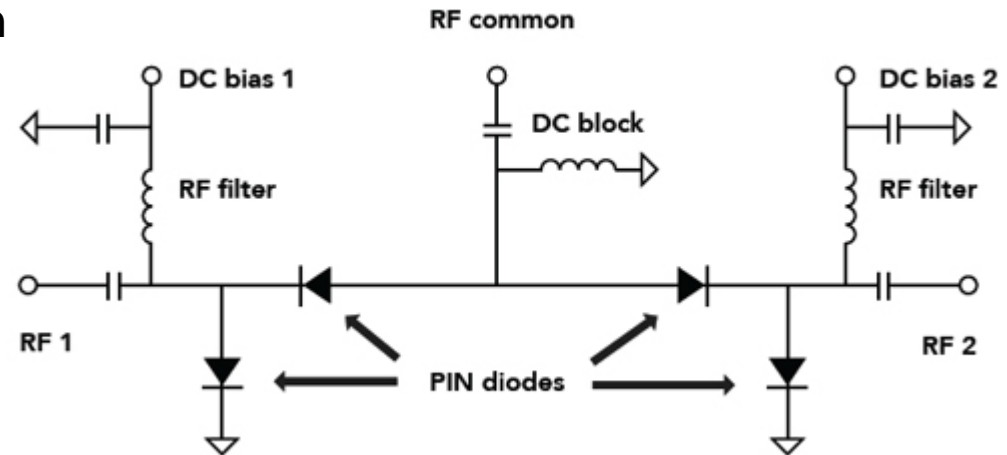
MRI scanner – Tx and Rx electronics



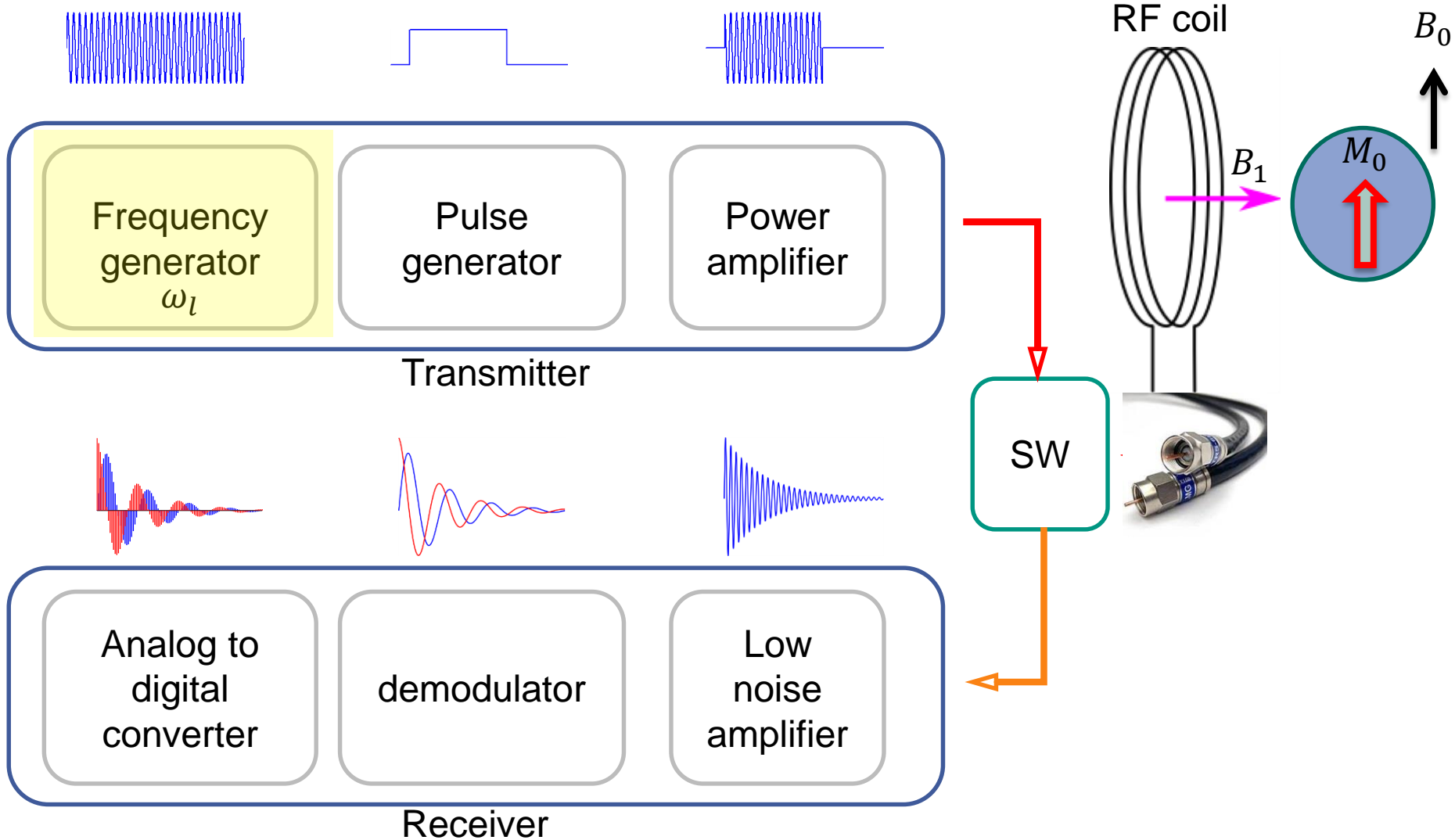
TX RX – the RF switch

- Why the switch ?
 - Connects the coil to the transmitter during excitation
 - Connects the coil to the receiver during reception

- What are the main requirements of the switch ?
 - Good **isolation** (> 60dB)
 - **Fast** switching time (< 1 μ s)

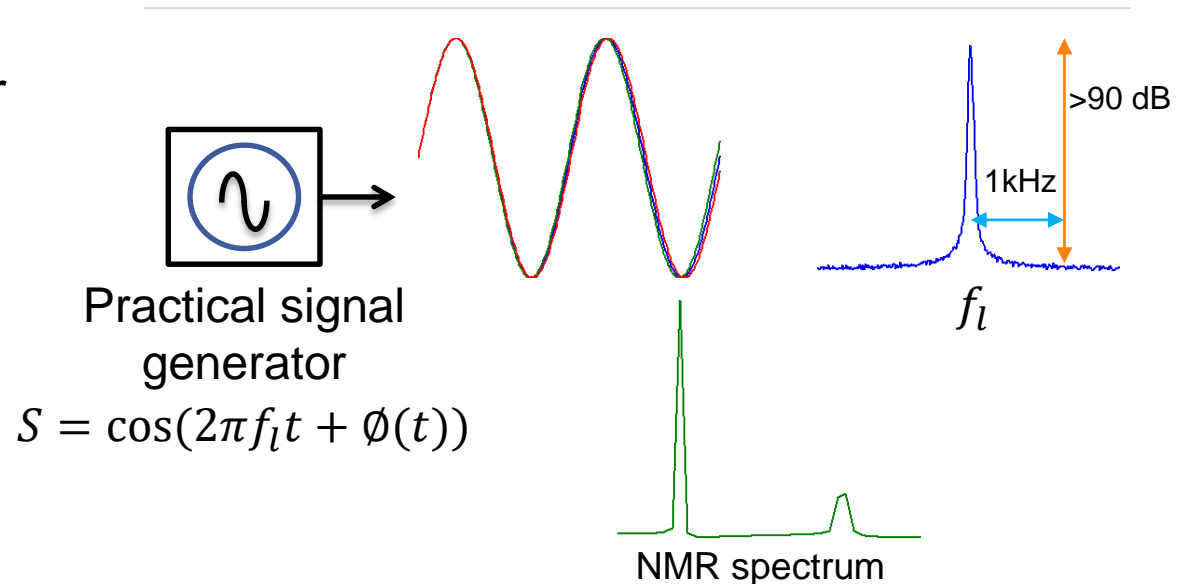
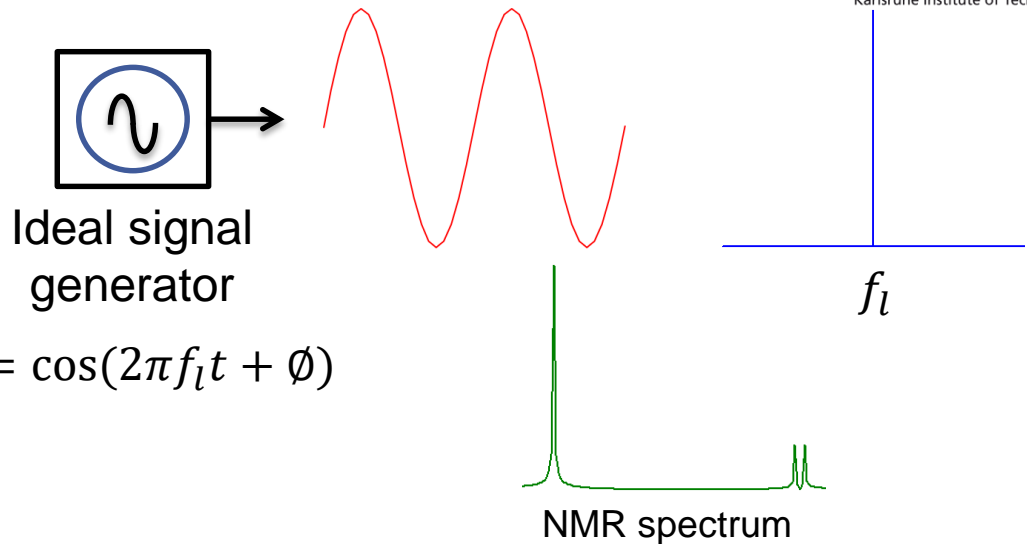


MRI scanner – Tx and Rx electronics



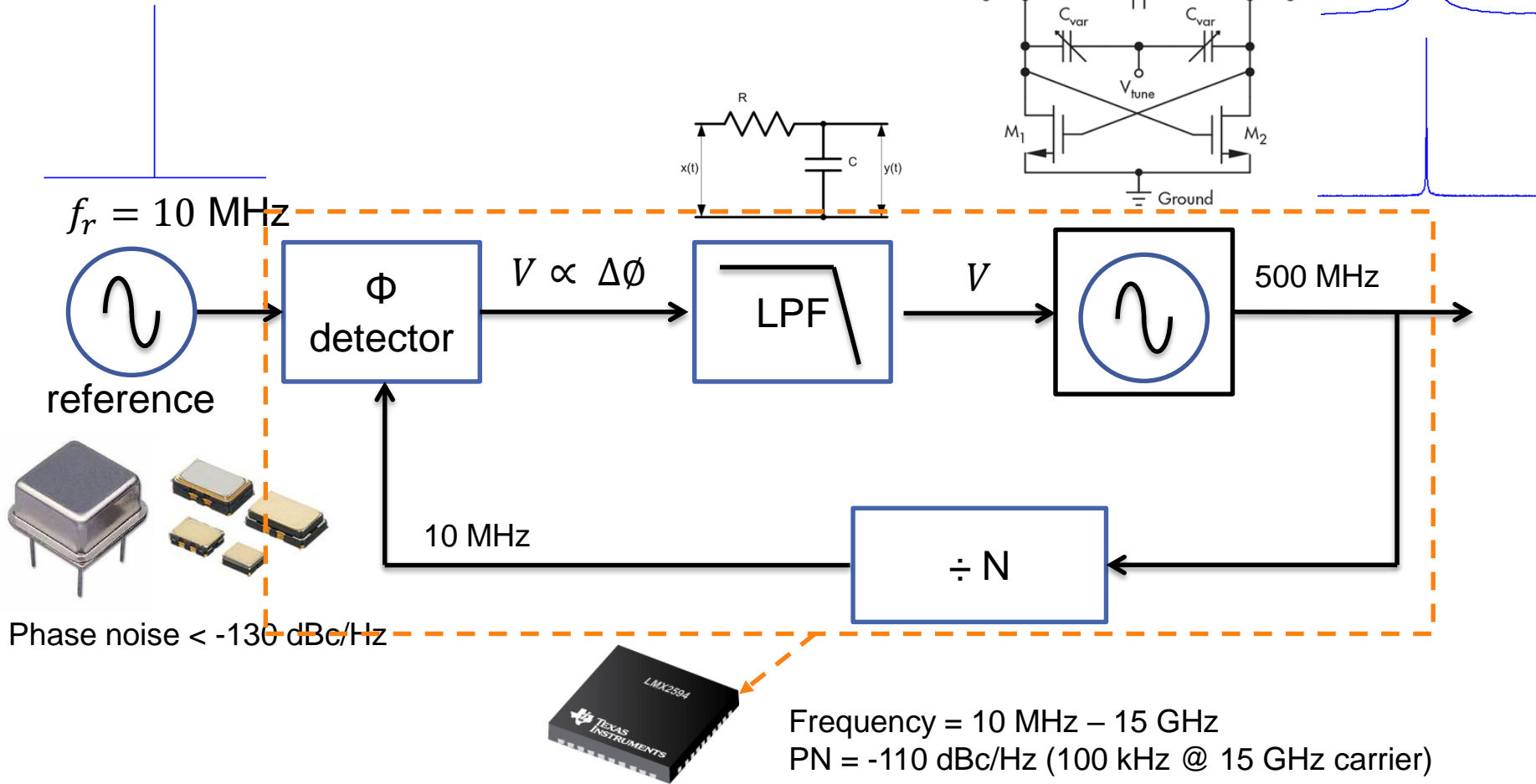
TX – RF generator

- Precise (low phase noise) Larmor frequency
- High phase noise ruins the spectral resolution
- Phase noise should be 90 dB below the carrier for 1 kHz offset

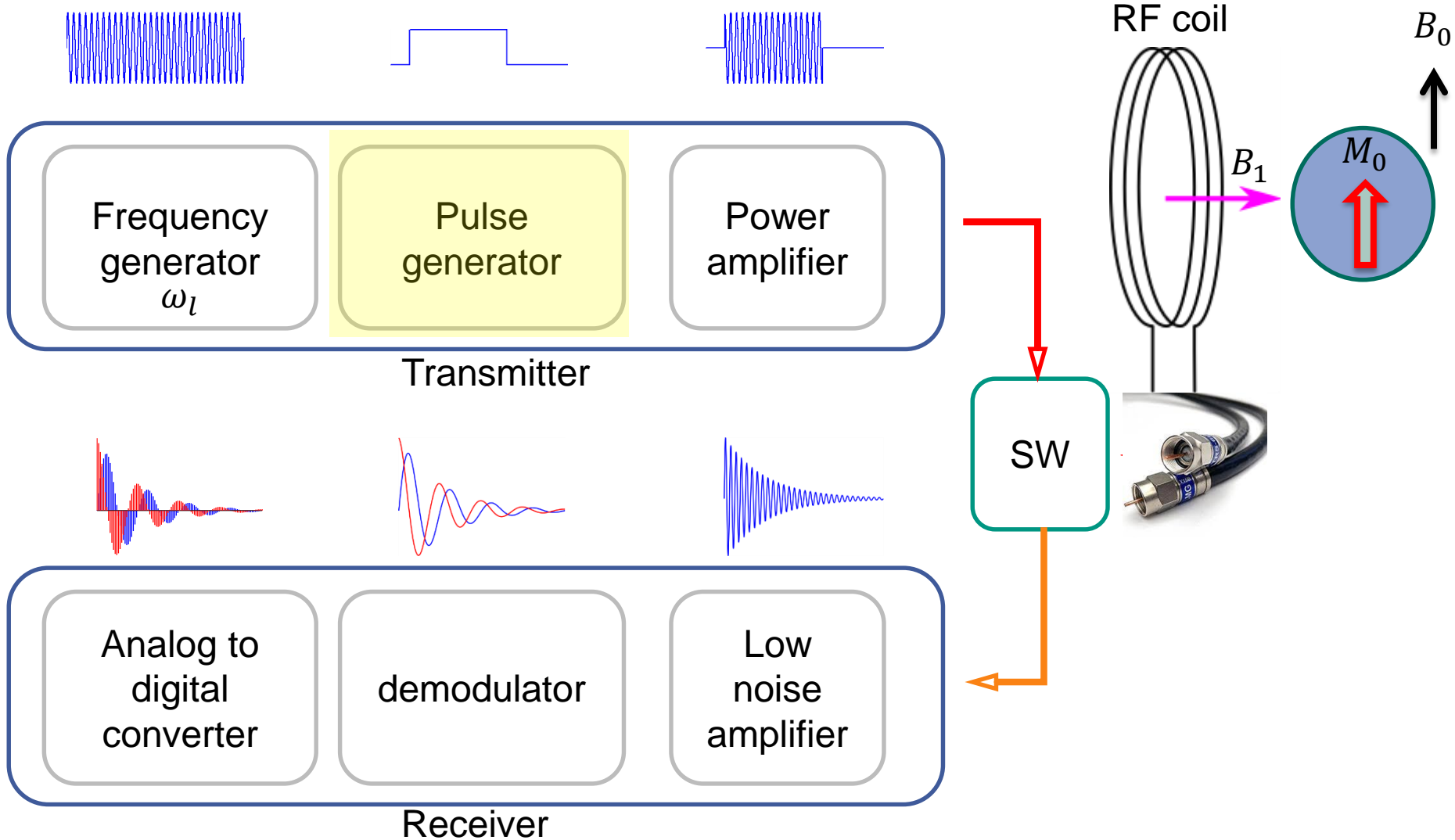


Oscillator circuits

- LC VCO $f \propto 1/\sqrt{LC}$
- Phase locked loop to enhance the phase noise

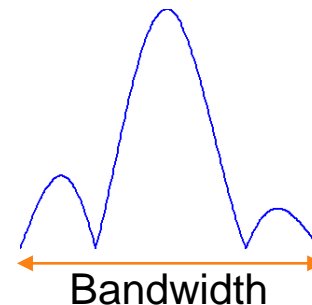
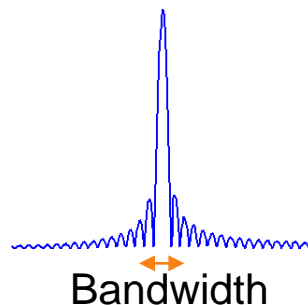
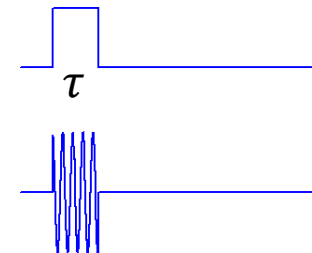
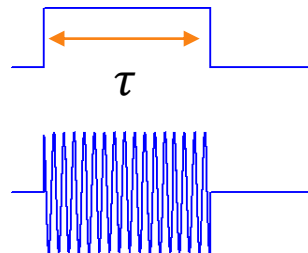
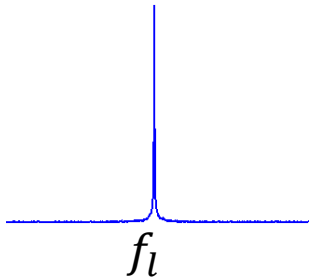
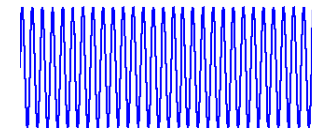
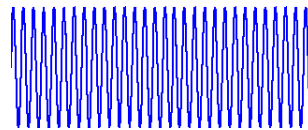
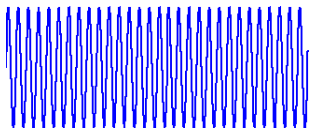


MRI scanner – Tx and Rx electronics



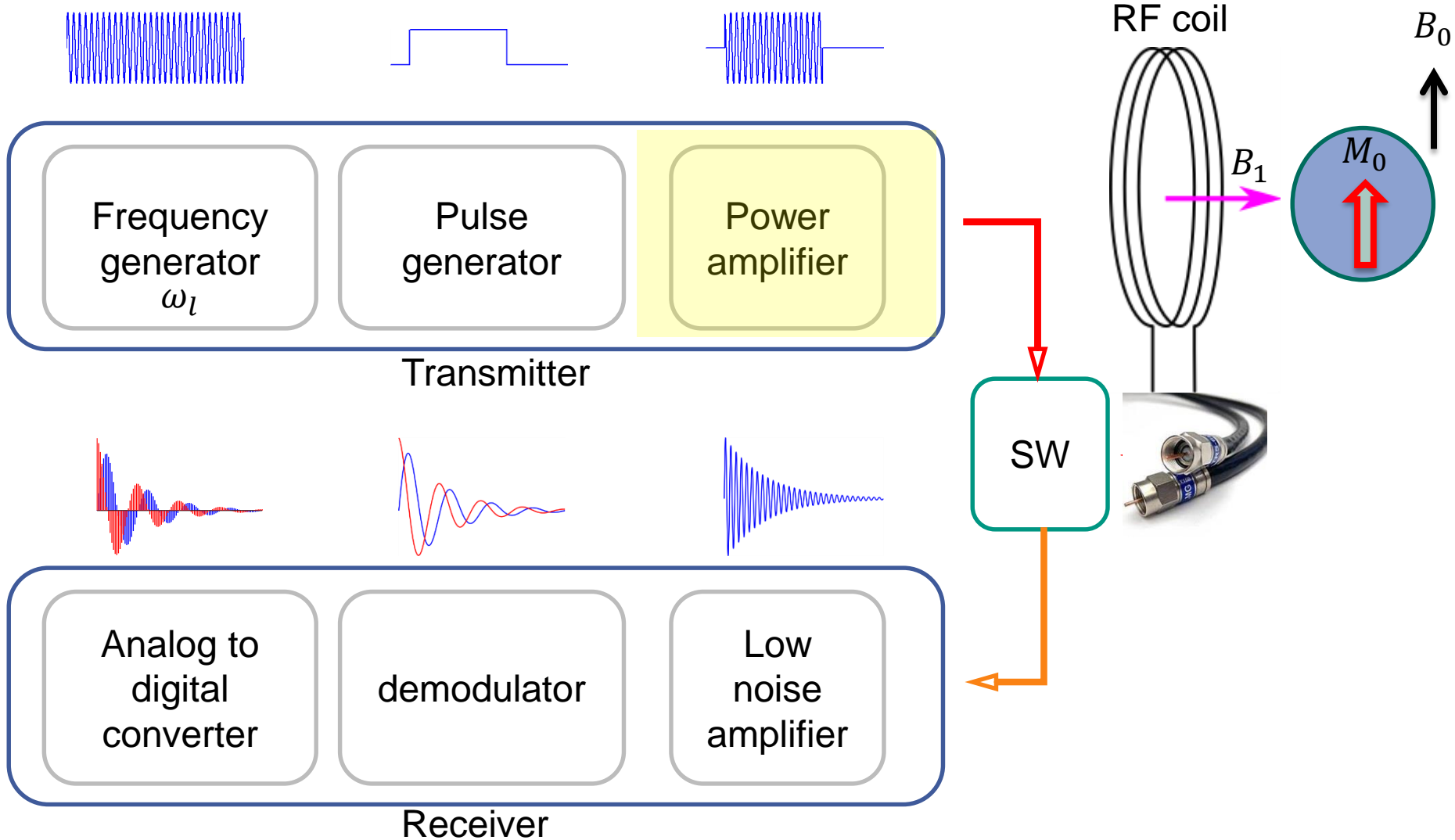
TX – Pulse gate

- A fast switch that gates the Larmor frequency
- It can precisely control the duration of the pulse and its phase
- The duration τ , the bandwidth and the flip angle $\alpha = \gamma \cdot |B_1| \cdot \tau$
- Typical pulse duration $\mu\text{s} - \text{ms}$



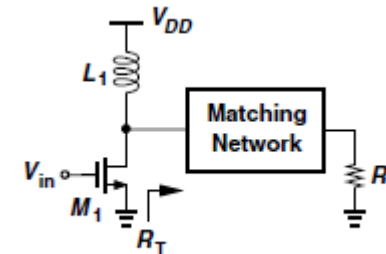
Digital to analog converter

MRI scanner – Tx and Rx electronics

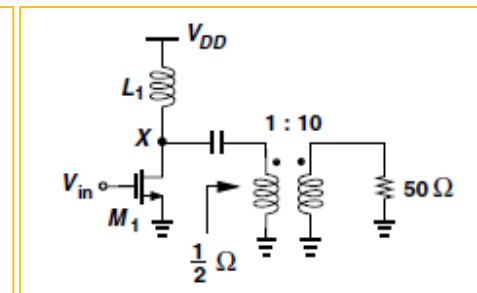
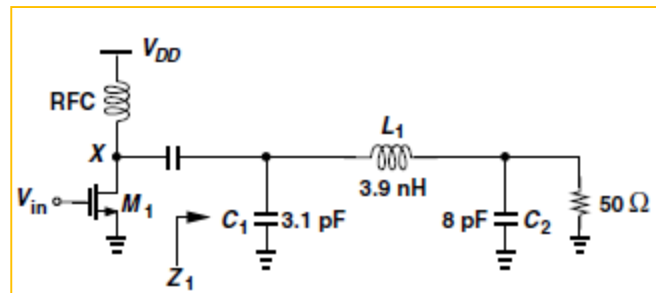


TX – power amplifier

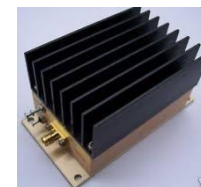
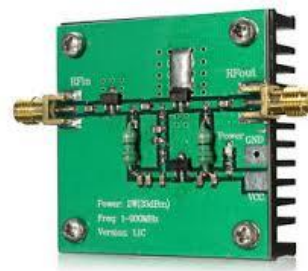
- Why we need the power amplifier?
 - To control the flip angle $\alpha = \gamma \cdot |B_1| \cdot \tau$



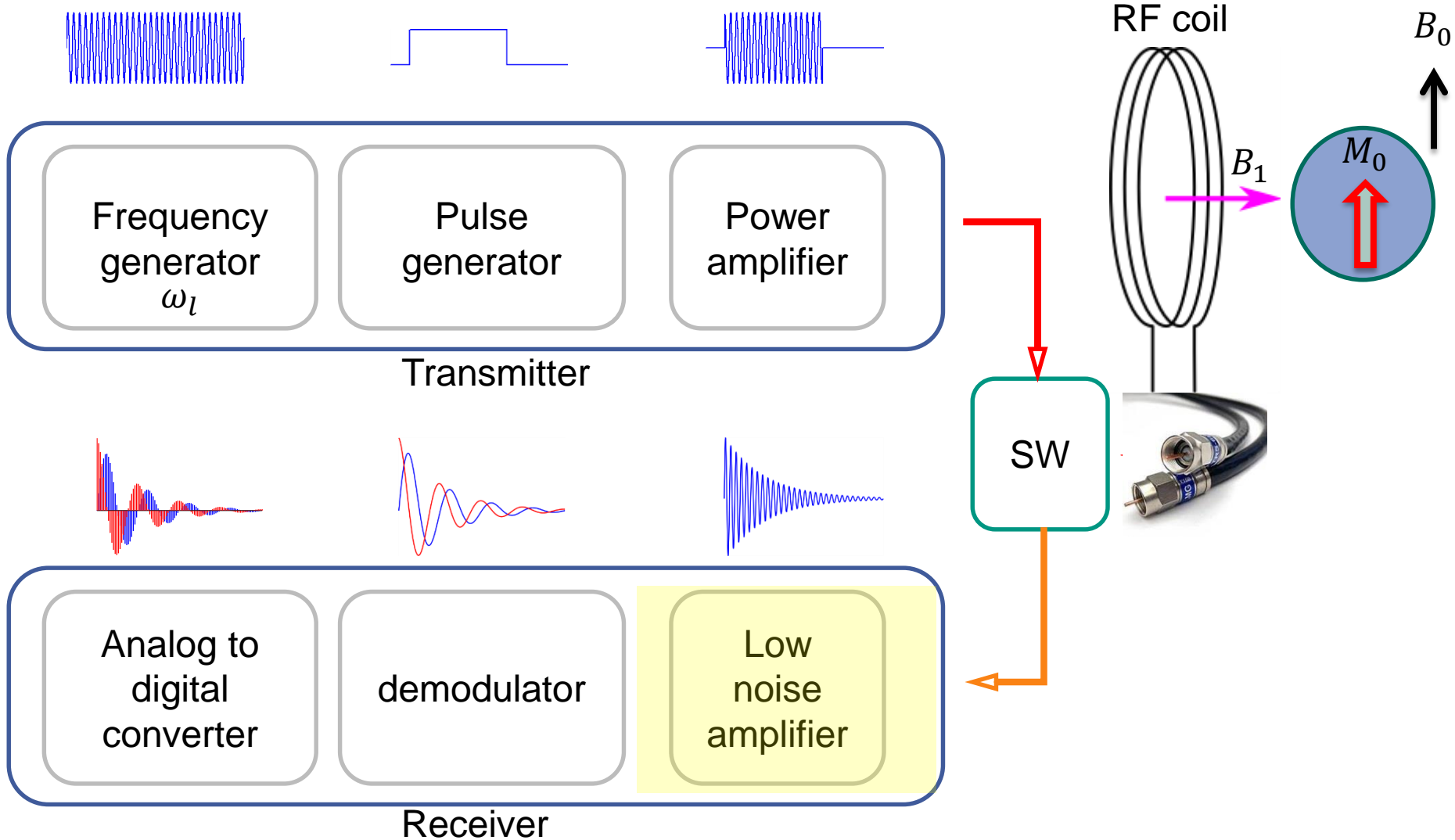
- Typical ranges of powers used in MR
 - mW - kW



- The matching network is necessary to reduce the load at the output of the amp, and thus reduces the required voltage swing

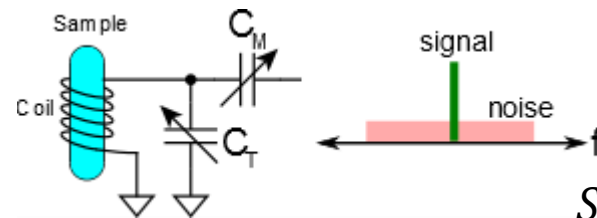


MRI scanner – Tx and Rx electronics



RX – LNA

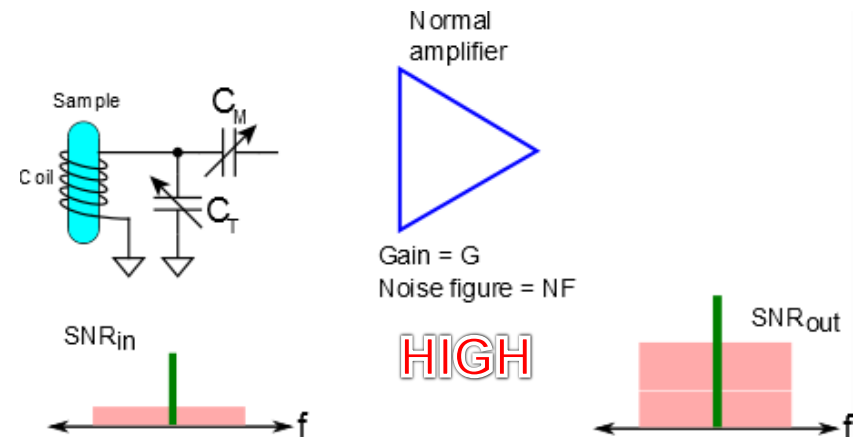
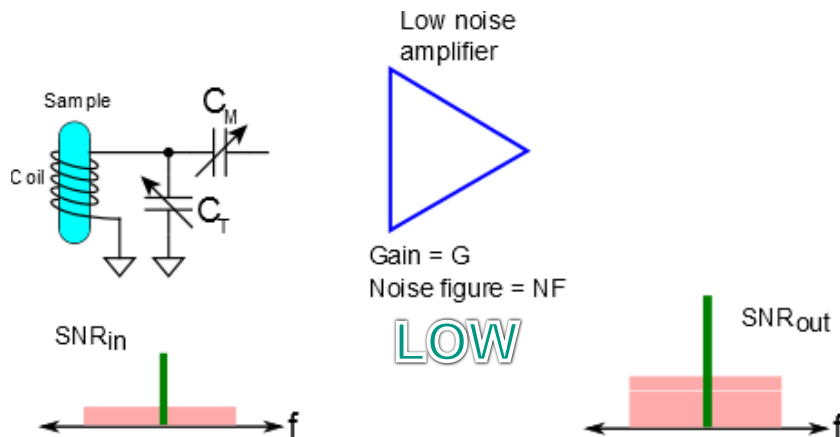
- NMR signal is inherently **very small**
- The LNA is used to **amplify** the NMR signal to a **useful** level without adding **significant** noise



$$SNR = \frac{\text{Signal power}}{\text{Noise power}}$$

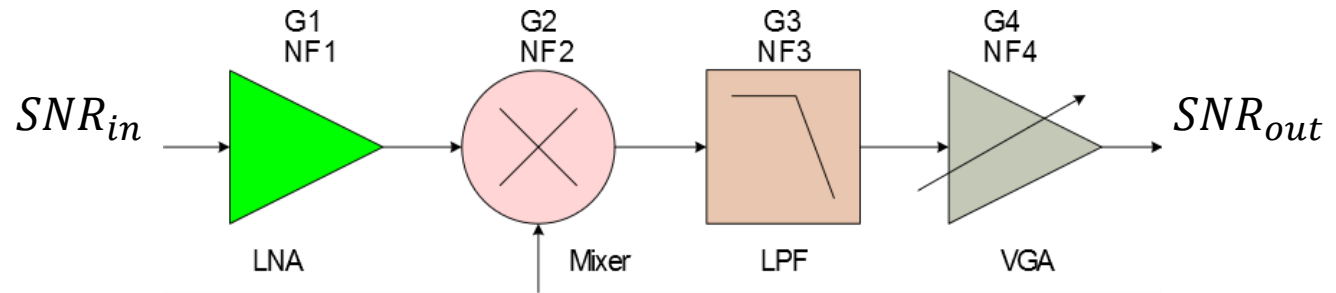
$$F = \frac{SNR_{in}}{SNR_{out}}$$

$$NF = 10 \cdot \log(F)$$



RX – LNA

■ Frii's formula



$$F_{total} = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \frac{F_4 - 1}{G_1 G_2 G_3} + \dots$$

$$NF = 10 \cdot \log(F)$$

■ Example

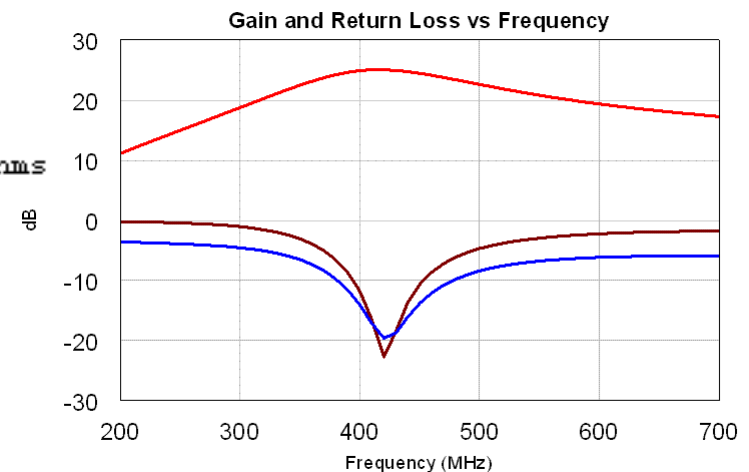
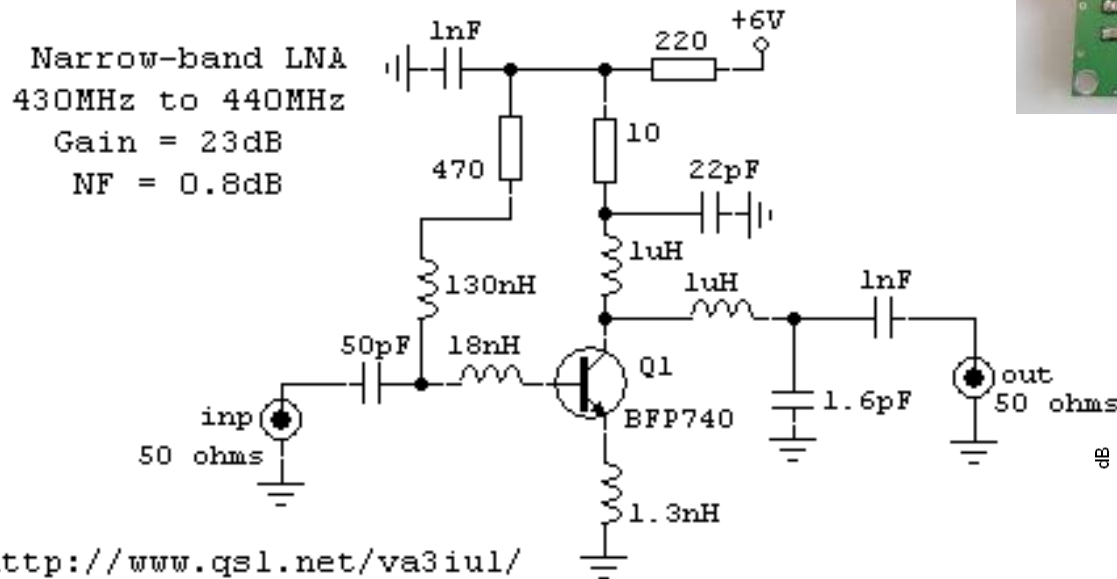
$G_1 = 20 \text{ dB}$	$G_2 = 5 \text{ dB}$	$G_3 = 0 \text{ dB}$	$G_4 = 30 \text{ dB}$	➔ $NF_{total} = 0.89 \text{ dB}$
$NF_1 = 0.5 \text{ dB}$	$NF_2 = 10 \text{ dB}$	$NF_3 = 3 \text{ dB}$	$NF_4 = 7 \text{ dB}$	

$G_1 = 10 \text{ dB}$	$G_2 = 5 \text{ dB}$	$G_3 = 0 \text{ dB}$	$G_4 = 30 \text{ dB}$	➔ $NF_{total} = 3.39 \text{ dB}$
$NF_1 = 0.5 \text{ dB}$	$NF_2 = 10 \text{ dB}$	$NF_3 = 3 \text{ dB}$	$NF_4 = 7 \text{ dB}$	

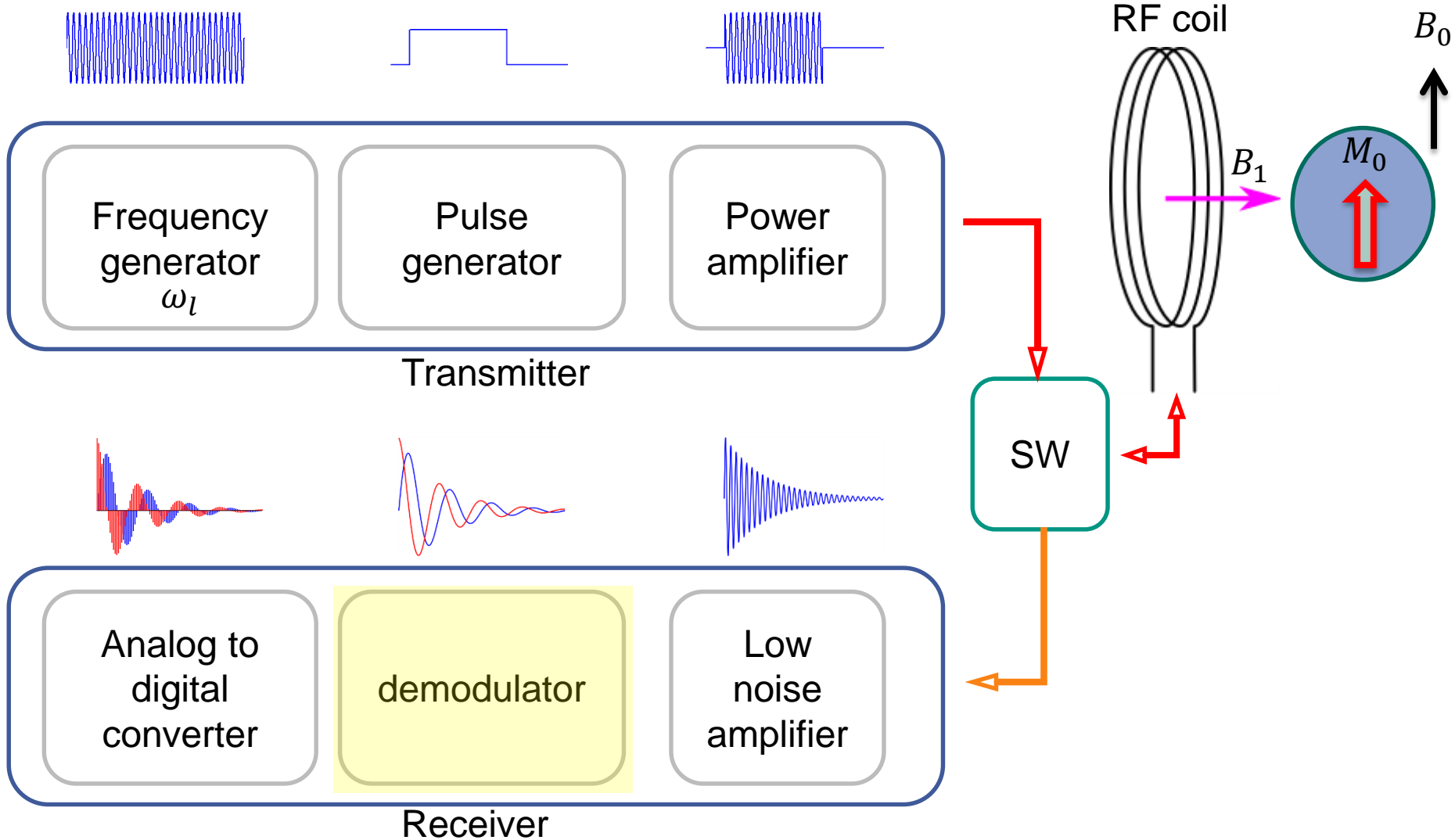
$G_1 = 20 \text{ dB}$	$G_2 = 5 \text{ dB}$	$G_3 = 0 \text{ dB}$	$G_4 = 30 \text{ dB}$	➔ $NF_{total} = 2.28 \text{ dB}$
$NF_1 = 2 \text{ dB}$	$NF_2 = 10 \text{ dB}$	$NF_3 = 3 \text{ dB}$	$NF_4 = 7 \text{ dB}$	

RX – LNA example

- BFP740 Silicon-Germanium: Carbon NPN bipolar transistor
- Typical NF used in NMR spectrometers <1dB

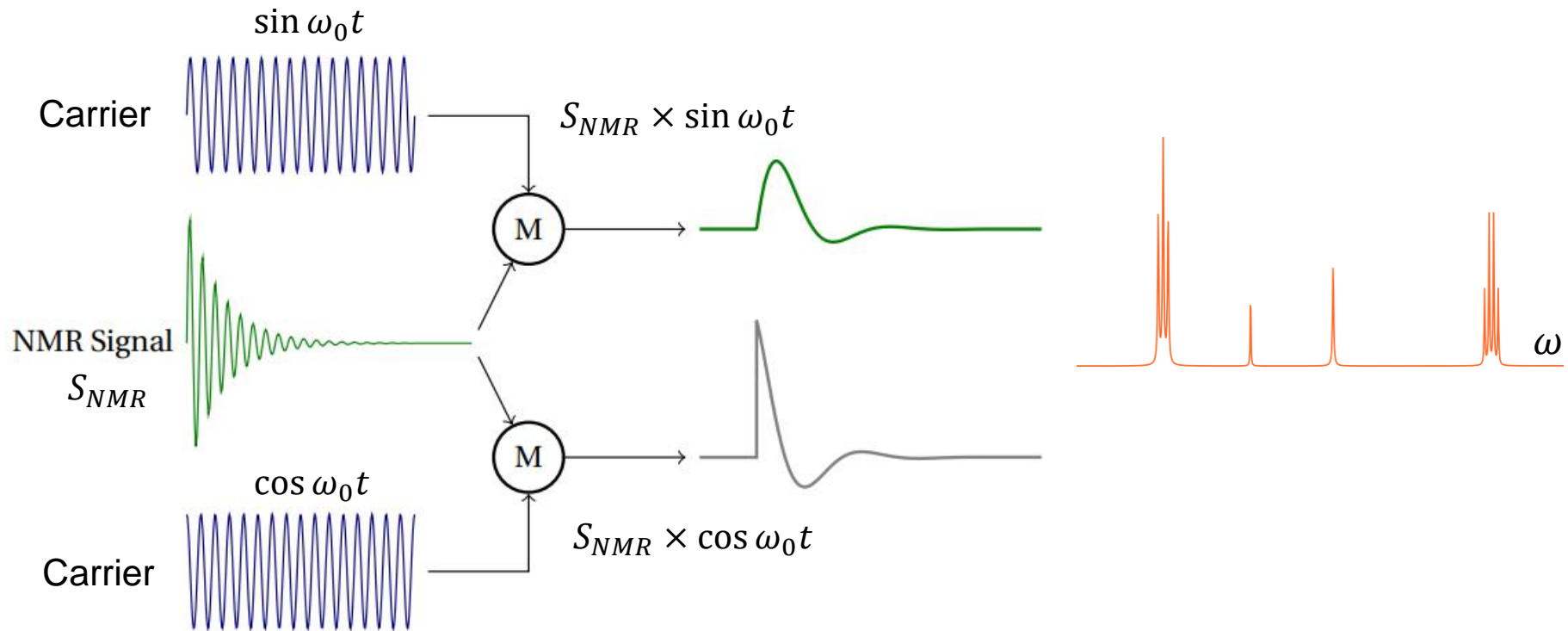


MRI scanner – Tx and Rx electronics



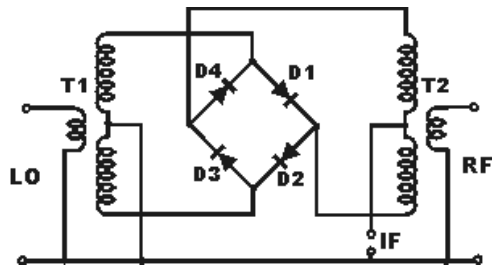
RX – quadrature demodulation

- For **ease** of processing we need to **demodulate** the signal (convert it from **high** Larmor frequency to a **low** frequency)

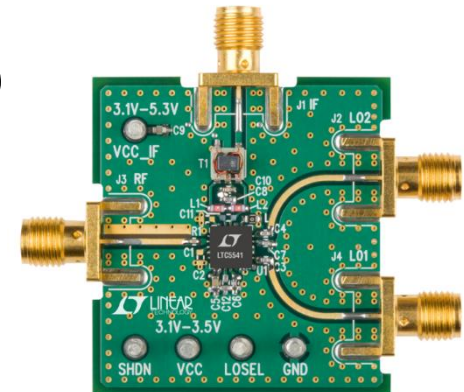
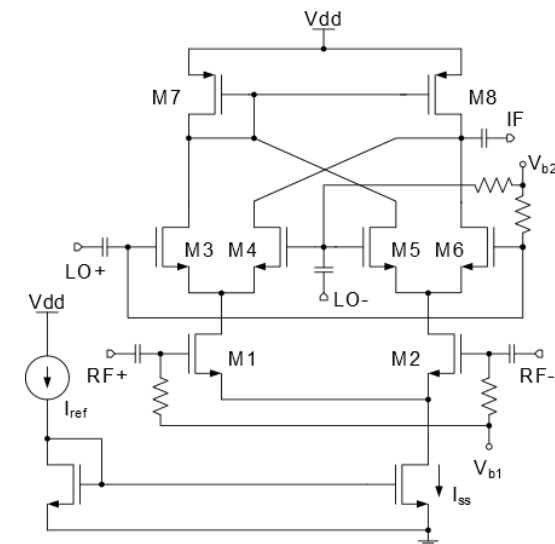


RX – demodulator circuit

Passive demodulator

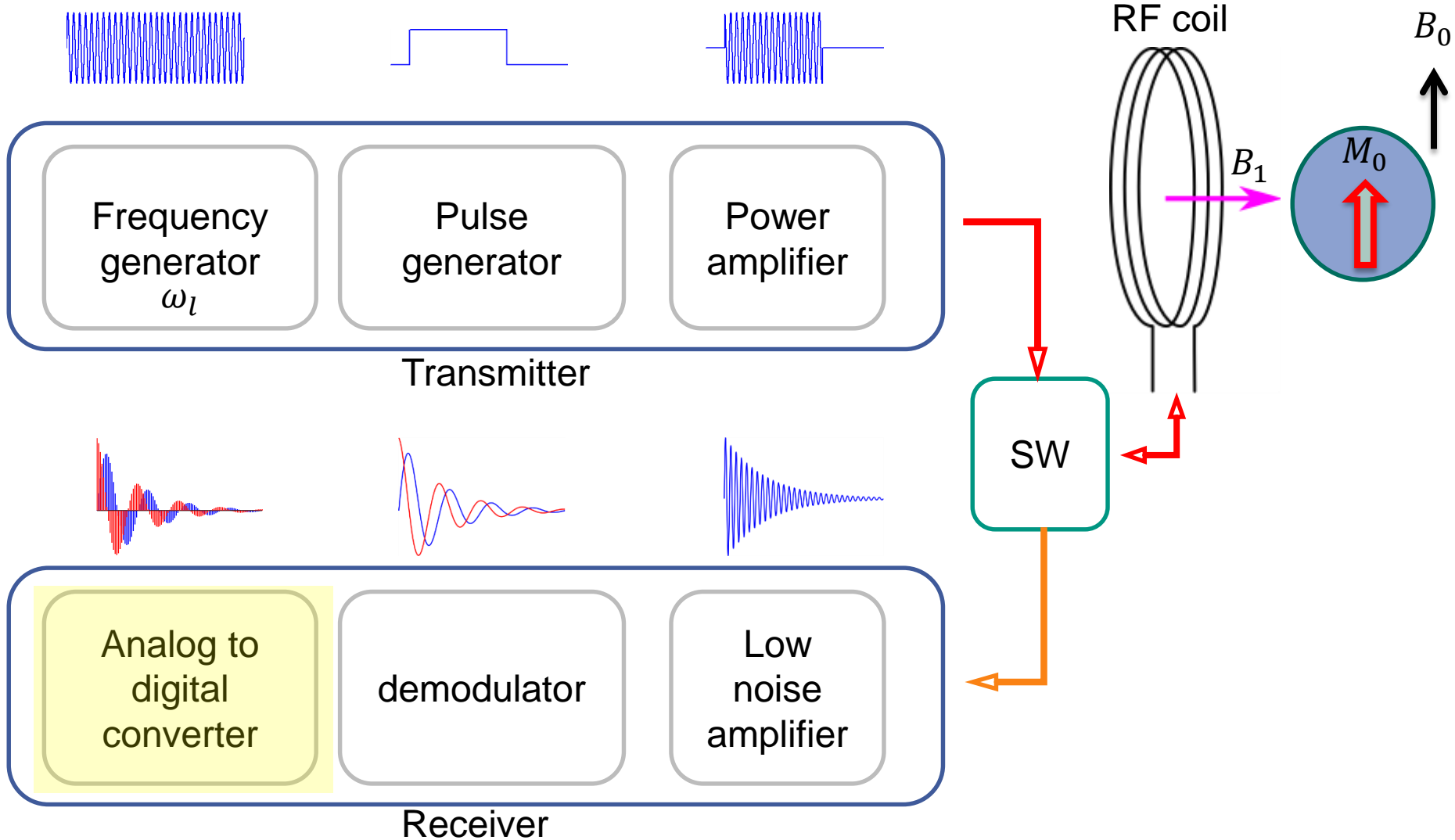


Active demodulator



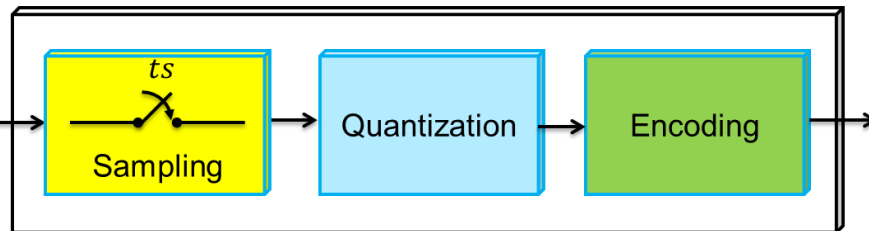
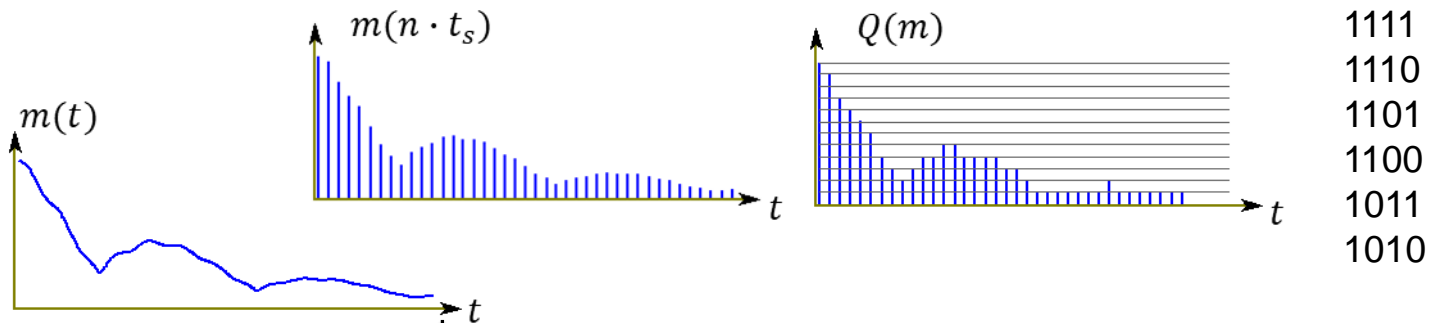
- LO: local oscillator (**carrier**)
- RF: radio frequency (the high frequency **NMR** signal)
- IF: intermediate frequency (the **demodulated** signal)

MRI scanner – Tx and Rx electronics

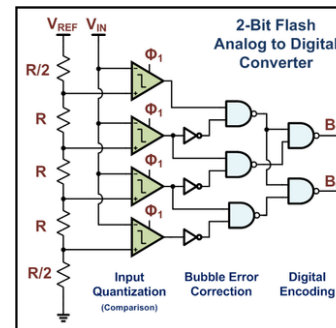


RX – the ADC

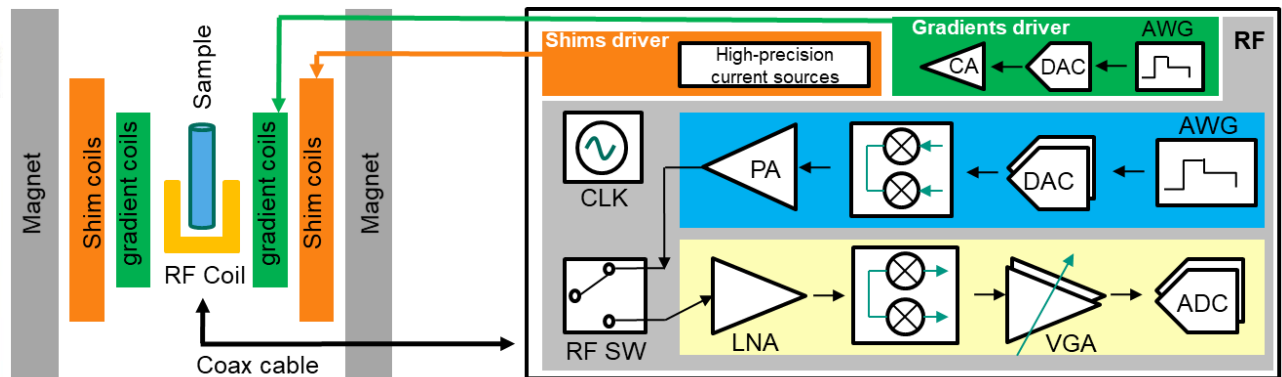
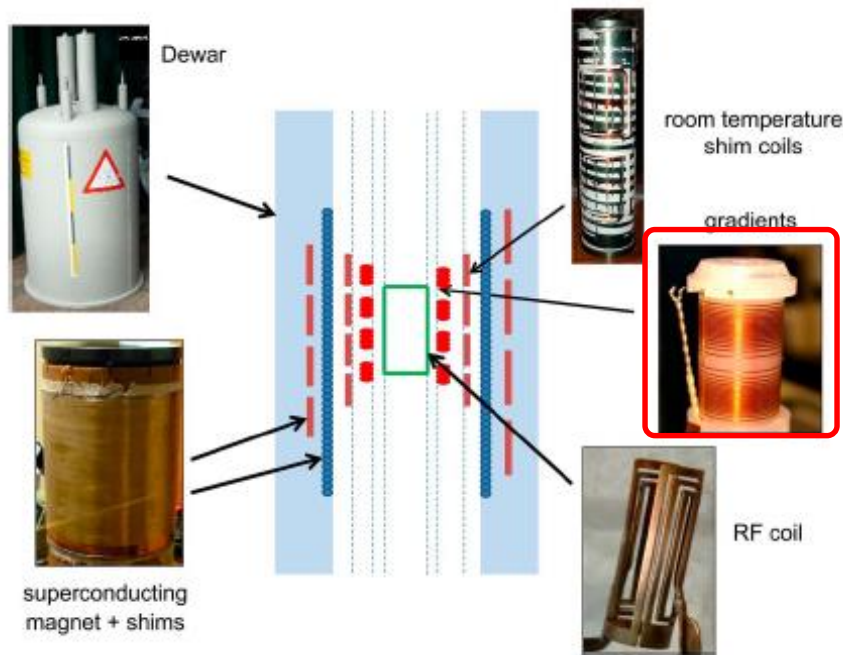
- Converts the NMR signals from **analog** form to **digital** form



16-bit ADC, 40 MSPS

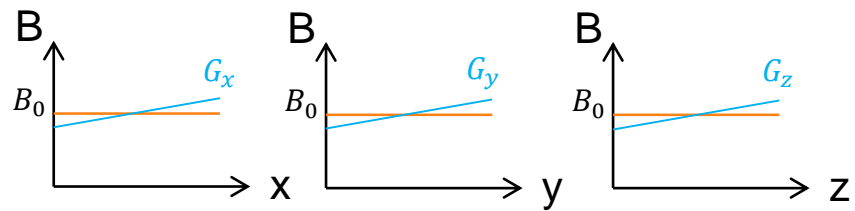
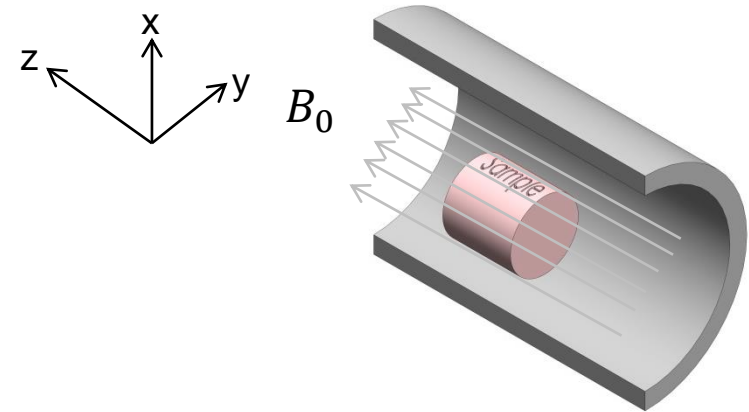


The MR spectrometer

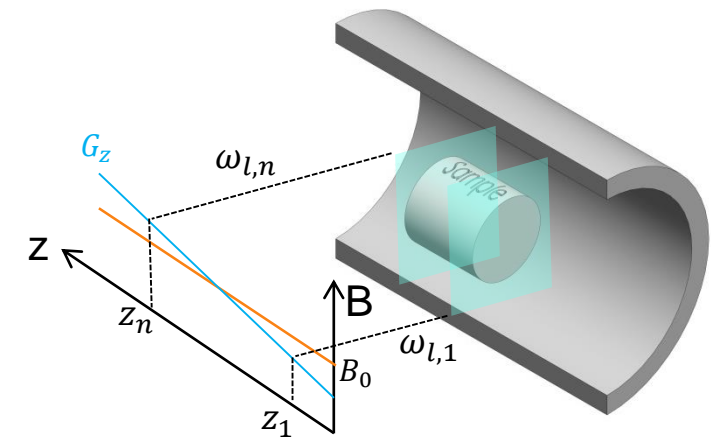


The MRI scanner – The gradient coils

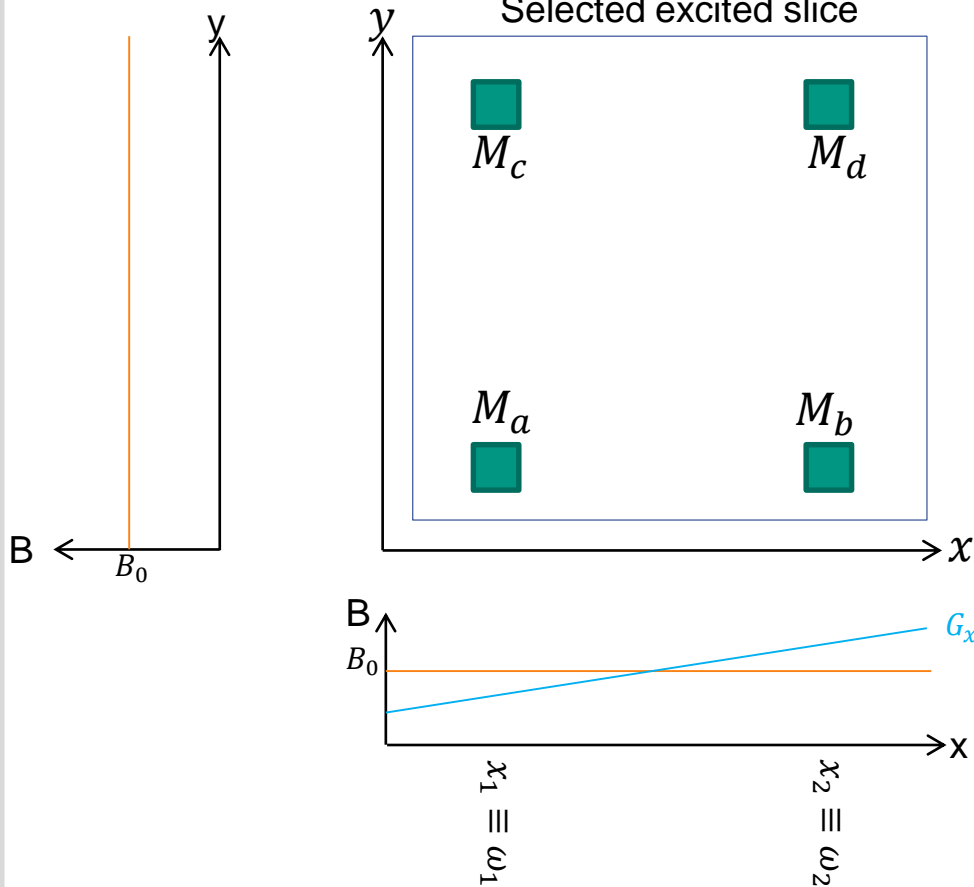
- The coils are necessary for imaging



- Slice selection using G_z

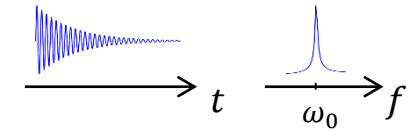


The MRI scanner – The gradient coils



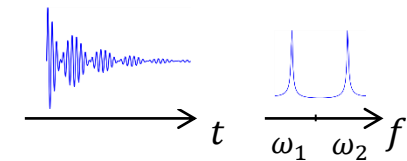
■ Case 1: no G_x and no G_y

$$s = (M_a + M_b + M_c + M_d)e^{i\omega_0 t}$$

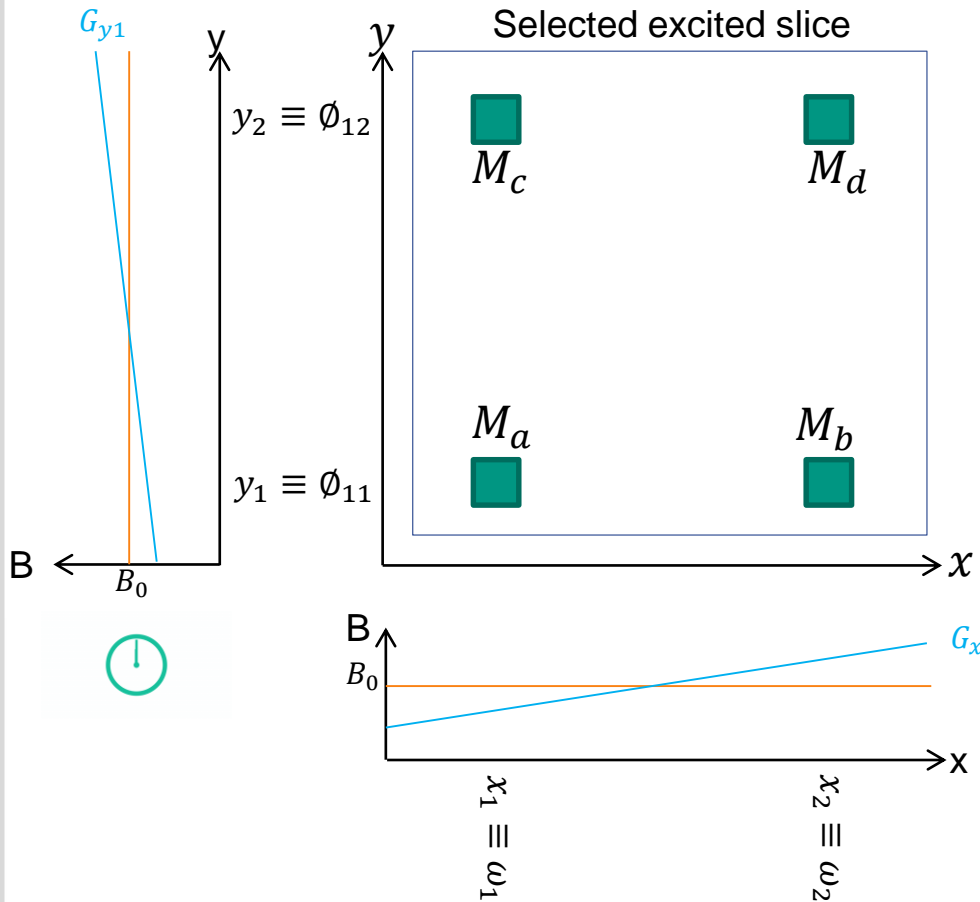


■ Case 2: G_x and no G_y

$$s = (M_a + M_c)e^{i\omega_1 t} + (M_b + M_d)e^{i\omega_2 t}$$

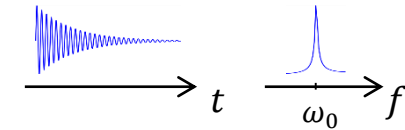


The MRI scanner – The gradient coils



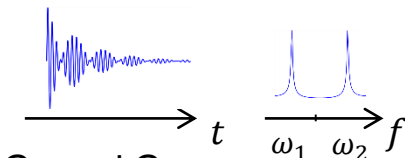
Case 1: no G_x and no G_y

$$s = (M_a + M_b + M_c + M_d)e^{i\omega_0 t}$$



Case 2: G_x and no G_y

$$s = (M_a + M_c)e^{i\omega_1 t} + (M_b + M_d)e^{i\omega_2 t}$$



Case 3: G_y and G_x

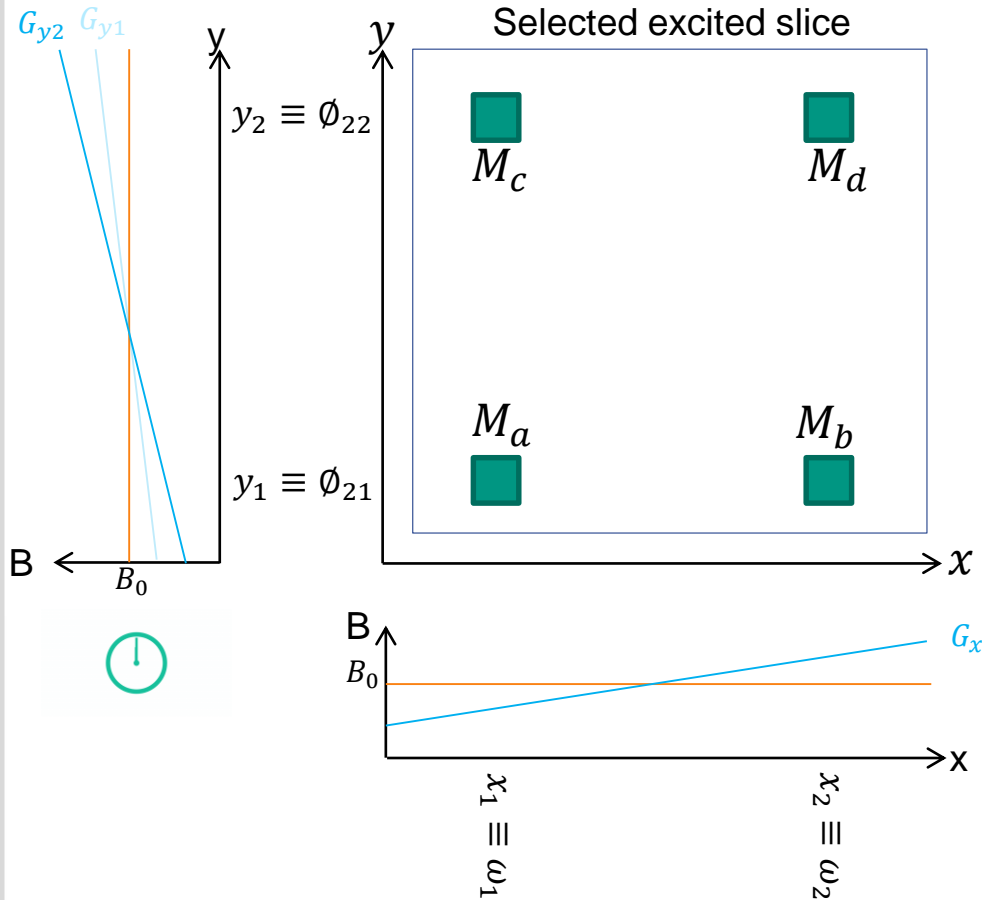
G_{y1} then G_x

$$s = M_a e^{i(\omega_1 t + \phi_{11})} + M_b e^{i(\omega_2 t + \phi_{11})} + M_c e^{i(\omega_1 t + \phi_{12})} + M_d e^{i(\omega_2 t + \phi_{12})}$$

$$S_{f11} = (M_a e^{i\phi_{11}} + M_c e^{i\phi_{12}})$$

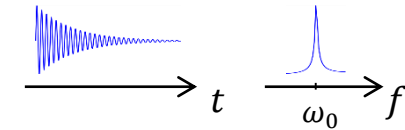
$$S_{f12} = (M_b e^{i\phi_{11}} + M_d e^{i\phi_{12}})$$

The MRI scanner – The gradient coils



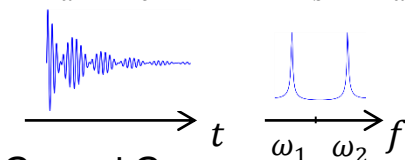
Case 1: no G_x and no G_y

$$s = (M_a + M_b + M_c + M_d)e^{i\omega_0 t}$$



Case 2: G_x and no G_y

$$s = (M_a + M_c)e^{i\omega_1 t} + (M_b + M_d)e^{i\omega_2 t}$$



Case 3: G_y and G_x

Gy1 then Gx

$$s = M_a e^{i(\omega_1 t + \phi_{11})} + M_b e^{i(\omega_2 t + \phi_{11})} + M_c e^{i(\omega_1 t + \phi_{12})} + M_d e^{i(\omega_2 t + \phi_{12})}$$

$$s_{f11} = (M_a e^{i\phi_{11}} + M_c e^{i\phi_{12}})$$

$$s_{f12} = (M_b e^{i\phi_{11}} + M_d e^{i\phi_{12}})$$

Gy2 then Gx

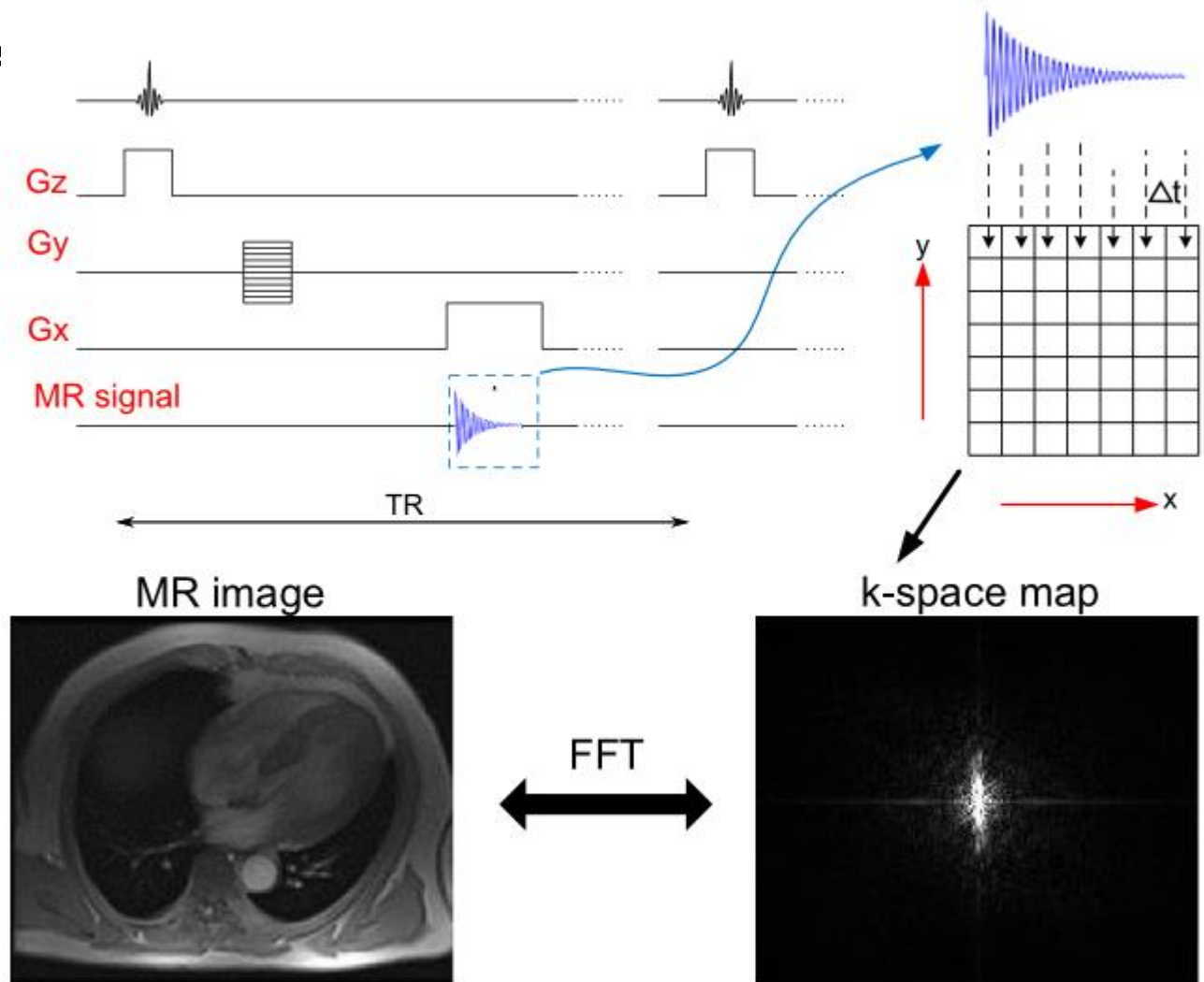
$$s = M_a e^{i(\omega_1 t + \phi_{21})} + M_b e^{i(\omega_2 t + \phi_{21})} + M_c e^{i(\omega_1 t + \phi_{22})} + M_d e^{i(\omega_2 t + \phi_{22})}$$

$$s_{f21} = (M_a e^{i\phi_{21}} + M_c e^{i\phi_{22}})$$

$$s_{f22} = (M_b e^{i\phi_{21}} + M_d e^{i\phi_{22}})$$

The MRI scanner – The gradient coils

■ Imaging sequence



Further reading

- Malcolm H Levitt. Spin dynamics: basics of nuclear magnetic resonance. John Wiley & Sons, 2001.
- Webb, A.G. ed., 2016. *Magnetic resonance technology: hardware and system component design*. Royal Society of Chemistry.
- Behzad Razavi. RF microelectronics, volume 1. Prentice Hall New Jersey, 1998.
- David I Hoult. Receiver Design for MR. eMagRes, pages 1–21, 2011.
- David I Hoult and RE Richards. The signal-to-noise ratio of the nuclear magnetic resonance experiment. *Journal of Magnetic Resonance* (1969), 24(1):71–85, 1976.

Thank you for attention