

# Searching for **New Physics** at the intensity frontier

(at low energies with lots of particles)

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Heidelberg Graduate Days  
Heidelberg, April 2018



# Overview

Why and where to search for new physics:

- Triumph and tragedy of the Standard Model

Proton decay:

- Watching lots of water

Proton radius, neutron lifetime:

- Puzzling discrepancies

Muon magnetic moment:

- Measuring and calculating at the precision limit

The electric dipole moment of the neutron:

- Particles in a bottle

The weak mixing angle:

- New Physics in tiny differences between left- and right-handed



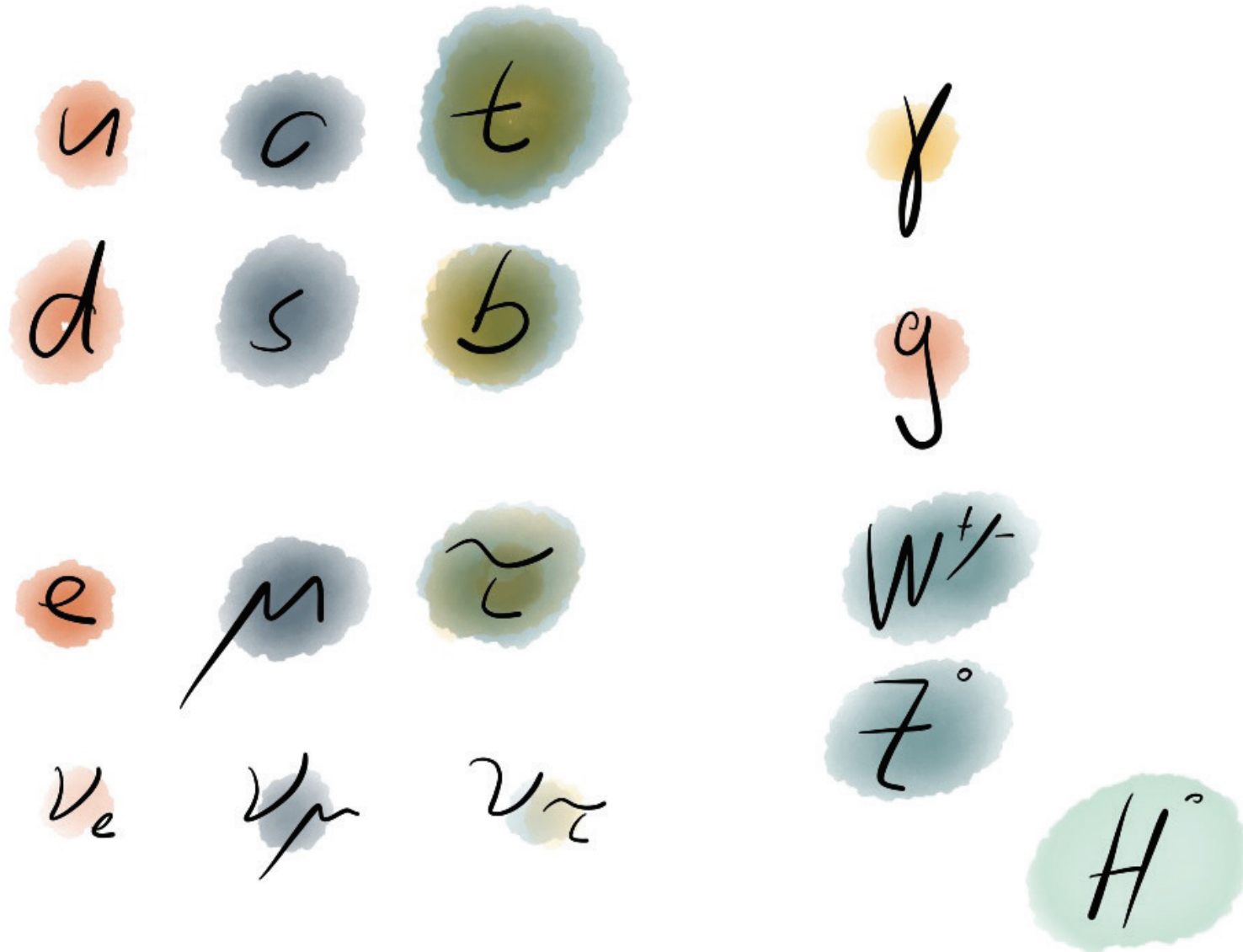
# Important warnings

- This is a very vibrant field, I will talk about a lot, but **there is much more I will not talk about...**
- The **selection is very biased**: Experiments I like, experiments I am part of, experiments I understand (hopefully with some overlap)
- I am a member of the Mu3e, P2 and BESIII collaborations
- For most other experiments, I “borrowed” material from many colleagues hopefully mostly indicated - if forgotten, sincere apologies, anyway thanks to all of them
- If you want to read a book, get Roberts/Marciano: Lepton Moments (only 400 something Euros - ask your library)

## Particle Physics:

What are the fundamental constituents of matter  
and how do they interact?

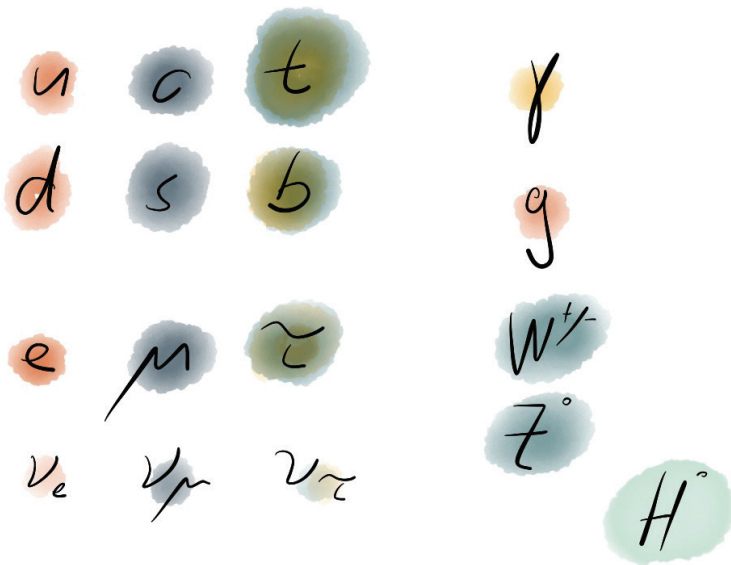
# The Standard Model of Elementary Particles



# The Standard Model of Elementary Particles

## Quantum field theory

- 12 fermion fields constitute matter
- $SU(3) \times SU(2) \times U(1)$  gauge group providing interactions
- Broken to  $SU(3) \times U(1)$  by the Higgs mechanism
- All degrees of freedom have been observed and behave mostly as expected



# Hugely successful



Magnetic moment of the electron:

- Theory:

$$g_e = -2.002\,319\,304\,363\,56\,(154)$$

(Aoyama et al., PRL 109, 111807 (2012))

- Experiment:

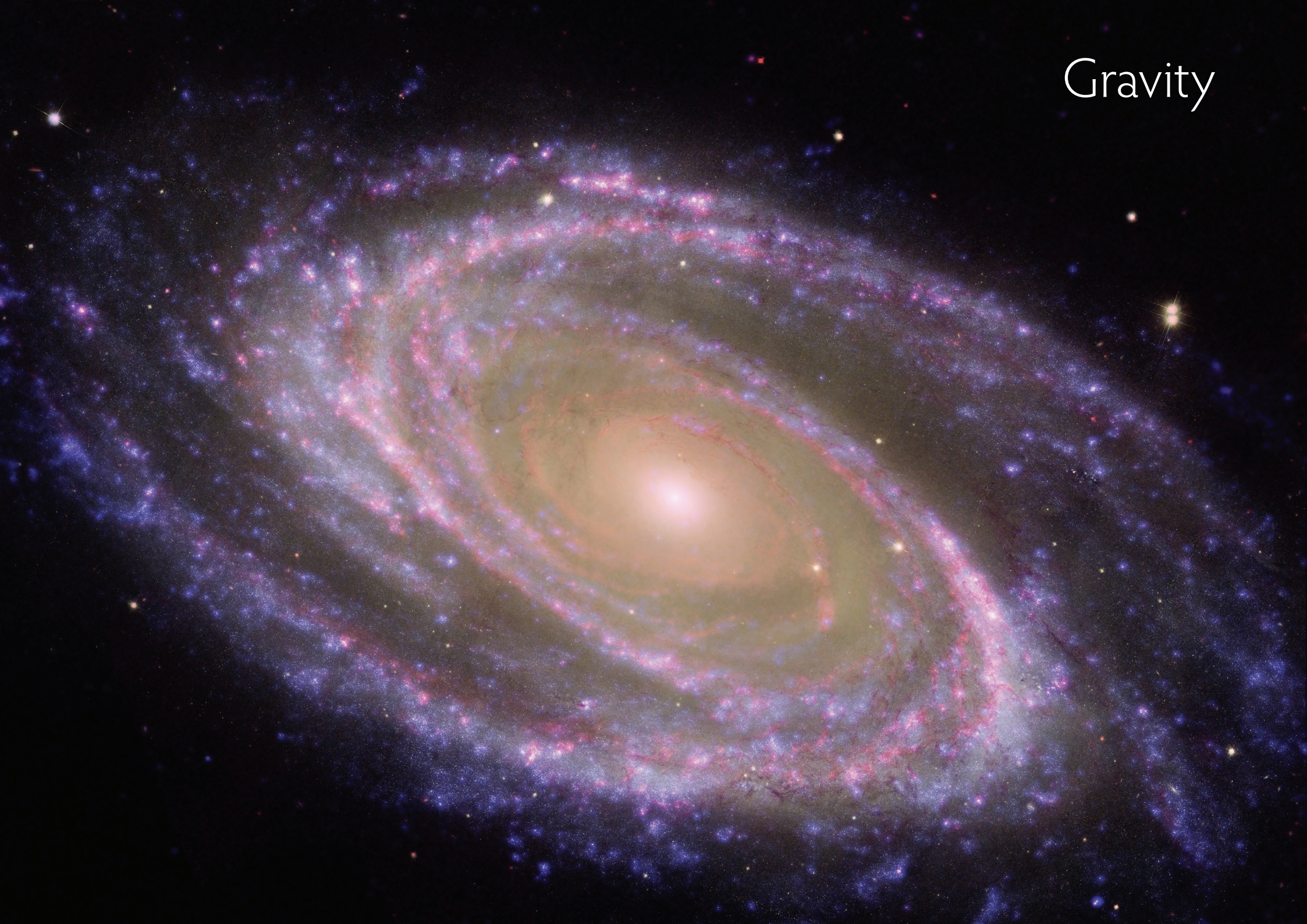
$$g_e = -2.002\,319\,304\,361\,53\,(53)$$

(Hanneke et al. PRL 100, 120801 (2008))

Open Questions?



Gravity





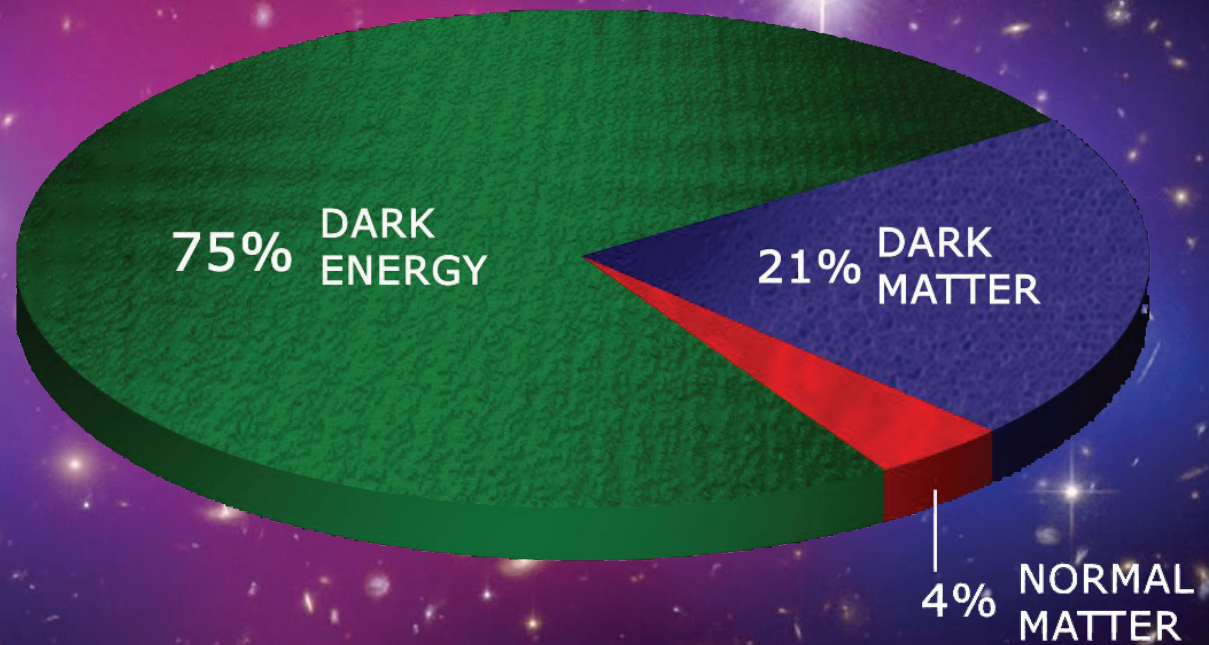
# Dark Matter



NASA: HST and Chandra



# Dark Matter



NASA: HST and Chandra

# Matter-Antimatter Asymmetry

10'000'000'000

Antimatter

10'000'000'001

Matter

# Matter-Antimatter Asymmetry

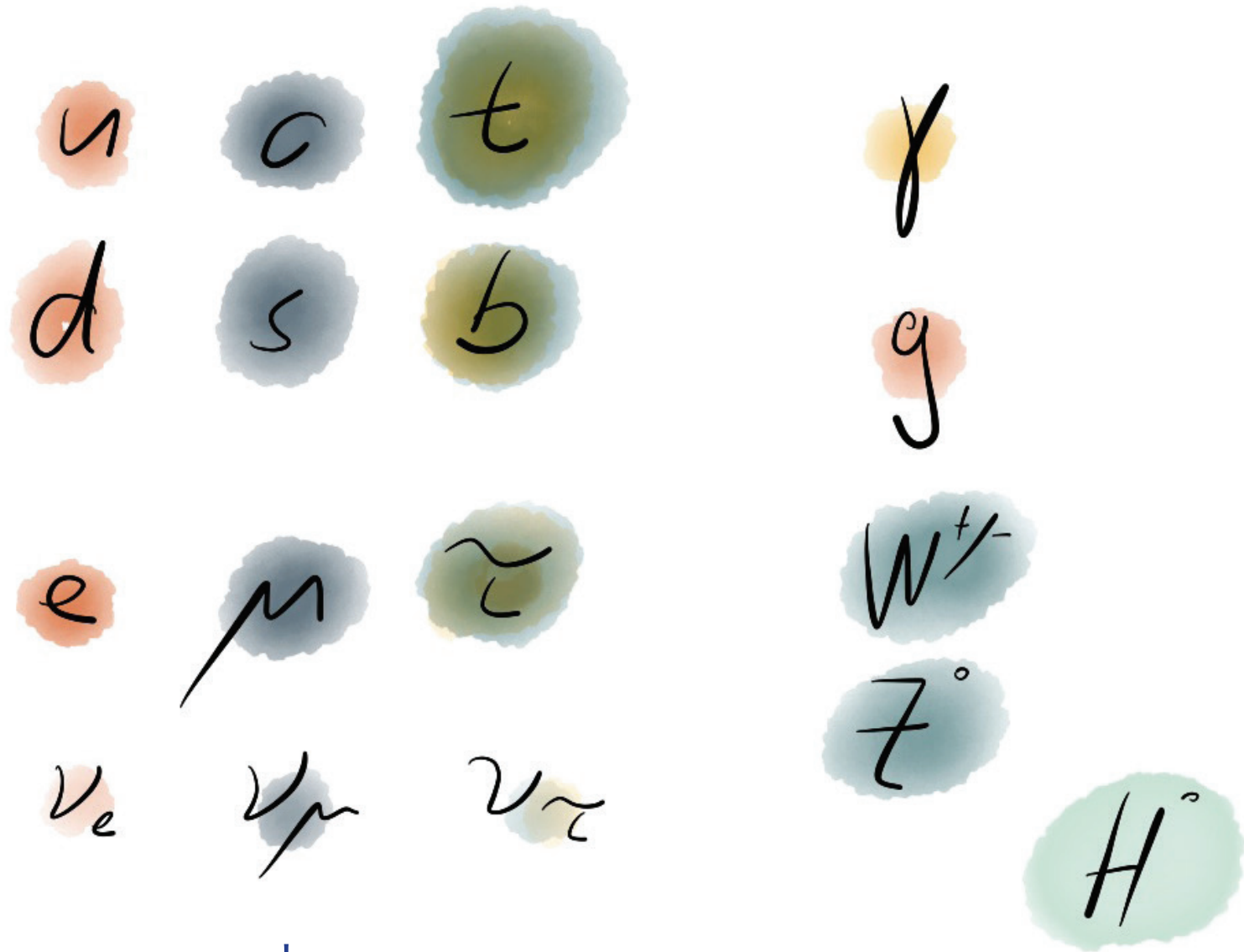
Radiation

■  
1

Us

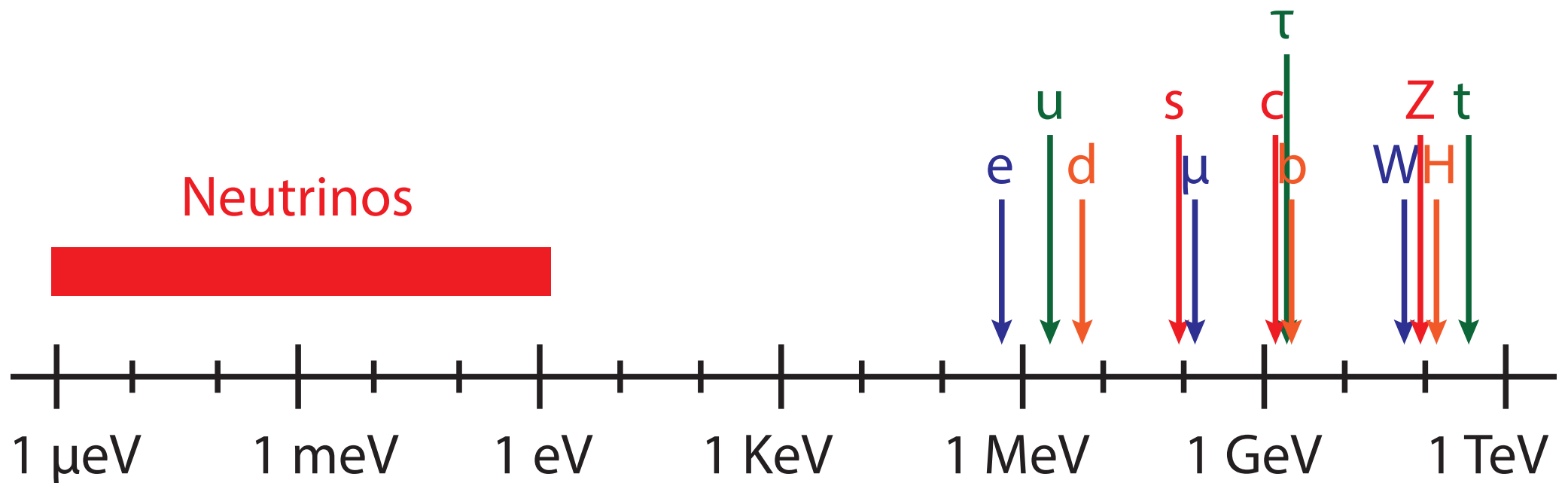
# Sakharov-Criteria

# The Structure of the Standard Model

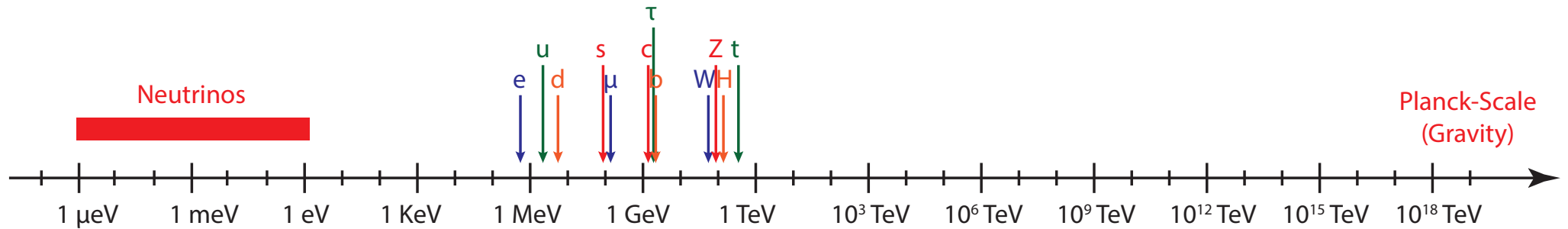


26 free parameters

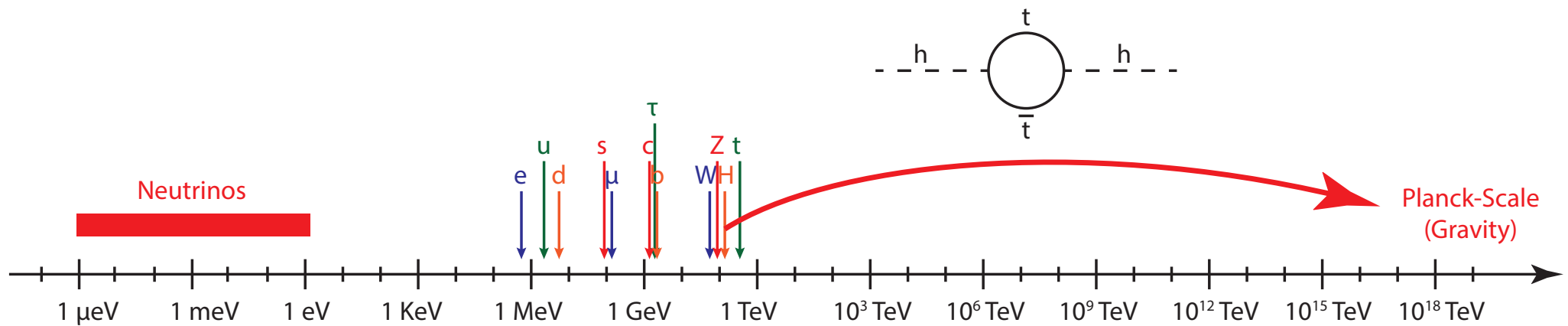
# The Structure of the Standard Model



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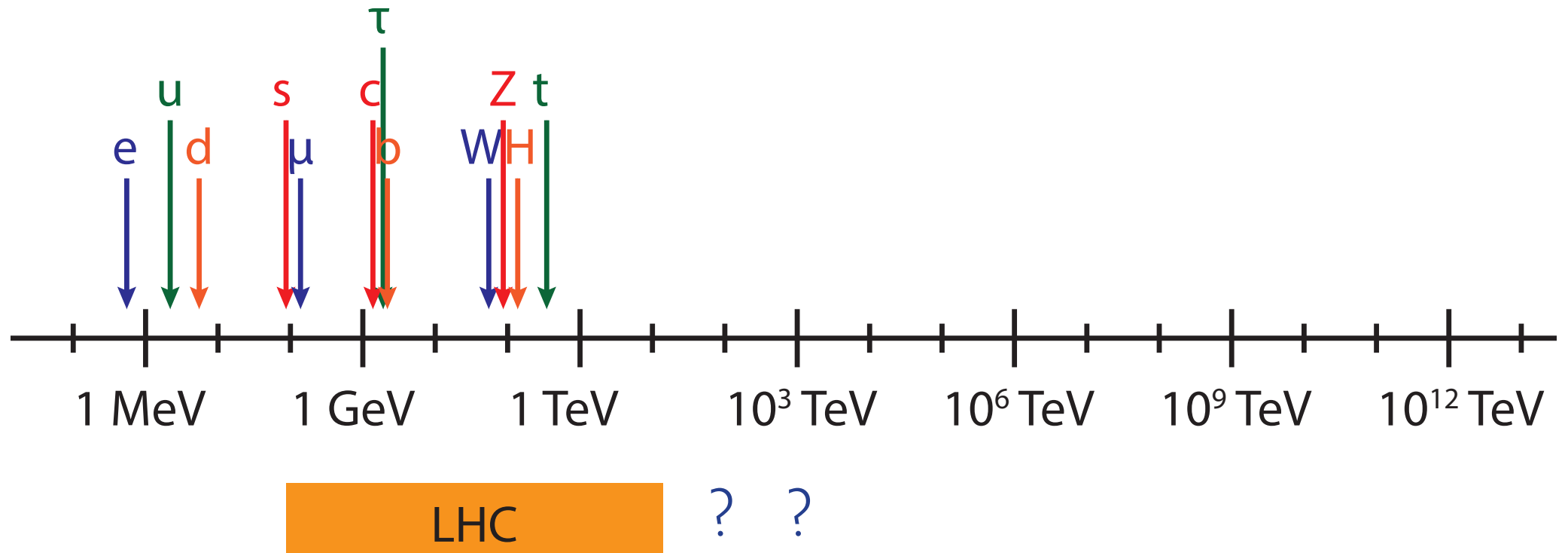


# The Structure of the Standard Model





# The Structure of the Standard Model

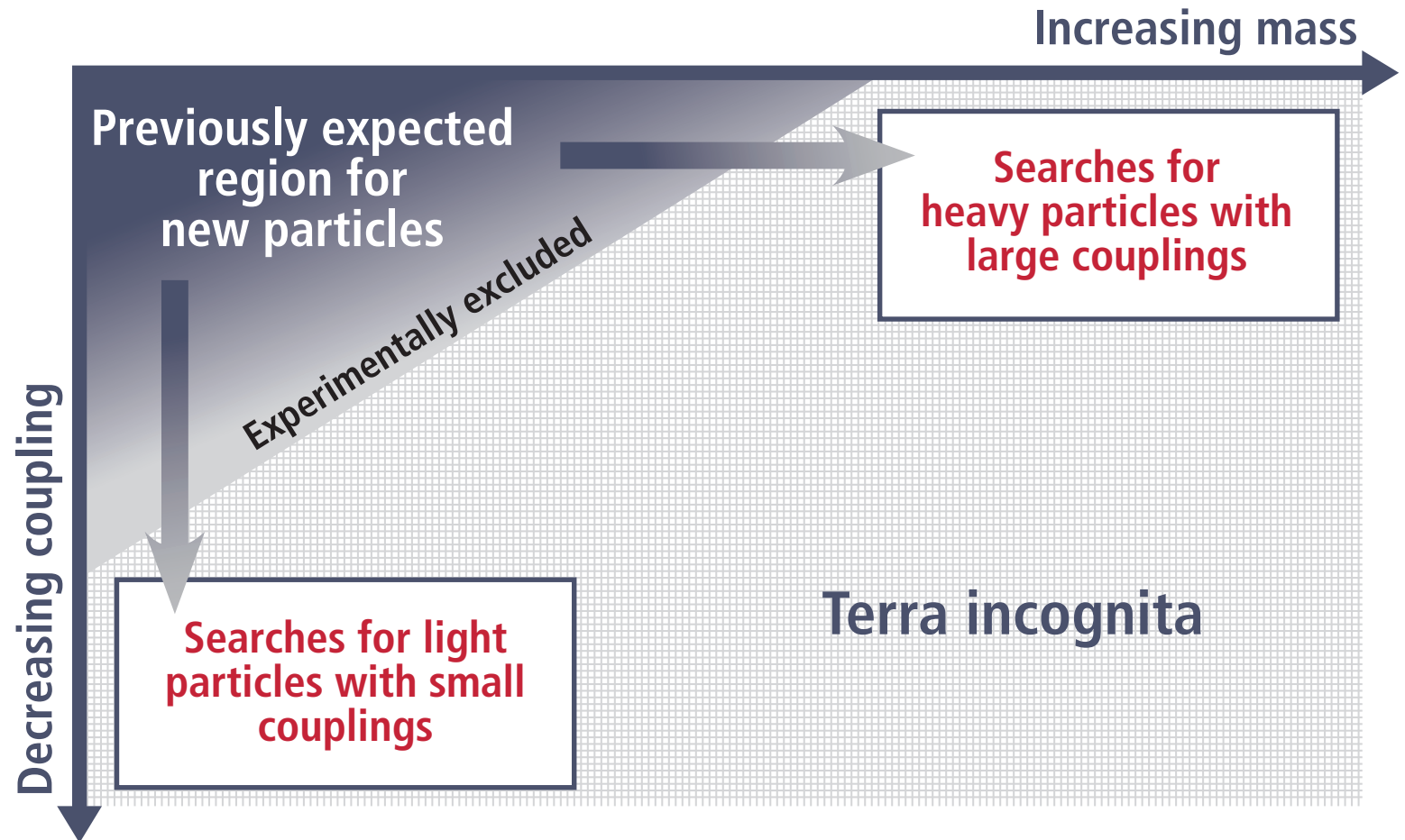


# Where is the new physics?

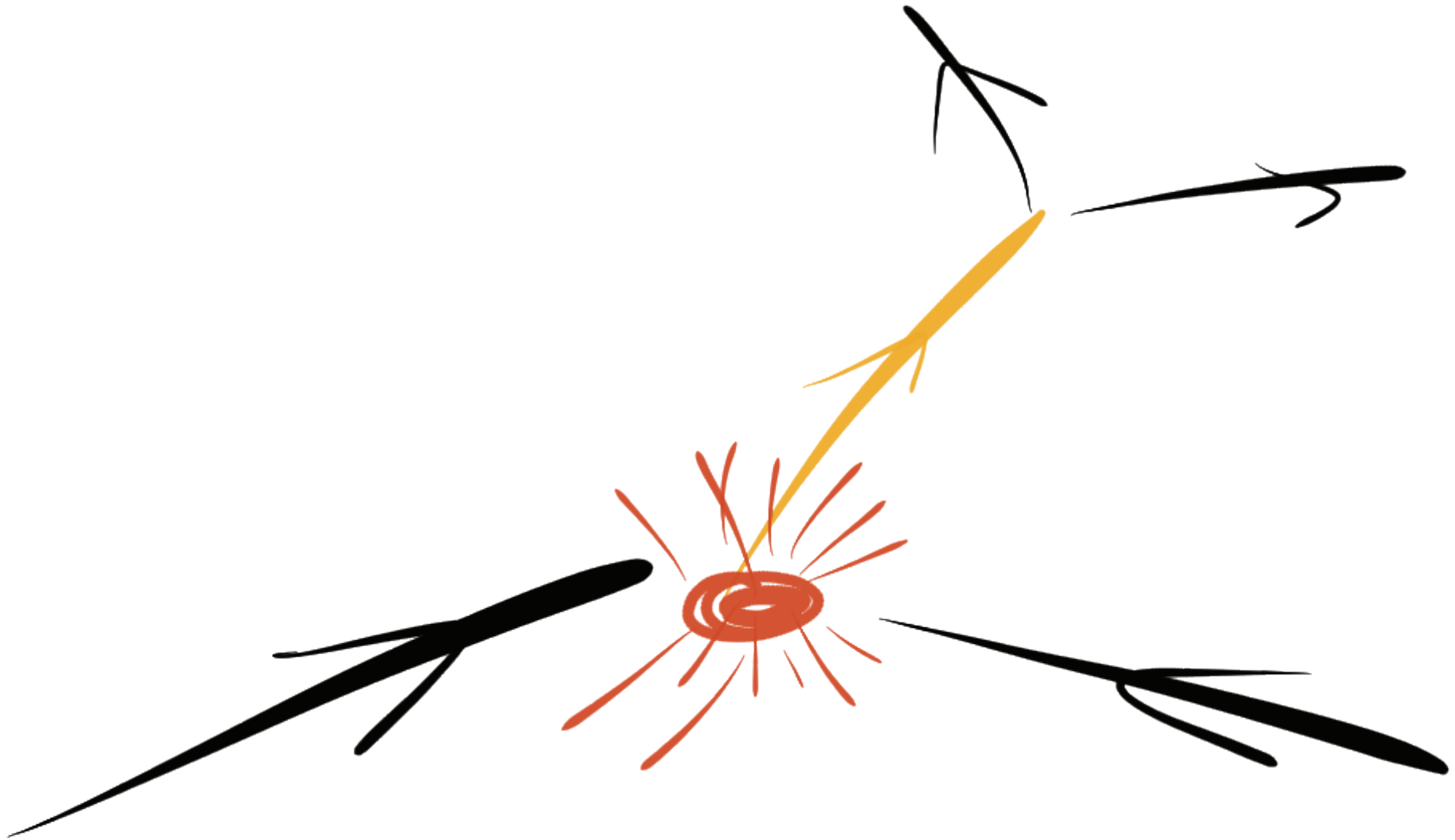
- Not where we already looked...

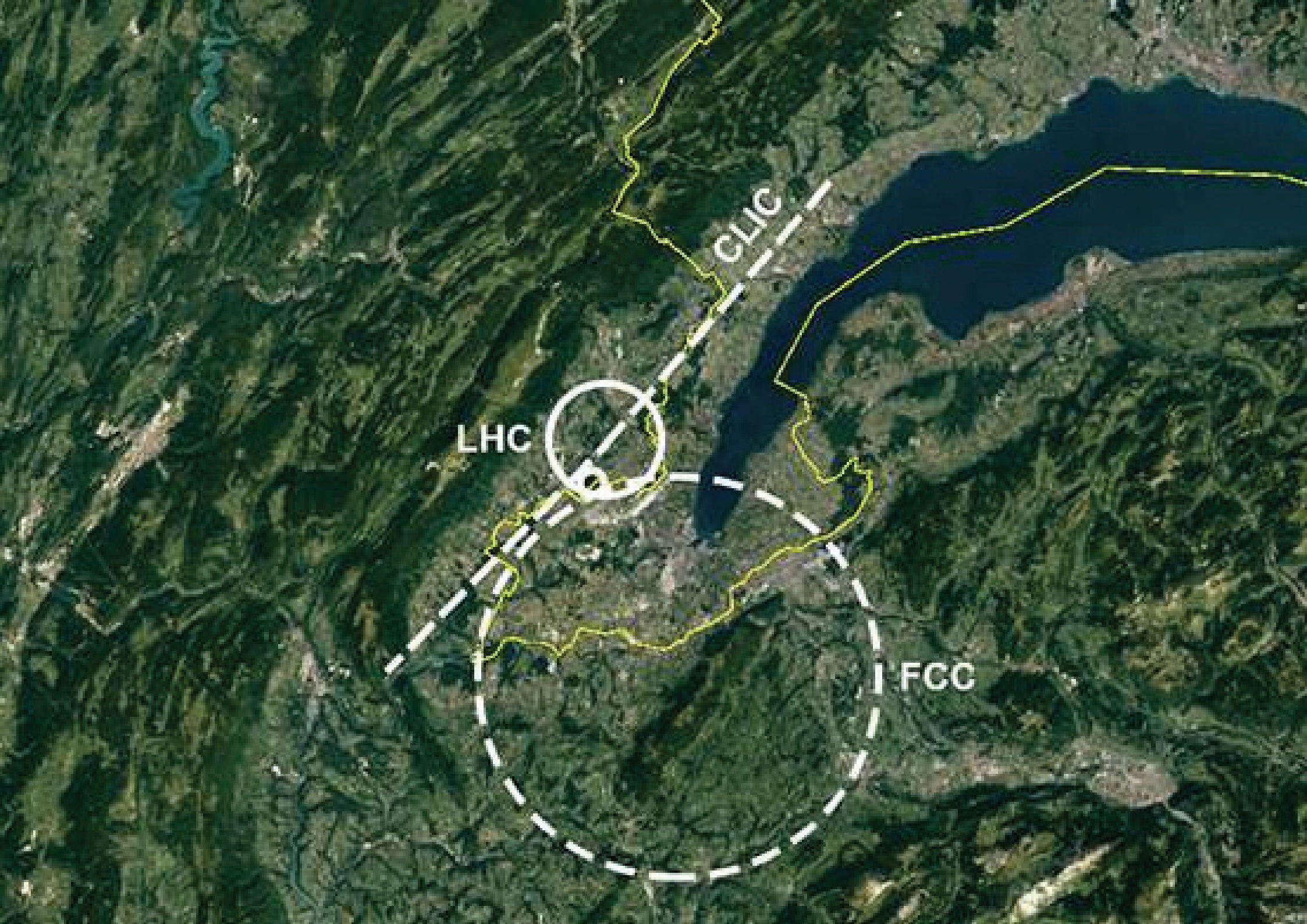
# Where is the new physics?

- Not where we already looked...
- Could be at very high energies
- or at very weak couplings



# Direct production





LHC

CLIC

FCC





抚宁县

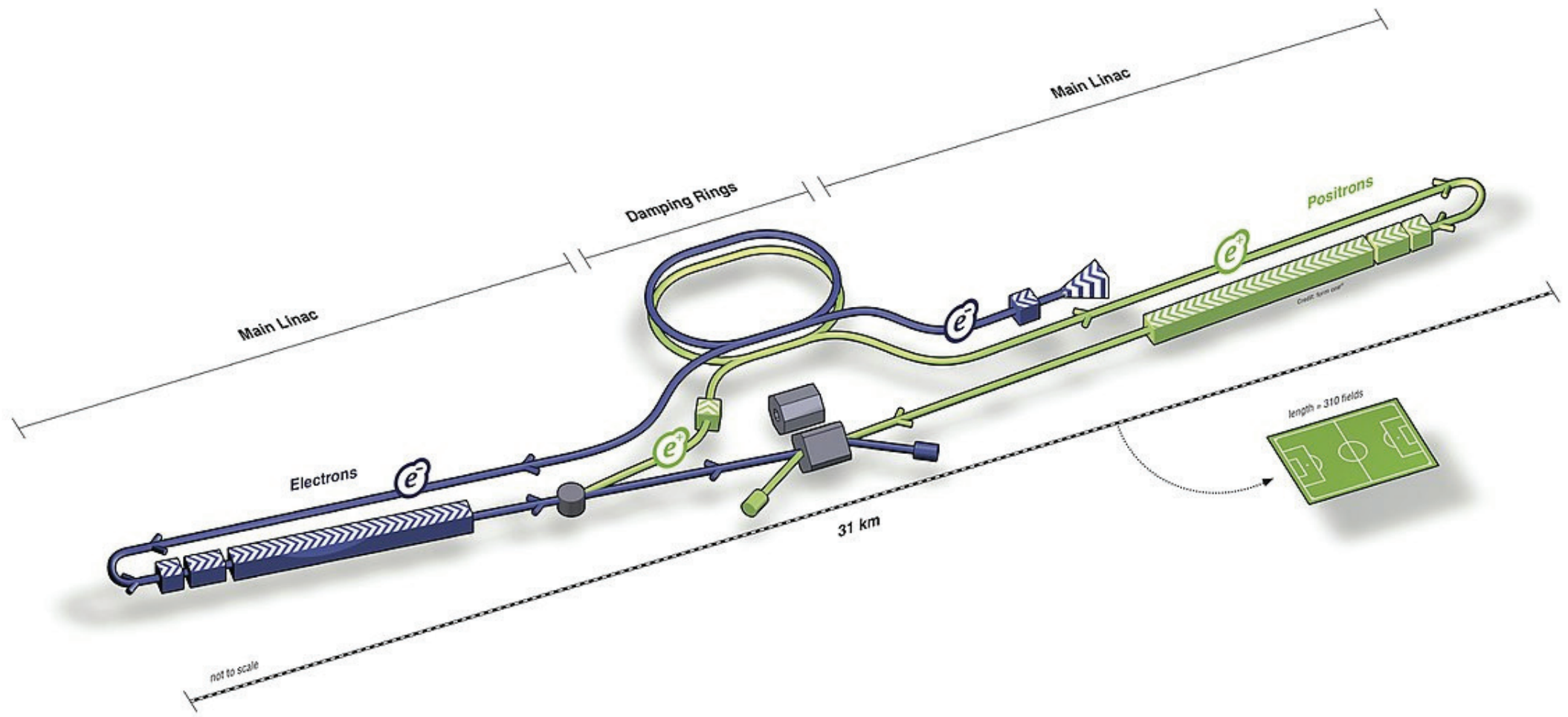
高能所

秦皇岛市

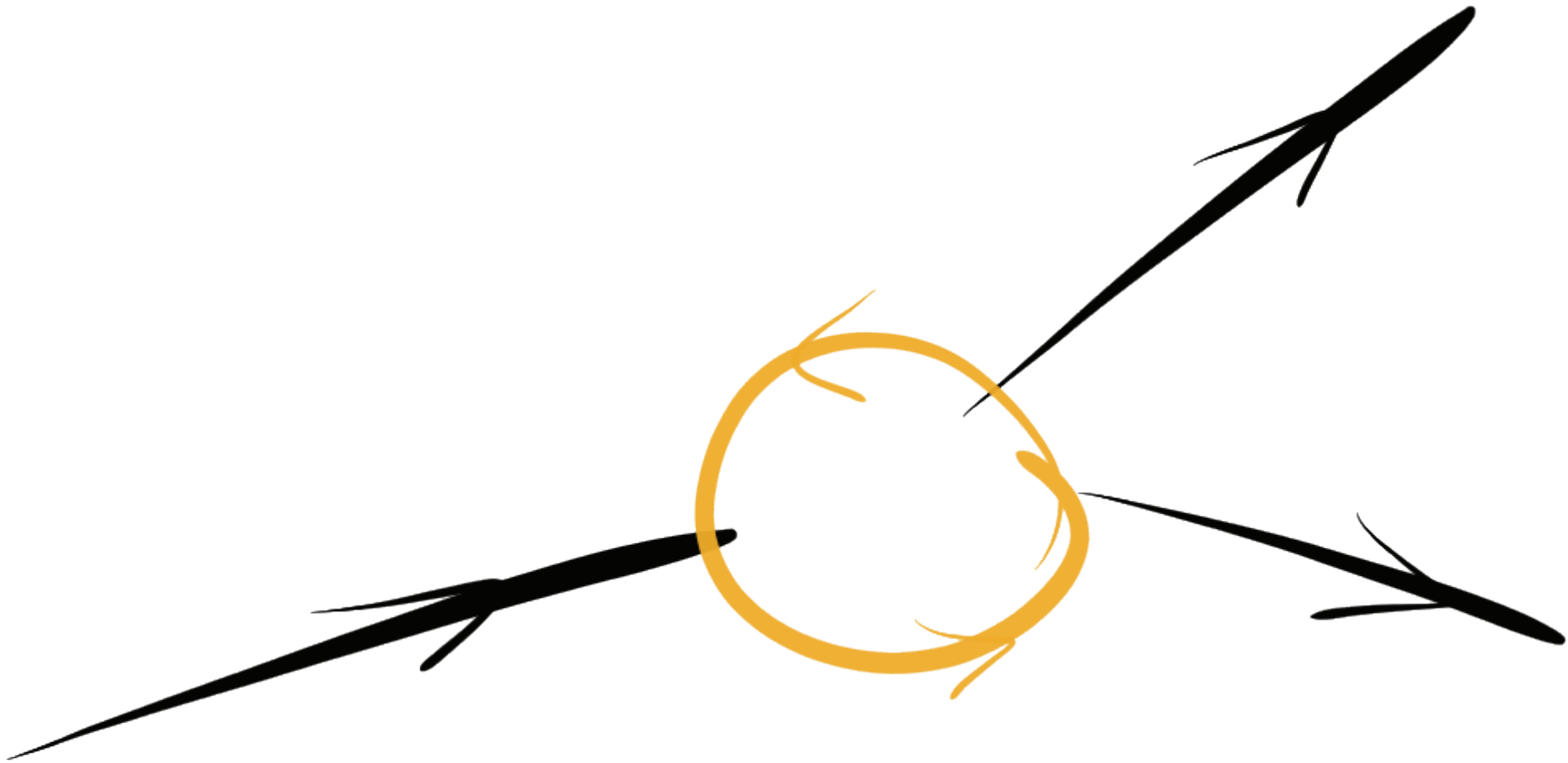
Image © 2013 DigitalGlobe  
Data SIO, NOAA, U. S. Navy, NGA, GEBCO  
© 2013 Mapabc.com  
Image © 2013 TerraMetrics

Google





# Indirect effects in quantum loops

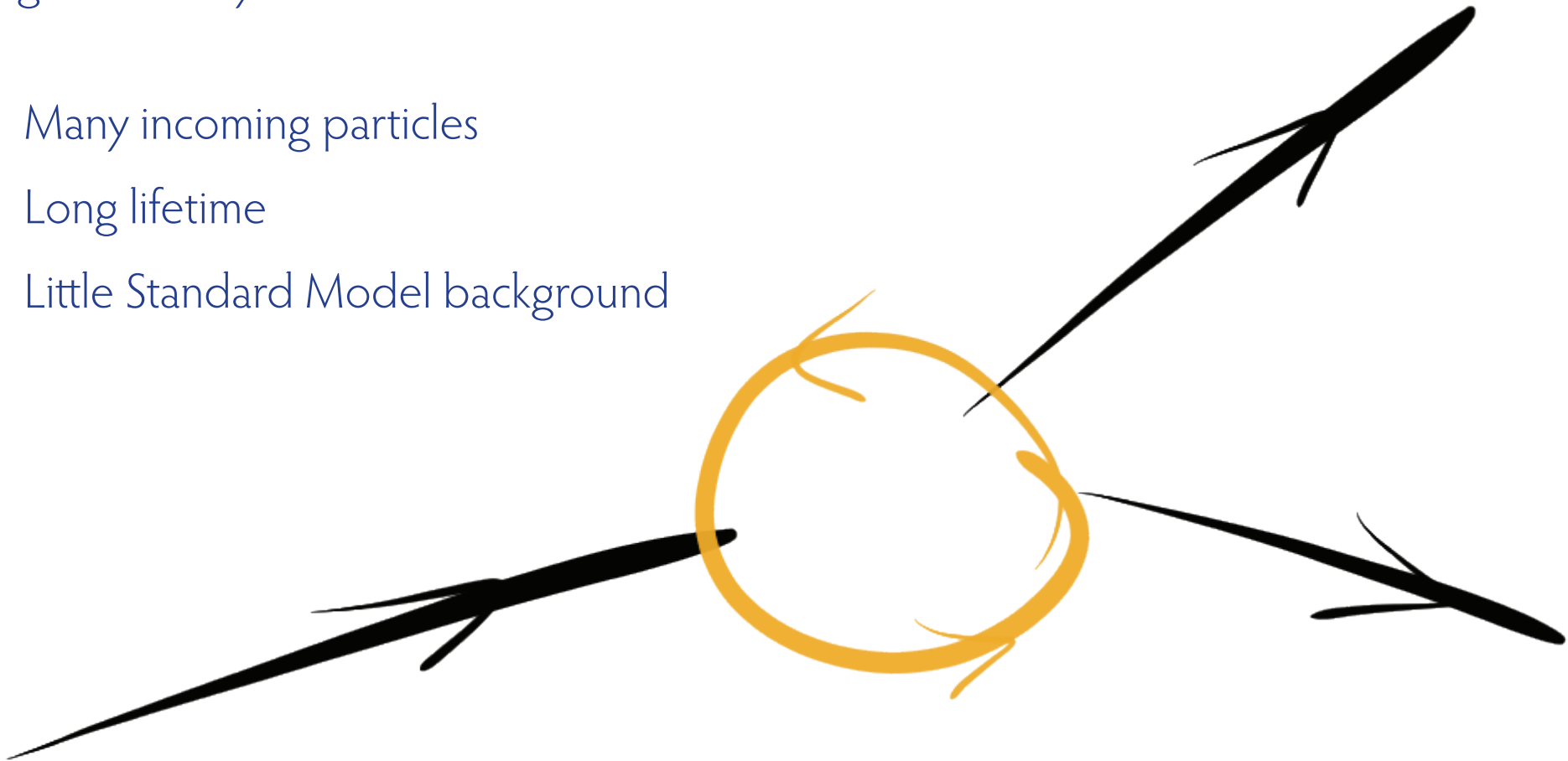




# Indirect effects in quantum loops

Large discovery reach if:

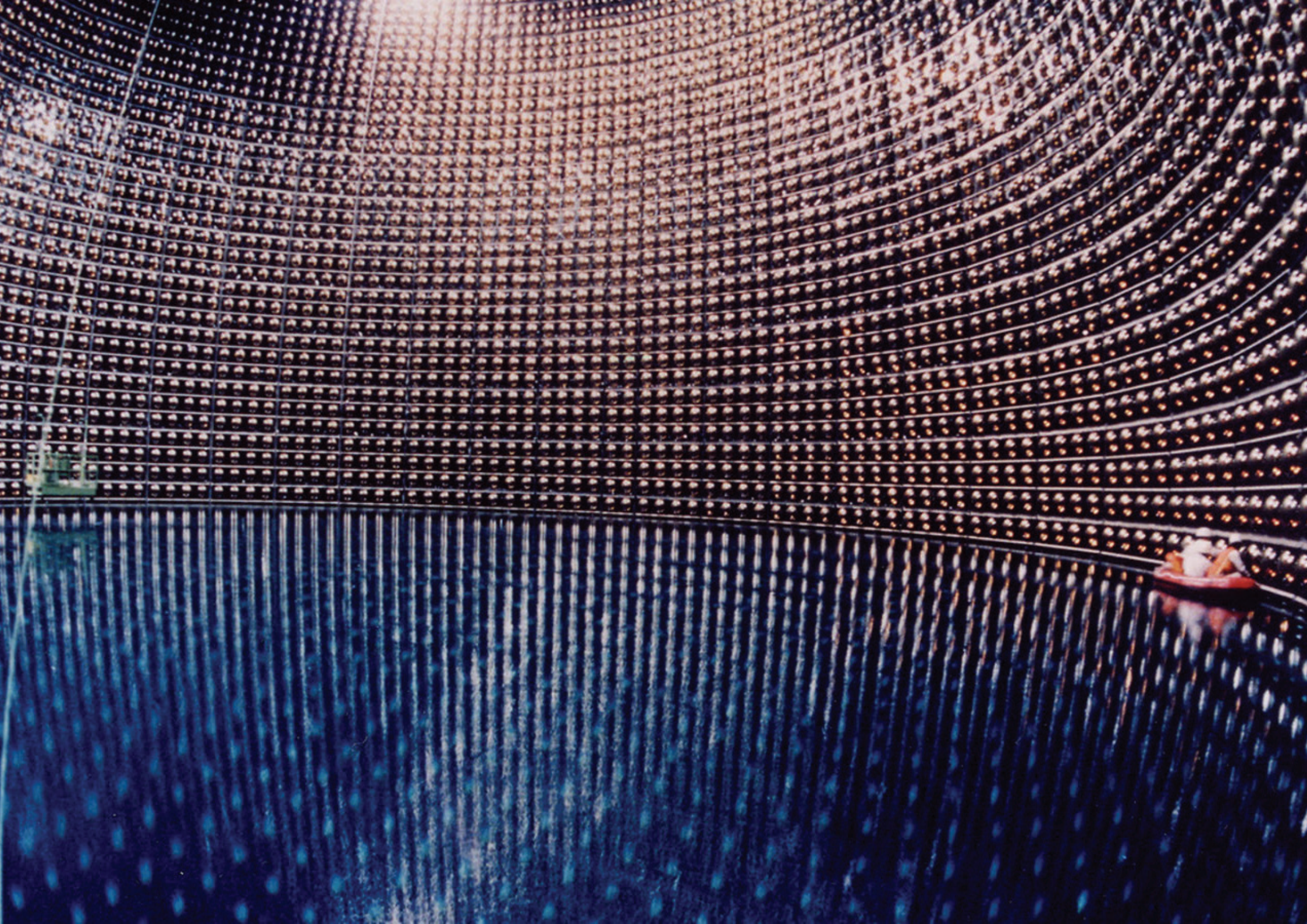
- Many incoming particles
- Long lifetime
- Little Standard Model background



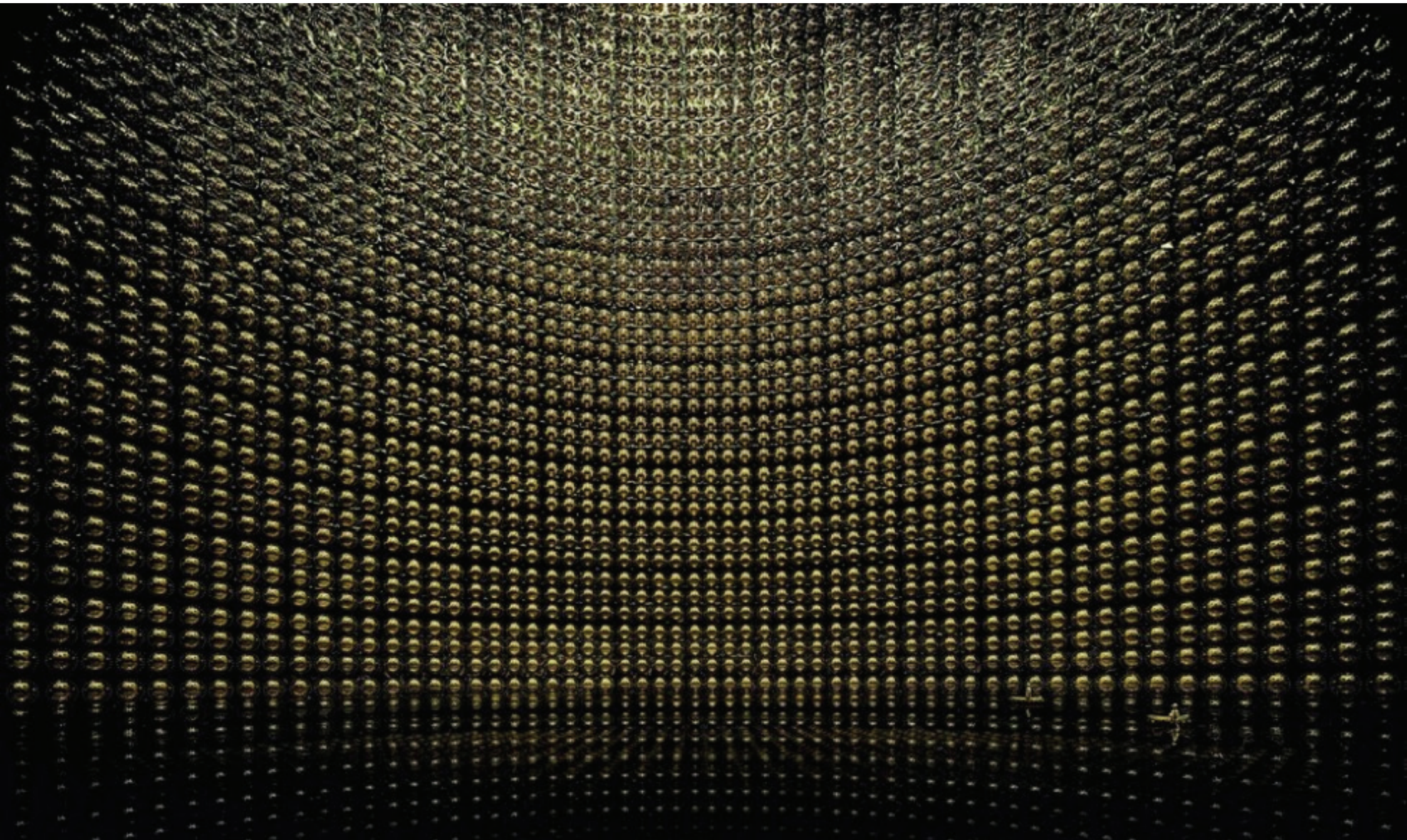
# The best channel: Proton decay

- The **proton is stable in the SM**
- You can buy **a lot of protons** cheaply  
(talk to your local water works)
- You can **watch them for a long time**
- You can kill beautiful models with not observing proton decay
  
- Proton decay detectors are also very useful for neutrino physics  
(that is where you know them from)



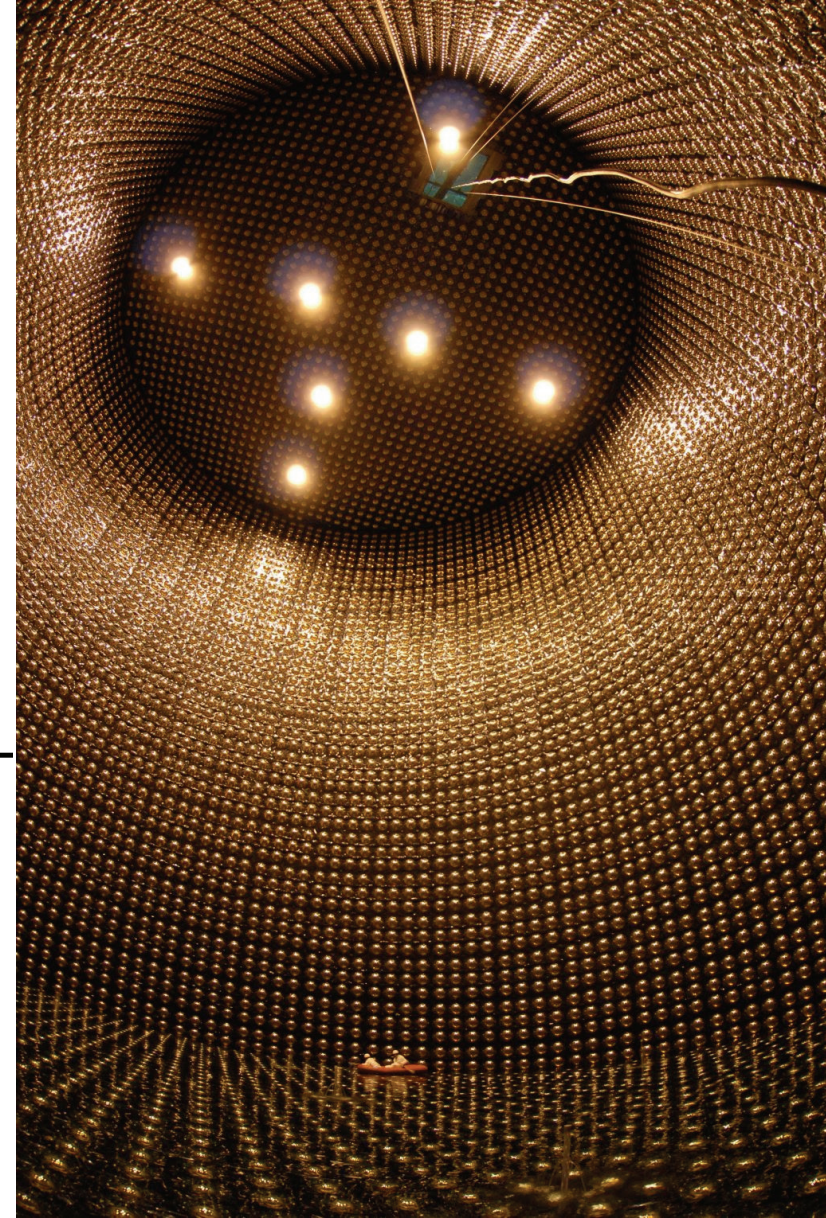








# Super-Kamiokande



| <b><math>\rho</math> DECAY MODES</b> | Partial mean life<br>( $10^{30}$ years) | Confidence level |
|--------------------------------------|---|------------------|
| <b>Antilepton + meson</b>            |   |                  |
| $N \rightarrow e^+ \pi$              | $> 2000$ ( $n$ ), $> 8200$ ( $p$ )      | 90%              |
| $N \rightarrow \mu^+ \pi$            | $> 1000$ ( $n$ ), $> 6600$ ( $p$ )      | 90%              |
| $N \rightarrow \nu \pi$              | $> 1100$ ( $n$ ), $> 390$ ( $p$ )       | 90%              |
| $\rho \rightarrow e^+ \eta$          | $> 4200$                                | 90%              |
| $\rho \rightarrow \mu^+ \eta$        | $> 1300$                                | 90%              |
| $n \rightarrow \nu \eta$             | $> 158$                                 | 90%              |
| $N \rightarrow e^+ \rho$             | $> 217$ ( $n$ ), $> 710$ ( $p$ )        | 90%              |
| $N \rightarrow \mu^+ \rho$           | $> 228$ ( $n$ ), $> 160$ ( $p$ )        | 90%              |

[HTTP://PDG.LBL.GOV](http://pdg.lbl.gov)

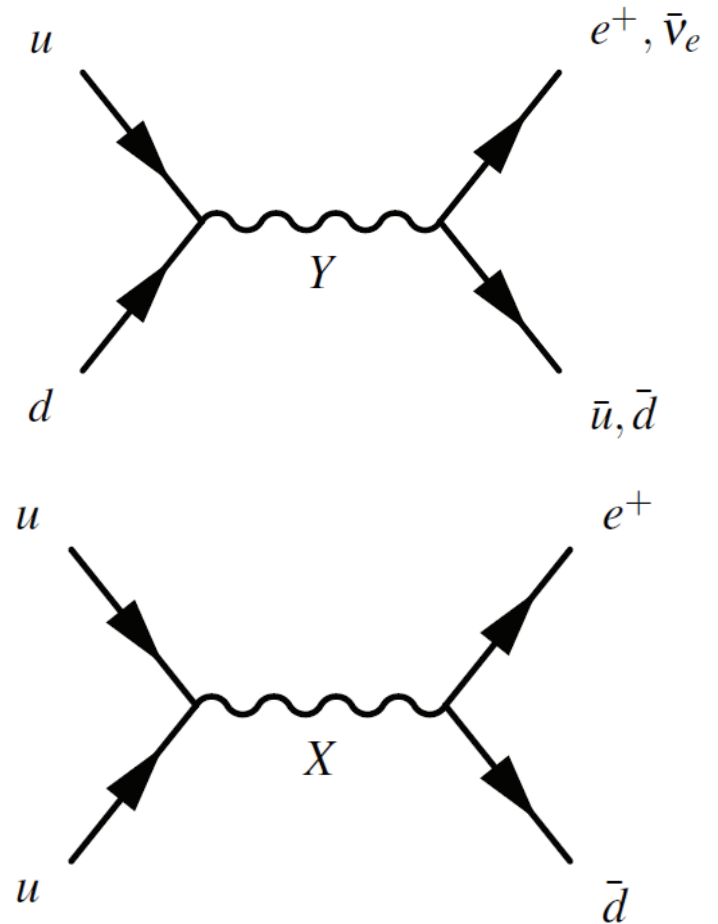
Page 1

Created: 5/30/2017

# This killed SU(5) GUT...

The dream of unification

- SM  $SU(3) \times SU(2) \times U(1)$  gauge group from braking a larger symmetry
- Smallest group to accommodate SM:  $SU(5)$
- $SU(5)$  gives 24 massless gauge bosons
- SM gauge bosons just right
- Predicts (!) quark charges and weak mixing angle and...
- ... proton decay



$$V_\mu = \begin{pmatrix} G_1^1 - \frac{2}{\sqrt{30}}B & G_2^1 & G_3^1 & \bar{X}^1 & \bar{Y}^1 \\ G_1^2 & G_2^2 - \frac{2}{\sqrt{30}}B & G_3^2 & \bar{X}^2 & \bar{Y}^2 \\ G_1^3 & G_2^3 & G_3^3 - \frac{2}{\sqrt{30}}B & \bar{X}^3 & \bar{Y}^3 \\ X^1 & X^2 & X^3 & \frac{1}{\sqrt{2}}W^3 + \frac{3}{\sqrt{30}}B & W^+ \\ Y^1 & Y^2 & Y^3 & W^- & -\frac{1}{\sqrt{2}}W^3 + \frac{3}{\sqrt{30}}B \end{pmatrix}$$

## No SU(5) GUT...

After some [thirty] years, we are still waiting. No protons have decayed. We have been waiting long enough to know that SU(5) grand unification is wrong. It's a beautiful idea, but one that nature seems not to have adopted.

(Page 64)

Indeed, it would be hard to underestimate the implications of this negative result. SU(5) is the most elegant way imaginable of unifying quarks with leptons, and it leads to a codification of the properties of the standard model in simple terms. Even after [thirty] years, I still find it stunning that SU(5) doesn't work.

(Page 65)

Smolin, Lee (2007). *The Trouble with Physics*.

# If not protons, then what?

- Neutrons?

Very long lived, might tell us something about the strong CP problem

Neutron electric dipole moment searches

- Muons?

Very long lived, might tell us something about flavour

Lepton flavour violation experiments

Allow for extremely precise calculations and measurements

Muon magnetic dipole moment

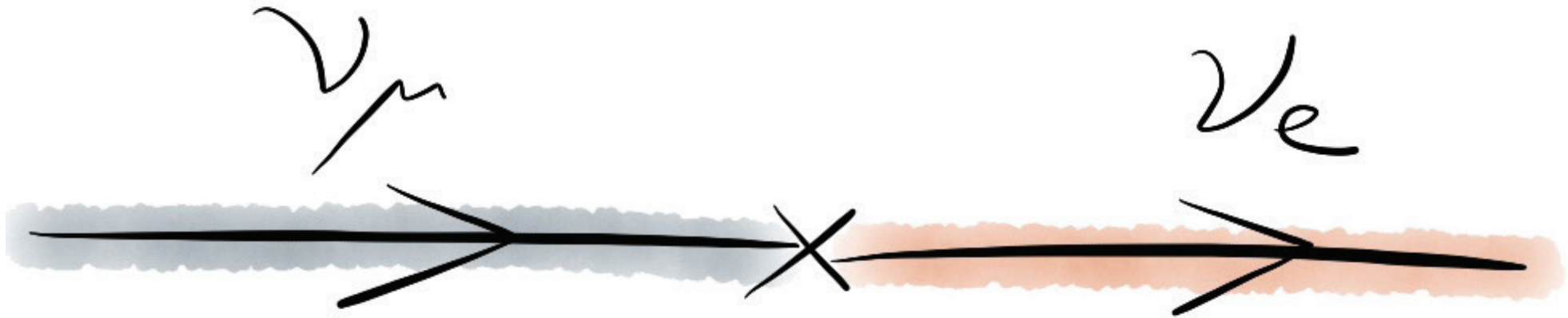
- If we are at precise: Ways to cleverly over-constrain the SM

Weak mixing angle in parity violating e-p scattering



# Hints for physics beyond the Standard Model in particle physics?

# Neutrinos have mass!



- In the original SM, neutrinos are massless
- Oscillations show that they have mass
- There are probably (heavy) right-handed neutrinos out there

# Discrepancies and anomalies

(could all also be experimental or theory problems)

(will not talk about the B-physics anomalies)

# Muon magnetic moment (later)

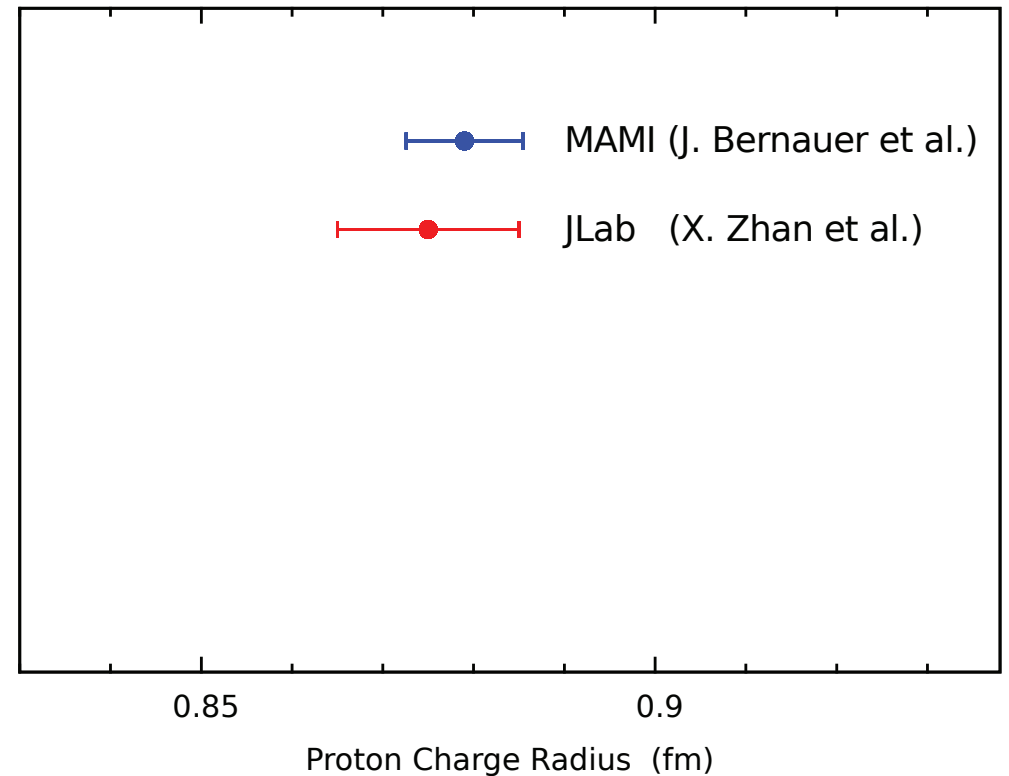
# The Proton Radius Puzzle



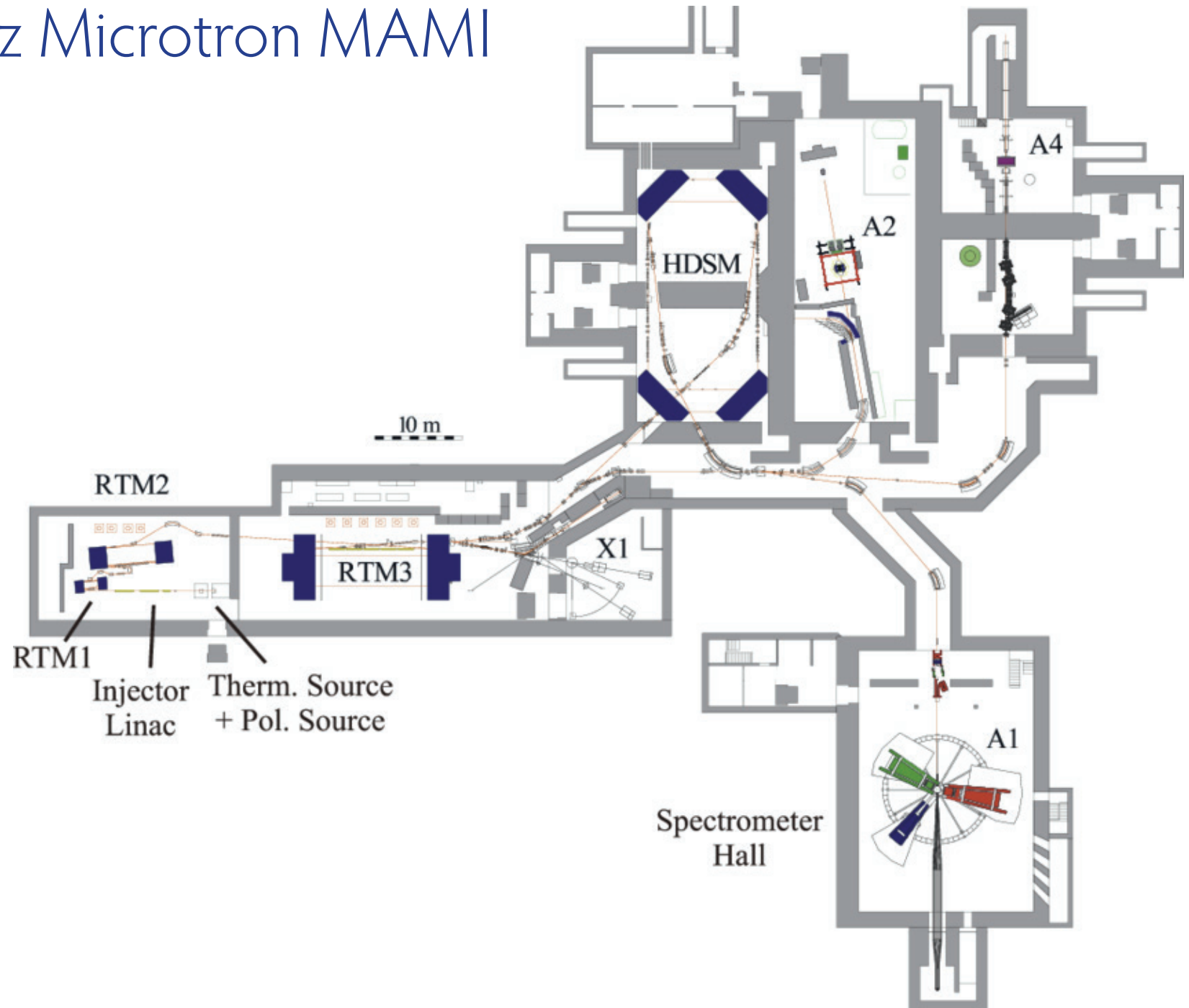
# Proton Radius Puzzle

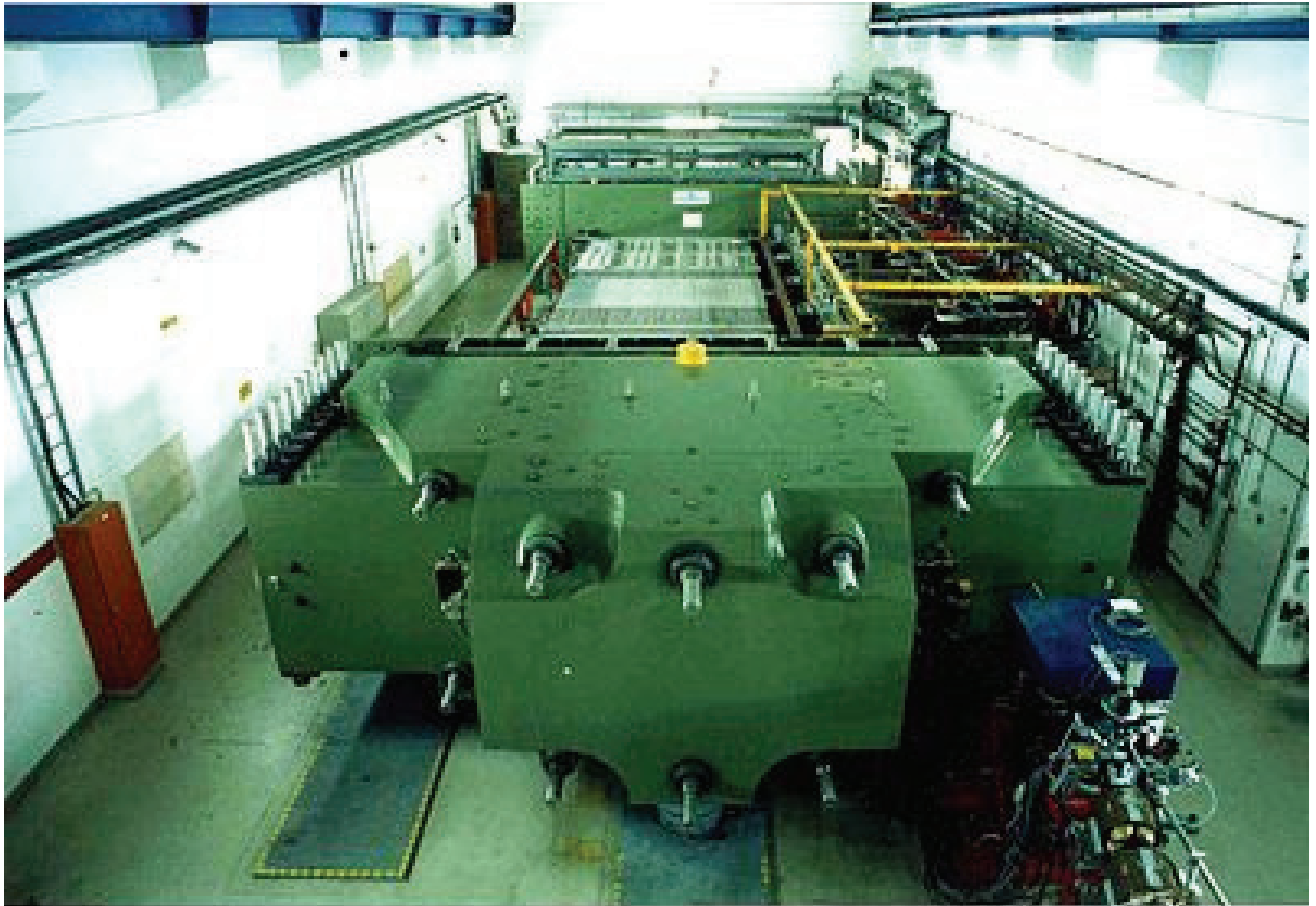
How big is a proton?  
(electromagnetic charge radius)

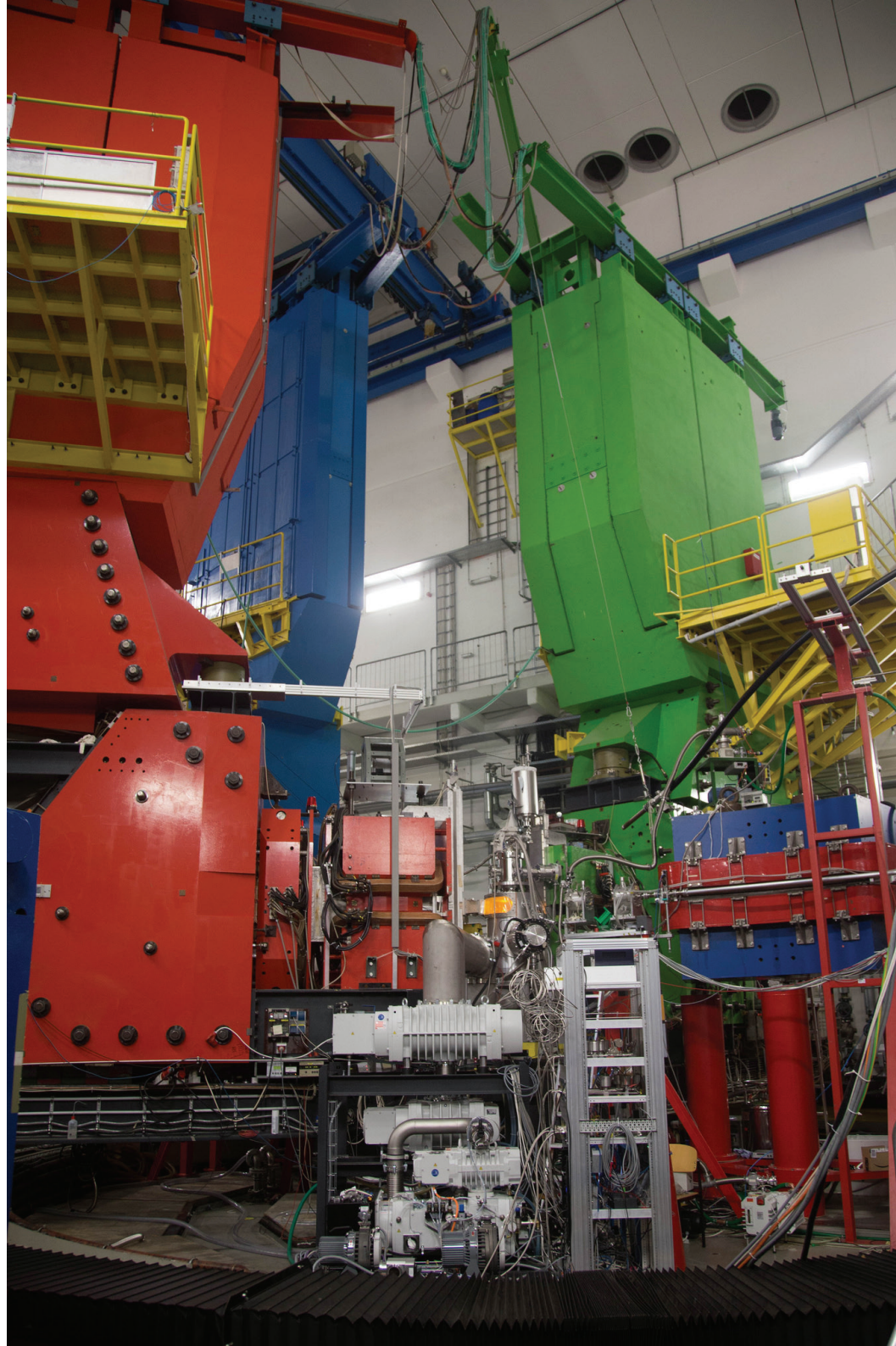
- Measure in scattering experiments  
(Mainz)



# The Mainz Microtron MAMI







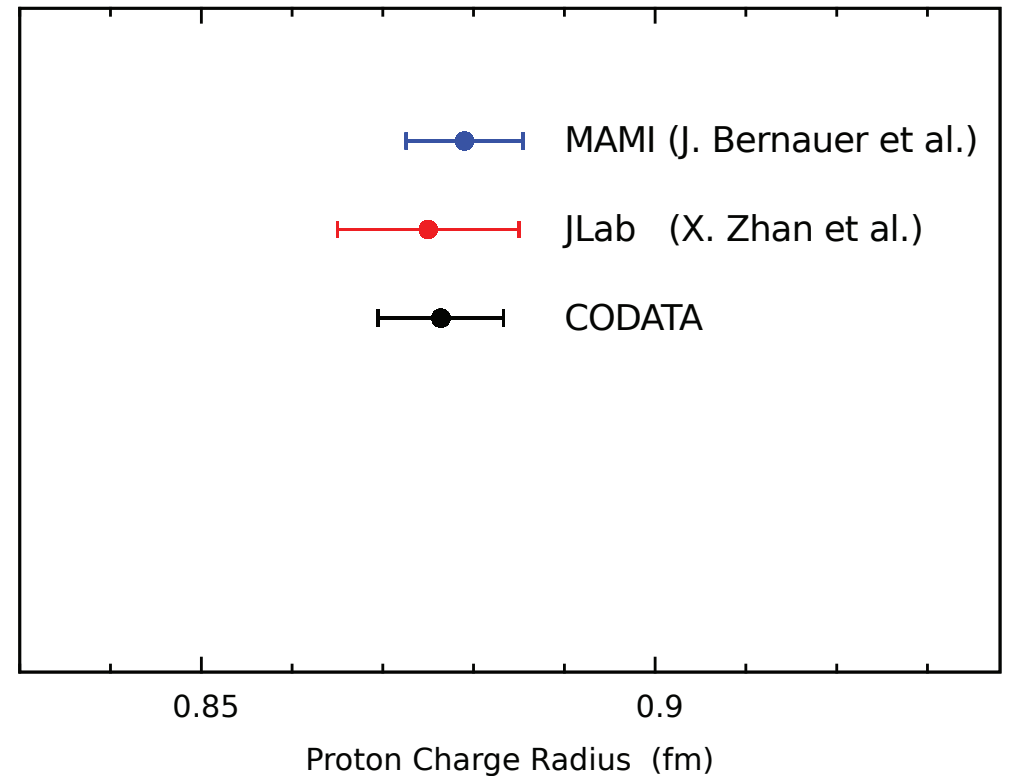




# Proton Radius Puzzle

How big is a proton?  
(electromagnetic charge radius)

- Measure in scattering experiments (Mainz!)
- Measure in spectroscopy (Lamb-shift)

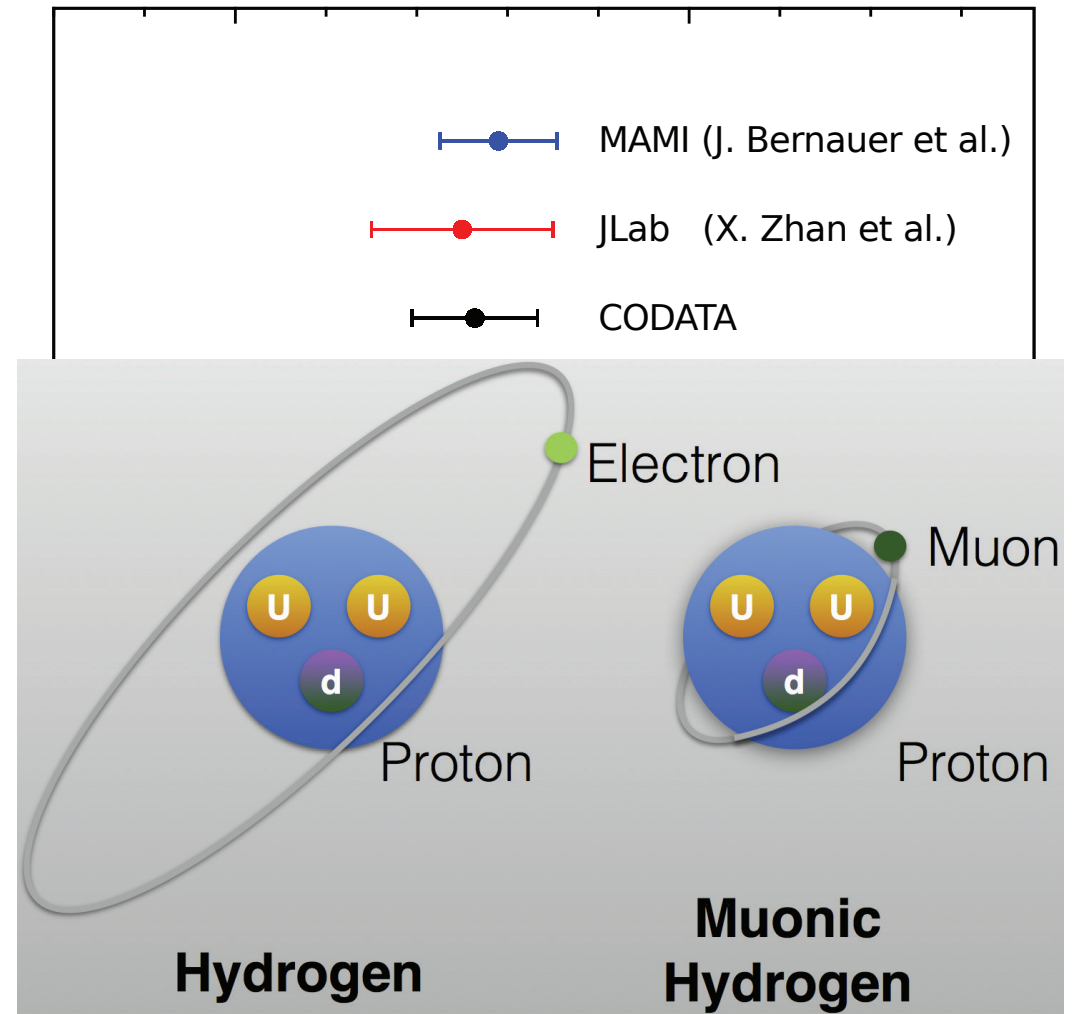


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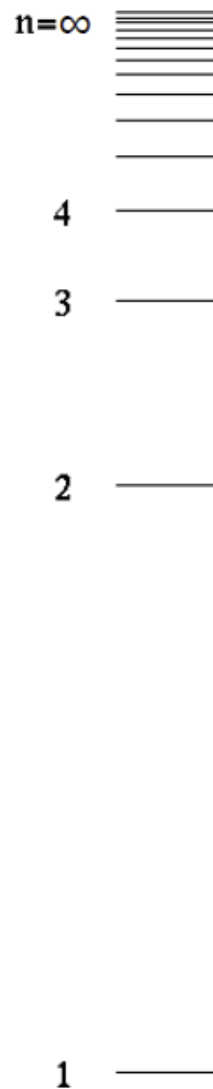
How big is a proton?

(electromagnetic charge radius)

- Measure in scattering experiments (Mainz)
- Measure in spectroscopy (Lamb-shift)
- Lamb shift is tiny - except in muonic hydrogen



# Energy levels of hydrogen

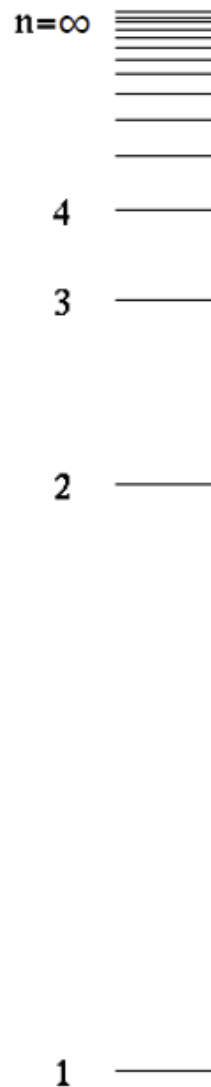


$$E_n \approx - \frac{R_\infty}{n^2}$$

Bohr formula



# Energy levels of hydrogen

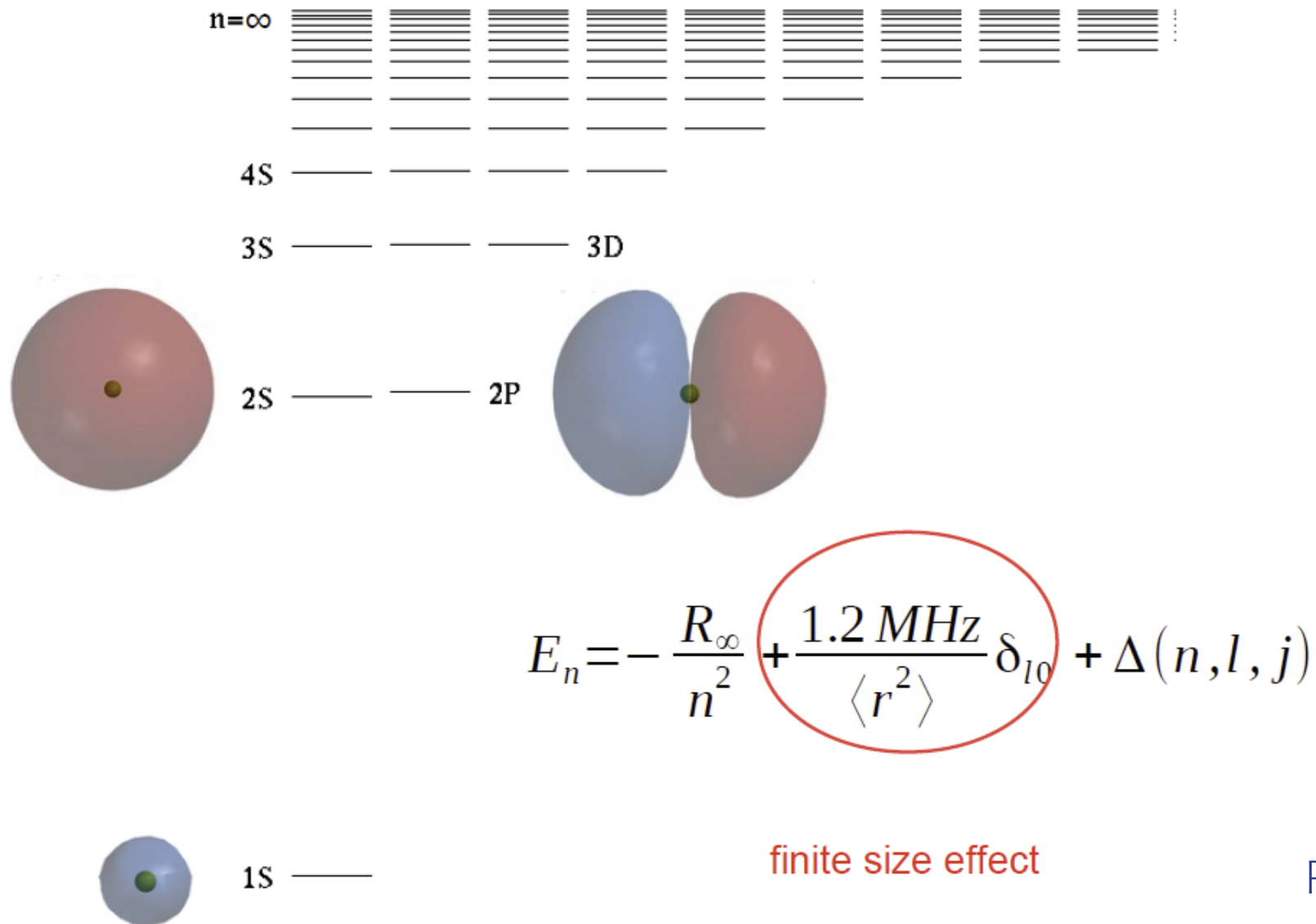


Rydberg constant

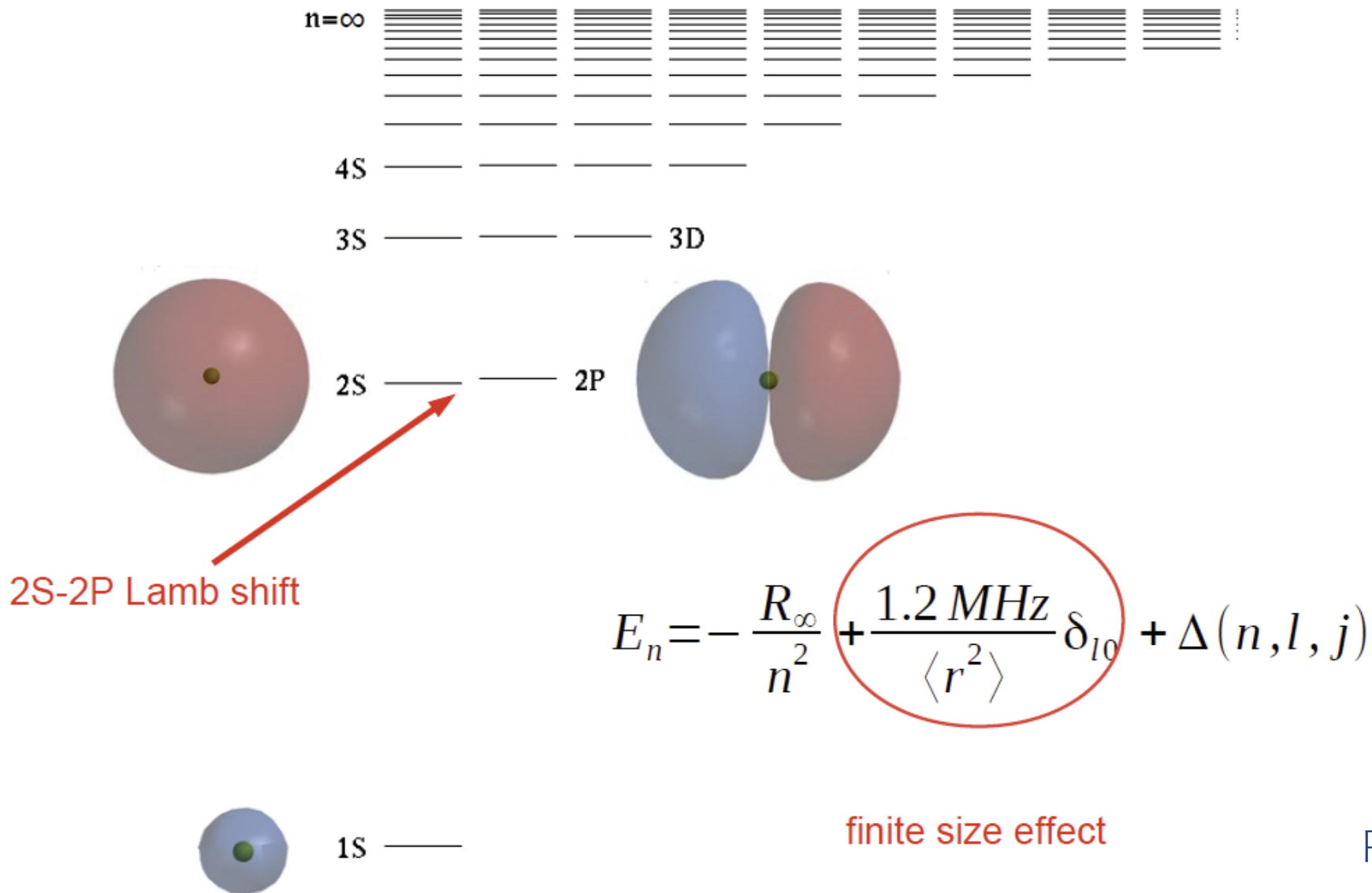
$$E_n \approx -\frac{R_\infty}{n^2}$$

Bohr formula

# Energy levels of hydrogen



# Energy levels of hydrogen



# Muonic atoms

A nucleus, orbited by one **negative muon**

Muon **mass** = 200 x electron mass

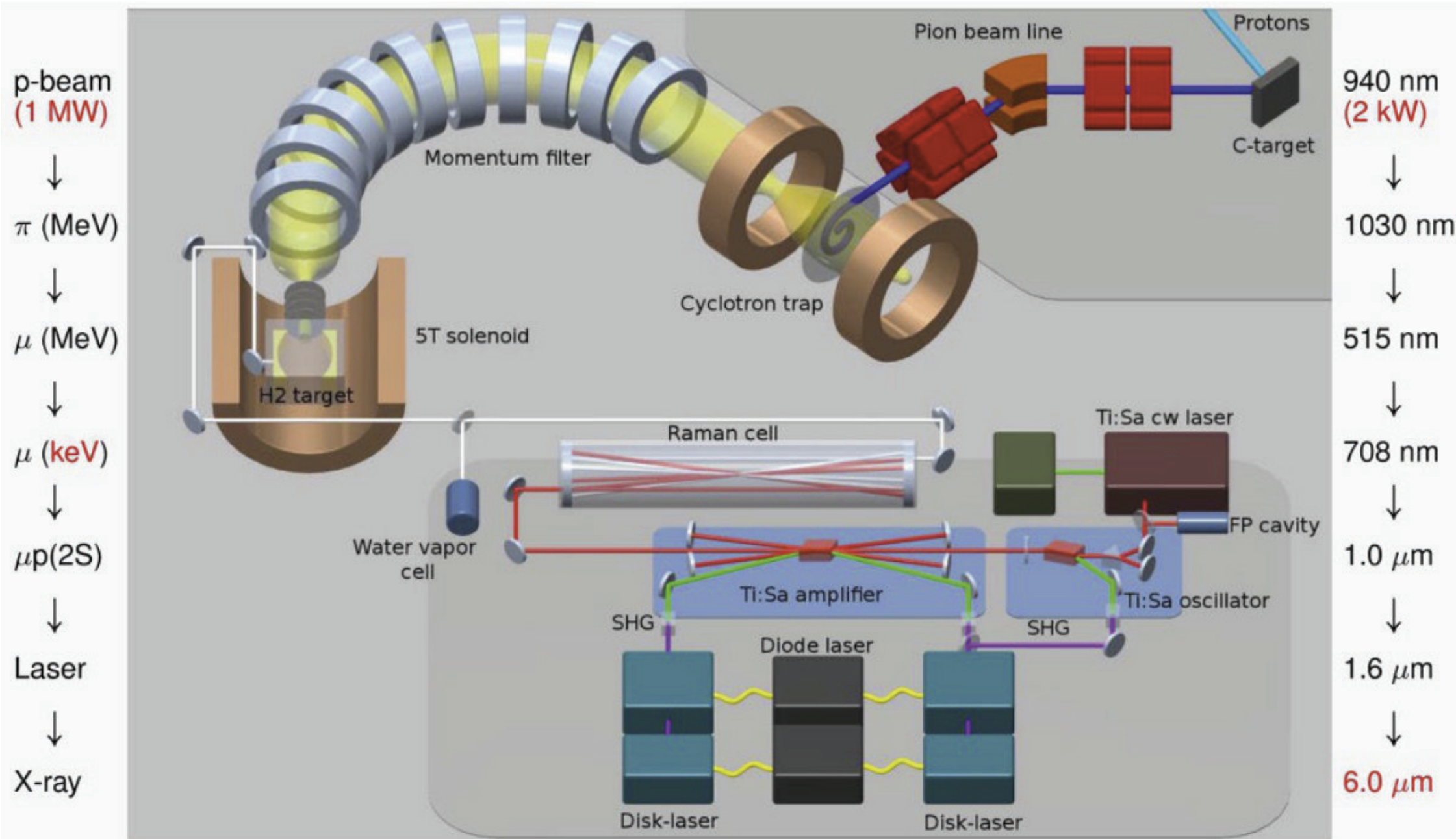
muonic **Bohr radius** =  $1/200$  electronic Bohr radius

wave function overlap =  $200^3$  = **10 million times larger**

muon = **very sensitive** probe of nuclear properties

R. Pohl

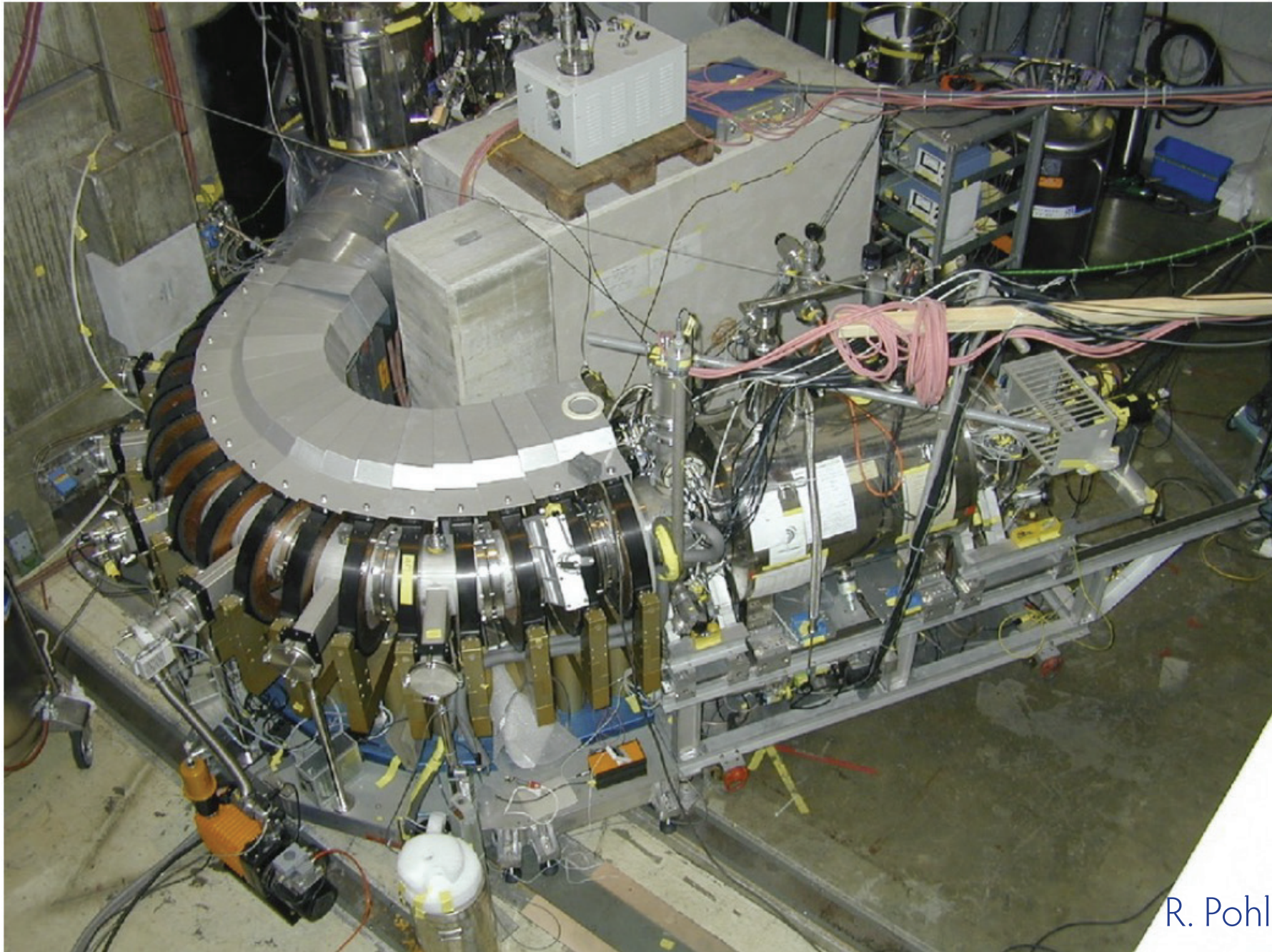




A. Antognini



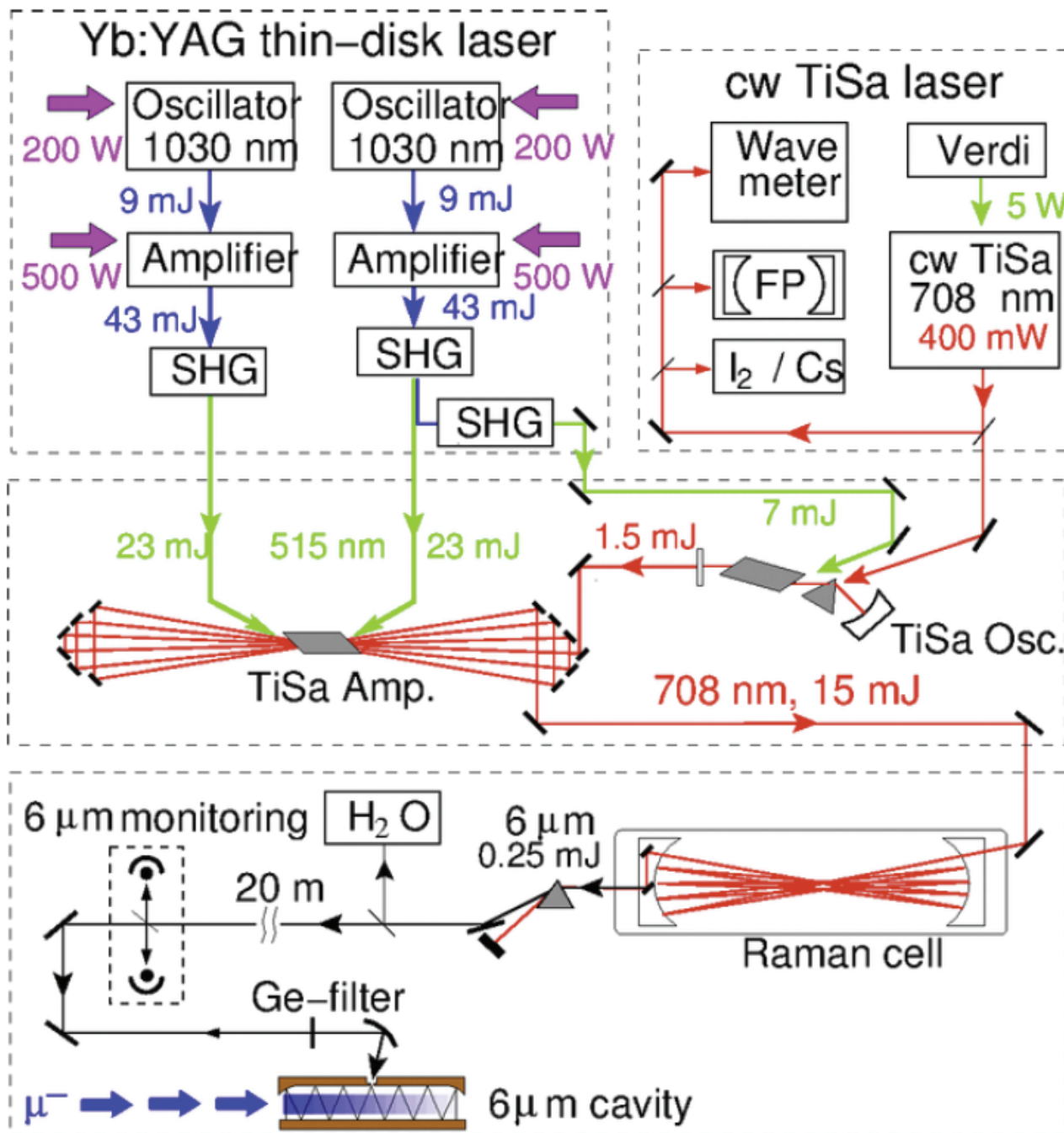
# The muon beam line in $\pi E5$



R. Pohl



# The laser system



Yb:YAG Disk laser  
→ fast response on  $\mu$

Frequency doubling (SHG)  
→ green light to pump  
Ti:sapphire laser

Ti:sapphire cw laser  
→ determines laser frequency

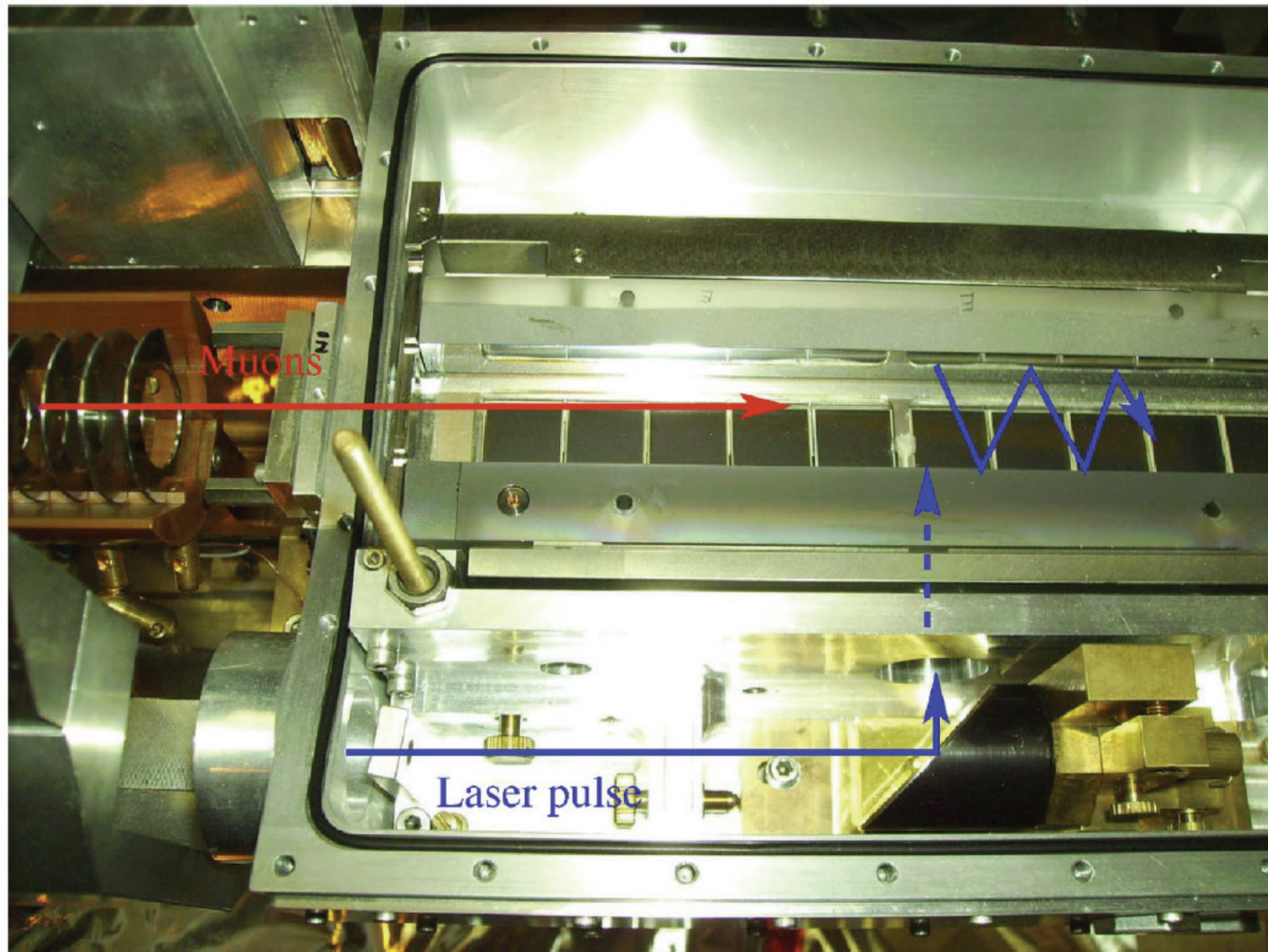
Ti:sapphire MOPA  
→ high pulse energy (15 mJ)

Raman cell  
→ 3 sequential stimulated  
Raman Stokes shifts  
Laser wave length → 6  $\mu$ m

Target Cavity  
→ Mirror system to fill the  
muon stop volume (H<sub>2</sub>)

R. Pohl

# The hydrogen target

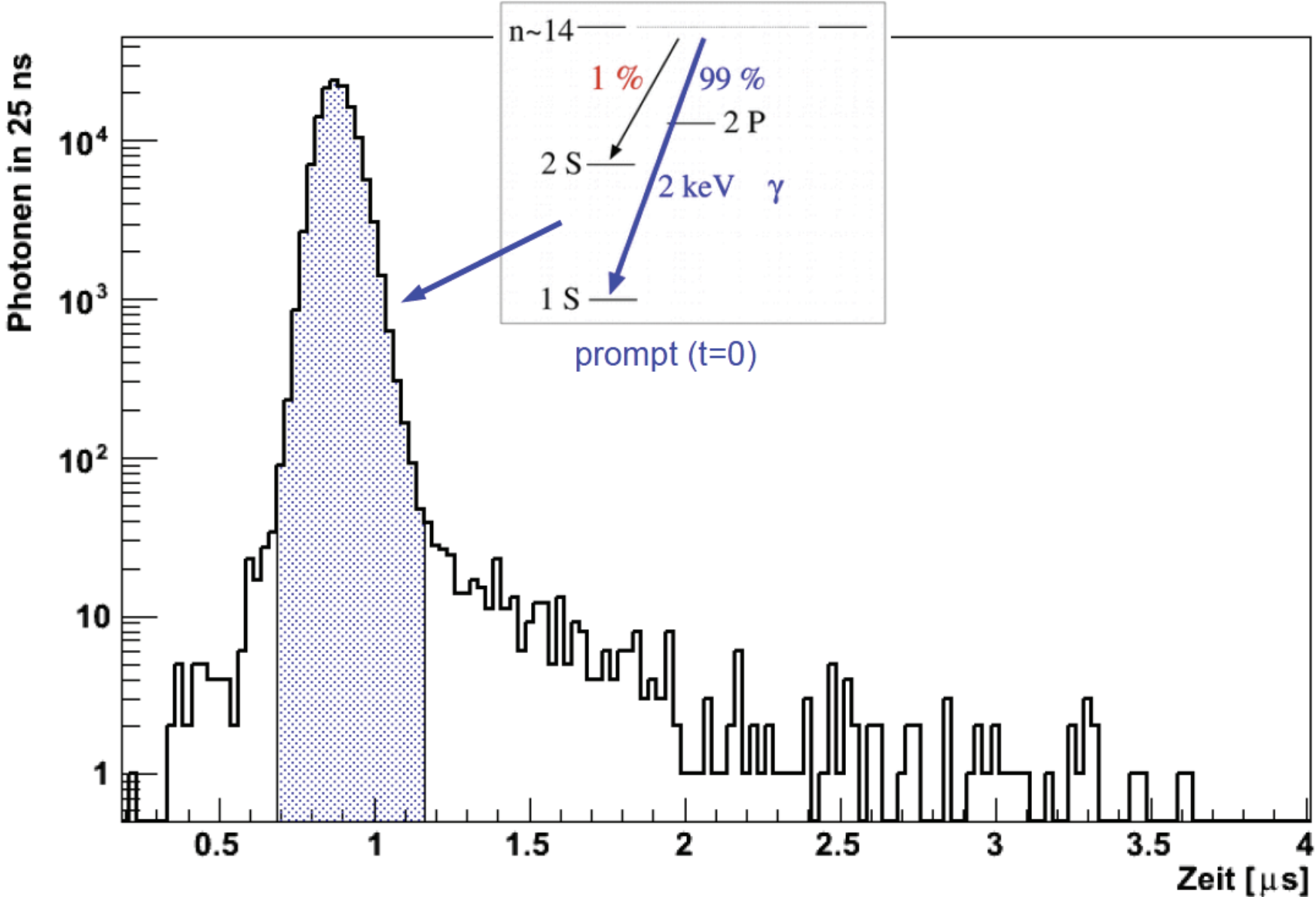


R. Pohl



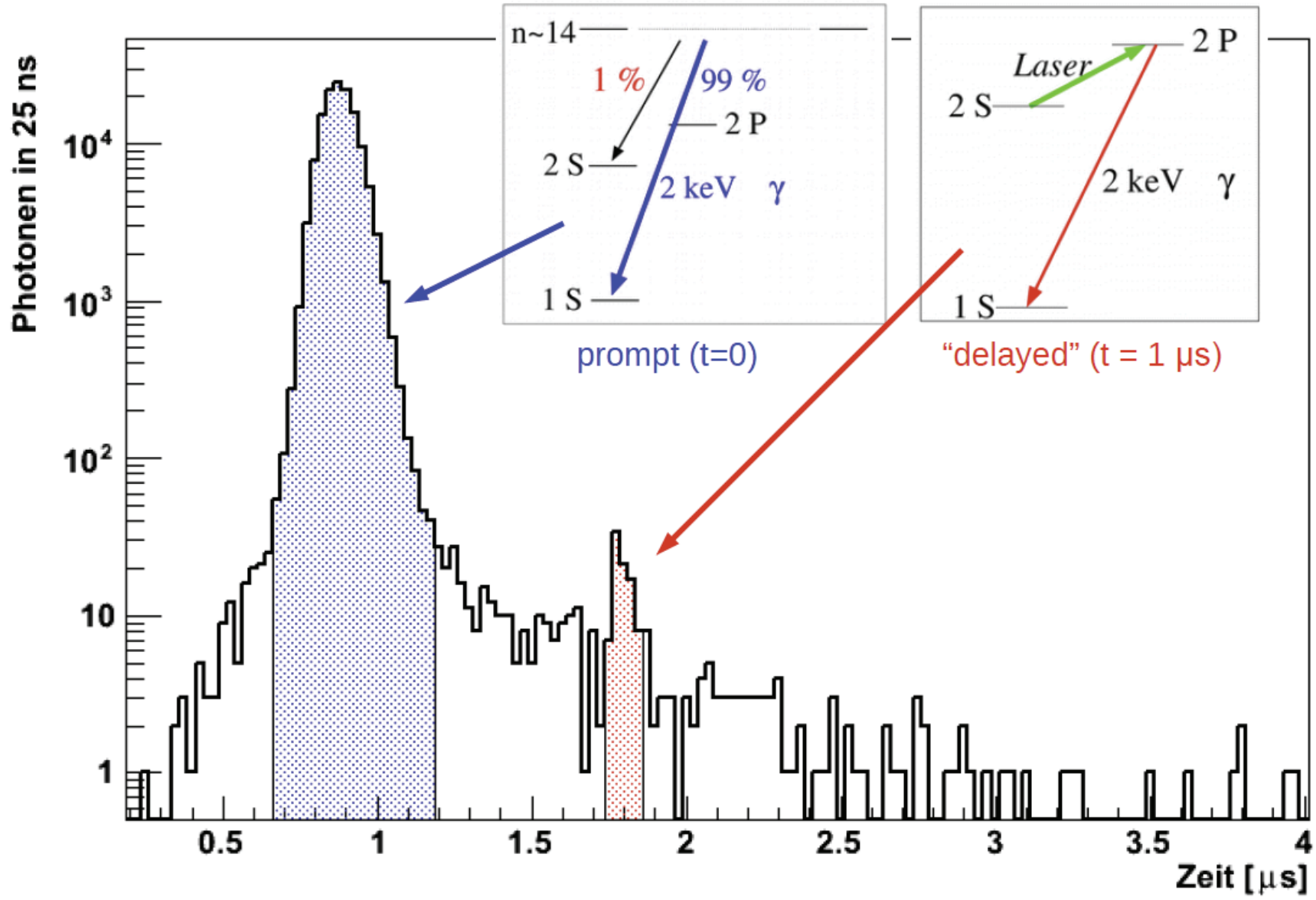
# Time Spectra

13 hours of data

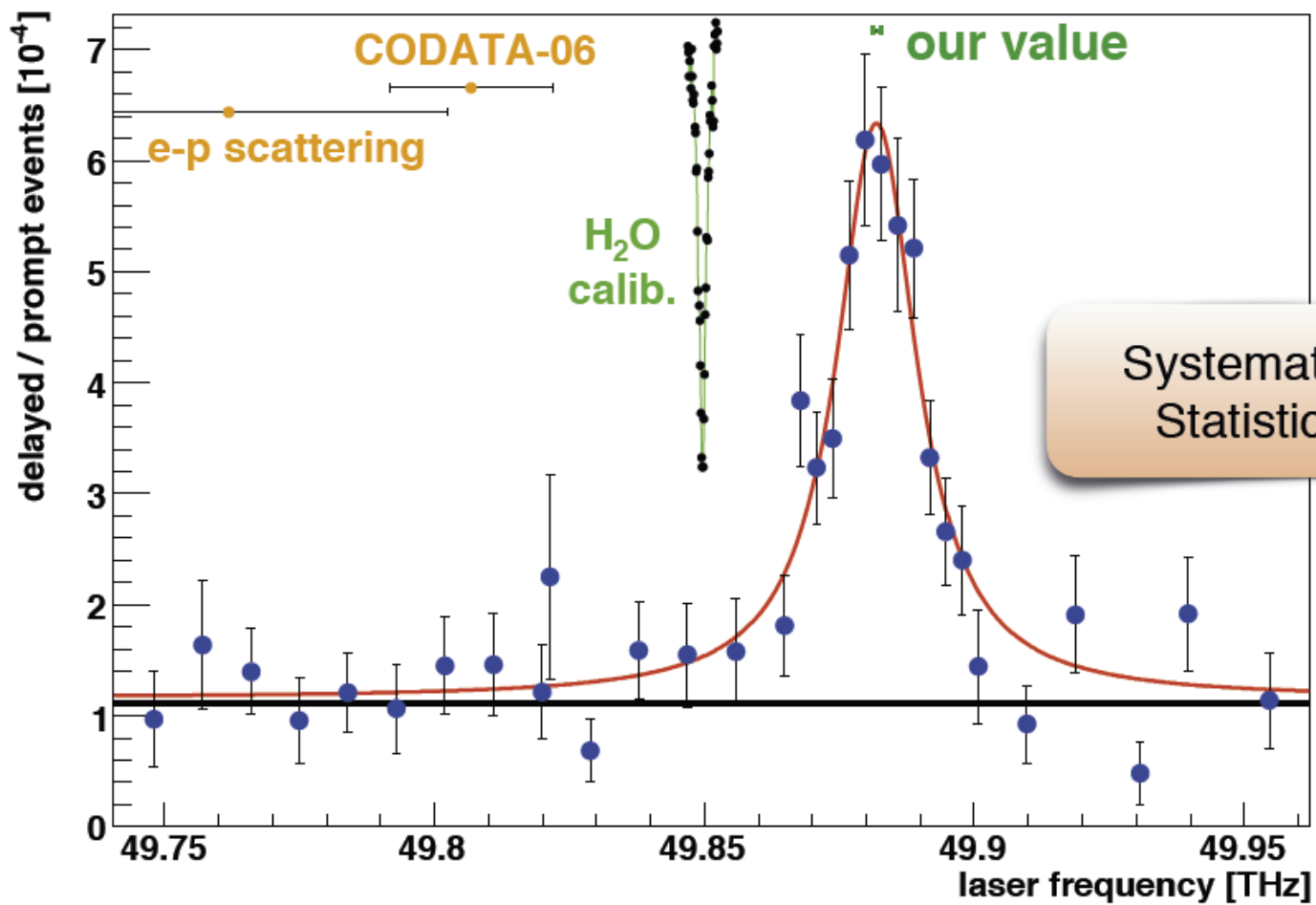


R. Pohl

# Time Spectra



R. Pohl



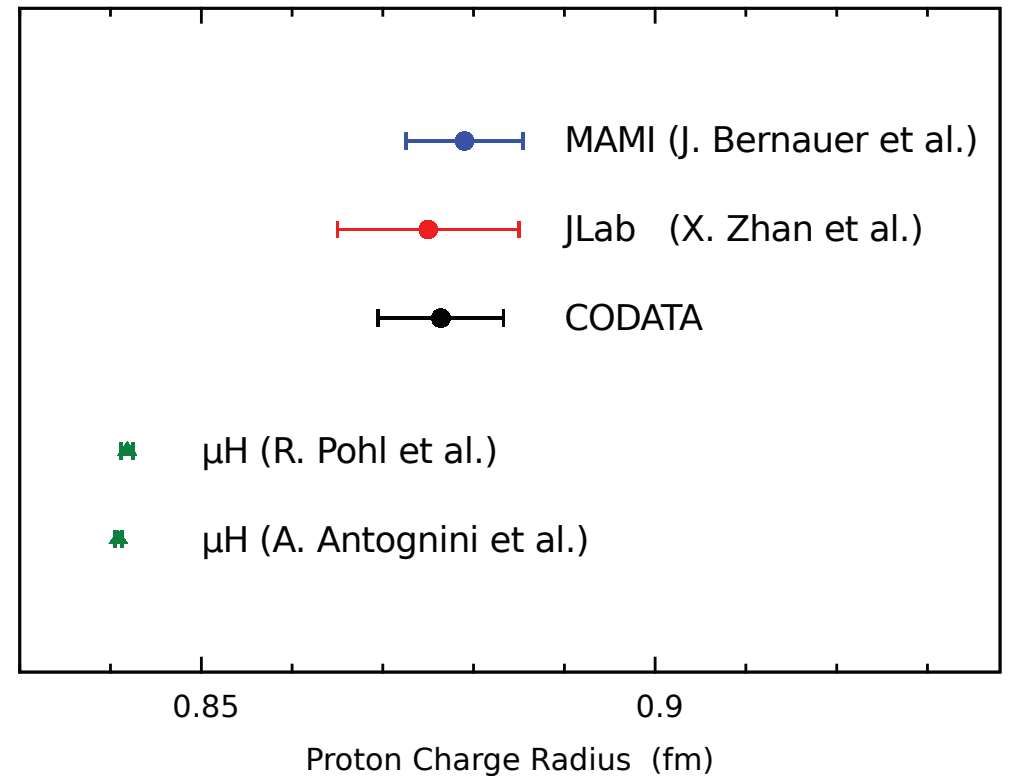
Pohl et al., Nature 466, 213 (2010)

A. Antognini

# Proton Radius Puzzle

How big is a proton?  
(electromagnetic charge radius)

- Measure in scattering experiments (Mainz)
- Measure in spectroscopy (Lamb-shift)
- Lamb shift is tiny - except in muonic hydrogen
- Big surprise!  
4 - 7  $\sigma$  discrepancy - why?



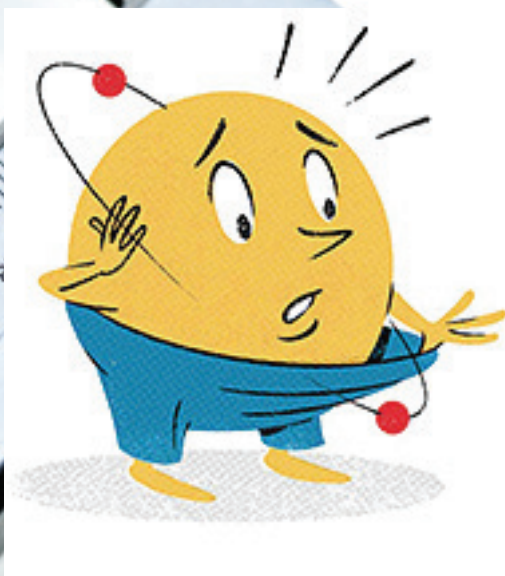


# nature

**OIL SPILLS**  
There's more to come

**PLAGIARISM**  
It's worse than you think

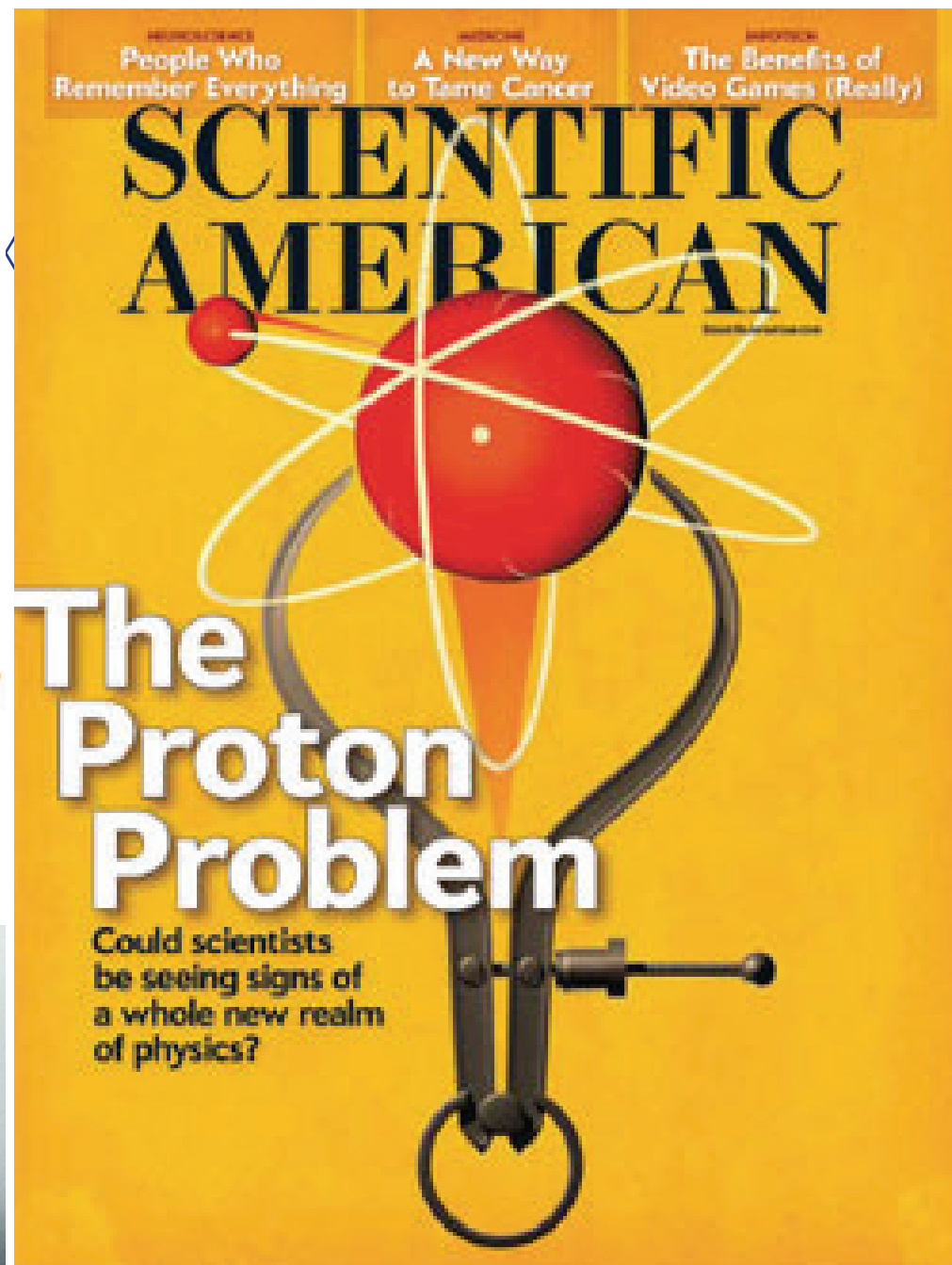
**CHIMPANZEES**  
The battle for survival



## SHRINKING THE PROTON

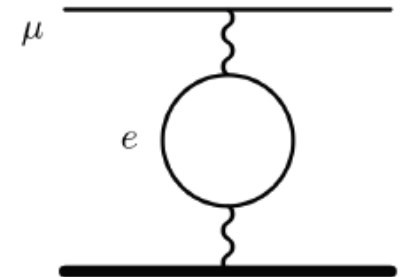
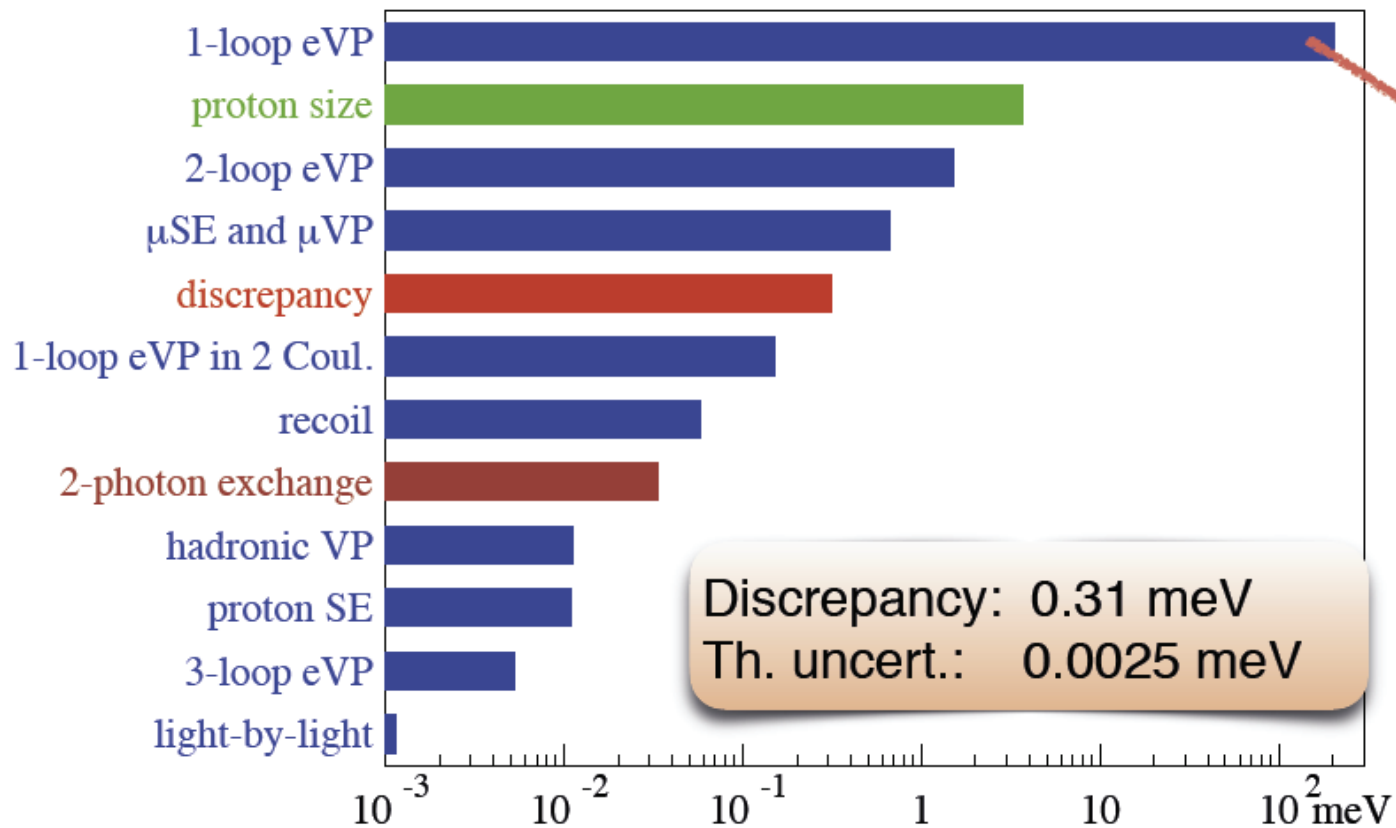
New value from exotic atom trims radius by four per cent

**NATUREJOBS**  
Researchers for hire



# Is the theory reliable?

$$\Delta E_{2P-2S}^{\text{th}} = 206.0336(15) - 5.2275(10) r_p^2 + 0.0332(20) \text{ [meV]}$$

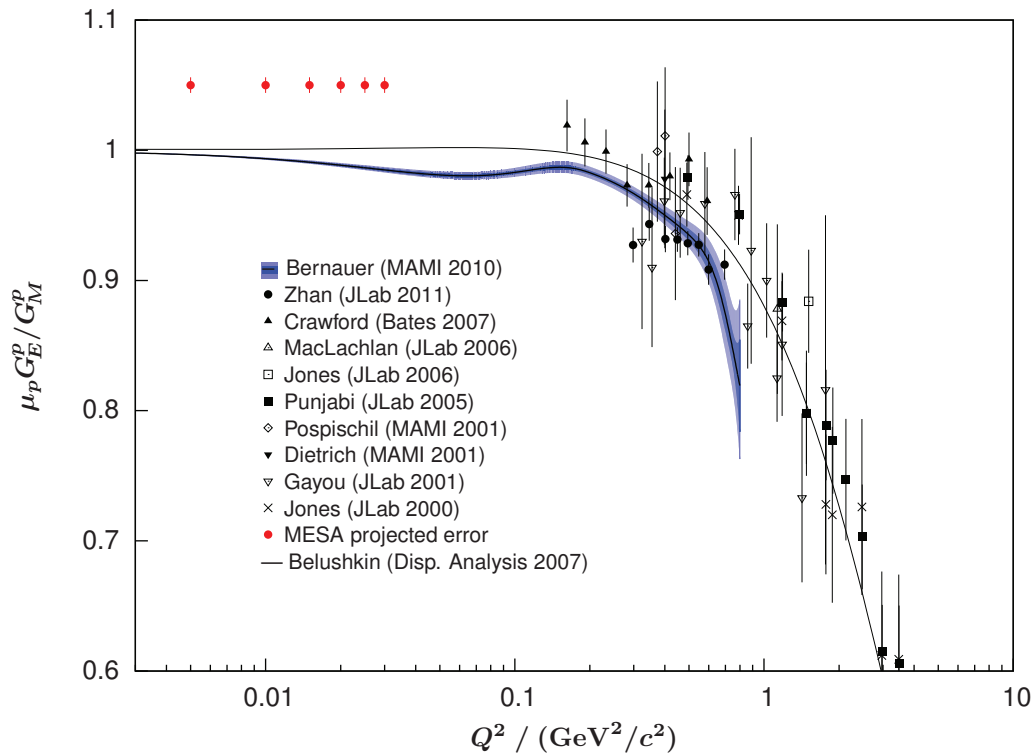


A. Antognini

# If muonic hydrogen is right...

- then there is an issue with both electron scattering and electron spectroscopy
- or there is New Physics
- consider first option first...

# Scattering, $Q^2$ and substructure

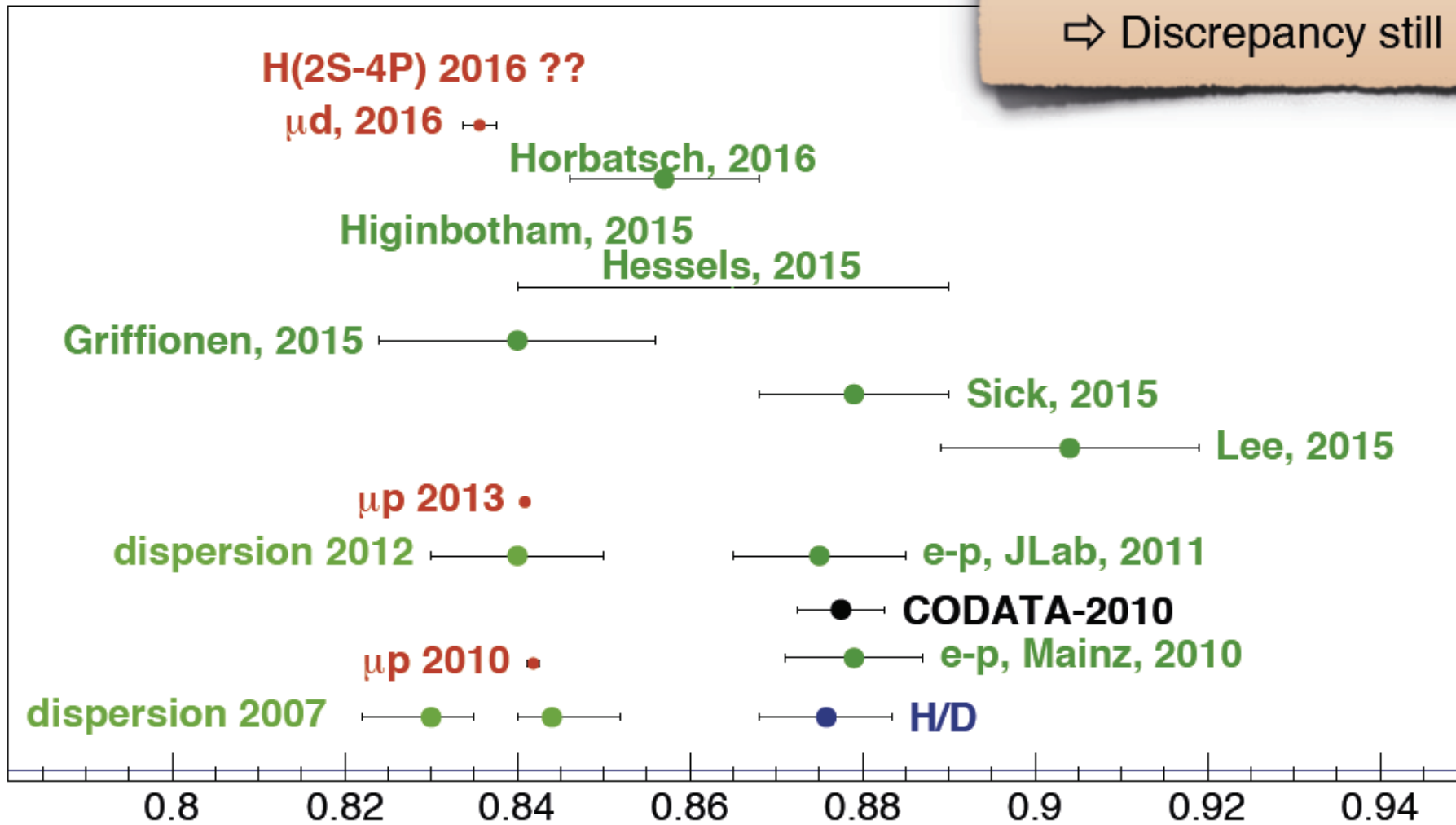


- Scattering experiments happen at finite momentum transfer  $Q^2$
- They will see some of the proton substructure
- Charge radius is defined as the slope of the form factor at  $Q^2 = 0$
- Need to extrapolate: Potentially large error: Choice of data points, fit function...

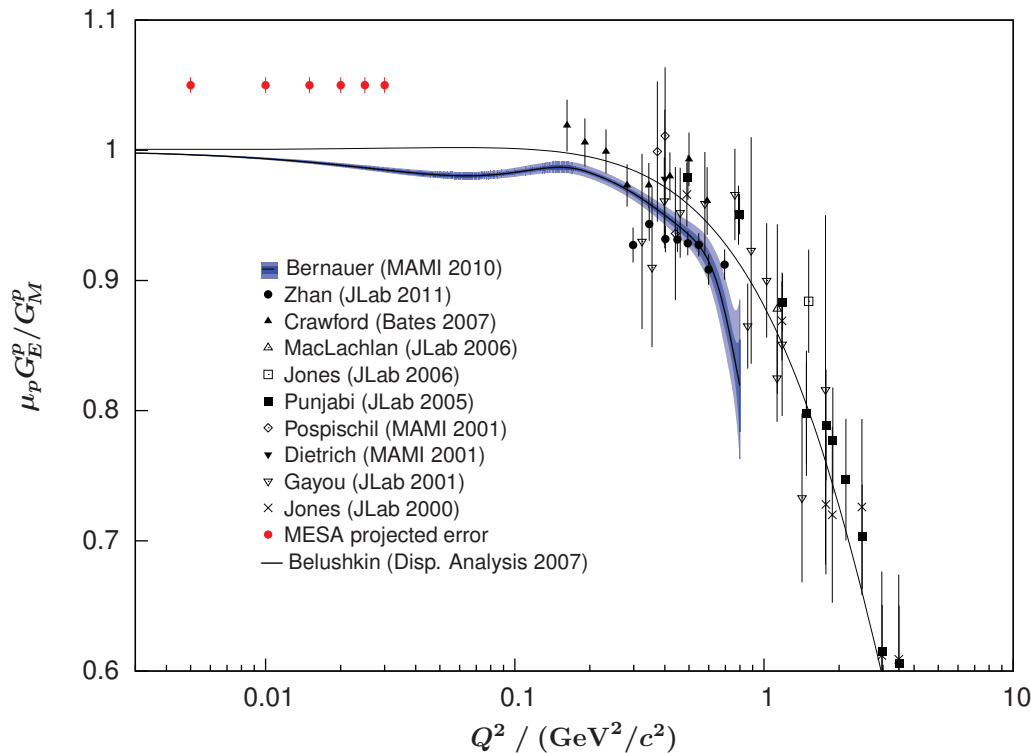


Bernauer, Distler, arXiv:1606.02159  
 Sick, Trautmann, arXiv:1701.01809  
 Horbatsch, Hessels, Pineda, arXiv:1610.09760  
 Lee, Arrington, Hill, arXiv:1505.01489

Various e-p scattering analysis in agreement with muonic results **BUT** these analysis are opposed by the experts of the field.  
 ⇨ Discrepancy still persists



# Scattering, $Q^2$ and substructure



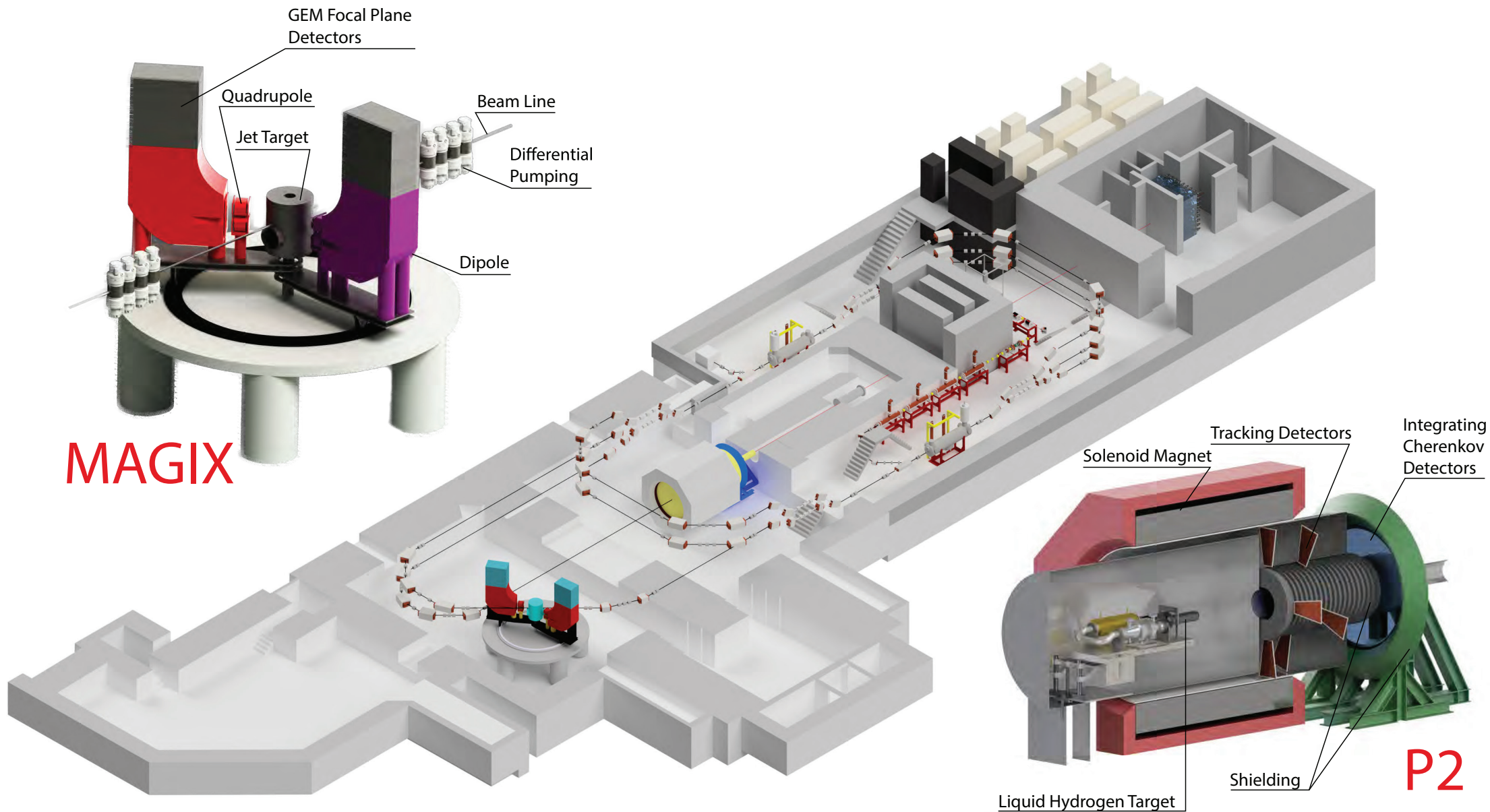
- Scattering experiments happen at finite momentum transfer  $Q^2$
- They will see some of the proton substructure
- Charge radius is defined as the slope of the form factor at  $Q^2 = 0$
- Need to extrapolate: Potentially large error
- Want to measure at as small  $Q^2$  as possible and with large lever arm

Our project in Mainz:

MAGIX

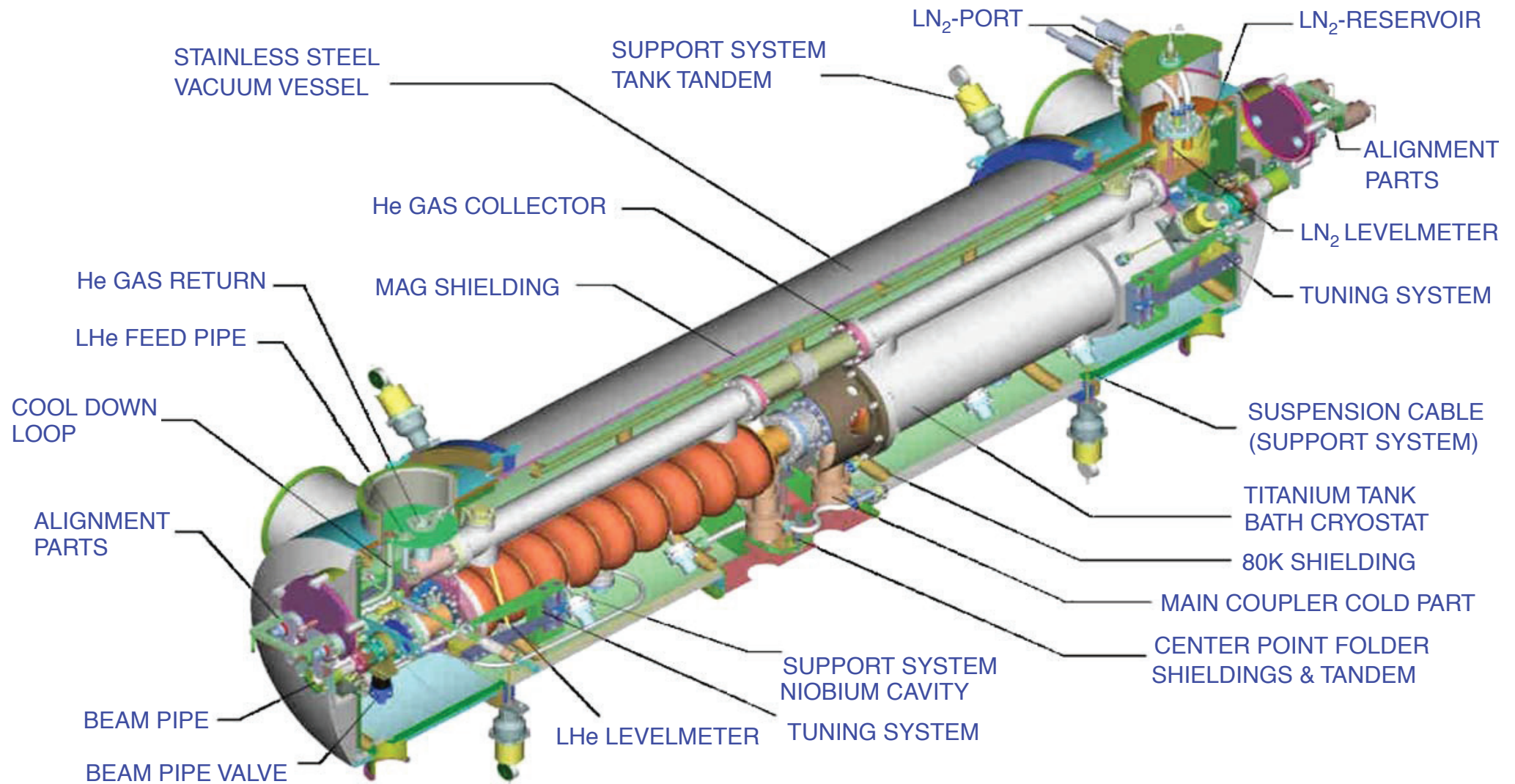
Mesa Gas Internal Target Experiment

# Mainz Energy-Recovery Superconducting Accelerator

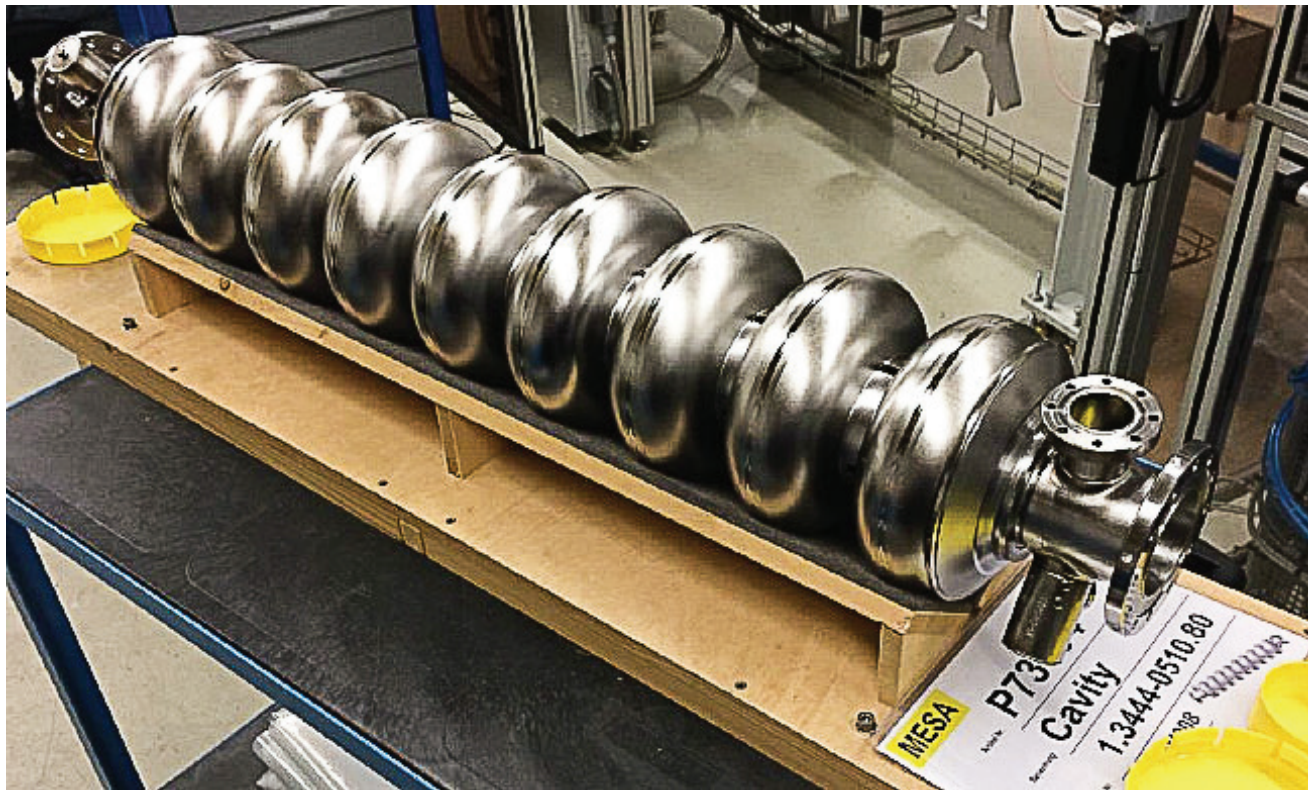




# Superconducting Cryomodules



Teichert et al. NIM A 557 (2006) 239



# Energy recovery

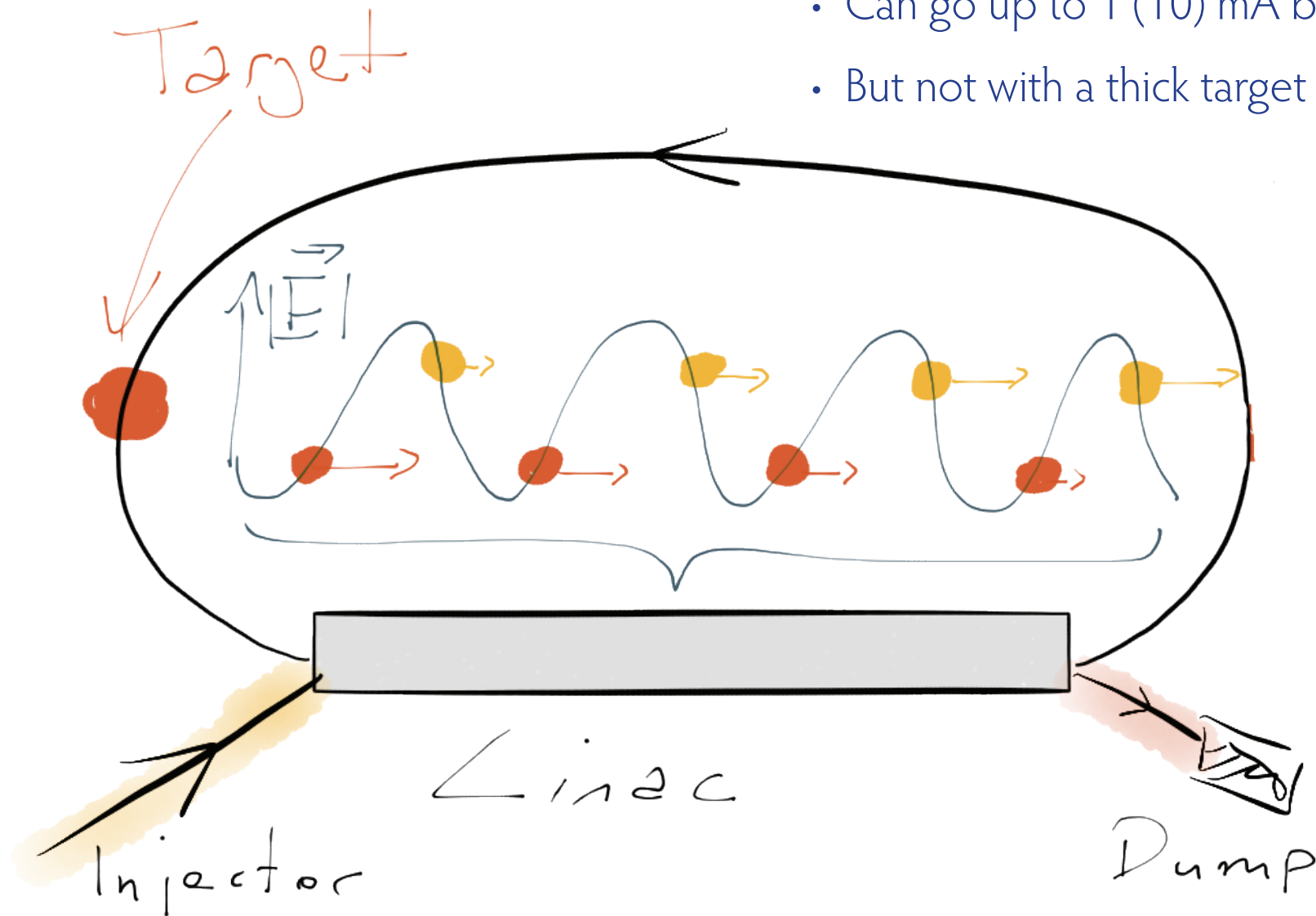
Can we go to higher beam currents?

- In principle yes...
- But power is expensive
- Why dump electrons?



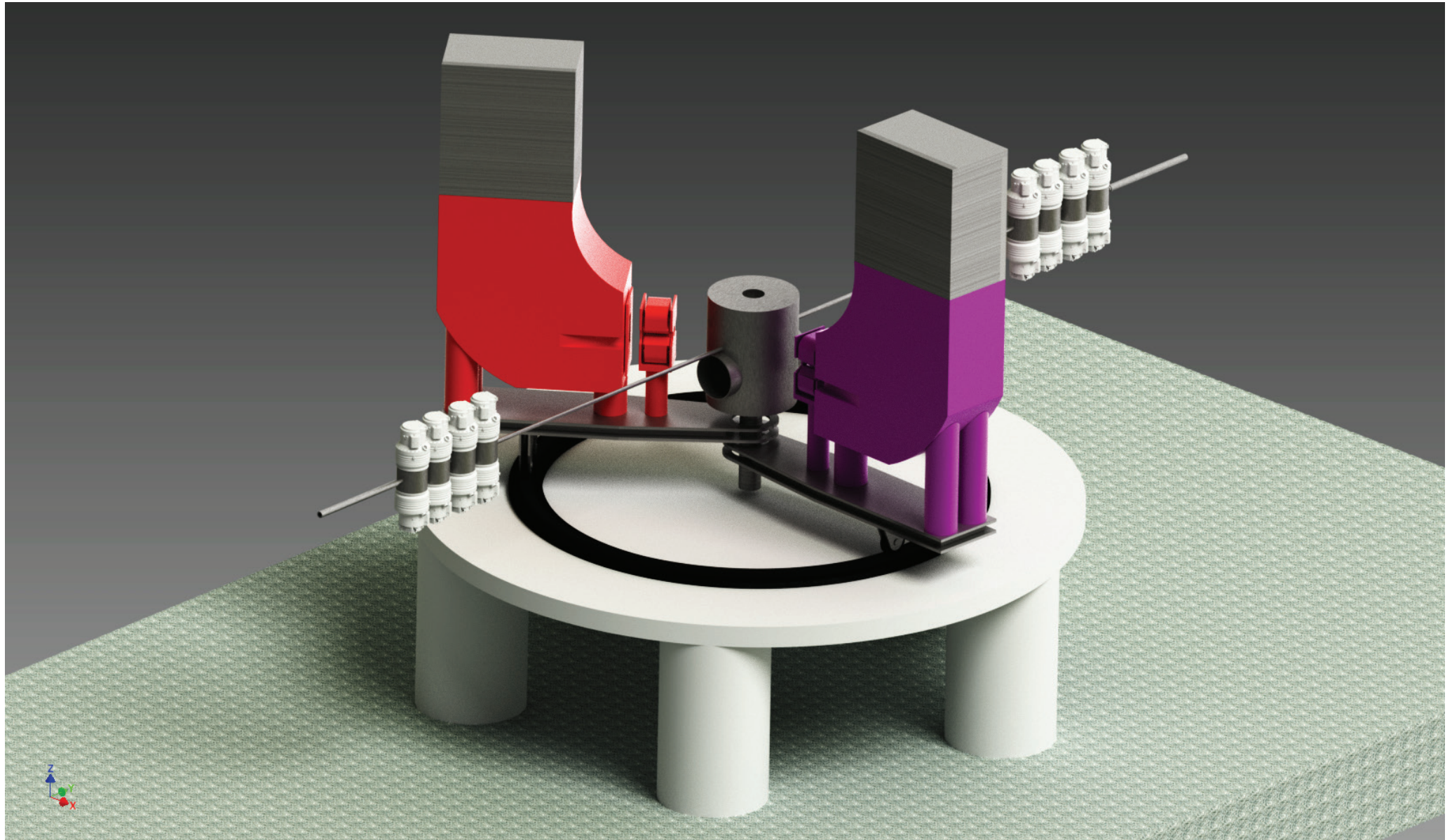
# Energy recovery

- Put energy back into field!
- Can go up to 1 (10) mA beam current
- But not with a thick target





# MAGIX Spectrometer



# Requirements for the detector

Energy recovery: We want the beam back

- Energy loss less than  $10^{-3}$
- As little scattering as possible

No target window

High resolution spectrometer

- No beam interactions in target window
- As little scattering as possible

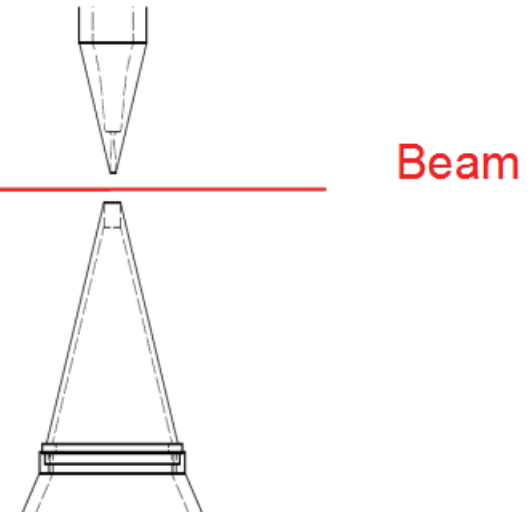
Thin walls, thin detectors

Extremely intense beam: Do not need very high acceptance

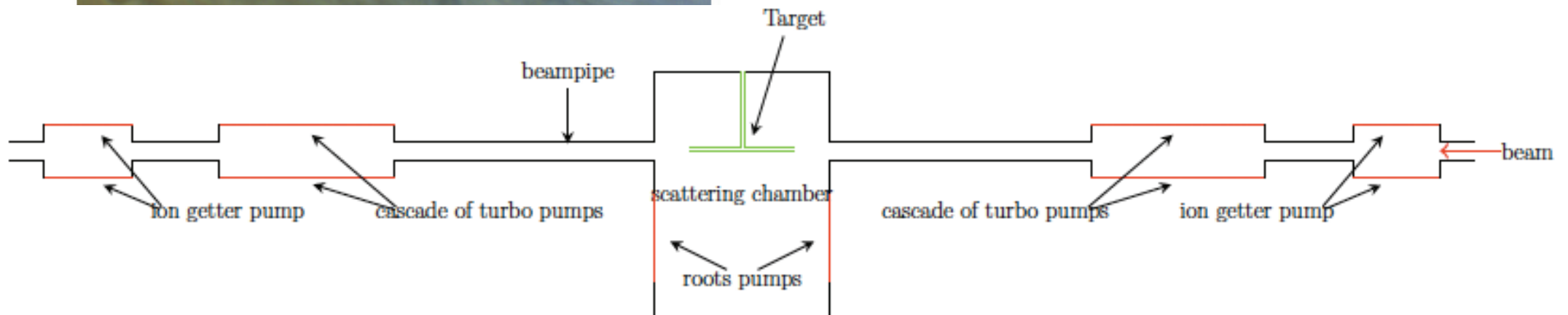
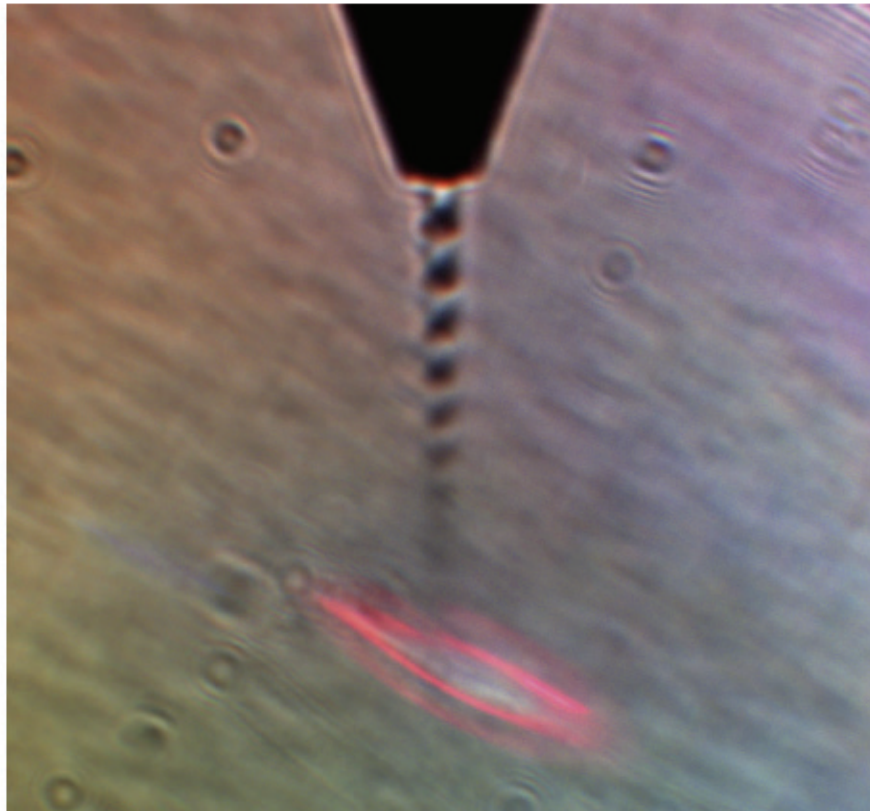
# Internal gas target

University of Münster (Group of A. Khoukaz)

- Inject gas directly into the beam pipe

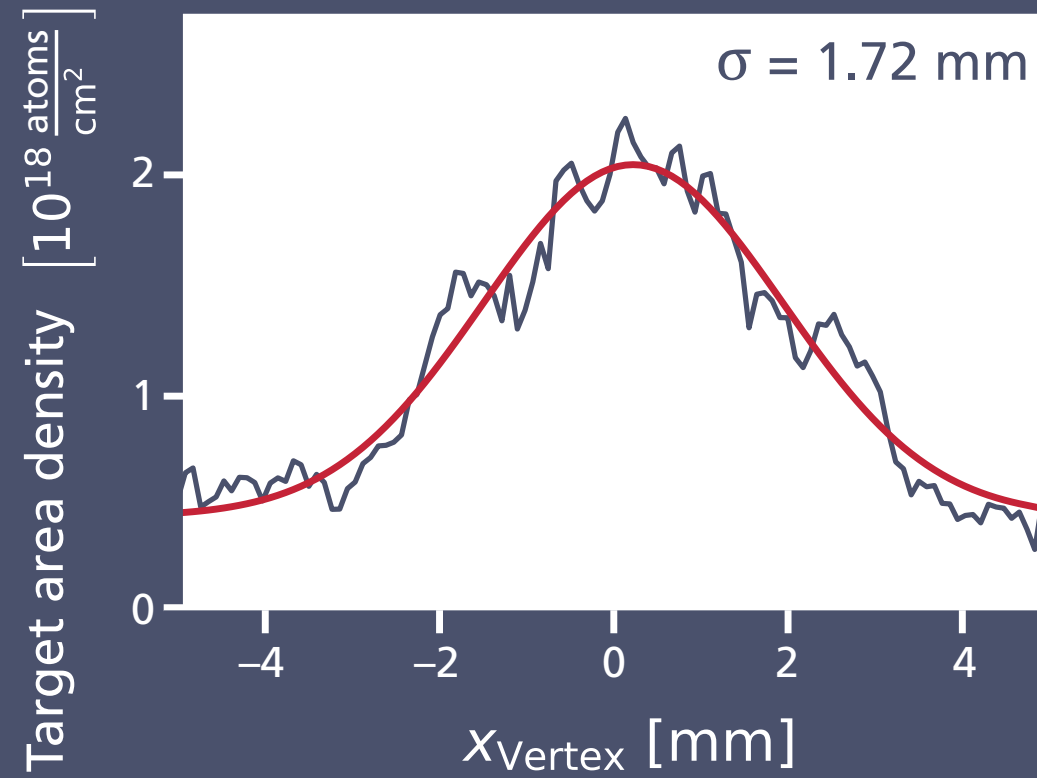
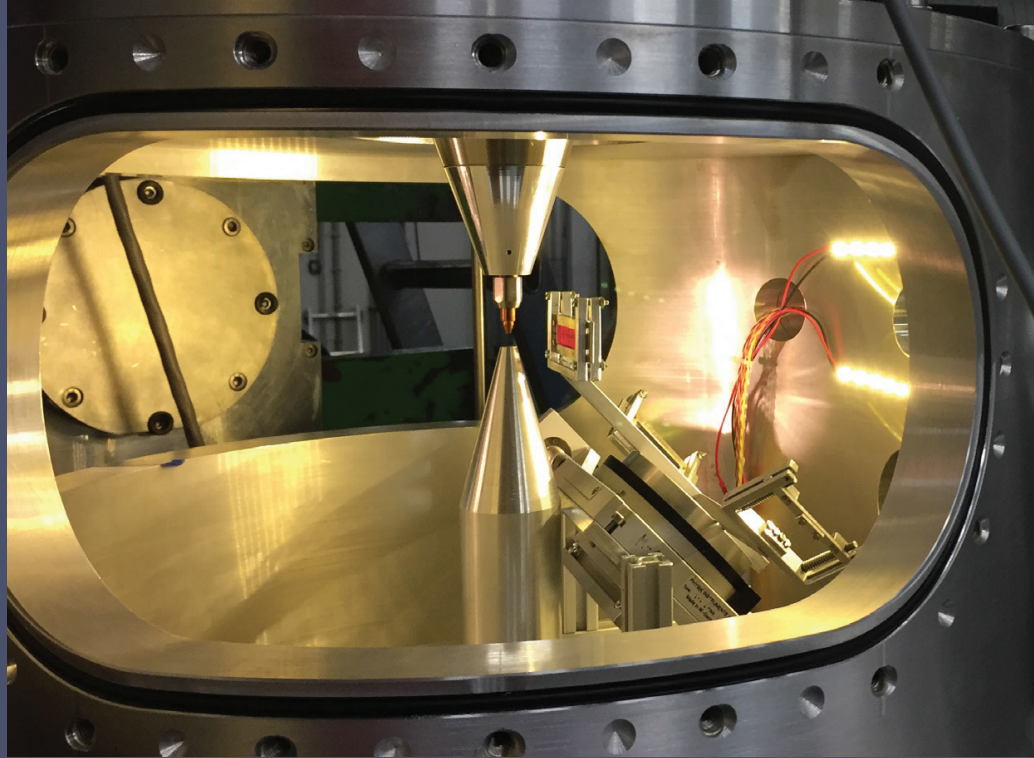


- Differential pumping to keep beam vacuum





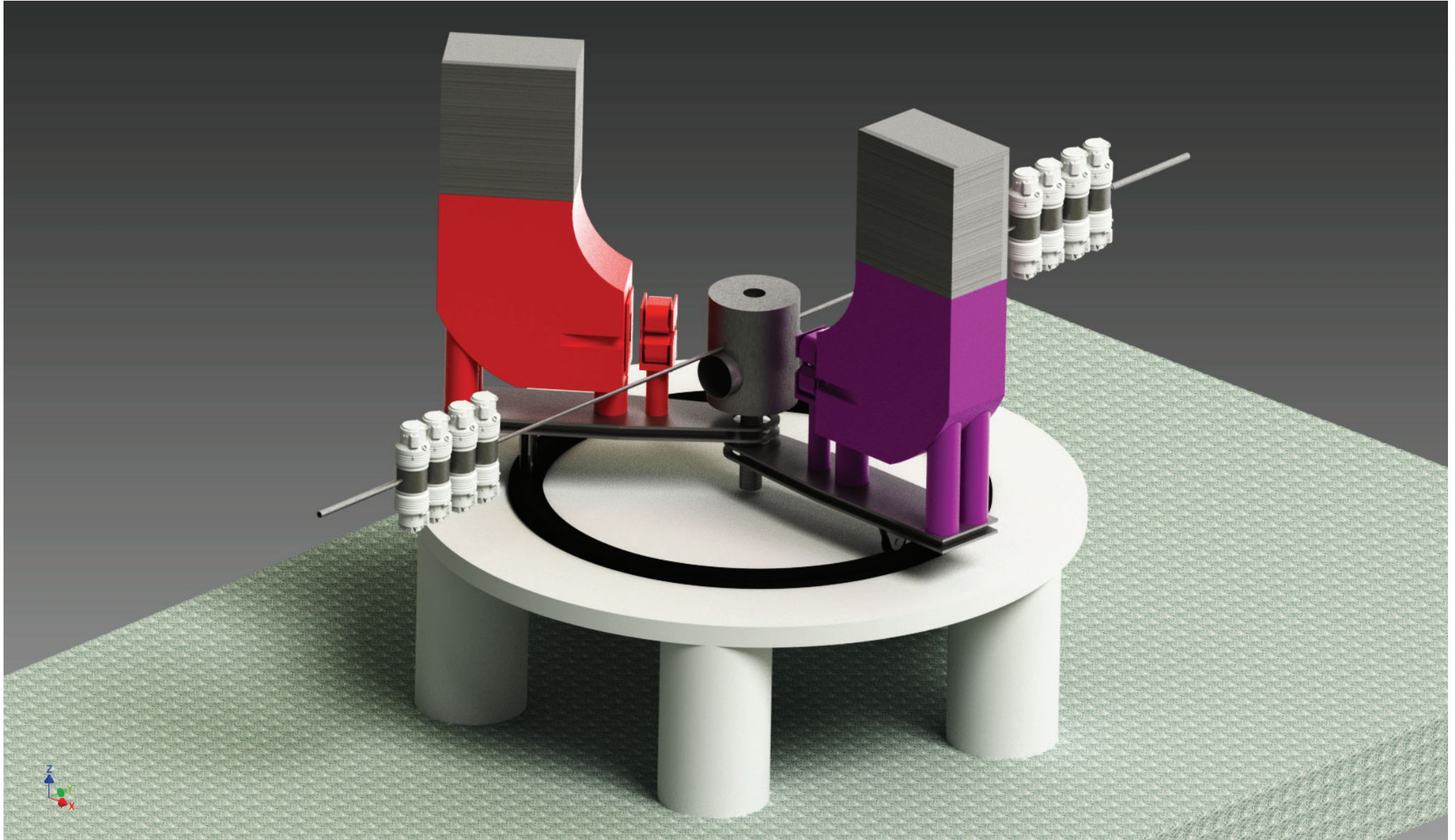
# Tested in A1





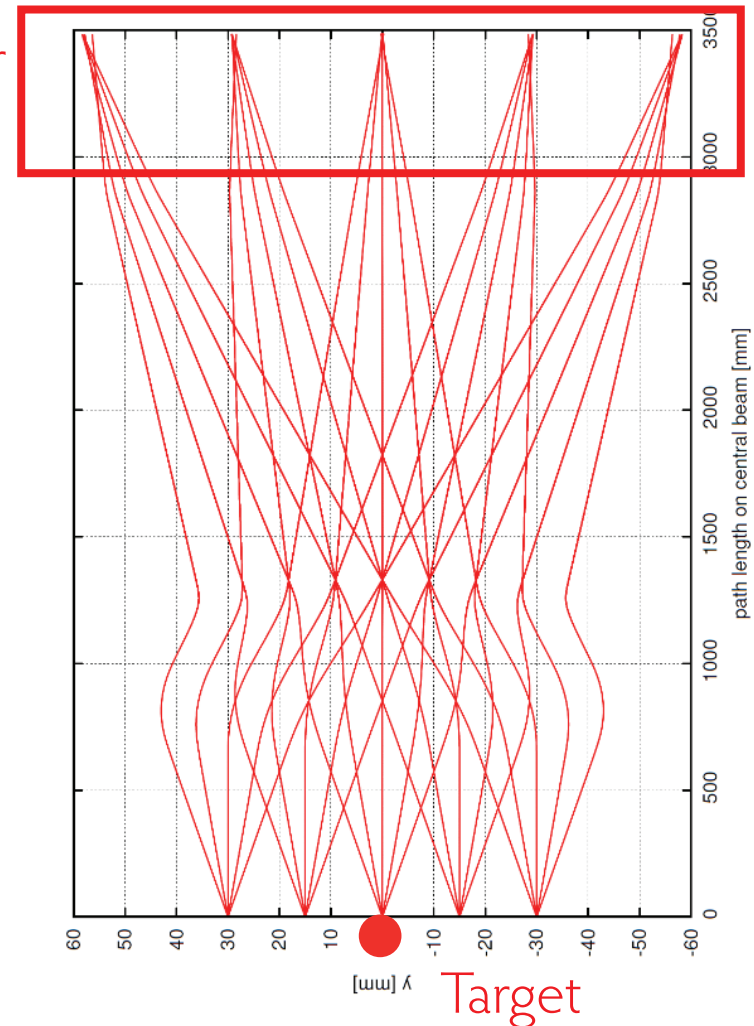
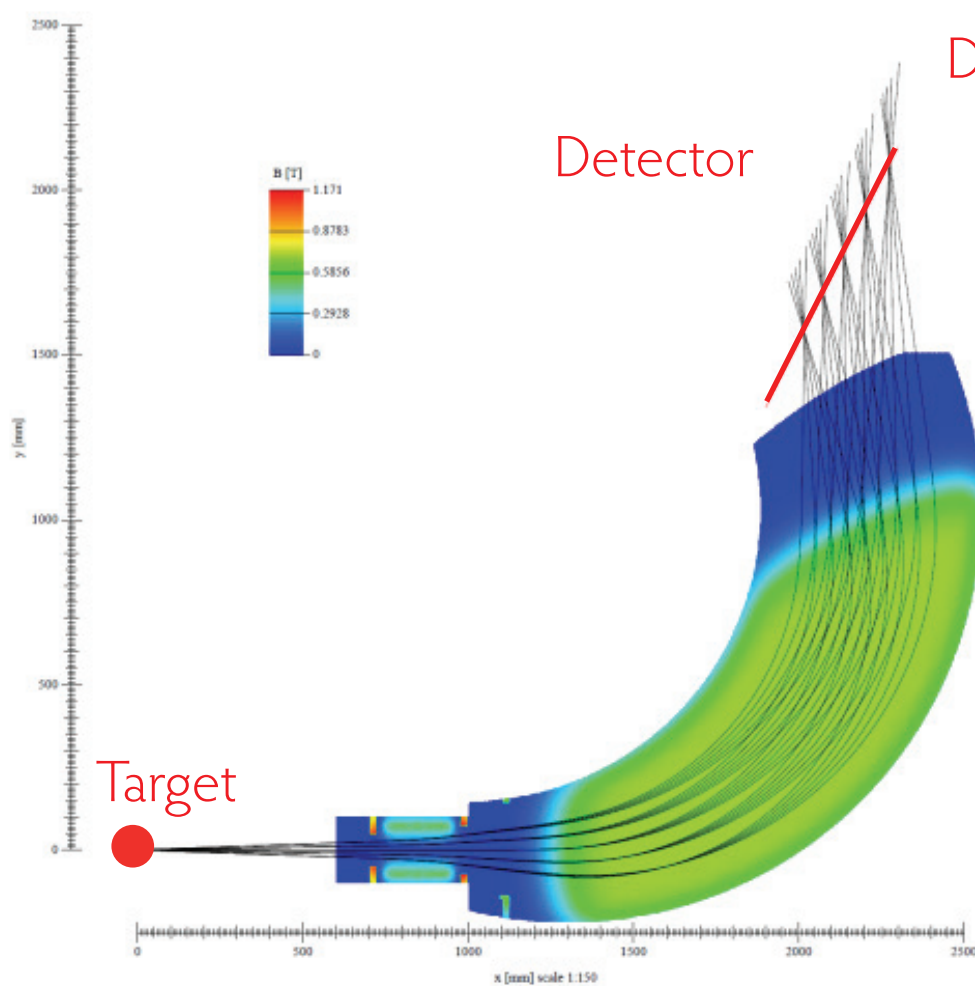
# TARDIS

## Twin-arm dipole spectrometer



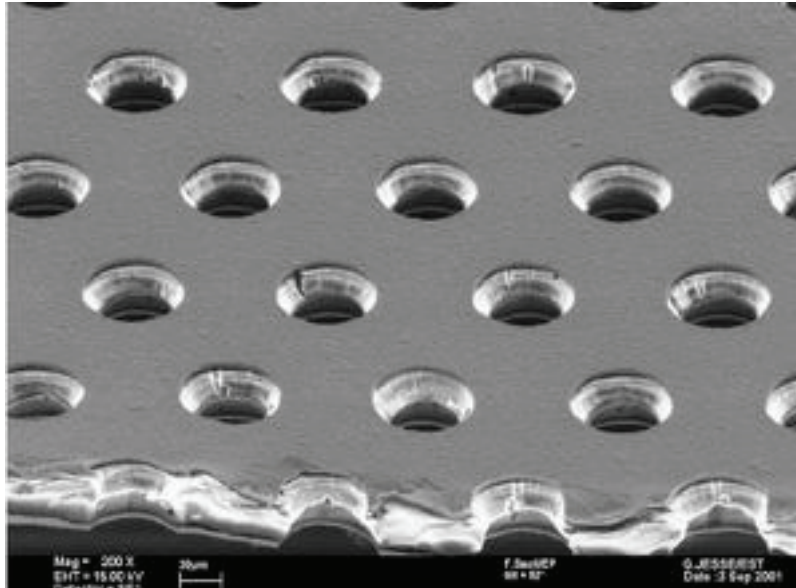
# TARDIS

- Image momentum to position
- $10^{-4}$  momentum resolution for  $50\ \mu\text{m}$  position resolution
- Image angle to position



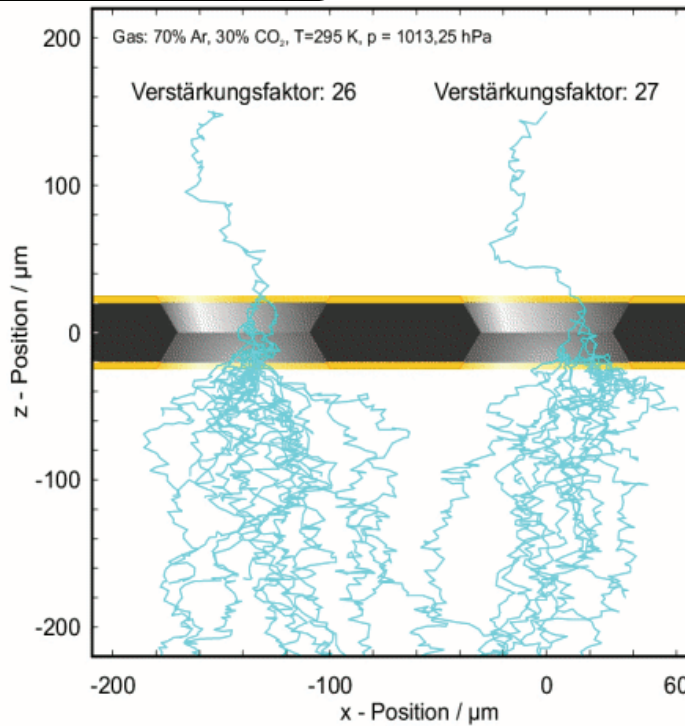
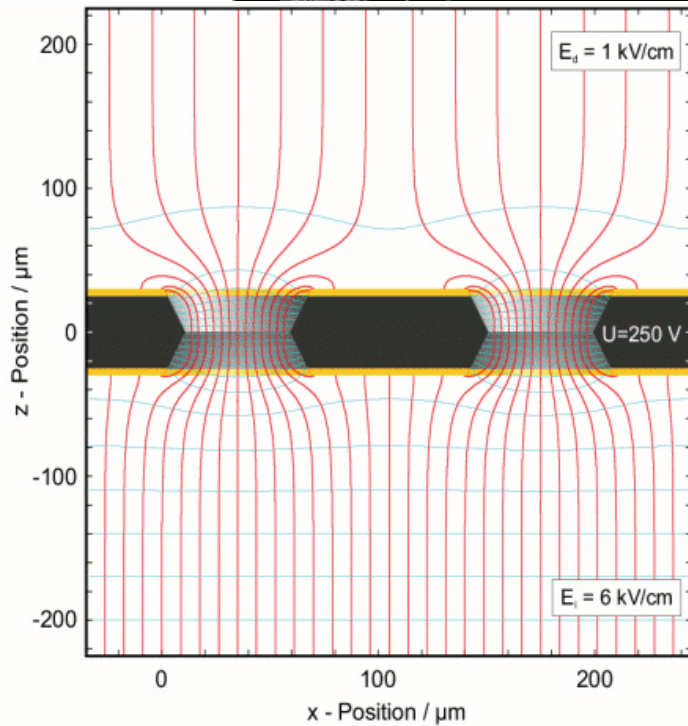


# Focal plane detectors

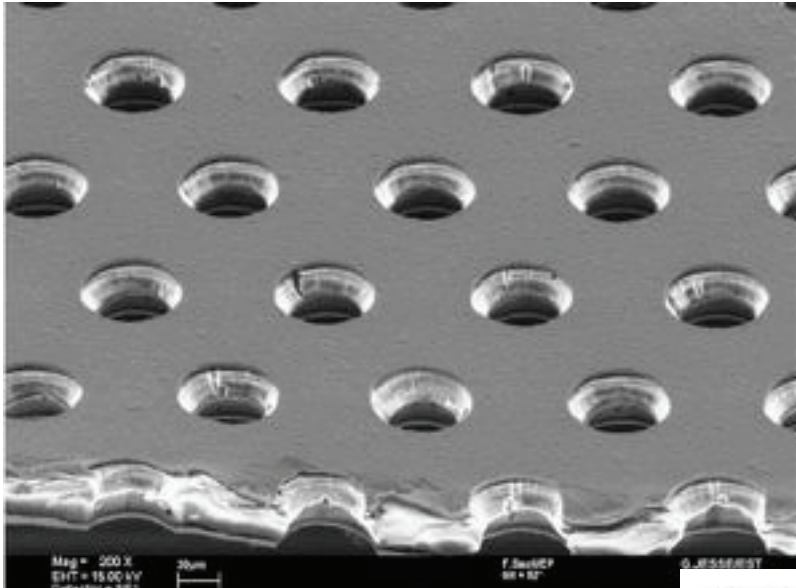


## Gas Electron Multipliers (GEMs)

- Metalized Kapton foil with tiny holes
- Apply electric field

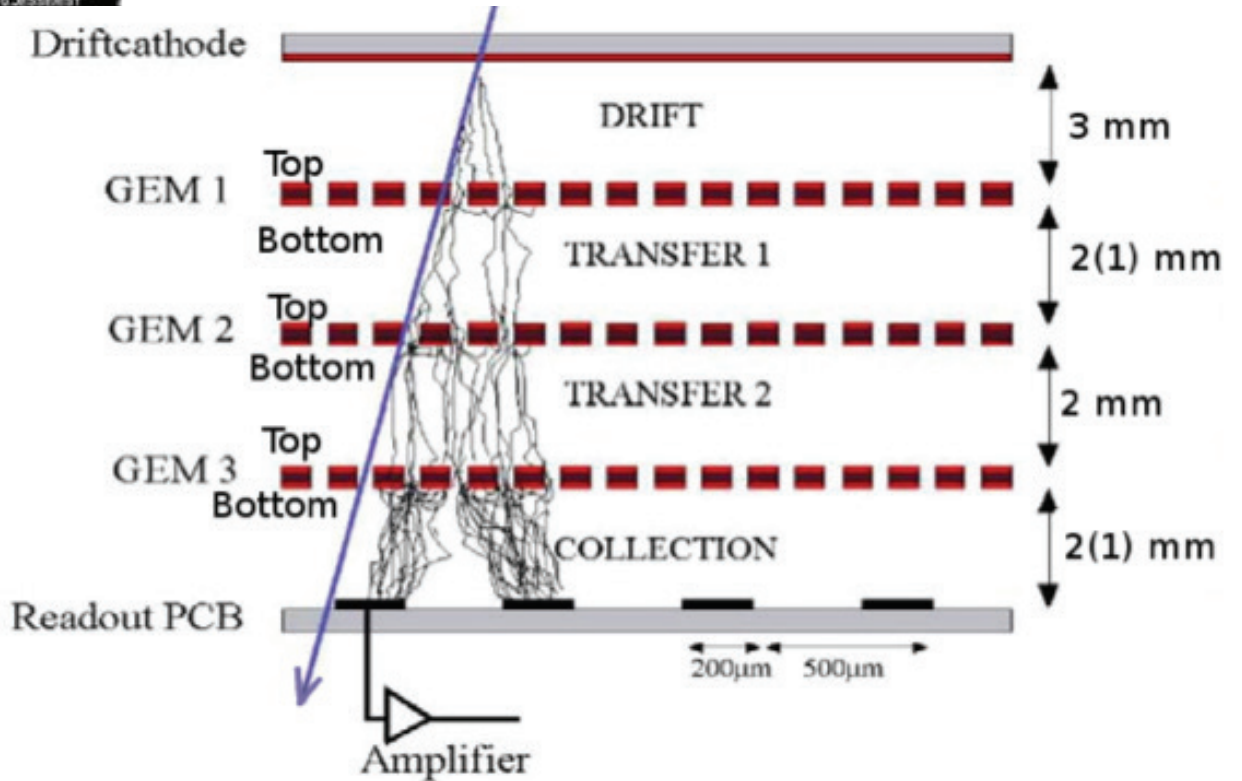
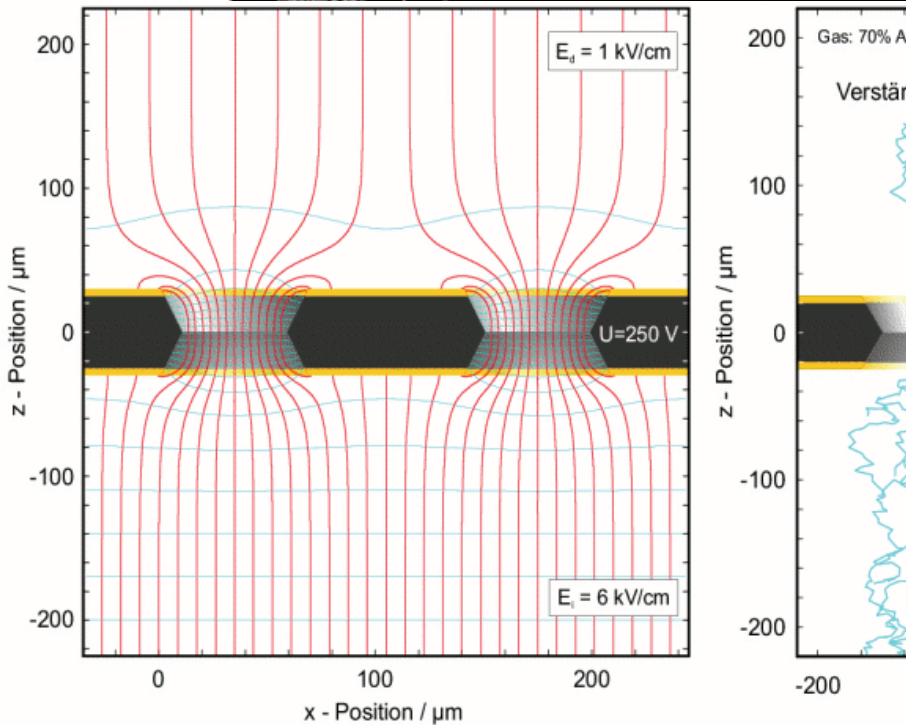


# Focal plane detectors



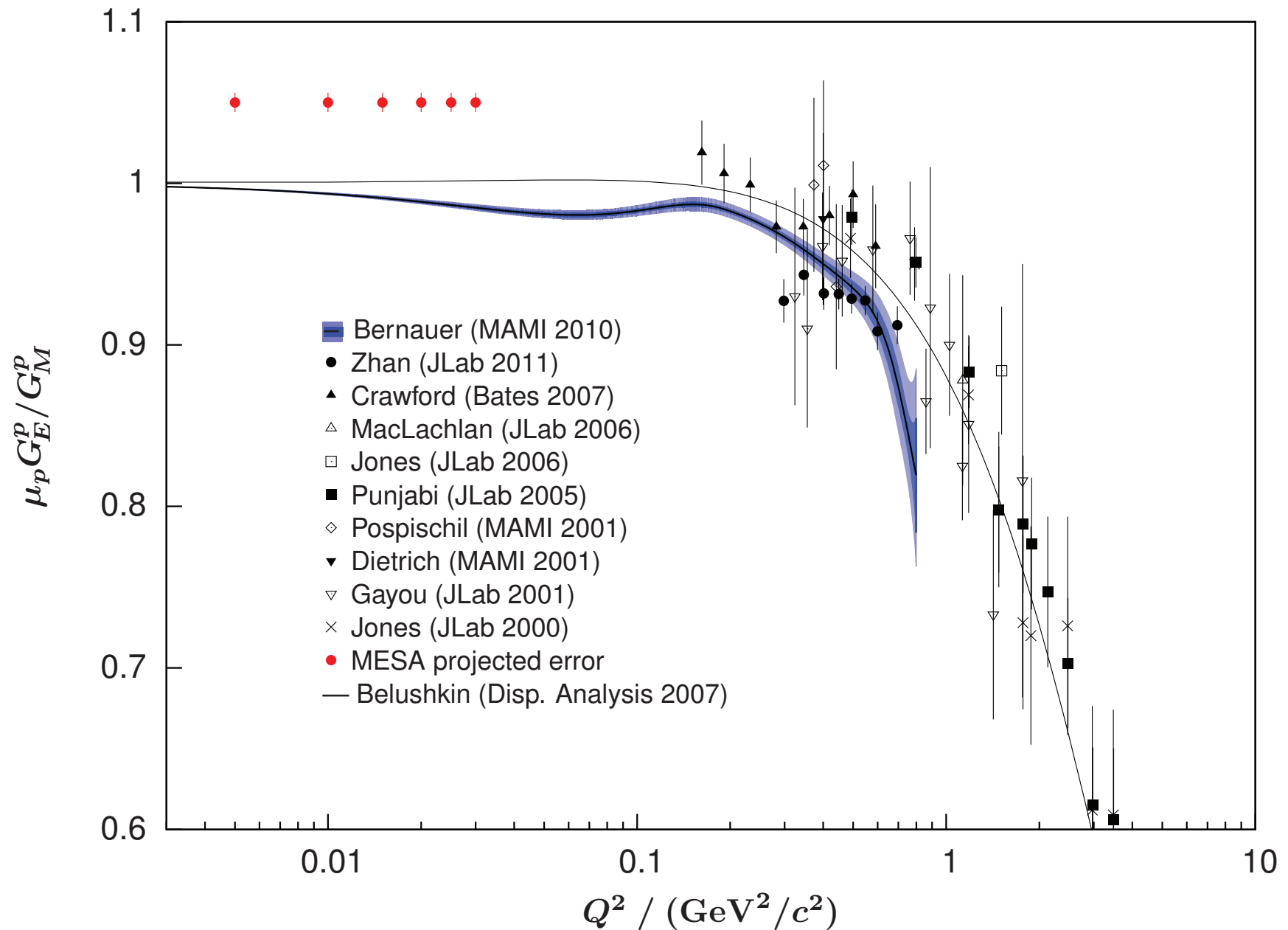
## Gas Electron Multipliers (GEMs)

- Metalized Kapton foil with tiny holes
- Apply electric field
- Stack GEMs to reduce ion back drift
- PRISMA detector lab





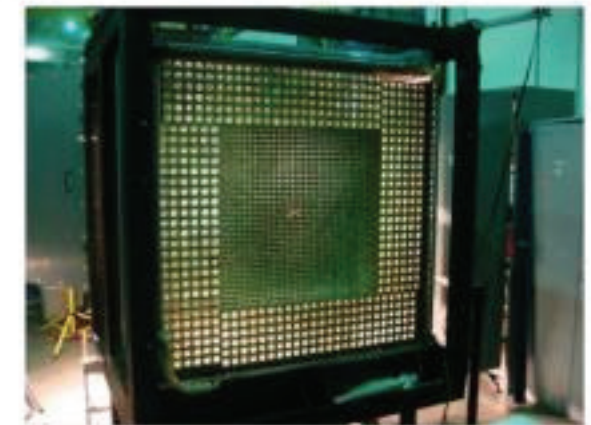
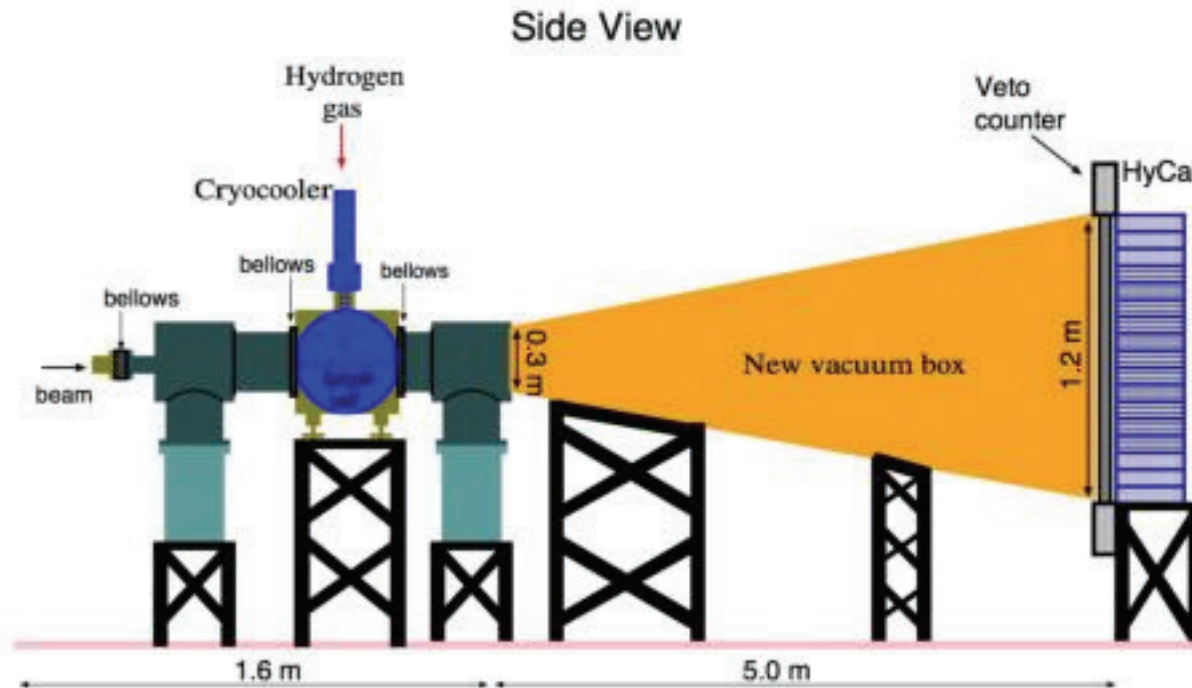
# Where this could get us



# Many other ongoing projects...

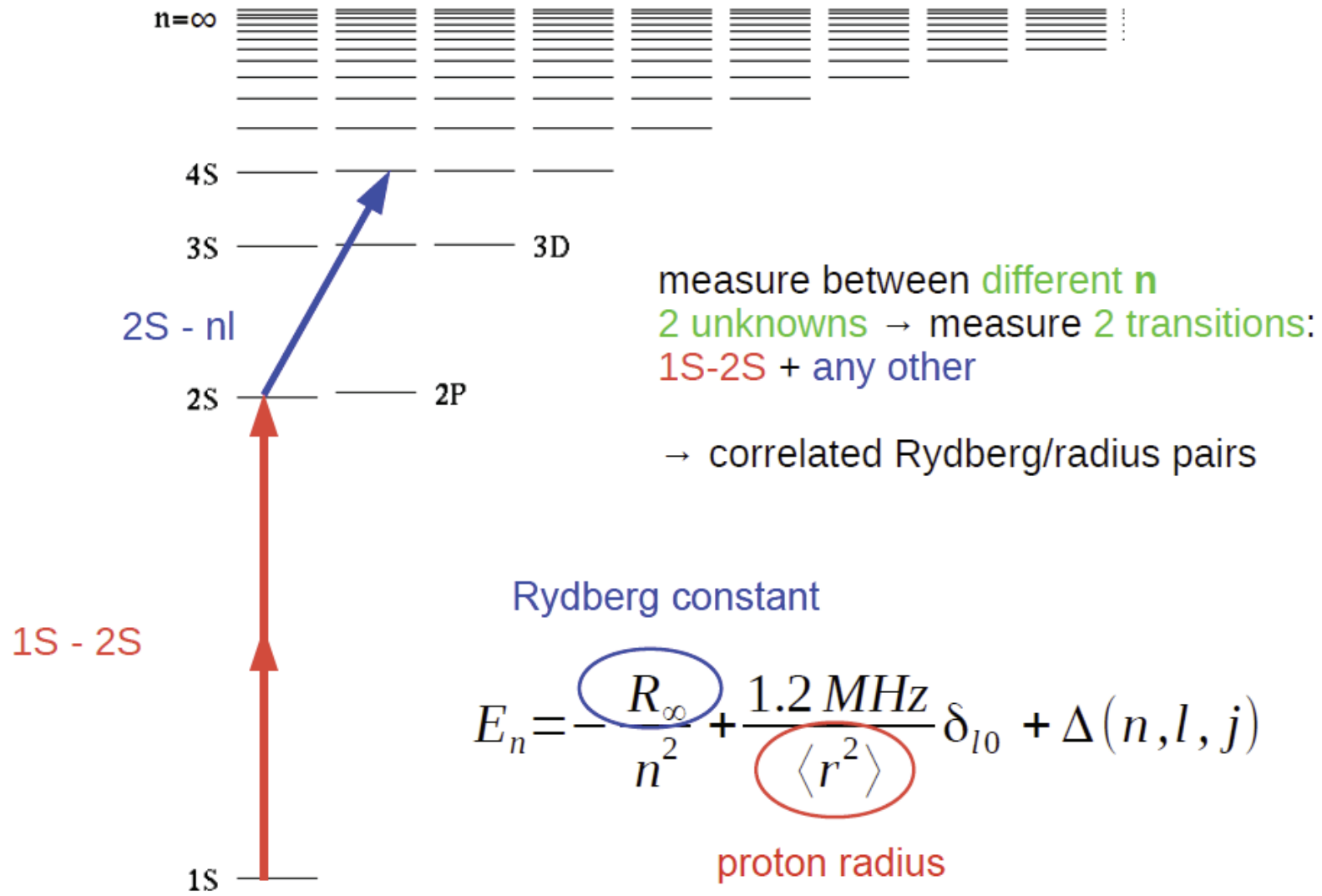
- PRad at Jefferson Lab
- PRAE at Orsay
- ...

## Proposed PRad Experimental Setup in Hall B at JLab



And the conventional spectroscopy?

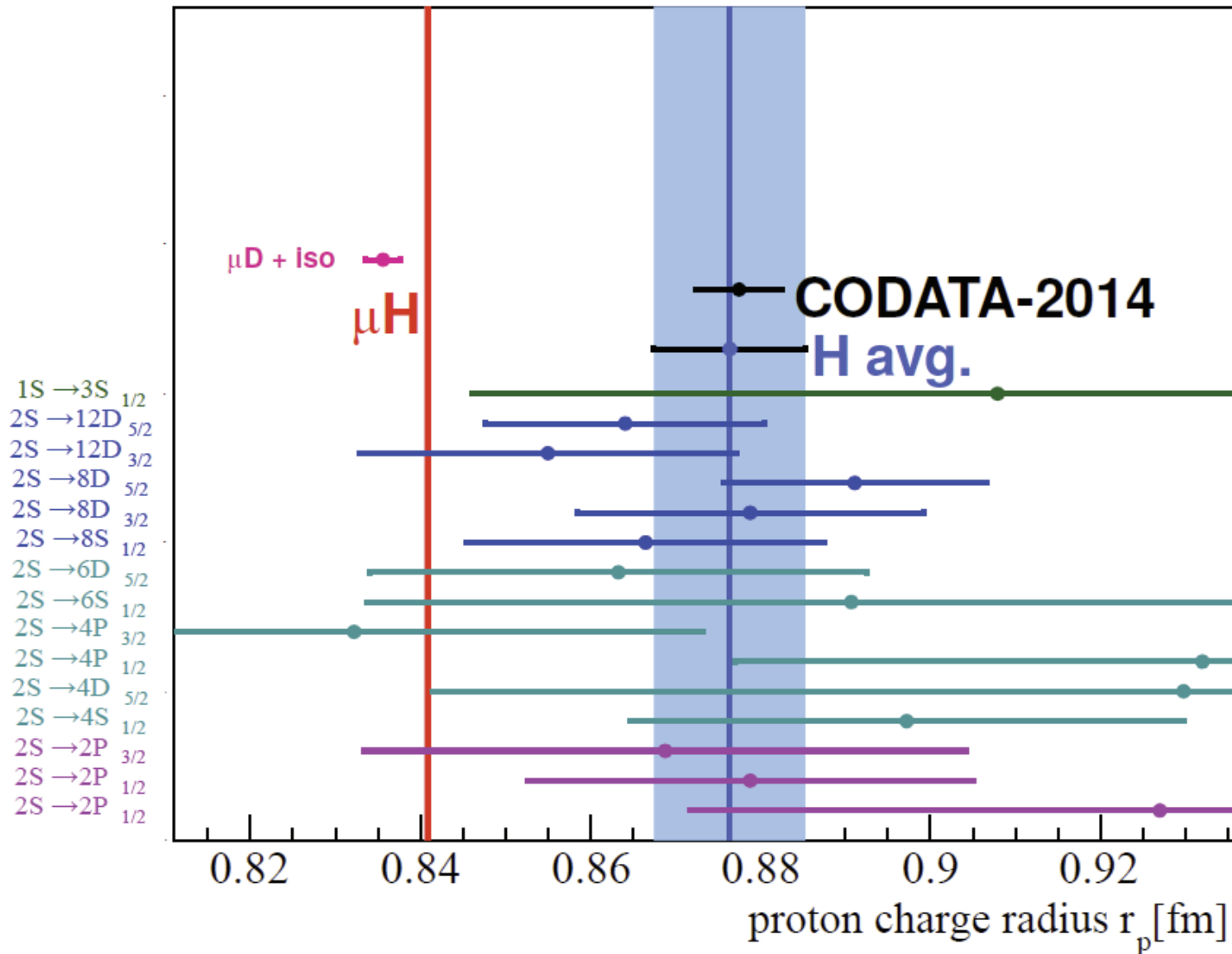
# Energy levels of hydrogen



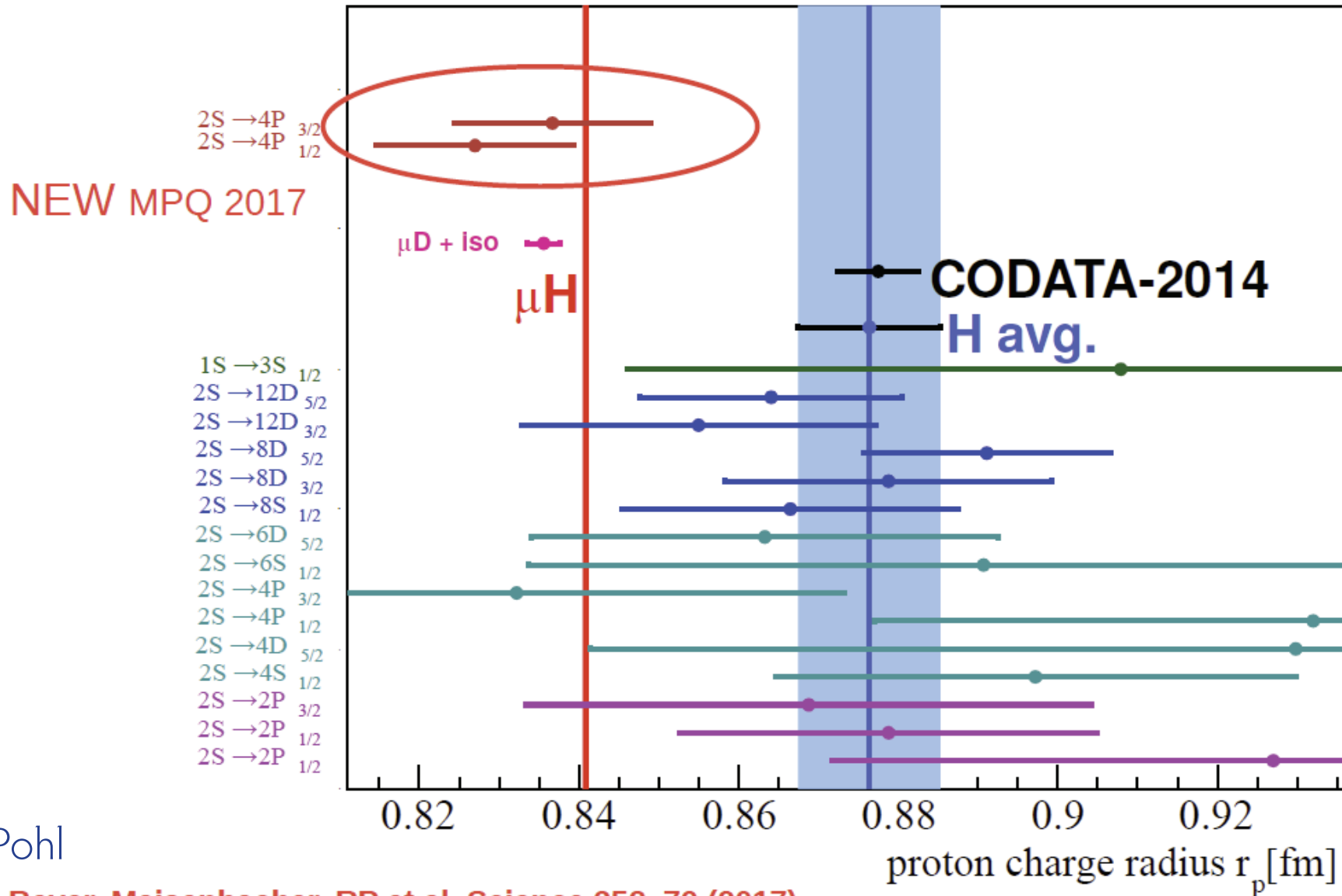
R. Pohl



# Rp from H spectroscopy



# Rp from H spectroscopy



R. Pohl

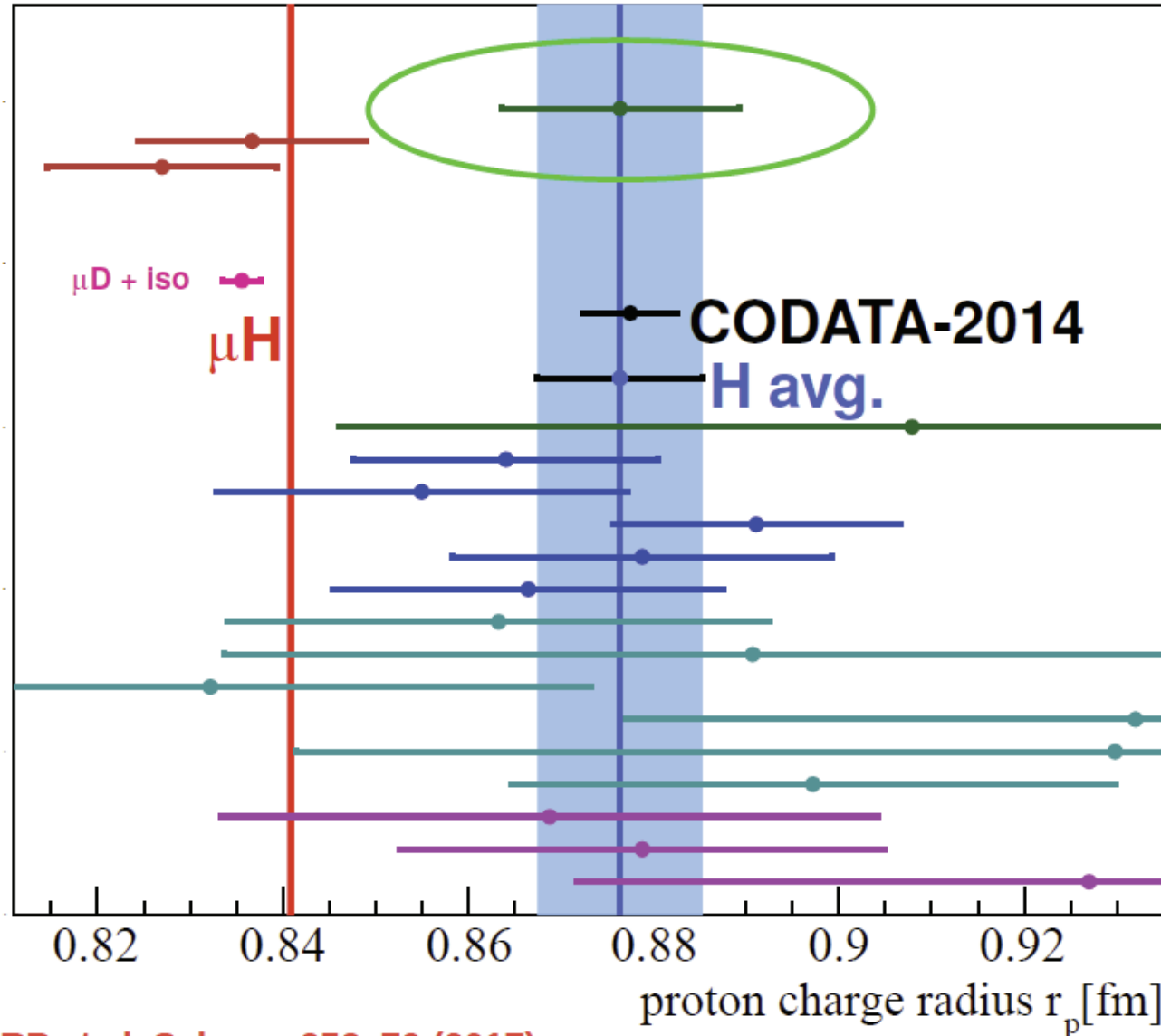
Beyer, Maisenbacher, RP et al, Science 358, 79 (2017)

# Rp from H spectroscopy

LKB 2018

MPQ 2017

1S → 3S  $1/2$   
 2S → 4P  $3/2$   
 2S → 4P  $1/2$

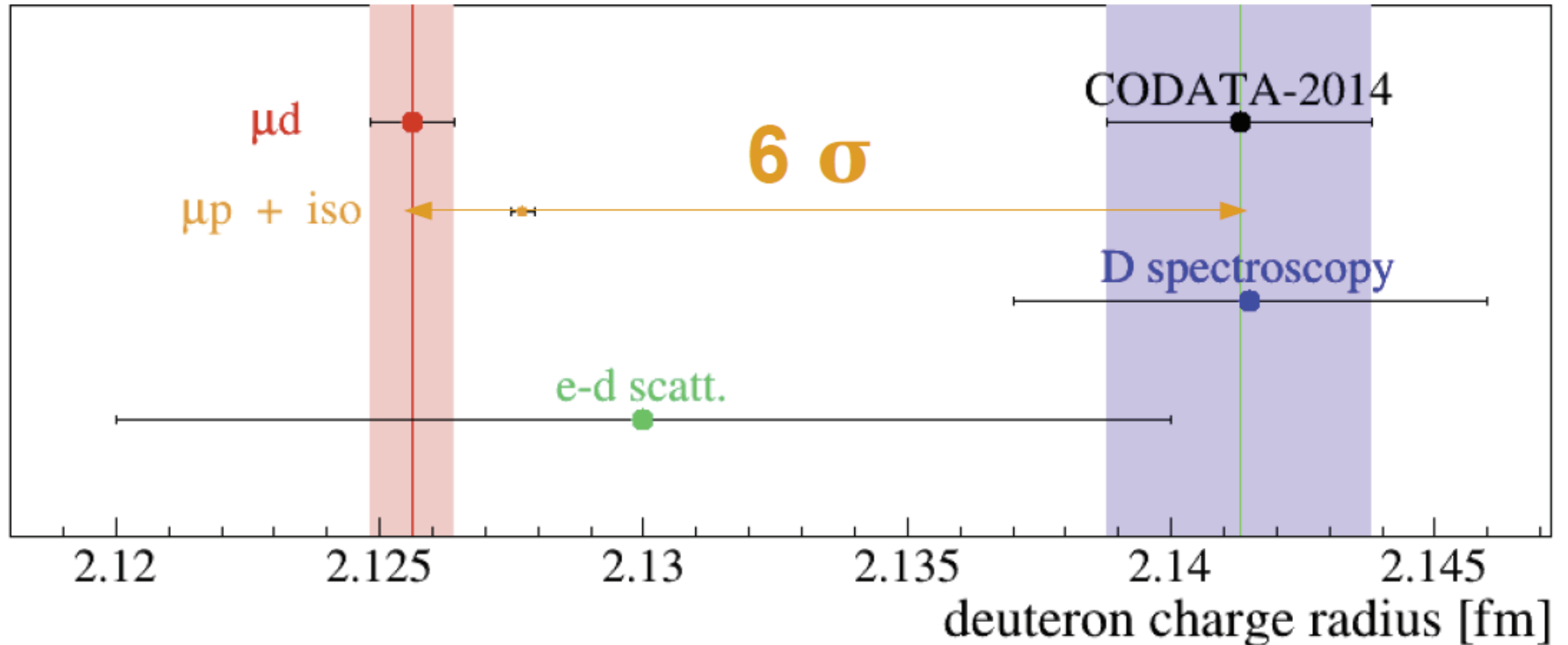


R. Pohl

Beyer, Maisenbacher, RP et al, Science 358, 79 (2017)

Fleurbaey, PhD thesis (2017)

# Muonic Deuterium



$\mu\text{D}$ : 2.12562 (13)<sub>exp</sub> (77)<sub>theo</sub> fm (nucl. polarizability)

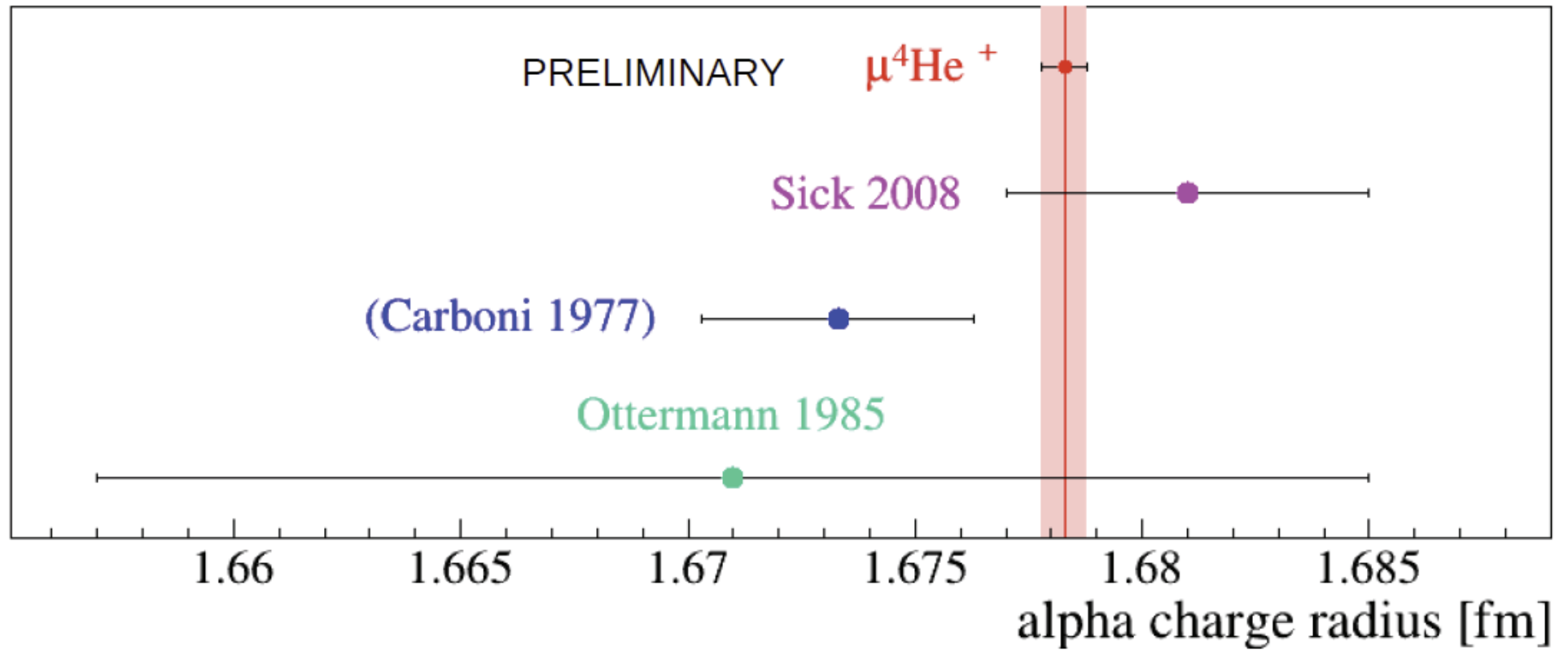
$\mu\text{H} + \text{H/D}(1\text{S}-2\text{S})$ : 2.12771 (22) fm

CODATA-2014: 2.14130 (250) fm

R. Pohl



# Muonic Helium-4

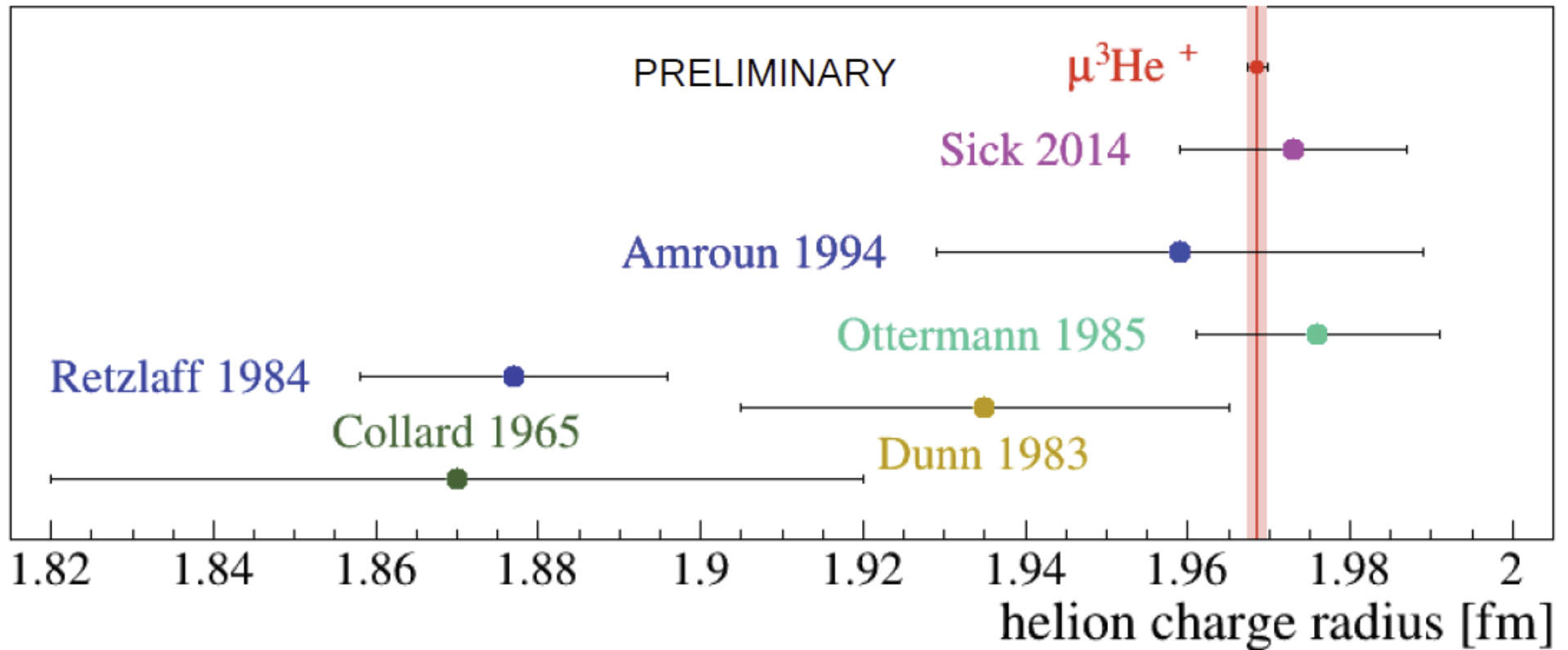


prel. accuracy: exp  $\pm 0.00019$  fm, theo  $\pm 0.00058$  fm (nucl. polarizability)

Theory: see Diepold et al. arxiv 1606.05231

R. Pohl

# Muonic Helium-3



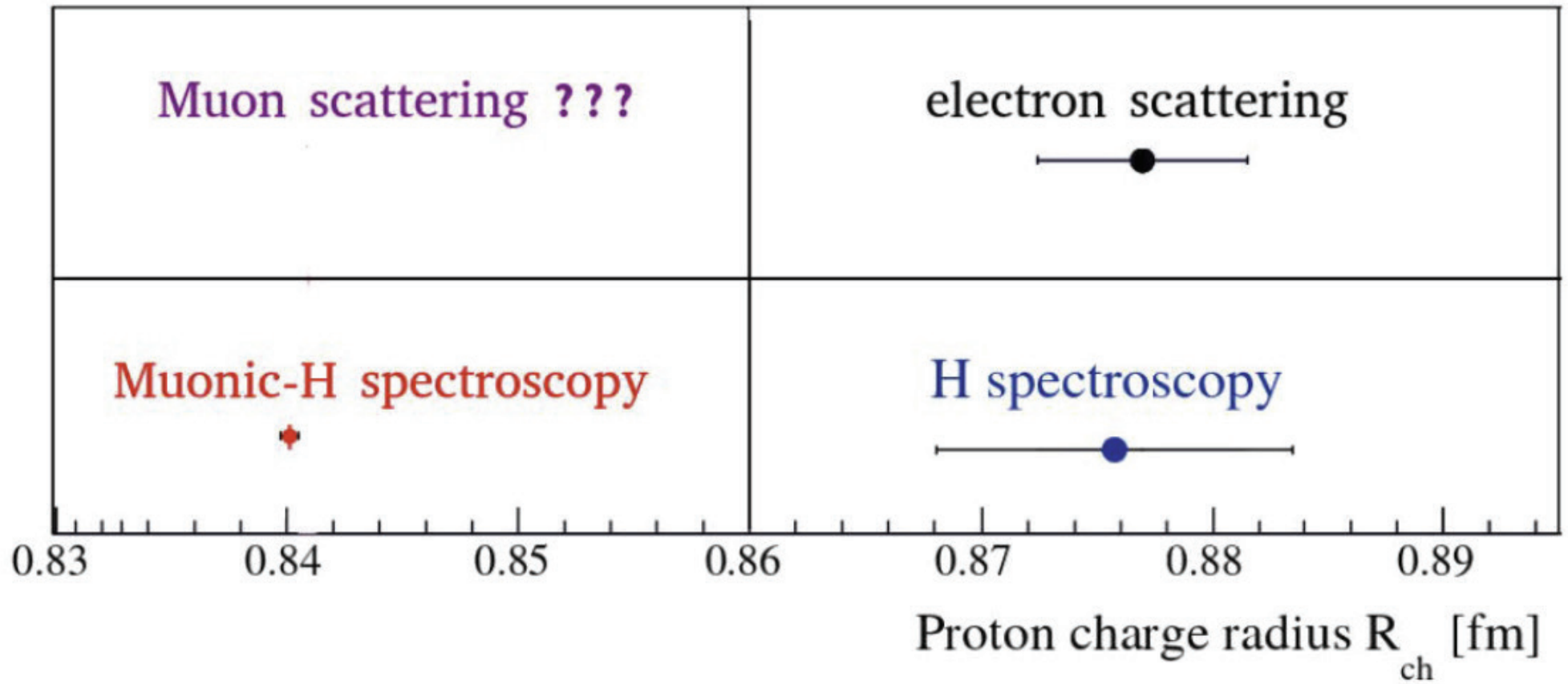
prel. accuracy: exp  $\pm 0.00012$  fm, theo  $\pm 0.00128$  fm (nucl. polarizability)

Theory: see Franke et al. EPJ D 71, 341 (2017) [1705.00352] R. Pohl

Proton radius situation remains interesting...

could there be a difference between  
muons and electrons interacting with the proton?

MUSE experiment at PSI

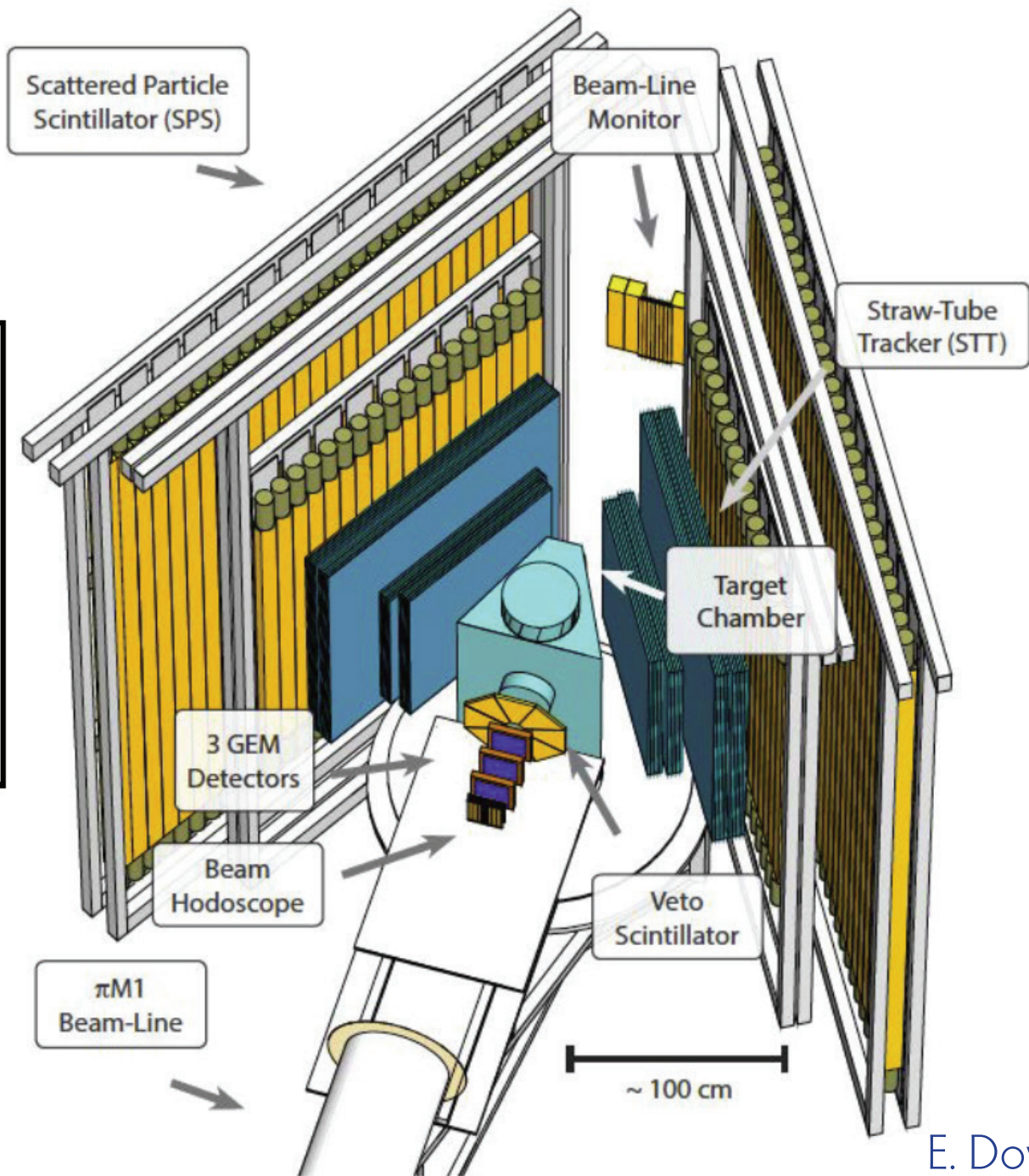


E. Downie



# MUSE

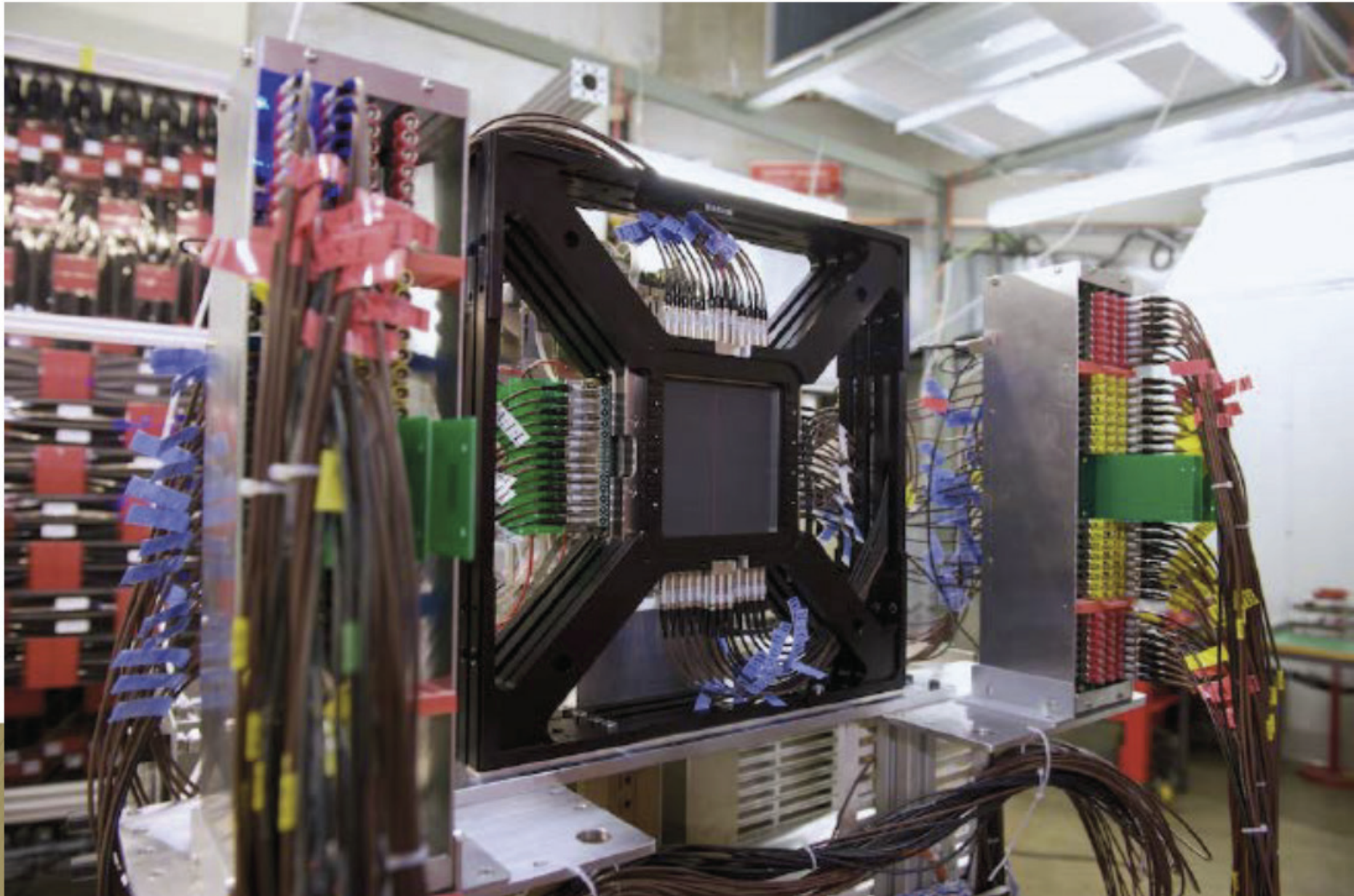
$\theta \approx 20^\circ - 100^\circ$   
 $Q^2 \approx 0.002 - 0.07 \text{ GeV}^2$   
3.3 MHz total beam flux  
 $\approx 2 - 15\% \mu$ 's  
 $\approx 10 - 98\% e$ 's  
 $\approx 0 - 80\% \pi$ 's



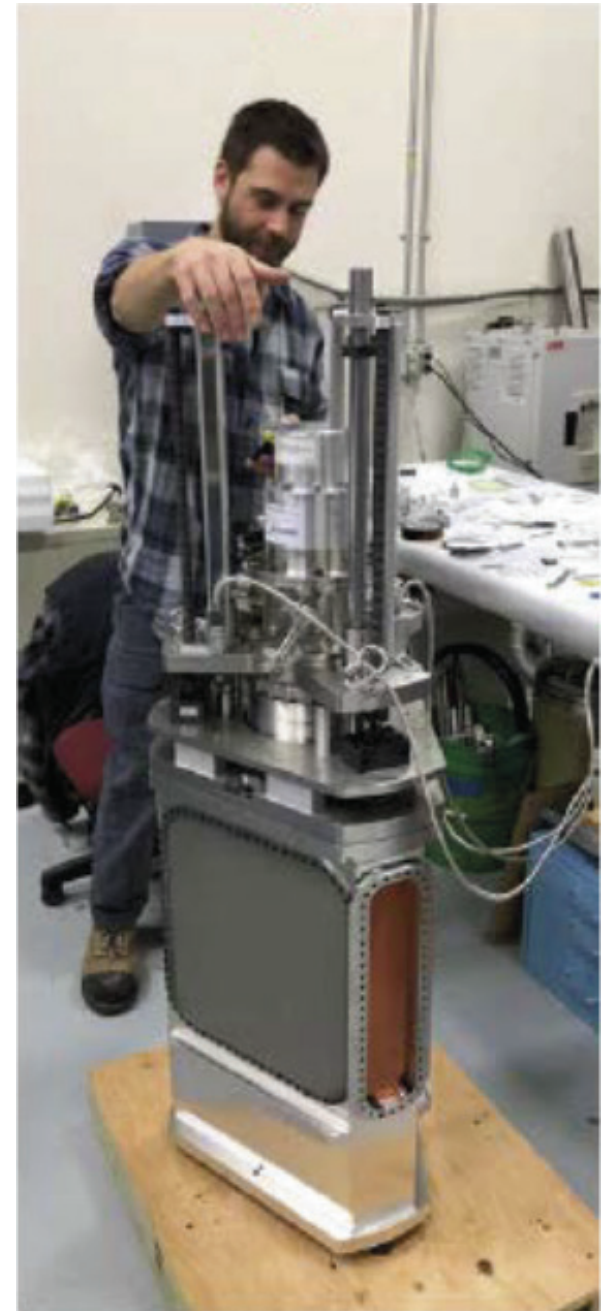
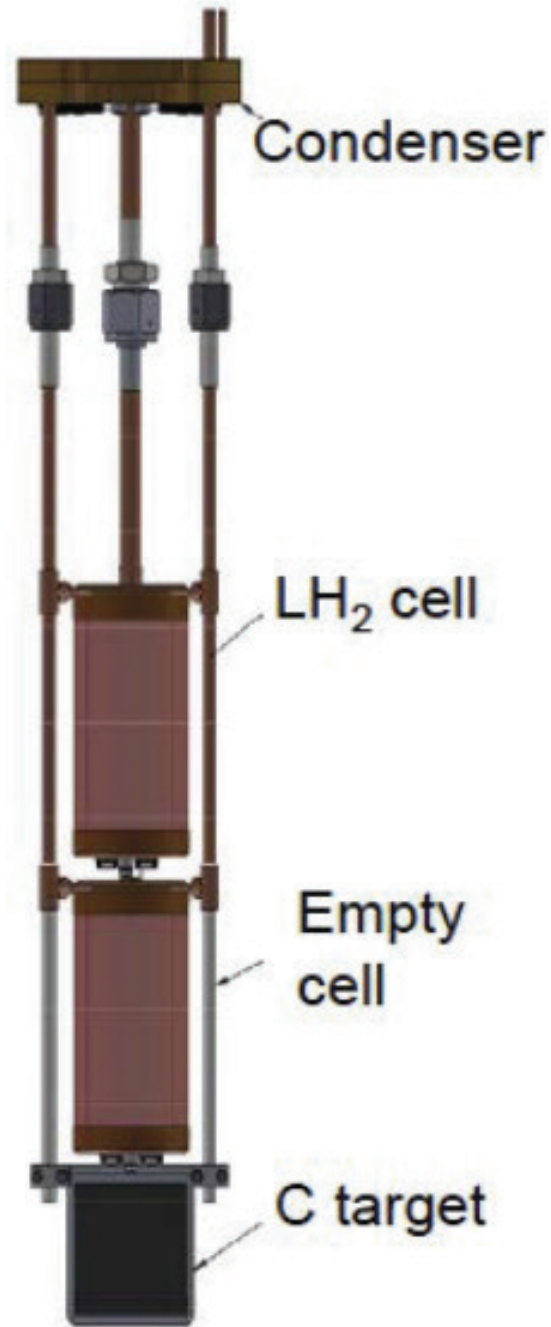
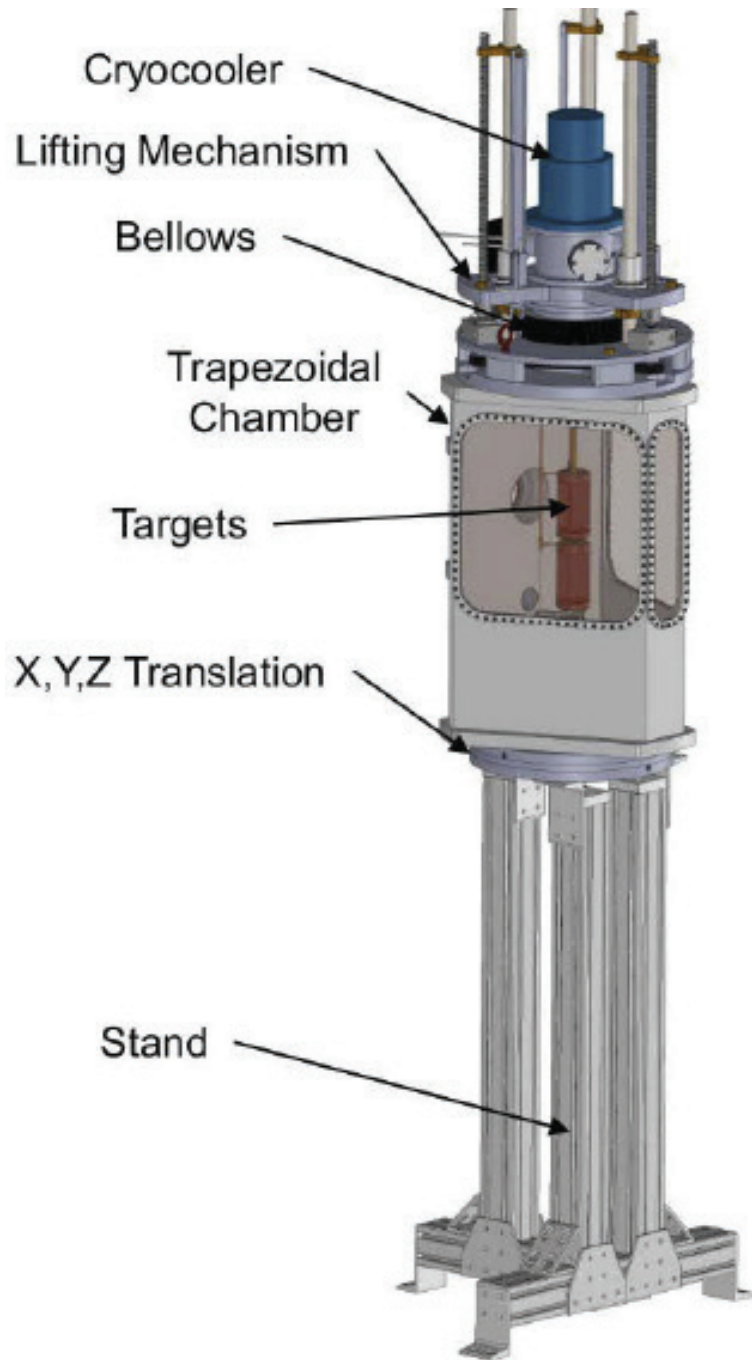
E. Downie



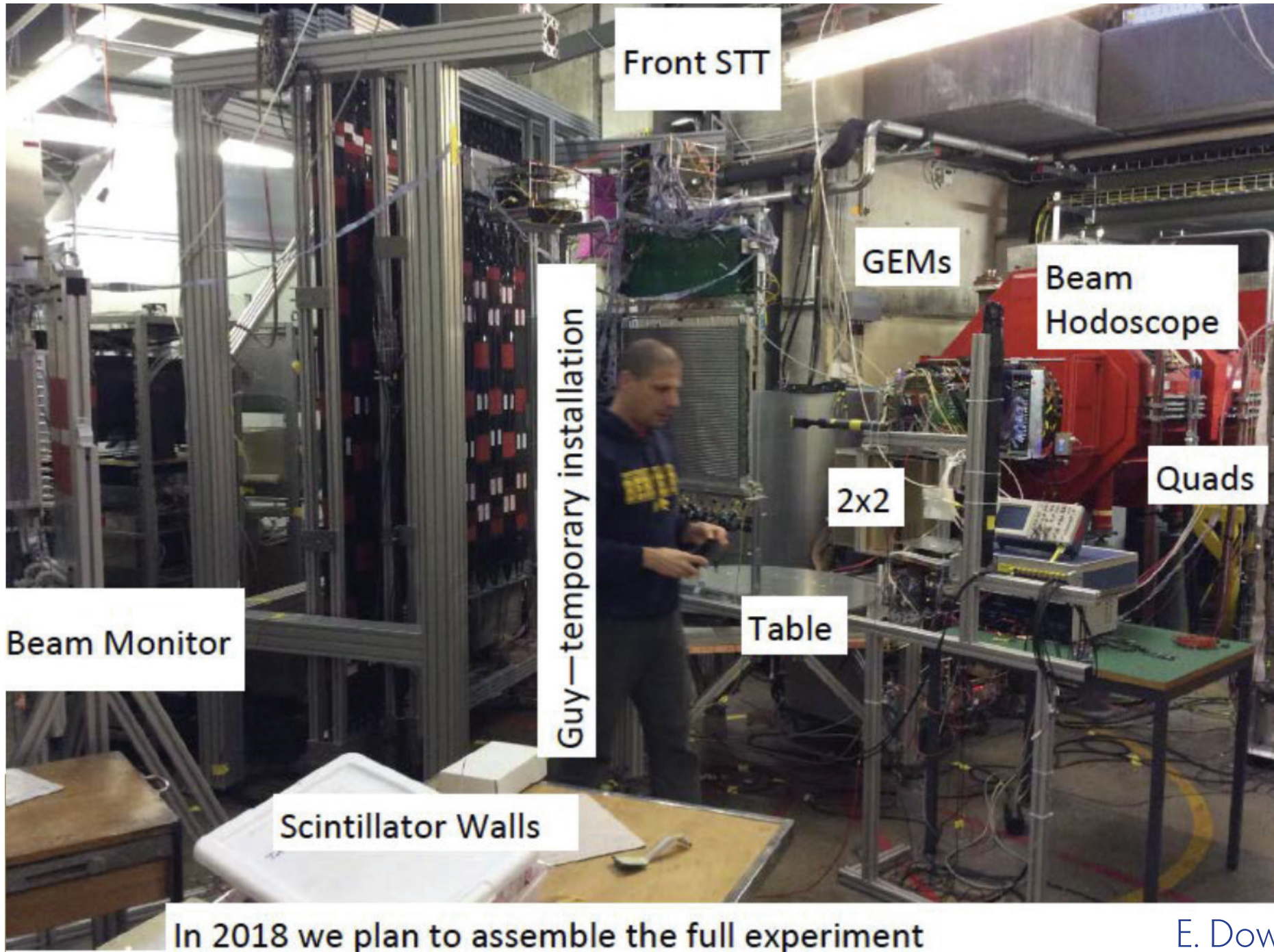
# Beam Hodoscope – November 2017



E. Downie







In 2018 we plan to assemble the full experiment

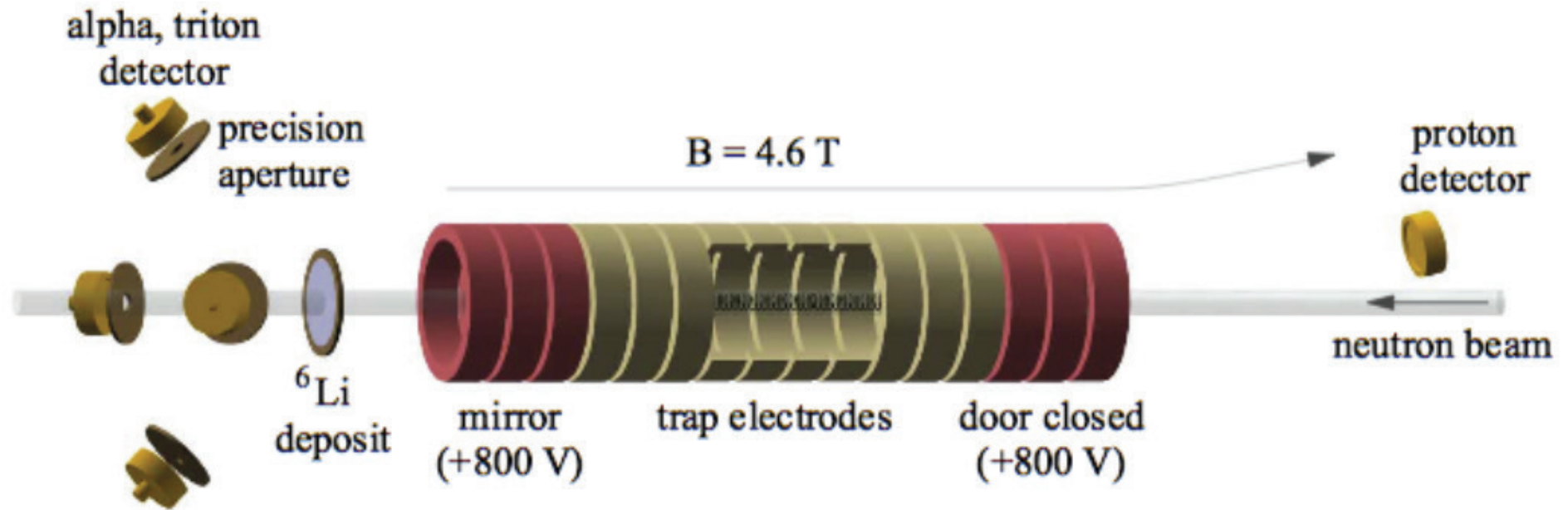
E. Downie



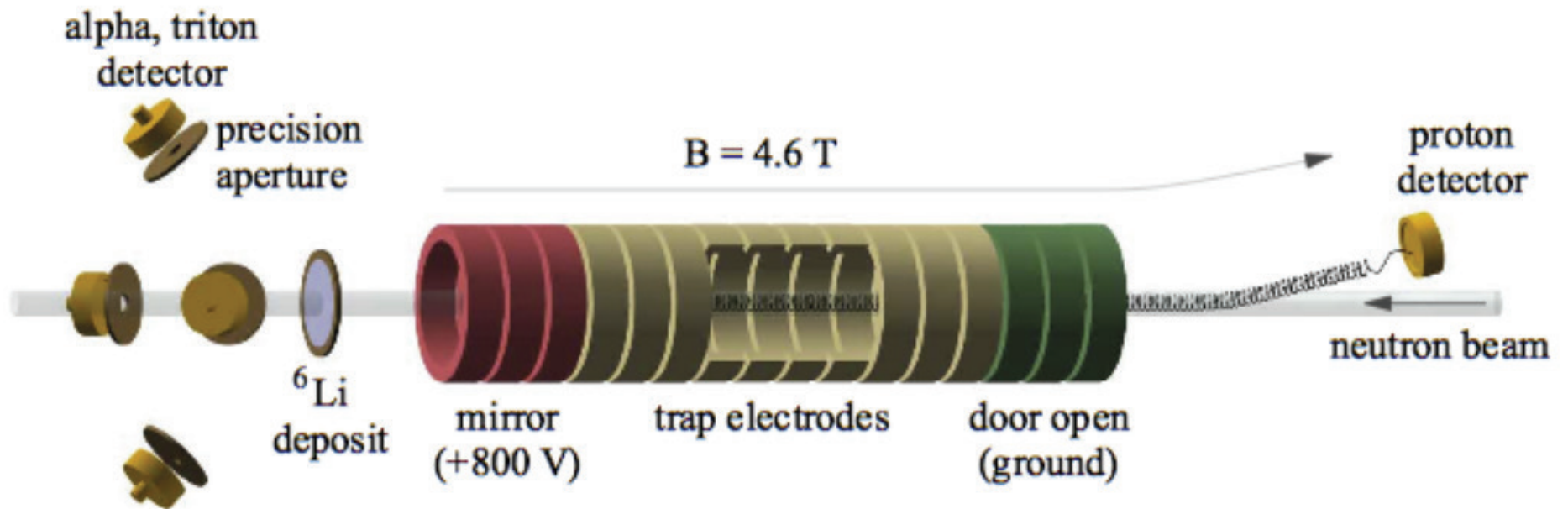
Another Puzzle:  
The neutron lifetime

# Neutron lifetime

# Spallation Neutron Source Beam Lifetime Experiment

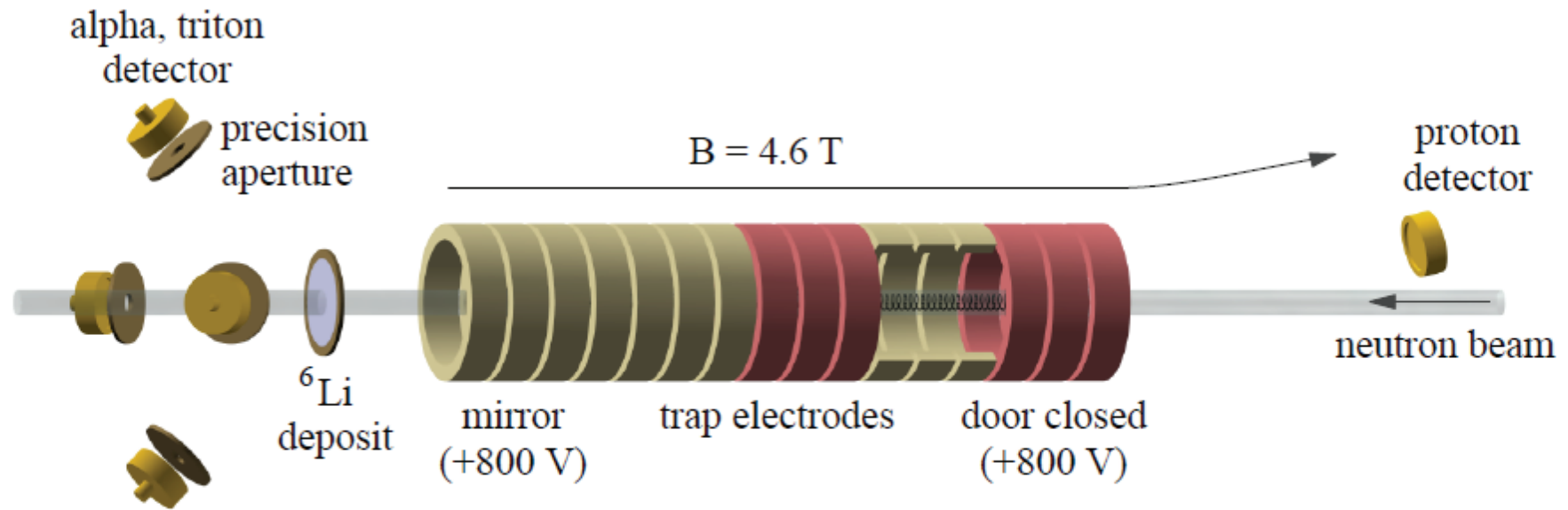


F. E. Wietfeldt



F. E. Wietfeldt

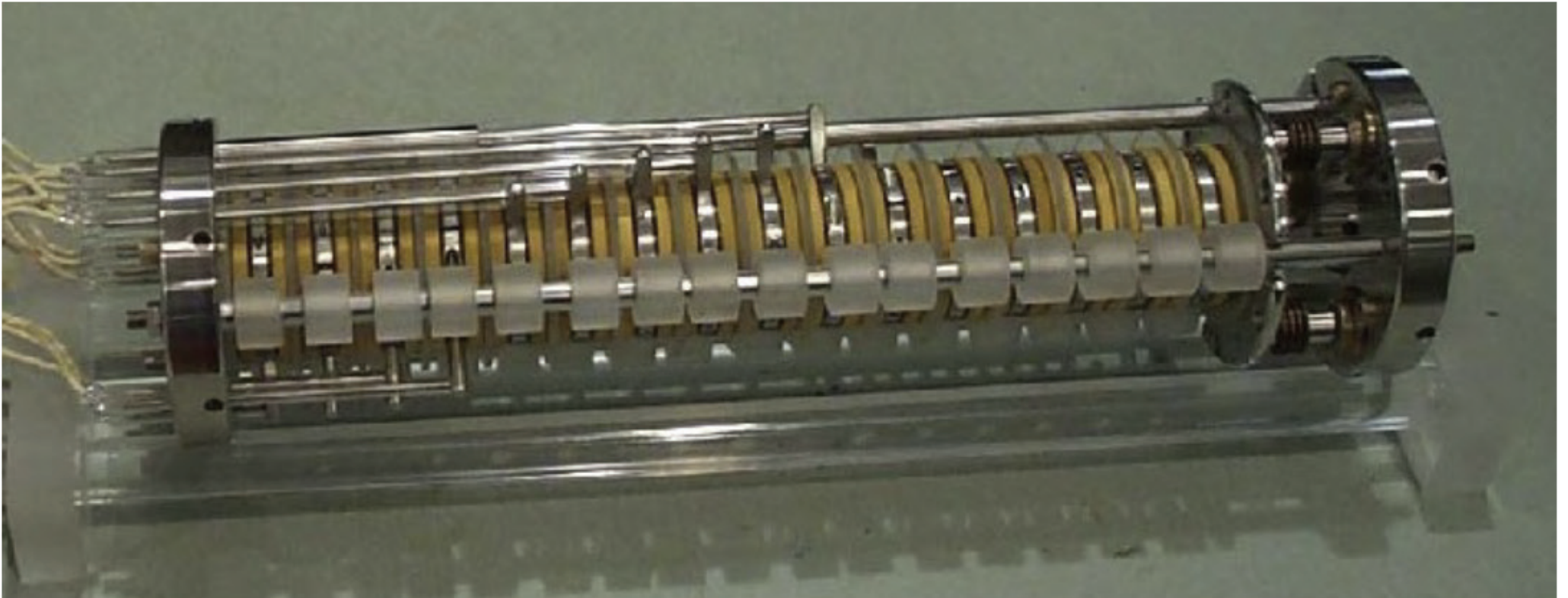




F. E. Wietfeldt







F. E. Wietfeldt

# Error Budget

| Source of correction                                 | Correction (s) | Uncertainty (s) |
|--|----------------|-----------------|
| $^6\text{LiF}$ deposit areal density                 |                | 2.2             |
| $^6\text{Li}$ cross section                          |                | 1.2             |
| Neutron detector solid angle                         |                | 1.0             |
| Absorption of neutrons by $^6\text{Li}$              | +5.2           | 0.8             |
| Neutron beam profile and detector solid angle        | +1.3           | 0.1             |
| Neutron beam profile and $^6\text{Li}$ deposit shape | -1.7           | 0.1             |
| Neutron beam halo                                    | -1.0           | 1.0             |
| Absorption of neutrons by Si substrate               | +1.2           | 0.1             |
| Scattering of neutrons by Si substrate               | -0.2           | 0.5             |
| Trap nonlinearity                                    | -5.3           | 0.8             |
| Proton backscatter calculation                       |                | 0.4             |
| Neutron counting dead time                           | +0.1           | 0.1             |
| Proton counting statistics                           |                | 1.2             |
| Neutron counting statistics                          |                | 0.1             |
| Total  | -0.4           | 3.4             |

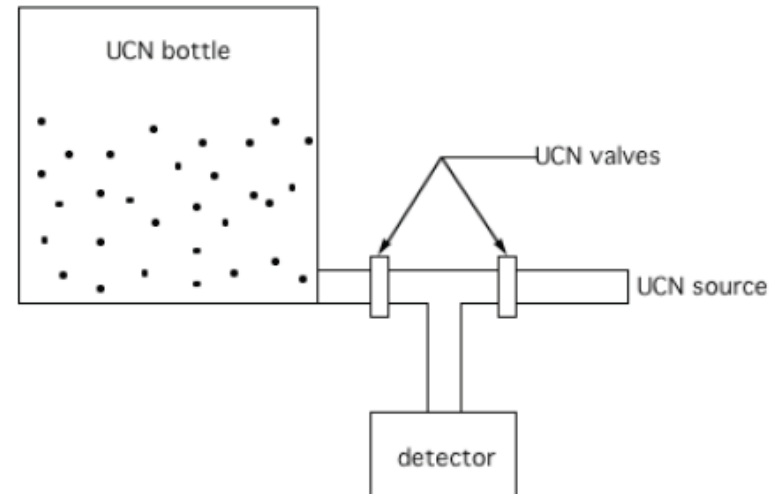
$$2005: \tau_n = 886.3 \pm 3.4 \text{ s}$$

F. E. Wietfeldt



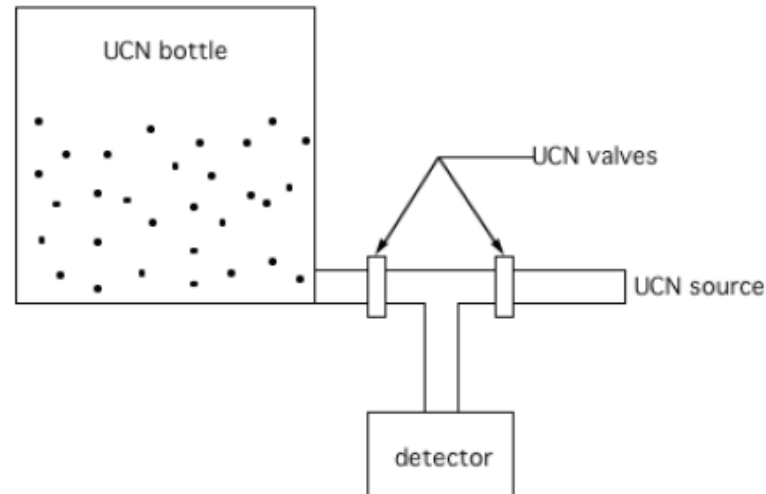
# Ultra-Cold Neutrons

# Ultracold neutron bottle method



1. Fill bottle with ultracold neutrons (UCN) in a reproducible way.

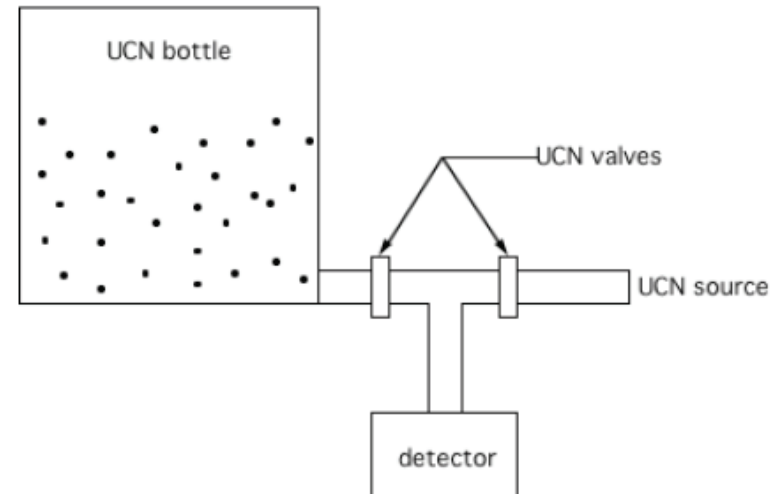
# Ultracold neutron bottle method



1. Fill bottle with ultracold neutrons (UCN) in a reproducible way.
2. Store UCN for a variable storage time interval  $\Delta t$ .

F. E. Wietfeldt

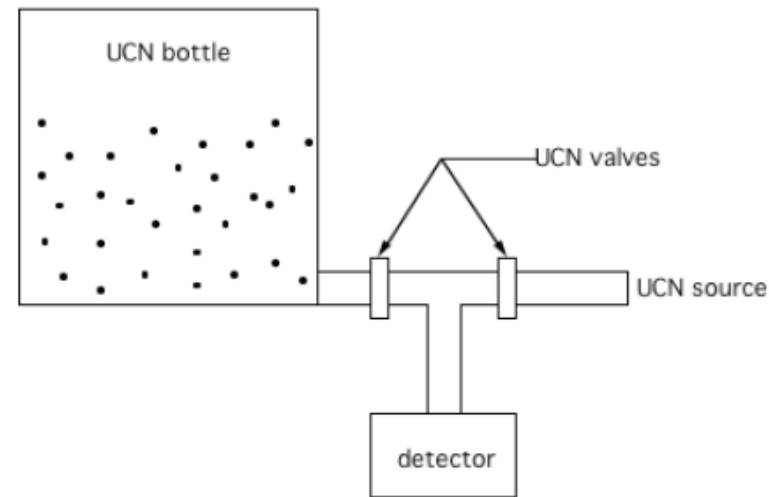
# Ultracold neutron bottle method



1. Fill bottle with ultracold neutrons (UCN) in a reproducible way.
2. Store UCN for a variable storage time interval  $\Delta t$ .
3. Empty the bottle and count the remaining UCN in a detector.



# Ultracold neutron bottle method



1. Fill bottle with ultracold neutrons (UCN) in a reproducible way.
2. Store UCN for a variable storage time interval  $\Delta t$ .
3. Empty the bottle and count the remaining UCN in a detector.
4. Repeat steps 1-3 using different wall collision rates to account for wall losses (upscattering, absorption).

F. E. Wietfeldt

# UCN storage time

radioactive decay law:

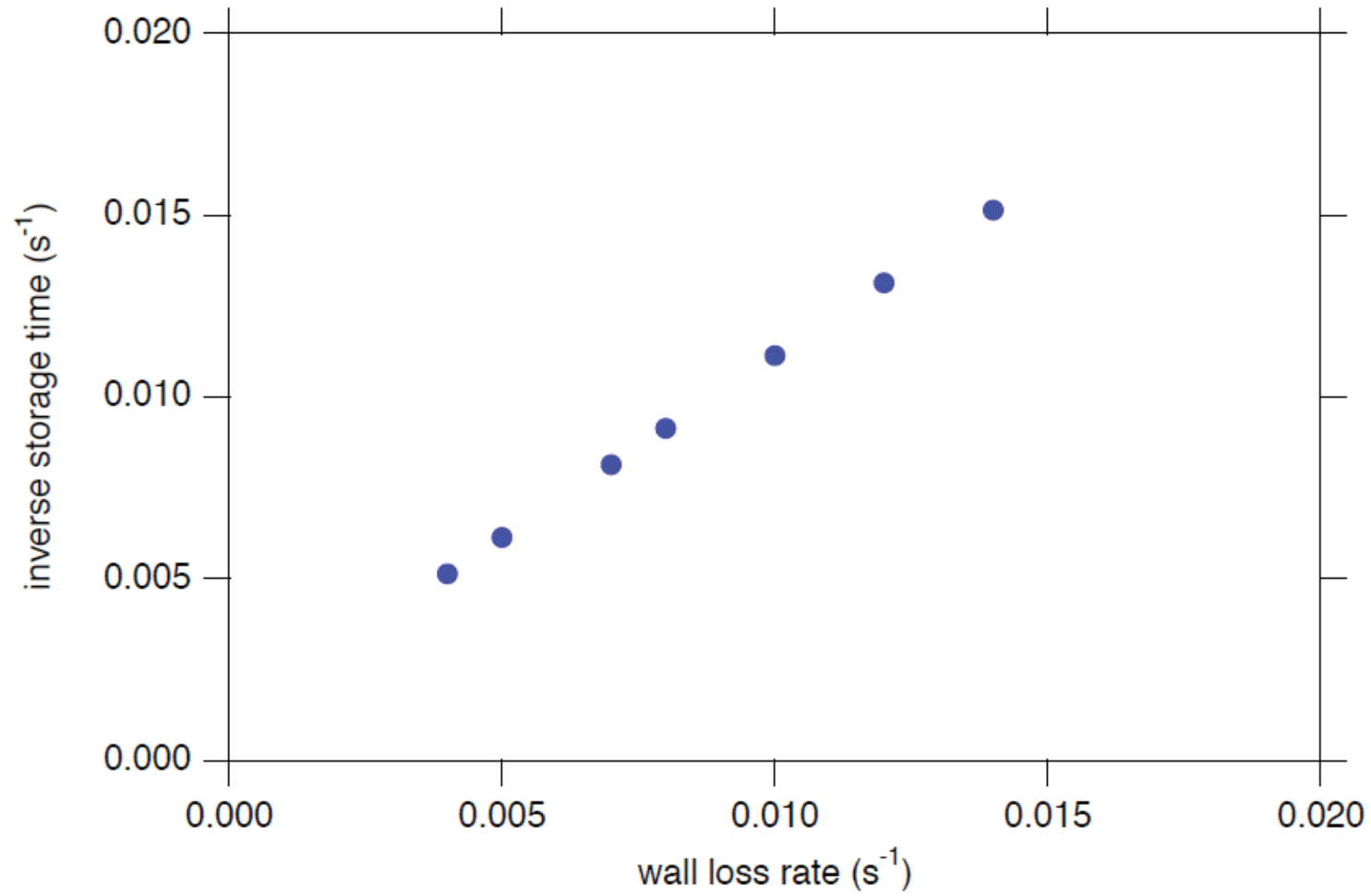
$$N(\Delta t) = N_0 e^{-\Delta t/\tau_{\text{stor}}}$$

$$\tau_{\text{stor}} = \frac{\Delta t}{\ln\left(\frac{N_0}{N(\Delta t)}\right)}$$

$$\frac{1}{\tau_{\text{stor}}} = \frac{1}{\tau_n} + \frac{1}{\tau_{\text{wall}}}$$

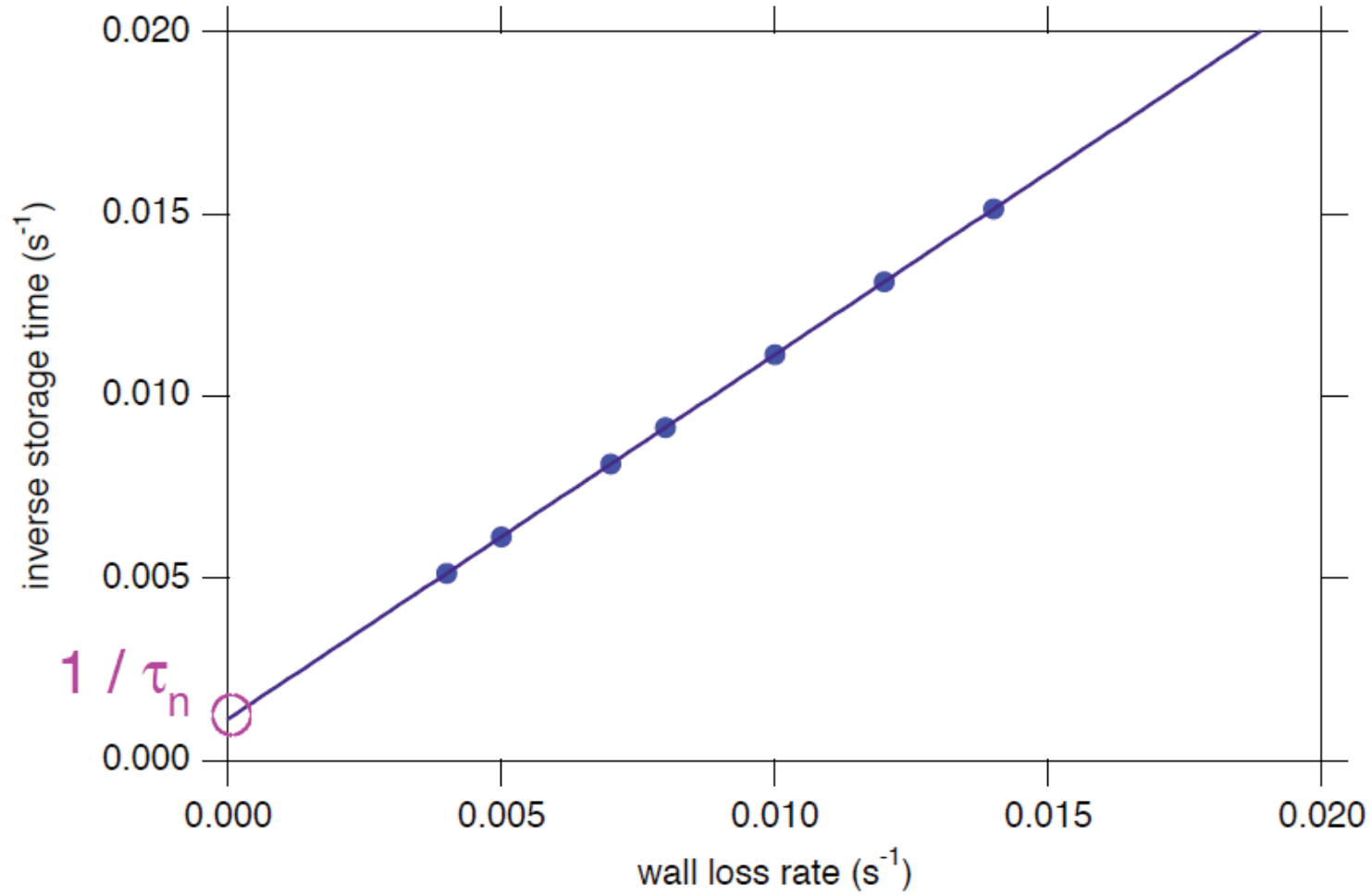
F. E. Wietfeldt

# UCN bottle neutron lifetime



F. E. Wietfeldt

# UCN bottle neutron lifetime





## Neutron lifetime measurements using gravitationally trapped ultracold neutrons

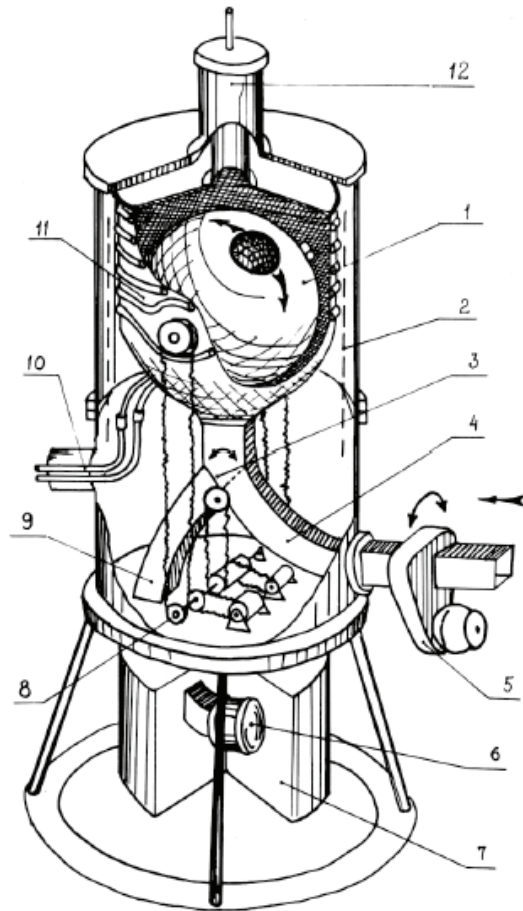
A. P. Serebrov,<sup>1,\*</sup> V. E. Varlamov,<sup>1</sup> A. G. Kharitonov,<sup>1</sup> A. K. Fomin,<sup>1</sup> Yu. N. Pokotilovski,<sup>2</sup> P. Geltenbort,<sup>3</sup>  
I. A. Krasnoschekova,<sup>1</sup> M. S. Lasakov,<sup>1</sup> R. R. Taldaev,<sup>1</sup> A. V. Vassiljev,<sup>1</sup> and O. M. Zhrebtsov<sup>1</sup>

<sup>1</sup>Petersburg Nuclear Physics Institute, Russian Academy of Sciences, RU-188300 Gatchina, Leningrad District, Russia

<sup>2</sup>Joint Institute for Nuclear Research, RU-141980 Dubna, Moscow Region, Russia

<sup>3</sup>Institut Max von Laue Paul Langevin, Boîte Postal 156, F-38042 Grenoble Cedex 9, France

(Received 11 February 2008; published 23 September 2008)



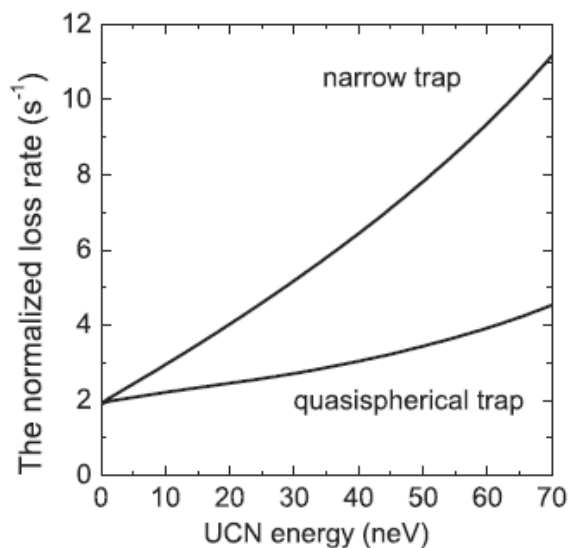
cryogenic liquid fluoropolymer oil wall coating to minimize wall losses

rotate bottle to allow high energy UCN to escape, to vary neutron velocity spectrum

two storage bottles, spherical (large) and cylindrical (small) to vary S/V ratio

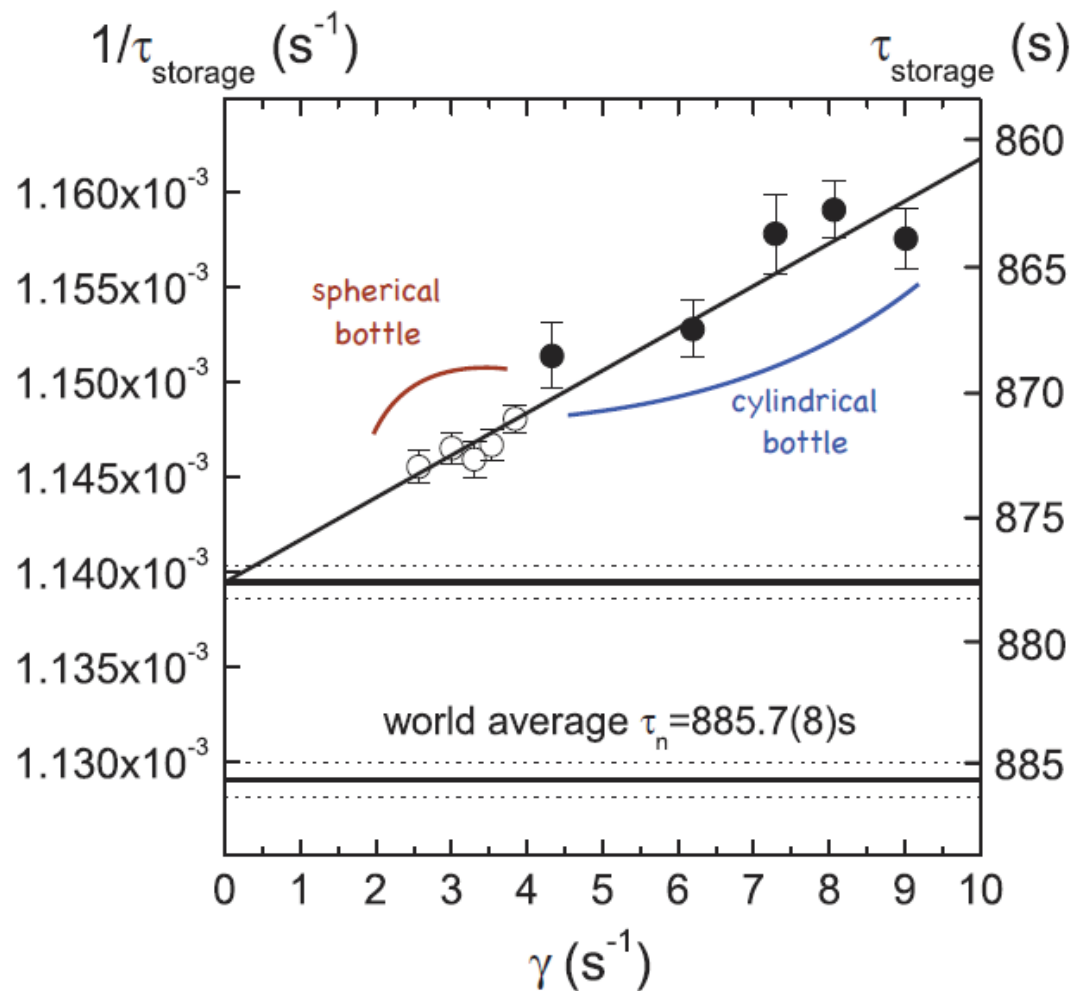
F. E. Wietfeldt

## calculated loss rates



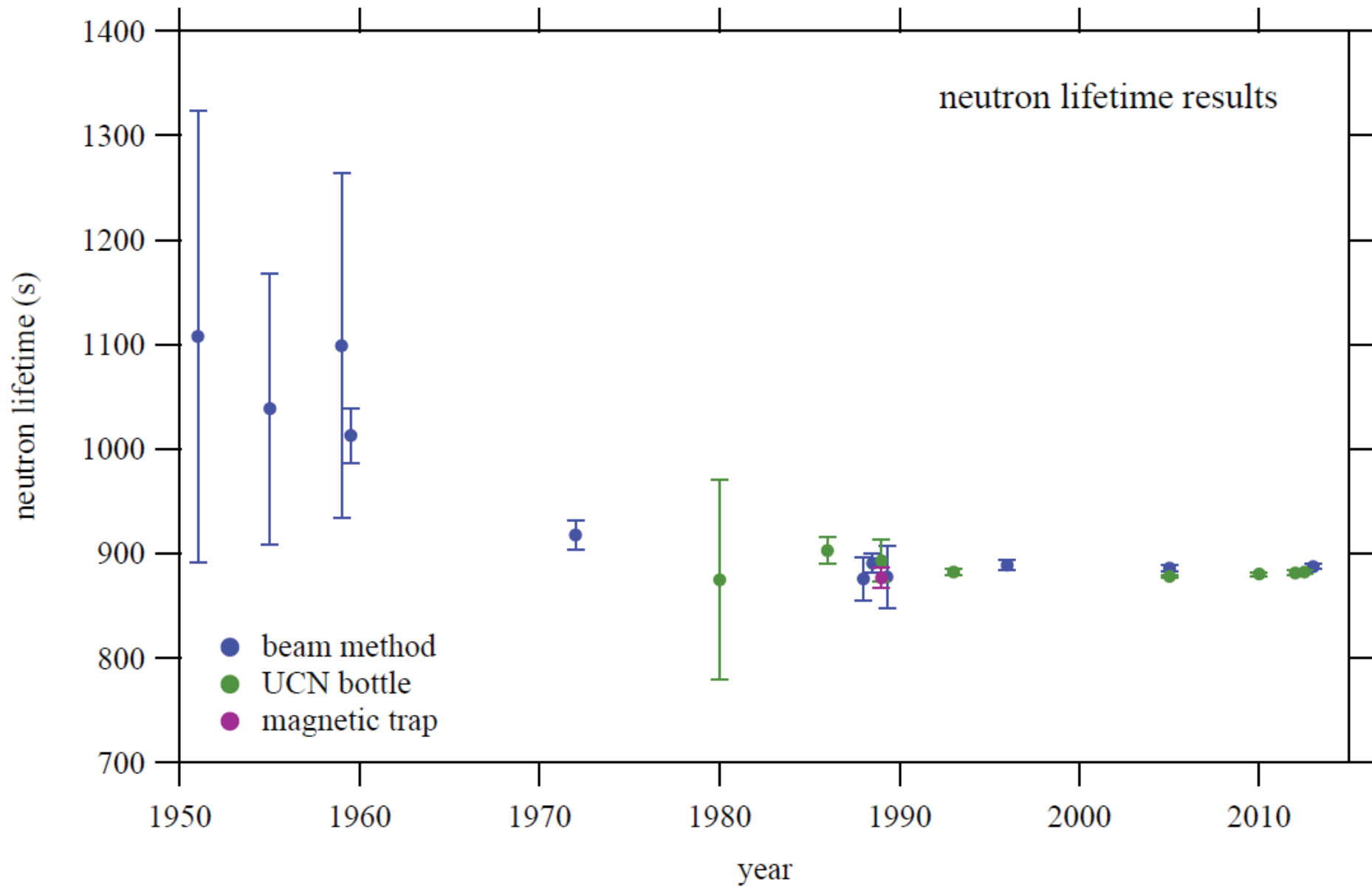
## error budget

| Systematic effect                            | Magnitude (s) | Uncertainty (s) |
|--|---------------|-----------------|
| Method of calculating $\gamma$               | 0             | 0.236           |
| Influence of shape of function $\mu(E)$      | 0             | 0.144           |
| UCN spectrum uncertainty                     | 0             | 0.104           |
| Uncertainty of trap dimensions (1 mm)        | 0             | 0.058           |
| Residual gas effect                          | 0.4           | 0.024           |
| Uncertainty in PFPE critical energy (20 neV) | 0             | 0.004           |
| Total systematic correction                  | 0.4           | 0.3             |

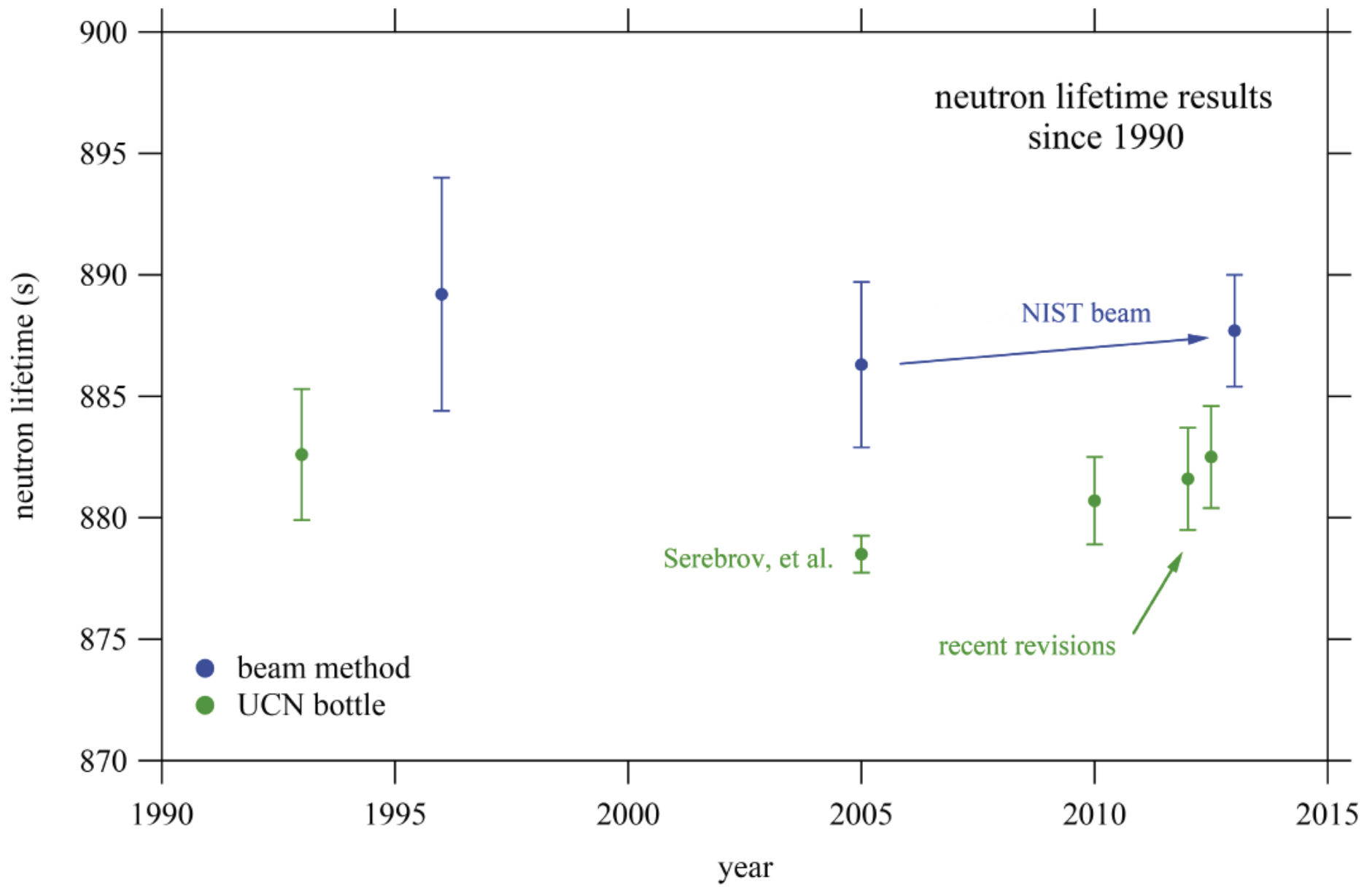


result:  $\tau_n = 878.5 \pm 0.8 \text{ s}$

F. E. Wietfeldt



F. E. Wietfeldt

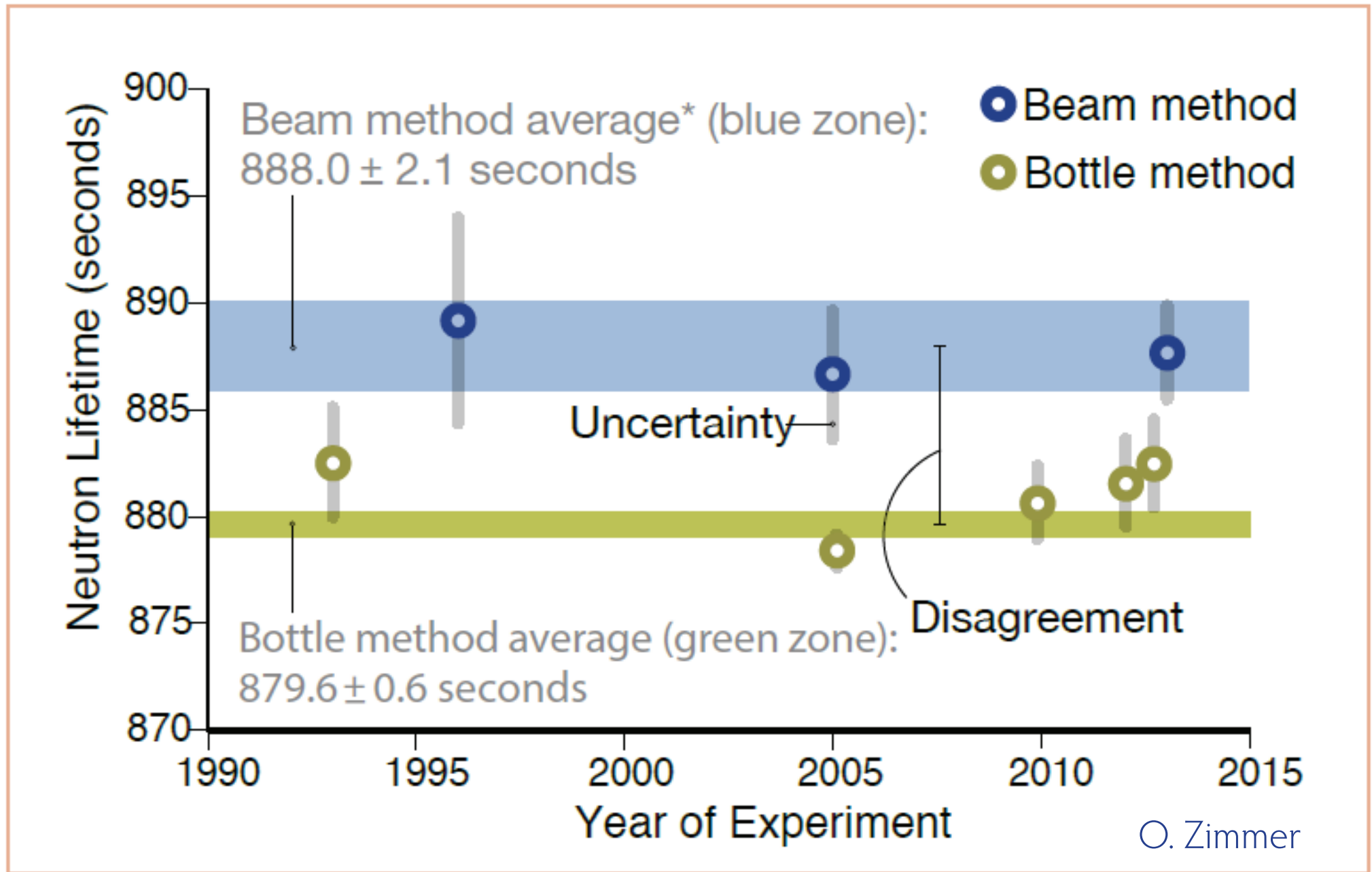


F. E. Wietfeldt



# Experimental situation in 2016

G. Greene and P. Geltenbort, *Sci. Am.* **314** (2016) 36



# What is going on?

- Are the beam fluxes wrong?
- Are the bottle losses not understood?
- Is there another decay channel?
  
- Many new approaches in the making:

Gravitational storage

Magnetic storage

Counting both the dead and the survivors

Better beam experiments

# Successor experiment „Big GraviTrap“ (PNPI) (during installation in 2014 at ILL)



O. Zimmer



Job (installation) done...



Work on trap preparation



O. Zimmer

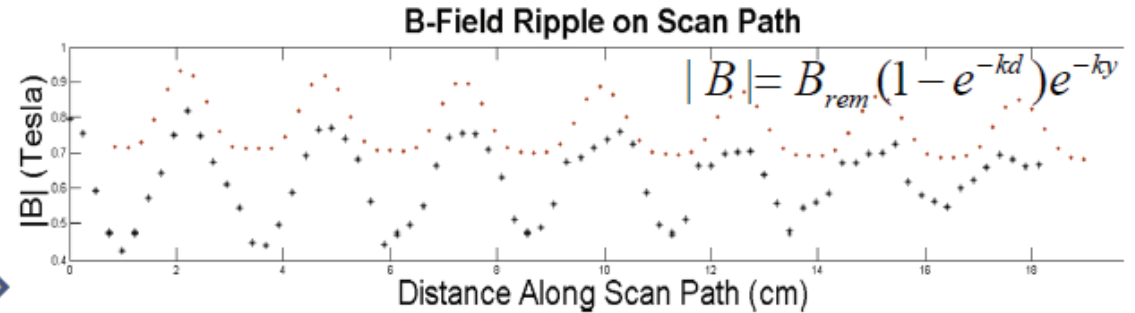
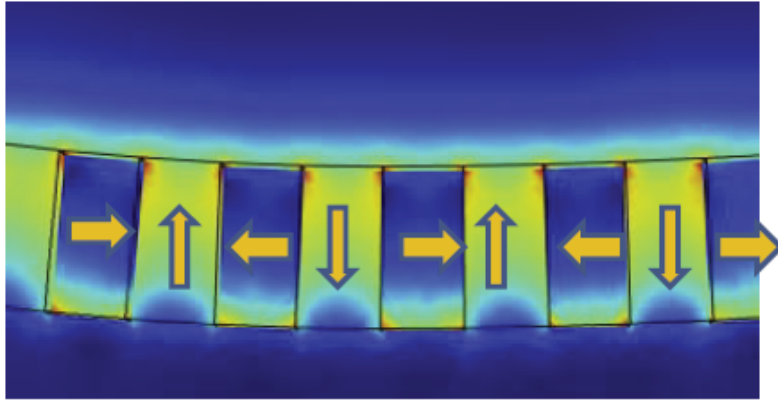
First result (measurements to be continued with colder trap):

Serebrov et al., arXiv:1712.05663:

$$\tau_n = (881.5 \pm 0.7 \pm 0.6) \text{ s}$$

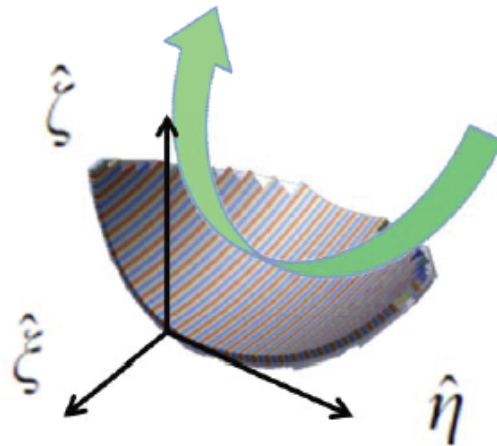
Niklaus Berger – Heidelberg Graduate Days, April 2018 – Slide 119

# Magneto-Gravitational Trap



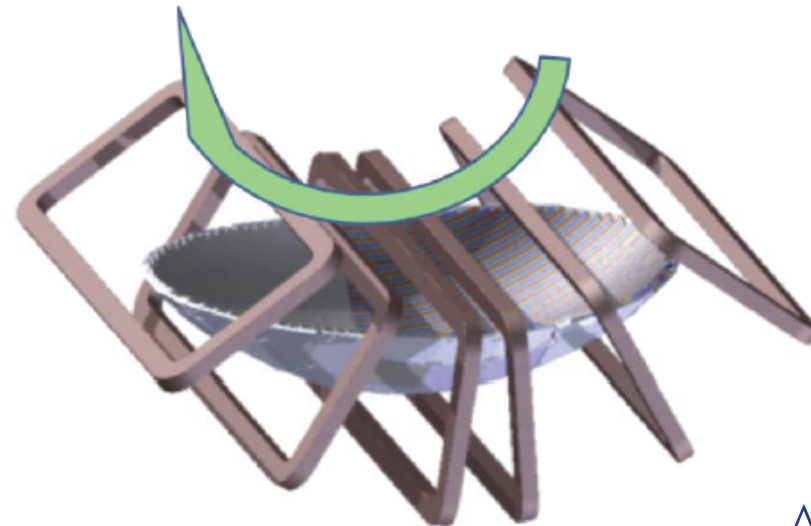
- **Halbach array** provides field (along  $\eta$ ) gradient for magnetic levitation.
- **Window-frame electromagnet** provides spin holding field ( $\beta$  guiding field) along  $\xi$ .
- **Gravity** bounds UCN from the top.

PM Array  $\mathbf{B}$  along  $\hat{\eta}$



Local Surface Coordinates

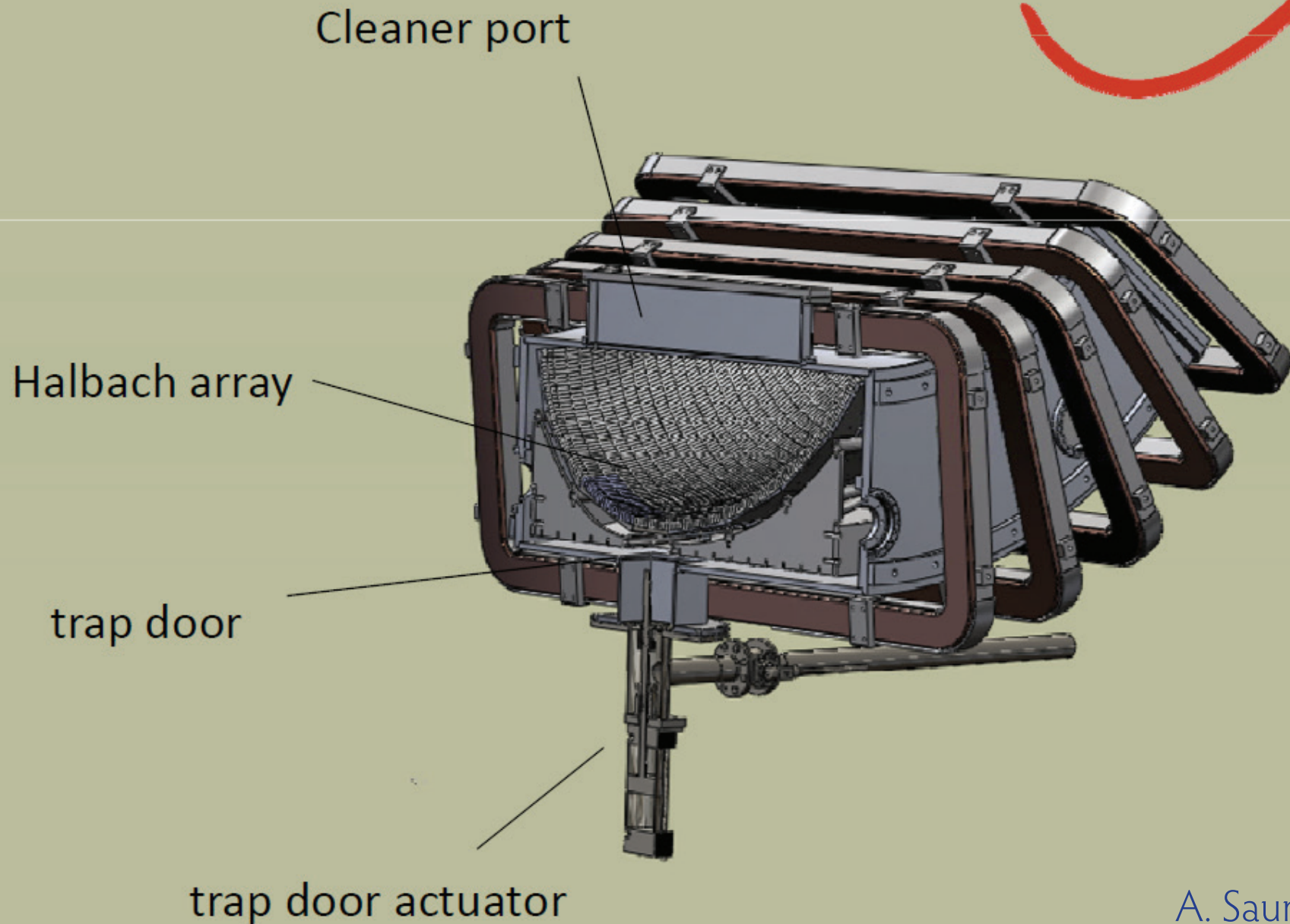
Guide Coils  $\mathbf{B}$  along  $\hat{\xi}$



2

A. Saunders



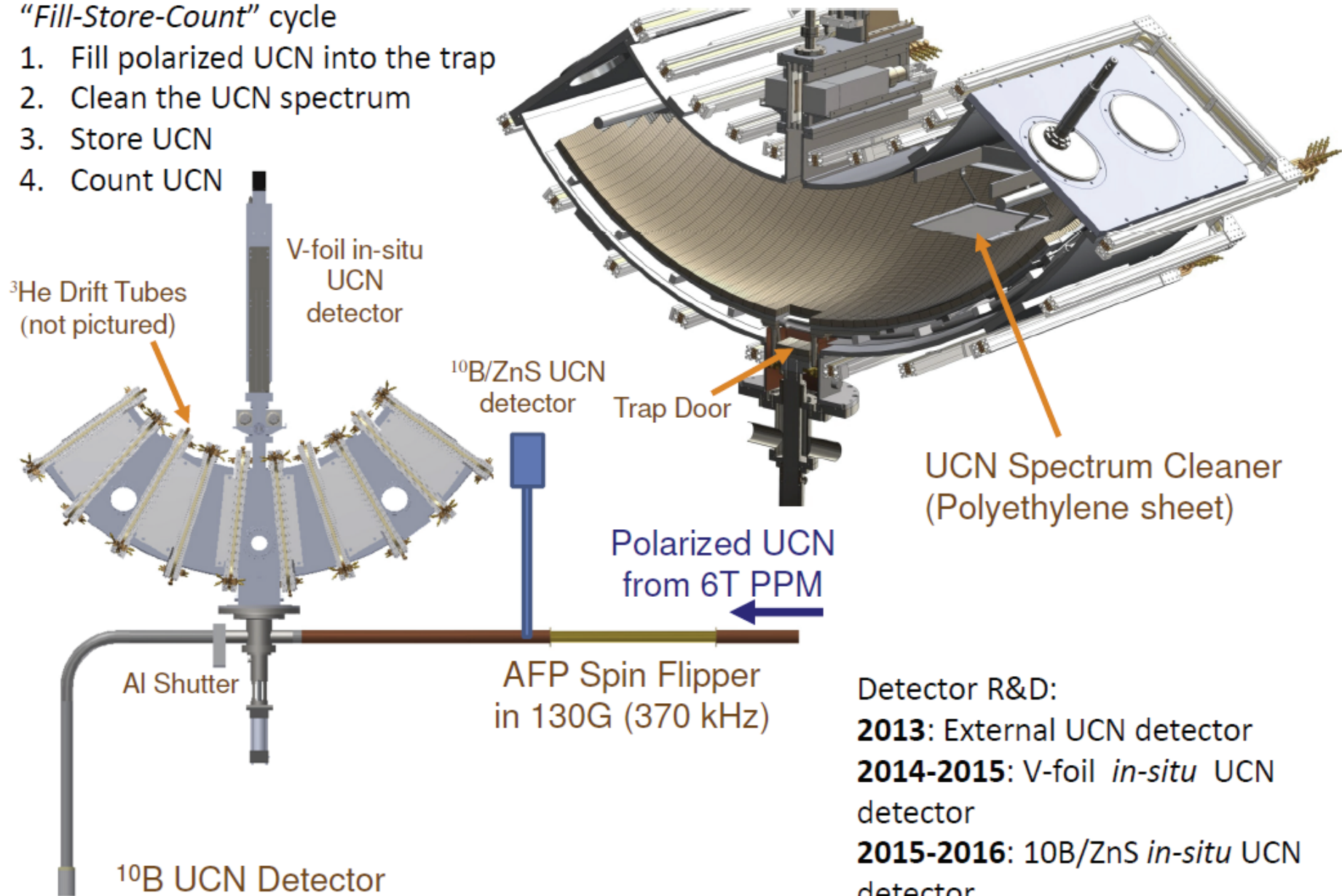


A. Saunders

# Operation of the UCN $\tau$ Experiment

“Fill-Store-Count” cycle

1. Fill polarized UCN into the trap
2. Clean the UCN spectrum
3. Store UCN
4. Count UCN



Detector R&D:

**2013:** External UCN detector

**2014-2015:** V-foil *in-situ* UCN detector

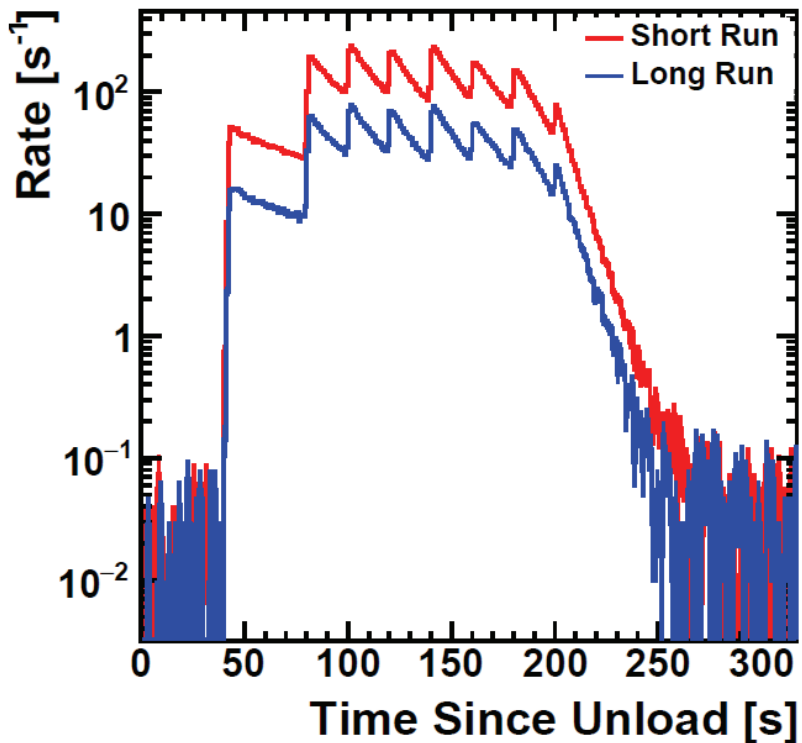
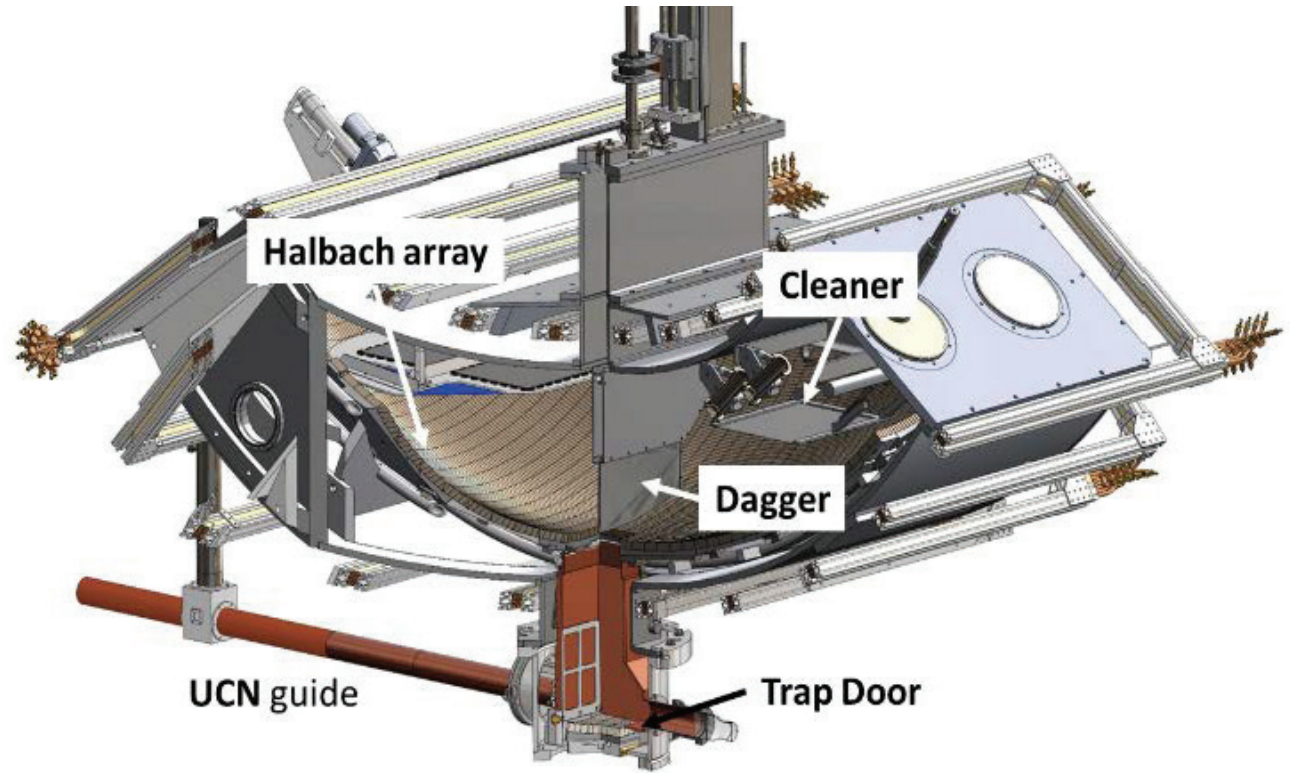
**2015-2016:**  $^{10}\text{B}/\text{ZnS}$  *in-situ* UCN detector

C.-Y. Liu

# UCN $\tau$ (“fill and kill”)

Done at the solid-deuterium  
UCN source at Los Alamos

- + triple blind analysis
- no monitoring of  
depolarised UCNs



O. Zimmer

Morris et al., arXiv:1610.04560:

$$\tau_n = (878.8 \pm 2.6 \pm 0.6) \text{ s}$$

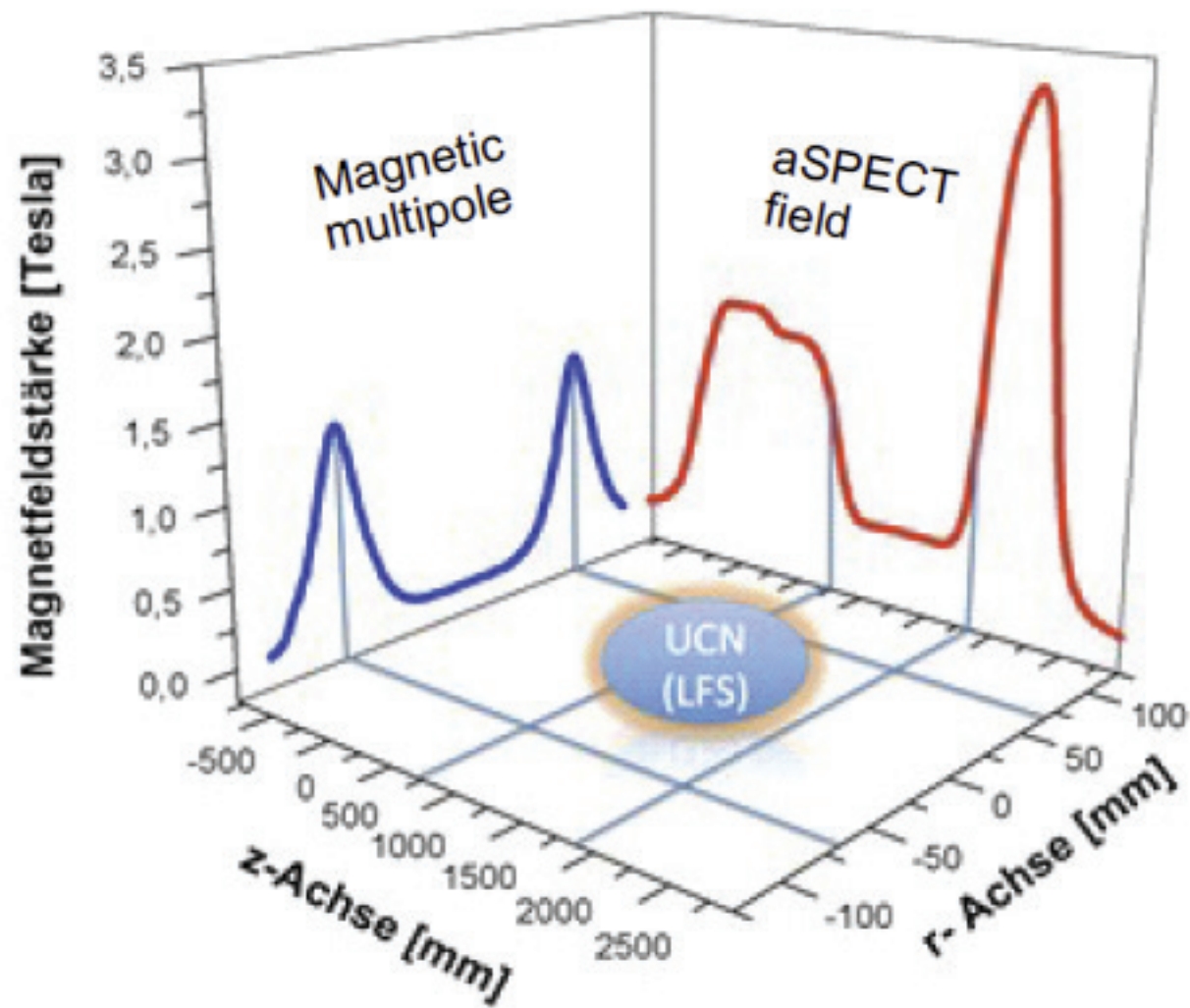
Pattie et al., arXiv:1707.01817:

$$\tau_n = (877.7 \pm 0.7 + 0.3/-0.1) \text{ s}$$









Stern-Gerlach-force:  
 $F = -(\mu \cdot \nabla) \mathbf{B}$

M. Beck





TRIGA Mark II

10t iron shield

Superconducting magnet

Neutron guide  
and switch

UCN source

Hydraulic ramp

DAQ and  
PC system

Neutron lifetime stays interesting,  
should be clarified before 2025

# Summary of “anomalies”

(Experiments involving particles)

- B-physics (mostly LHCb)
- Proton radius
- Neutron lifetime
- Muon magnetic moment

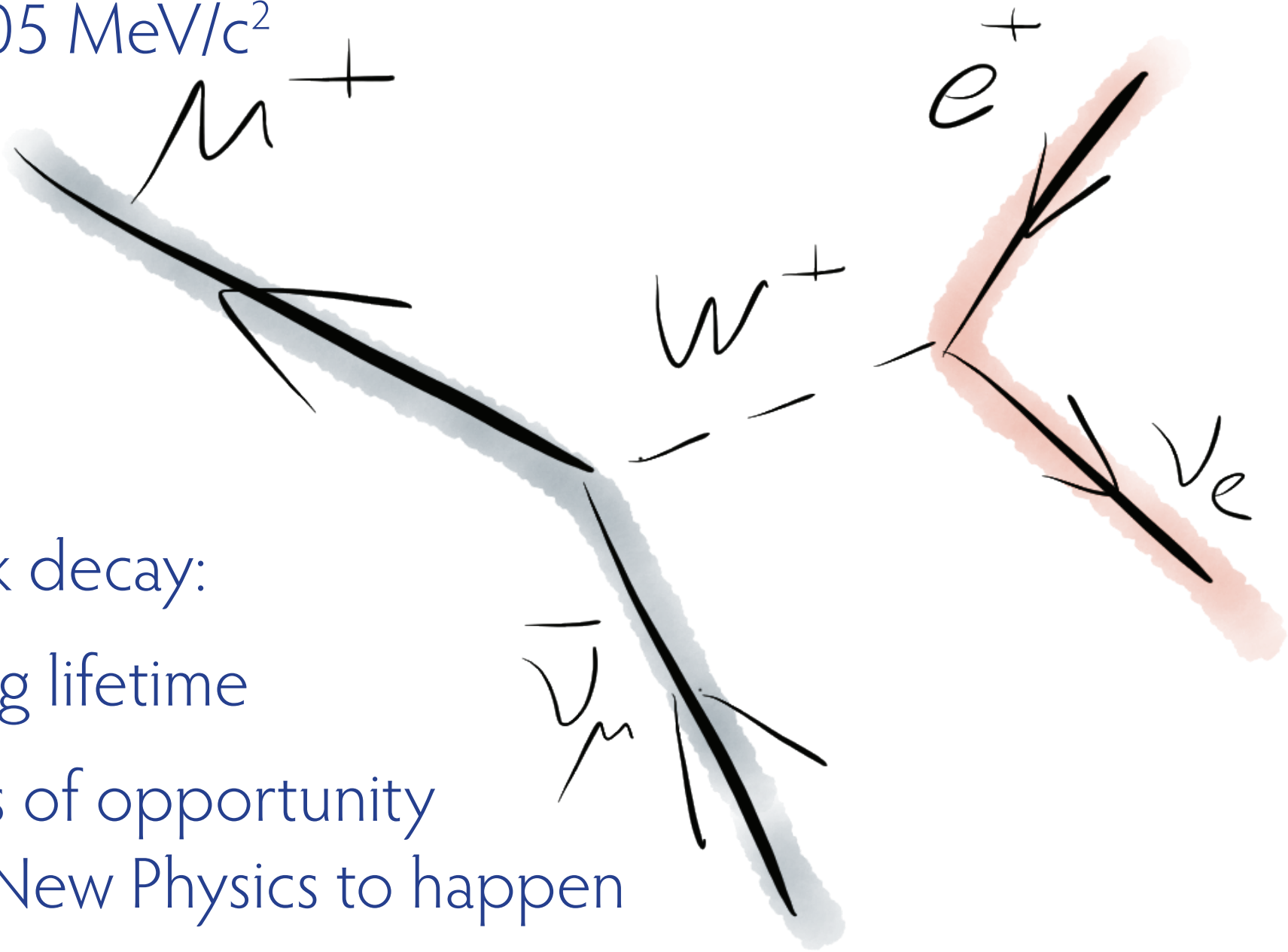


# Dipole Moments and Symmetries

# Dipoles and Symmetries

# Muon Magnetic Dipole Moment

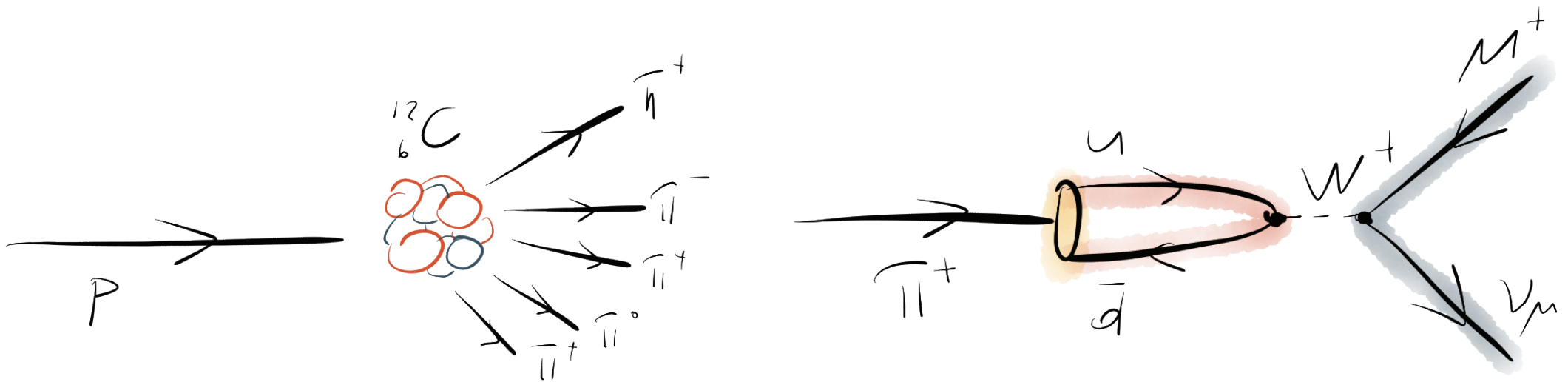
$$m_{\mu} = 105 \text{ MeV}/c^2$$



Weak decay:

- Long lifetime
- Lots of opportunity for New Physics to happen
- Theory well under control





Easy to produce with intense proton beams:

$10^8 \mu/s$  available

$> 10^{10} \mu/s$  planned

Polarized

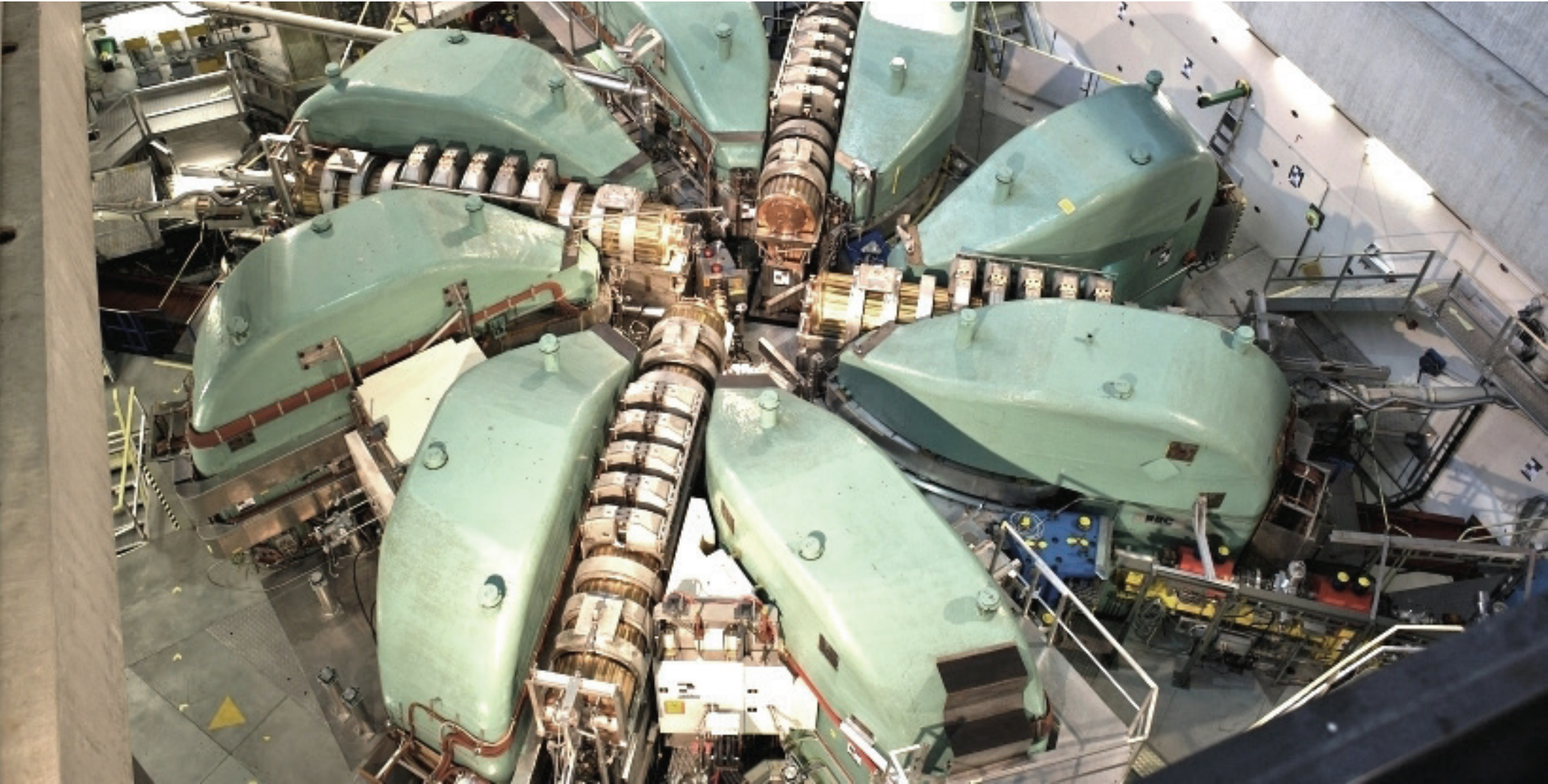
# Muons from PSI

Paul Scherrer Institute in Villigen, Switzerland

World's most intensive proton beam  
2.2 mA at 590 MeV: 1.3 MW of beam power

Continuous beam

$10^8$   $\mu$ /s available  
options for  $10^{10}$   $\mu$ /s under study





# Muons from Fermilab ...

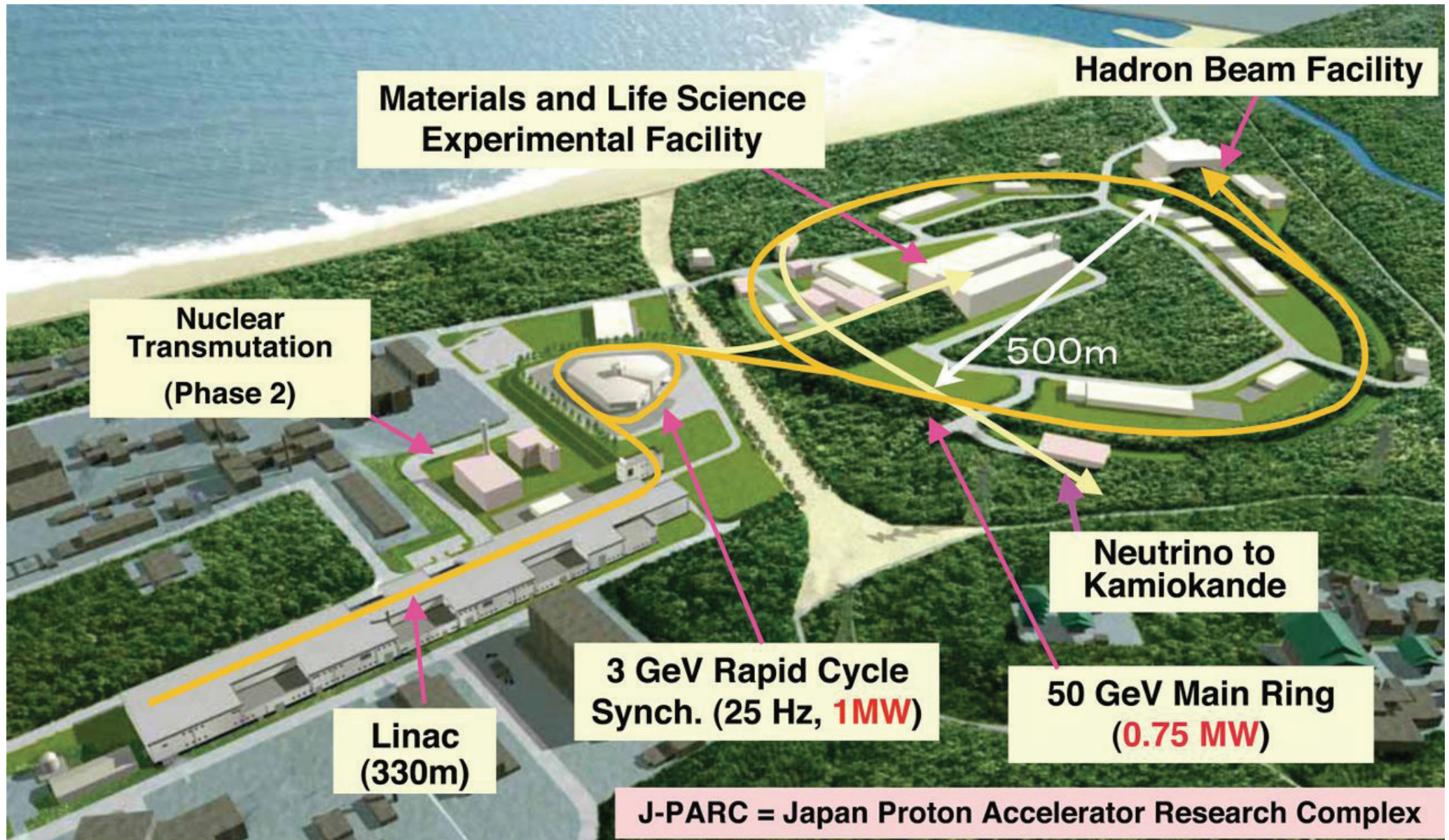


- Re-use part of the Tevatron infrastructure
- Proton pulses every 1700 ns
- $> 10^{10}$   $\mu/s$
  
- Project X  
(now Proton Improvement Plan-II)  
would give another  
2 orders of magnitude with a  
new powerful proton linac

fnal.gov



# ... and J-PARC

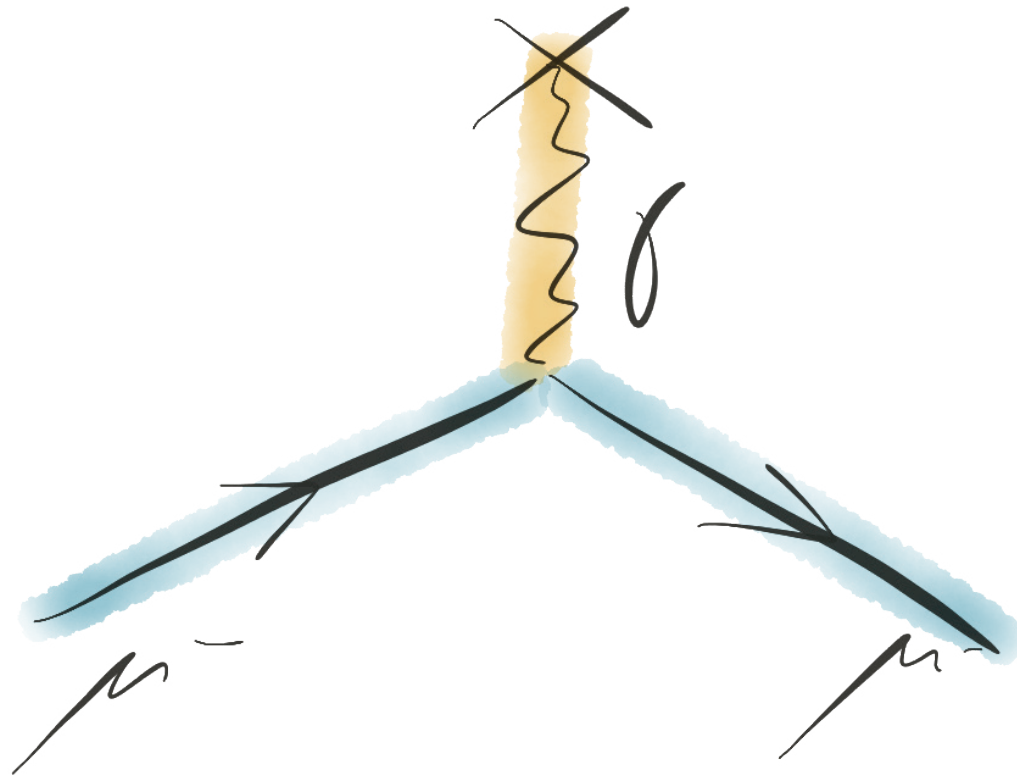


$10^{11}$   $\mu/s$  from 8 GeV/c protons, pulsed

S. Nagamiya, Prog. Theor. Exp. Phys. (2012) 02B001



# The magnetic moment of the muon



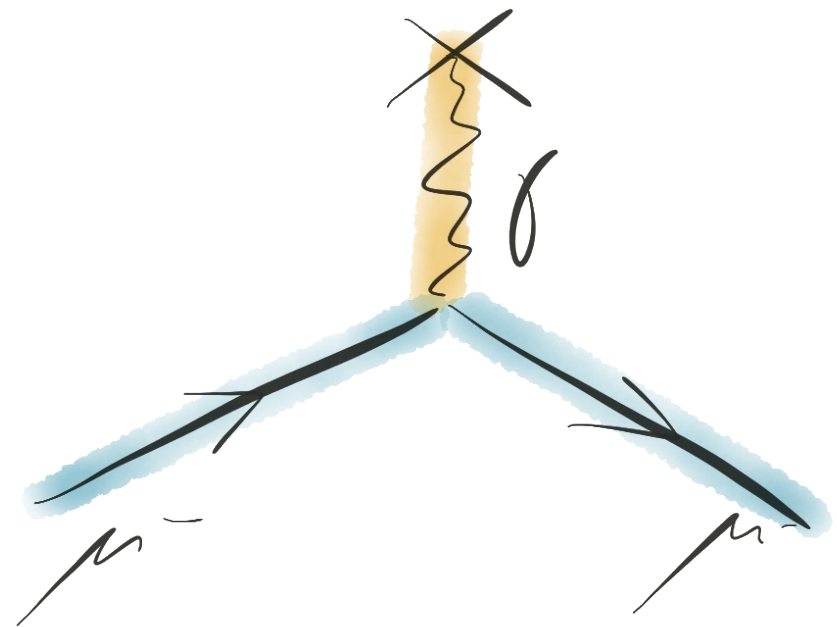
# Magnetic moment of the muon

Spin precession in magnetic field:

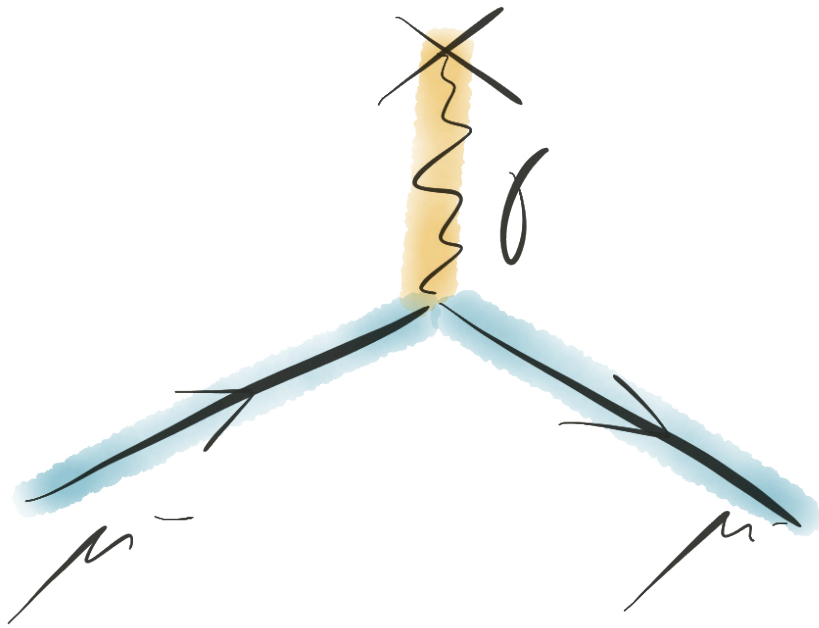
$$\frac{d\vec{s}}{dt} = \vec{\mu} \times \vec{B}$$

$$\vec{\mu} = g \frac{e}{2m} \vec{s}$$

Dirac:  $g = 2$

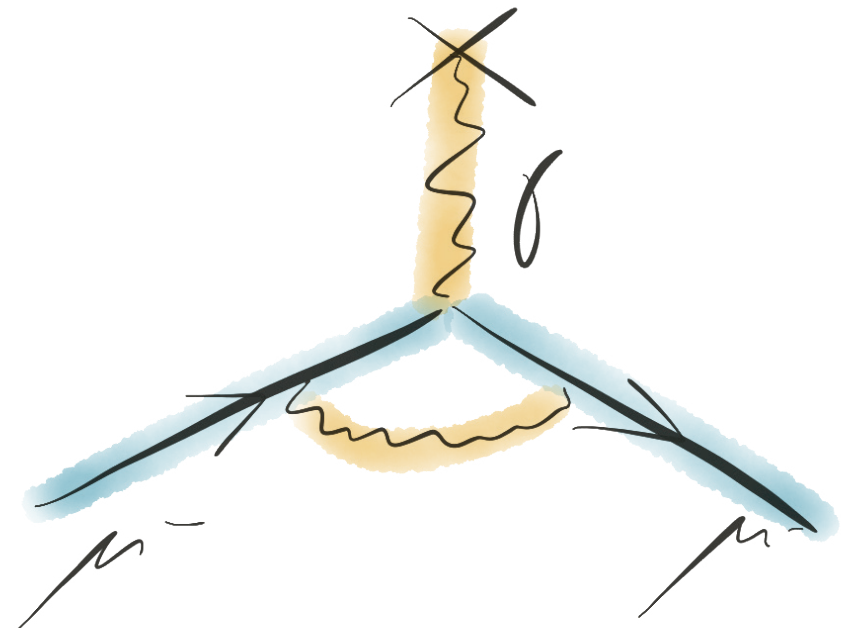


# Magnetic moment of the muon



Dirac:

$$g = 2$$



Schwinger:

$$a = \frac{g-2}{2} = \frac{\alpha}{2\pi}$$

J. S. Schwinger, Phys. Rev. 73, 416 (1948)

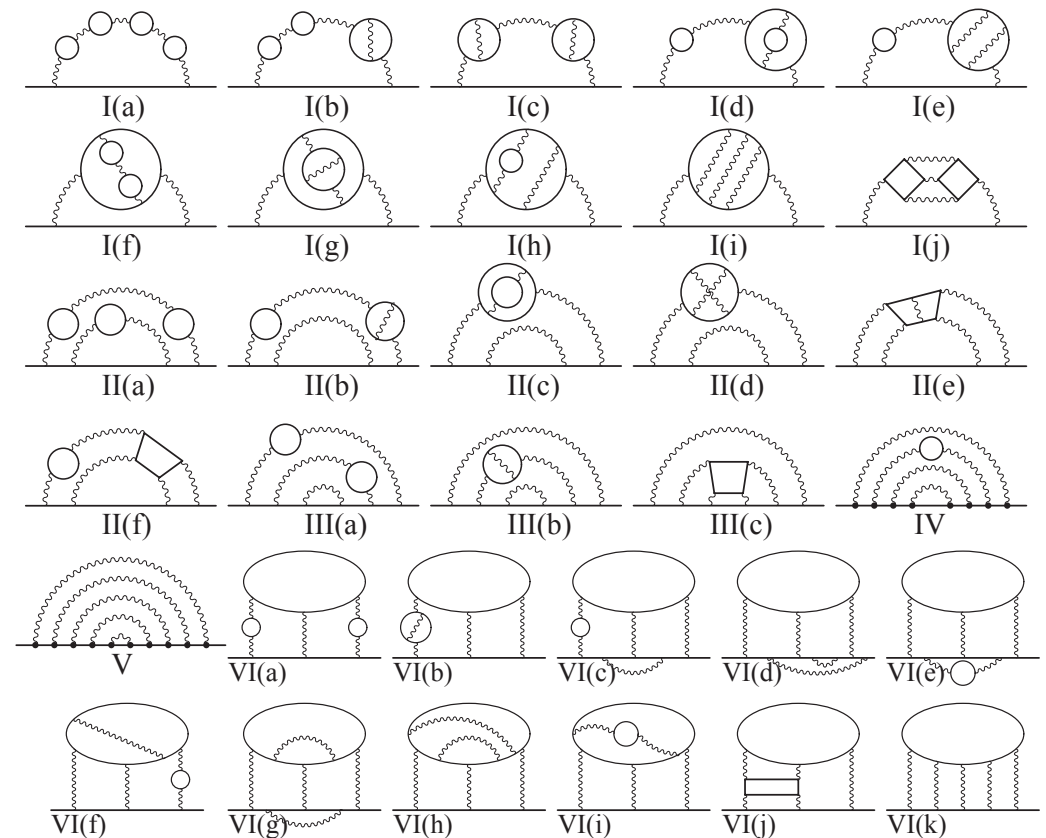
$$a_{SM} = a_{QED} + a_{EW} + a_{had}$$

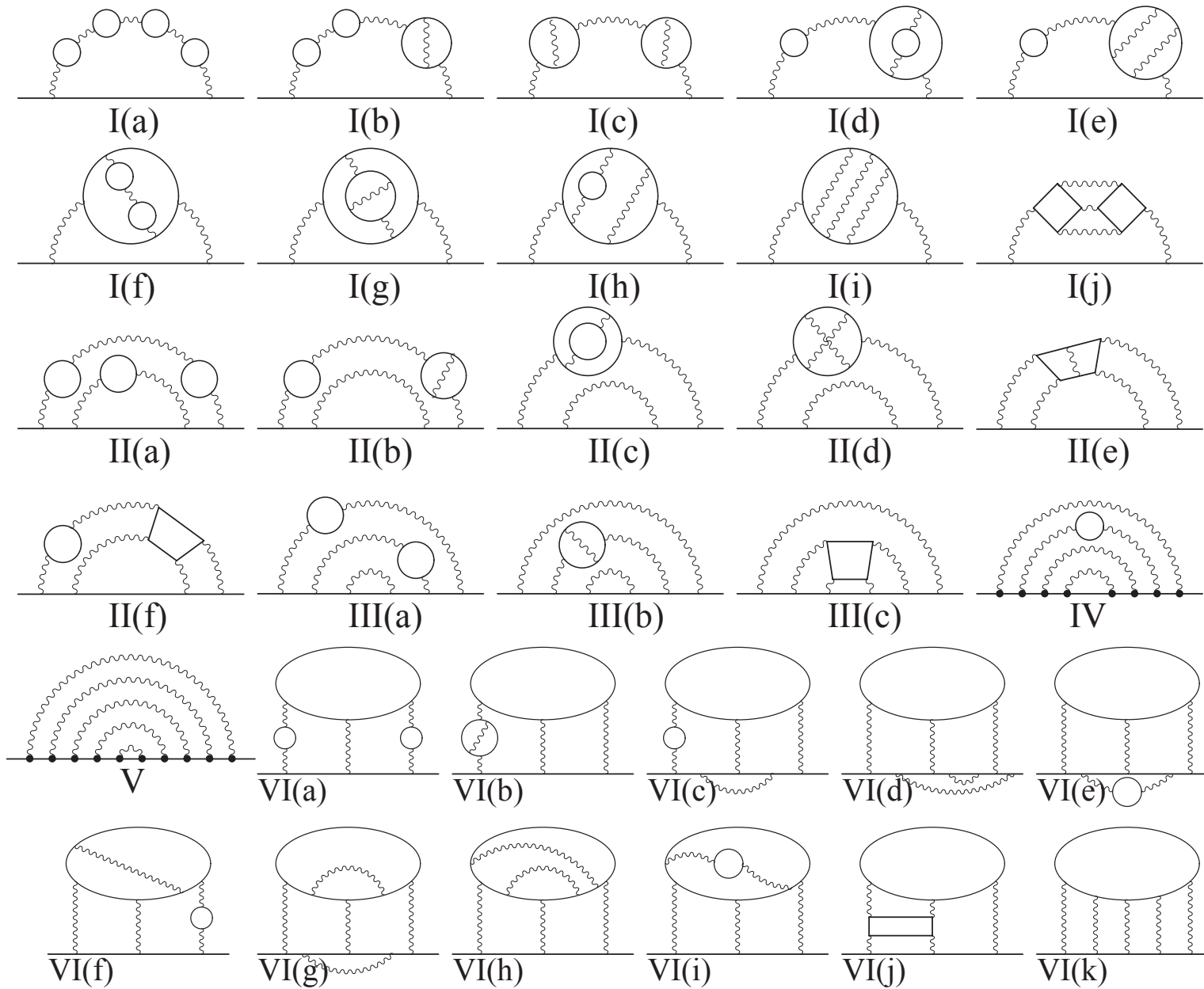


$$a_{SM} = a_{QED} + a_{EW} + a_{had}$$

Known analytically to 3 loops  
 numerically to 5 loops  
 12672 diagrams

- A. Petermann, Helv. Phys. Acta 30, 407 (1957)
- C. M. Sommerfield, Ann. Phys. (N.Y.) 5, 26 (1958)
- S. Laporta and E. Remiddi, Phys. Lett. B379, 283 (1996)
- S. Laporta, Phys. Lett. B312, 495 (1993).
- T. Kinoshita and M. Nio, Phys. Rev. D73, 013003 (2006).
- T. Aoyama et al., Phys. Rev. Lett. 99, 110406 (2007);  
 Phys. Rev. D77, 053012 (2008)
- T. Aoyama et al., Phys.Rev.Lett. 109, 111808 (2012)





# g-2 in QED

- Probably the best hint that perturbation theory makes sense (series seems to converge)

$$a_{\mu}(\text{QED}) = A_1 + A_2(m_{\mu}/m_e) + A_2(m_{\mu}/m_{\tau}) + A_3(m_{\mu}/m_e, m_{\mu}/m_{\tau})$$

$$A_i = A_i^{(2)} \left(\frac{\alpha}{\pi}\right) + A_i^{(4)} \left(\frac{\alpha}{\pi}\right)^2 + A_i^{(6)} \left(\frac{\alpha}{\pi}\right)^3 + \dots, \quad i = 1, 2, 3,$$

$a_{\mu}(\text{QED})$  including mass-dependent terms, is known up to  $n = 10$ .

$$a_{\mu}^{(2)}(\text{QED}) = 0.5$$

$$a_{\mu}^{(4)}(\text{QED}) = 0.765\,857\,425\,(17)$$

$$a_{\mu}^{(6)}(\text{QED}) = 24.050\,509\,96\,(32)$$

$$a_{\mu}^{(8)}(\text{QED}) = 130.877\,4\,(61)$$

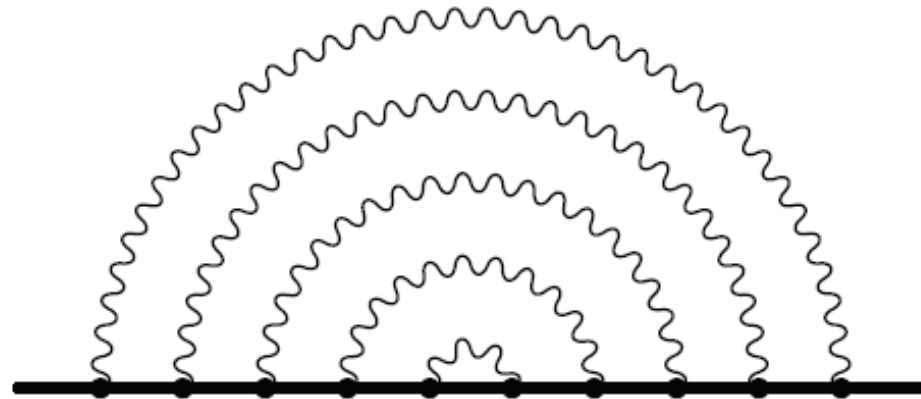
$$a_{\mu}^{(10)}(\text{QED}) = 751.77\,(93)$$

T. Kinoshita, Lepton Moments 2014

Contribution to  $A_1^{(10)}$  comes mainly from diagrams of Set 5, which consists of 6354 proper vertices with no closed lepton loop.

They are compressed with the help of Ward-Takahashi identity and time-reversal symmetry into 389 self-energy-like diagrams.

Each integral occupies more than  $10^5$  lines of FORTRAN code.

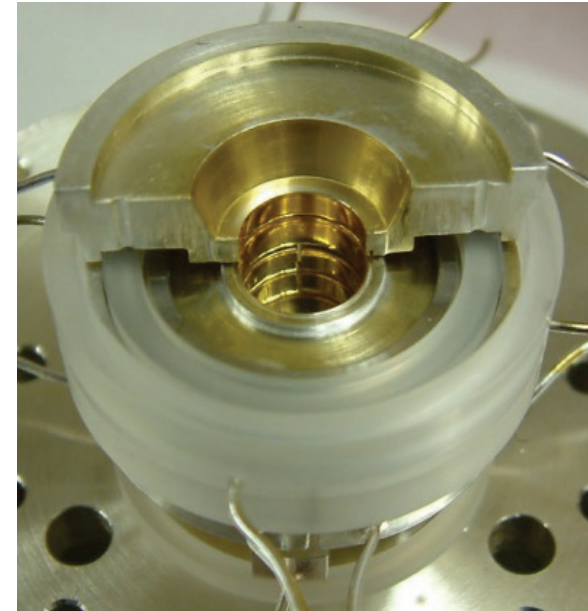


T. Kinoshita, Lepton Moments 2014



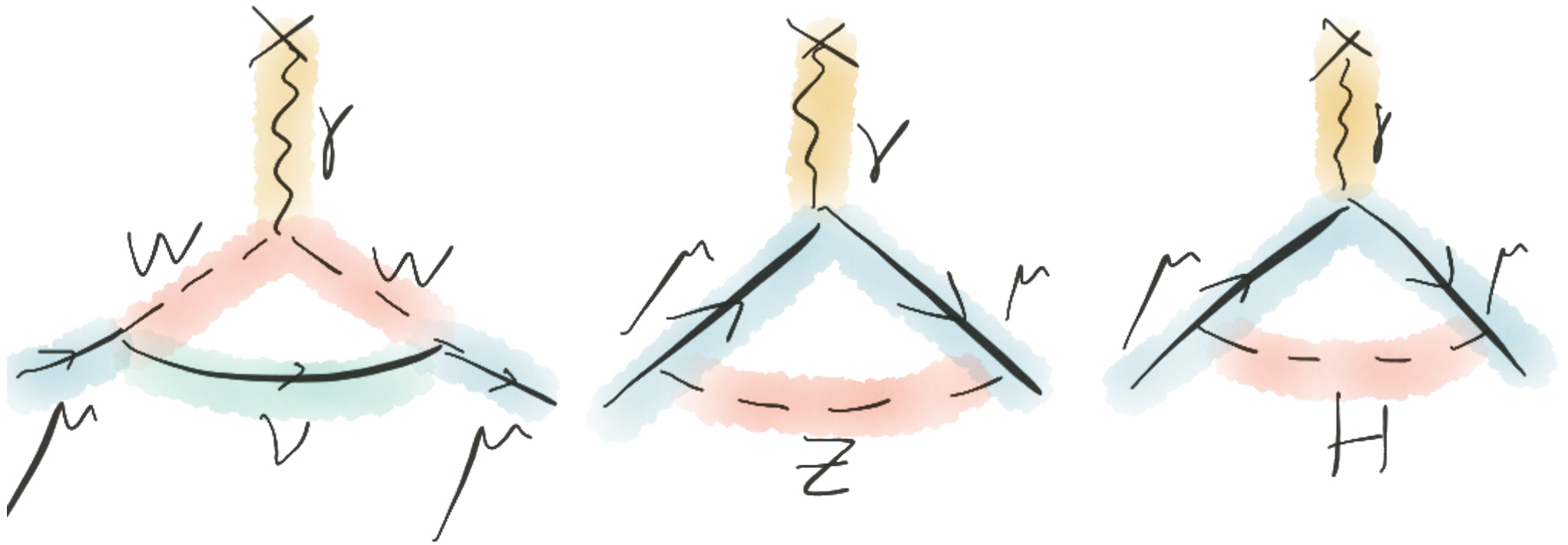
# Inputs to the QED calculation

- Ratios of the lepton masses:  
Very well known
- $\alpha_{EM}$  : Best determination from electron  $g-2$
- Essentially the same calculation
- Extremely precise measurement  
(Gabrielse group, Harvard)  
Hanneke et al. PRL 100, 120801 (2008)
- Single electron in a penning trap



$$a_{SM} = a_{QED} + a_{EW} + a_{had}$$

Known analytically to 2 loops



K. Fujikawa, B. Lee, and A. Sanda, Phys. Rev. D 6, 2923 (1972)

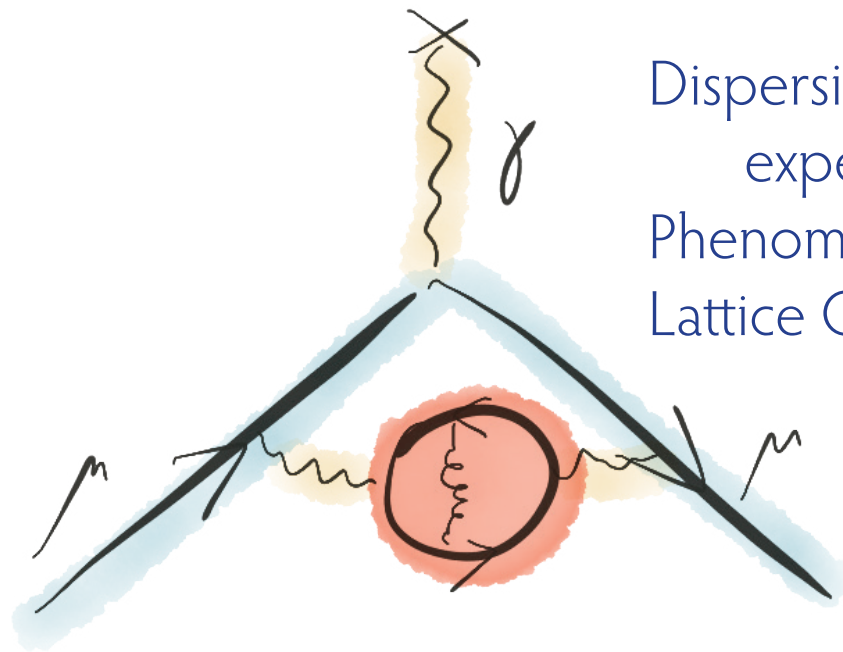
A. Czarnecki, B. Krause, and W.J. Marciano, Phys. Rev. Lett. 76, 3267 (1996)

M. Knecht, S. Peris, M. Perrottet, and E. De Rafael, J.High Energy Phys. 11, 003 (2002)

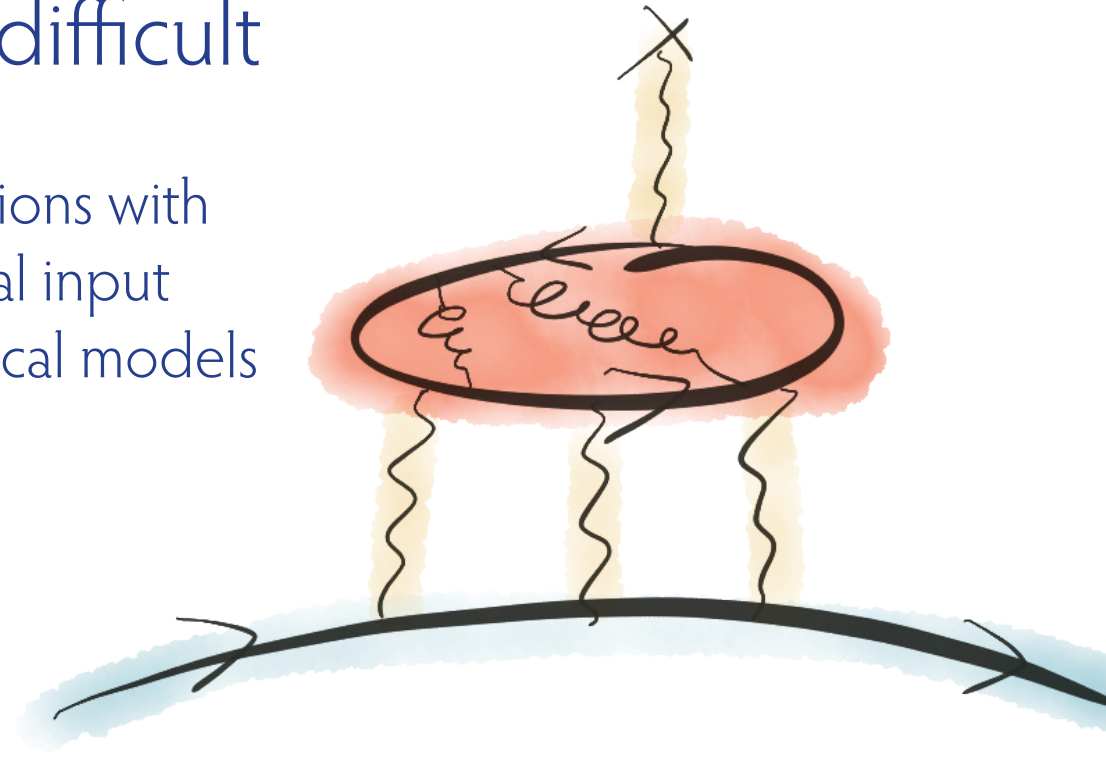
A. Czarnecki, W.J. Marciano, and A. Vainshtein, Phys. Rev. D 67, 073006 (2003)

$$a_{SM} = a_{QED} + a_{EW} + a_{had}$$

Hadronic contribution most difficult



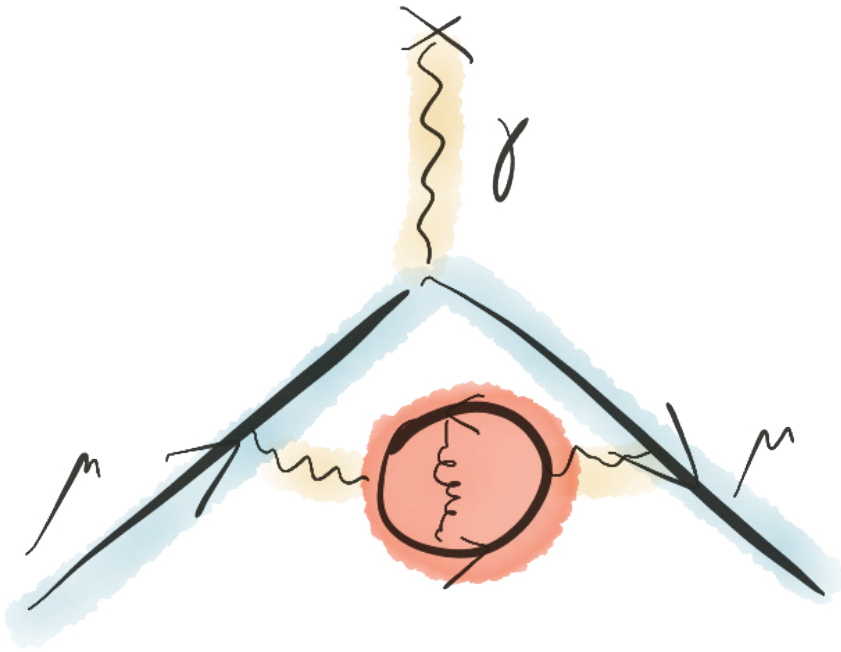
Dispersion relations with  
experimental input  
Phenomenological models  
Lattice QCD



- M. Davier, A. Hoecker, B. Malaescu, and Z. Zhang, Eur. Phys. J. C71, 1515 (2011).
- F. Jegerlehner and R. Szafron, Eur. Phys. J. C71, 1632 (2011).
- K. Hagiwara, R. Liao, A. D. Martin, D. Nomura, and T. Teubner, J. Phys. G38, 085003 (2011).
- K. Melnikov and A. Vainshtein, Phys. Rev. D70, 113006 (2004).
- J. Bijnens and J. Prades, Mod. Phys. Lett. A22, 767 (2007).
- J. Prades, E. de Rafael, and A. Vainshtein, in Lepton Dipole Moments pp. 303–319 (2009).
- A. Nyffeler, Phys. Rev. D79, 073012 (2009)

...

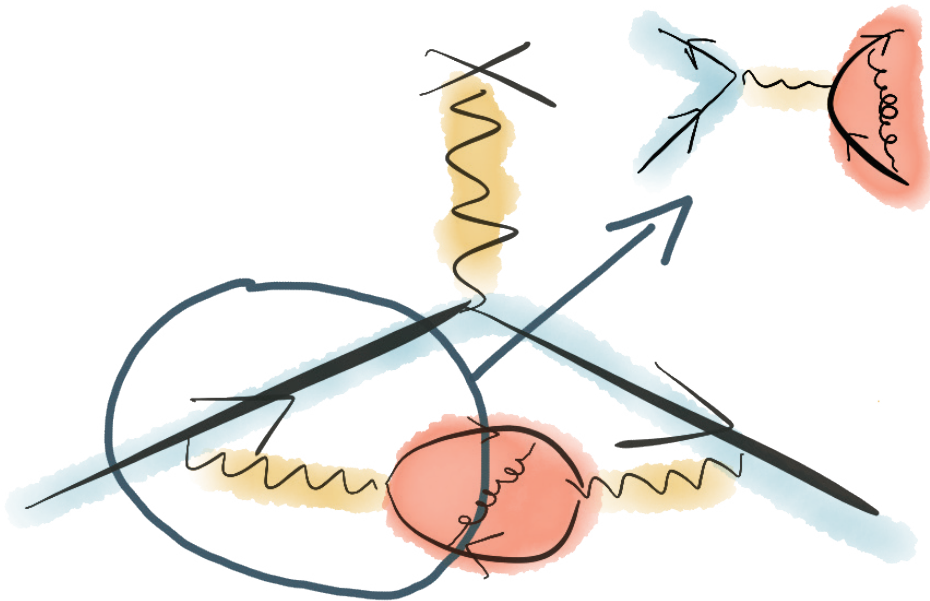
# Hadronic Vacuum Polarization



- Largest hadronic contribution
- Low scale, strong coupling very large: Perturbative expansion does not work



# Hadronic Vacuum Polarization



- Largest hadronic contribution
- Low scale, strong coupling very large: Perturbative expansion does not work
- Optical theorem to the rescue: Can link HVP to  $e^+e^- \rightarrow \text{hadrons}$  using a dispersion integral
- Dispersion integral dominated by low centre-of-mass energies  $s$
- Large program of measurements at  $e^+e^-$  colliders

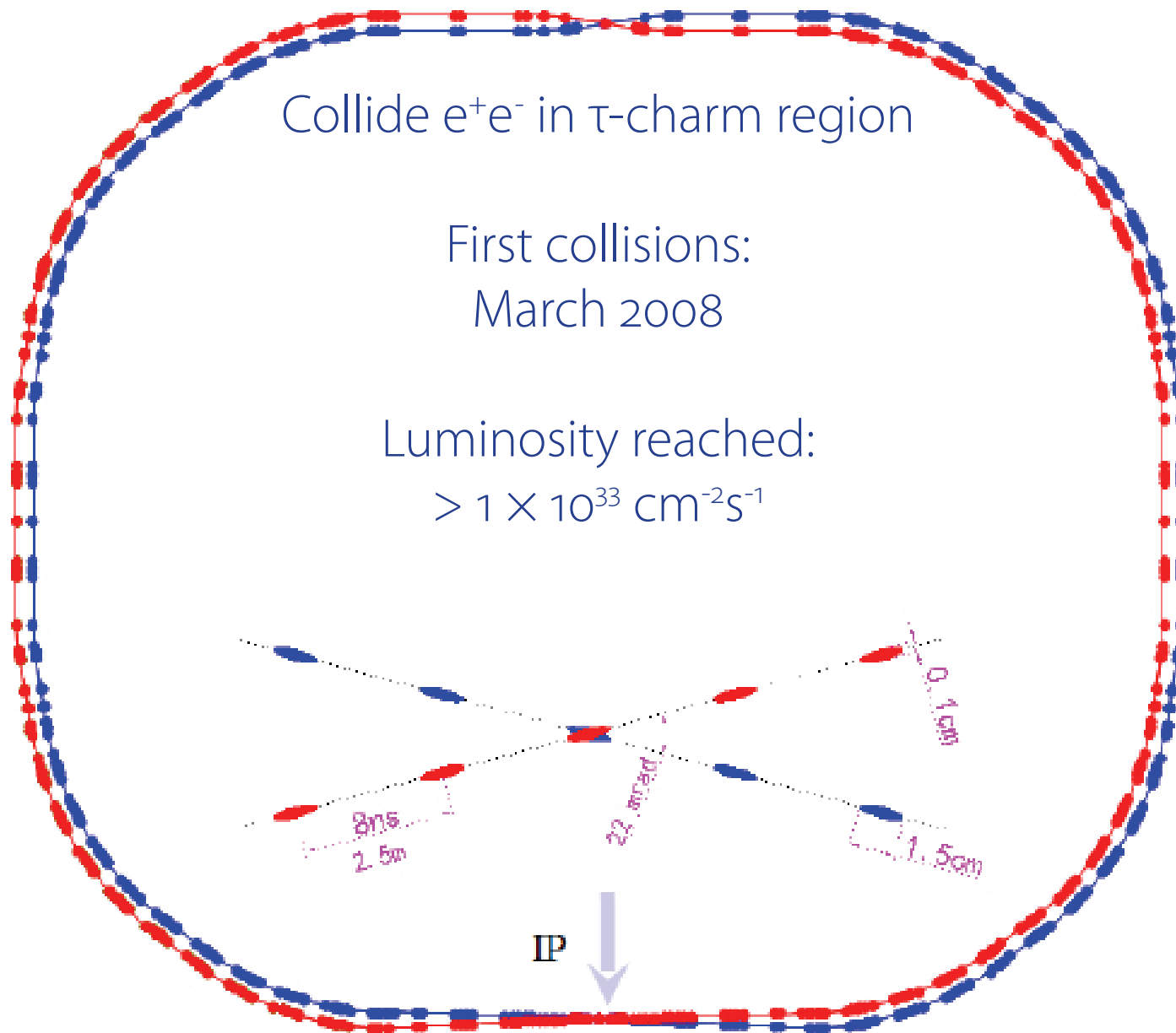








# BEPC II



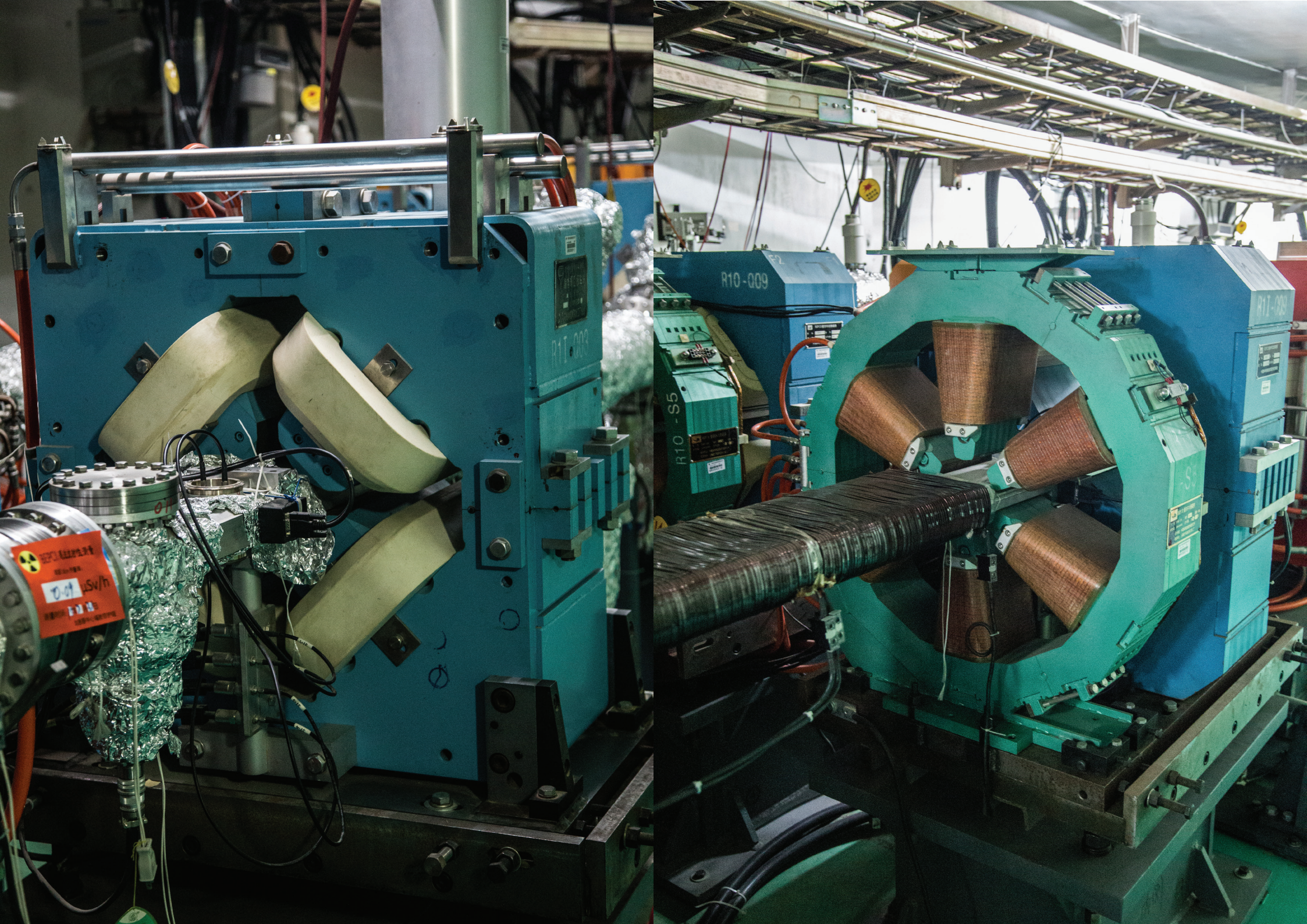












0.01  $\mu\text{Sv/h}$

R10-Q09

R10-S5

R10-Q09

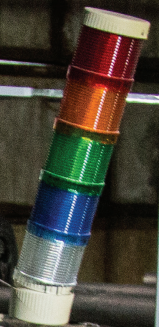
S5



S190

MEGA INDUSTRIES, LLC

|      |       |
|------|-------|
| 激励   | RF On |
| 发射机开 | Klyst |
| 腔冷却  | Cavit |
| 高频老炼 | Cavit |
| 正常状态 | Norm  |



R20-002

055  
054

RADIATION  
 0.76  $\mu\text{Sv/h}$   
 0.01  
 0.01

R21042





S46E

R30T1 电阻炉温度控制器

高压危险

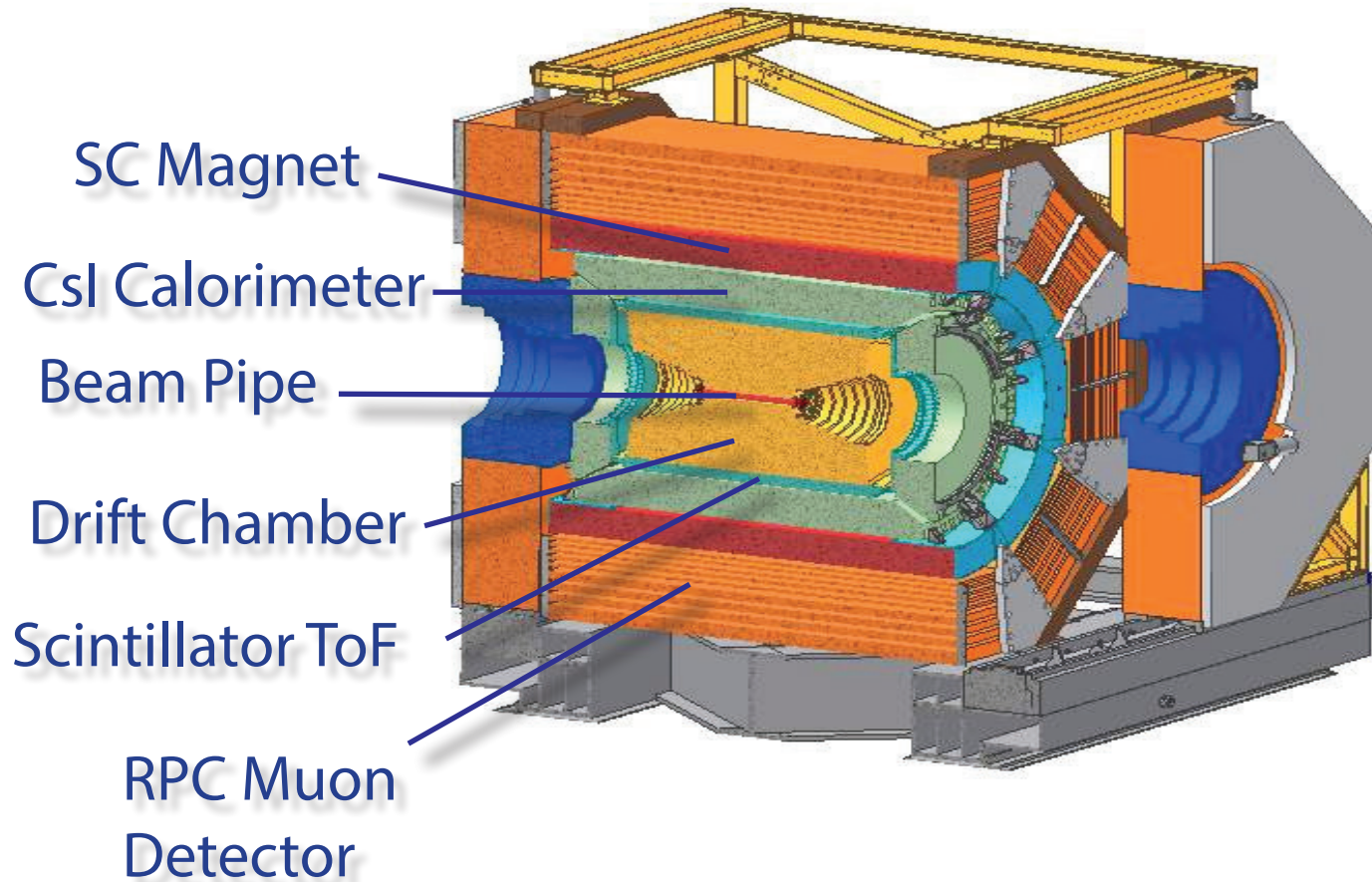
F2  
F1  
R30 0 C T4







# BES III



Excellent tracking and calorimetry:

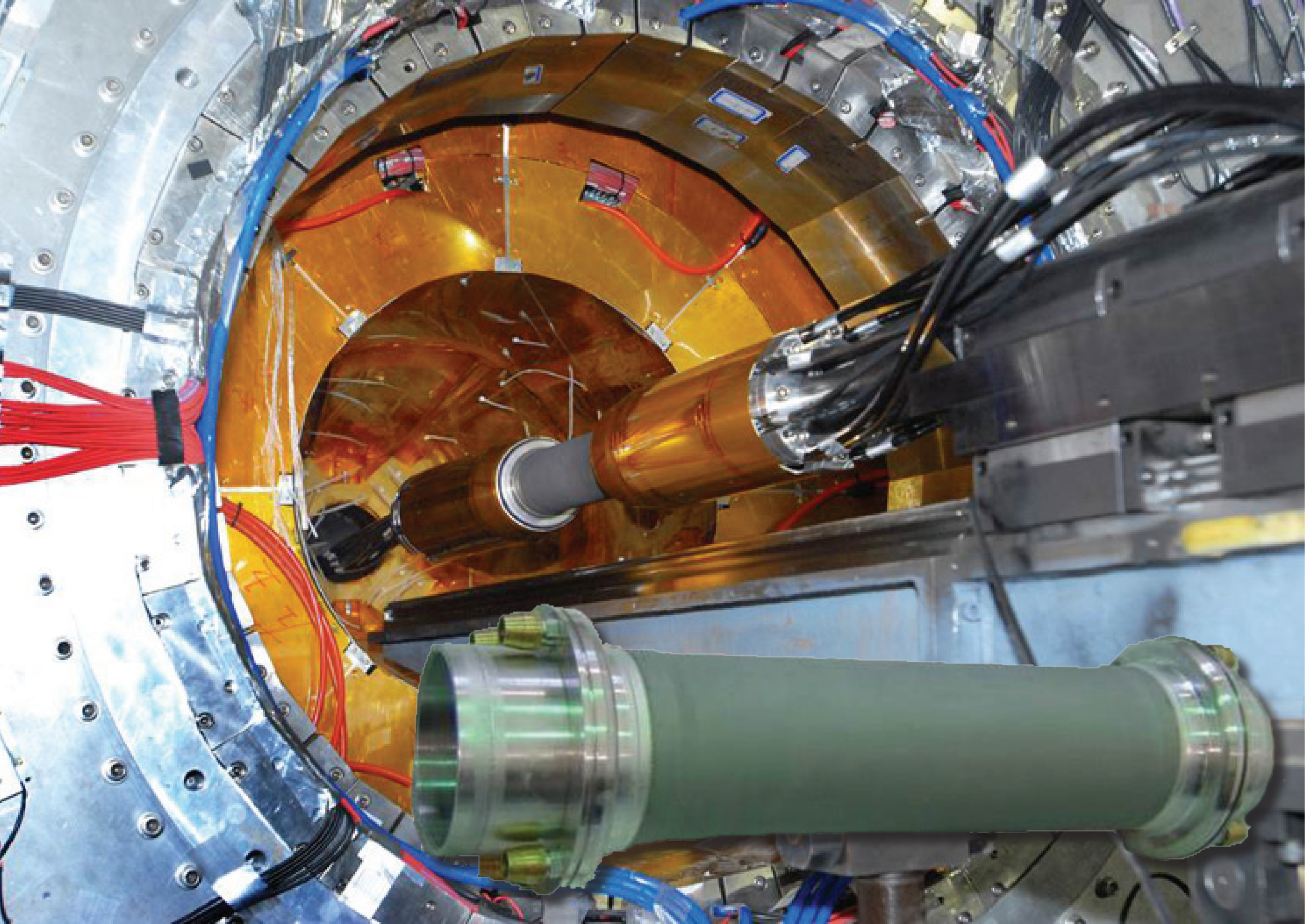
Tracks:

$$\sigma_p/p = 0.58\% @ 1 \text{ GeV}/c$$

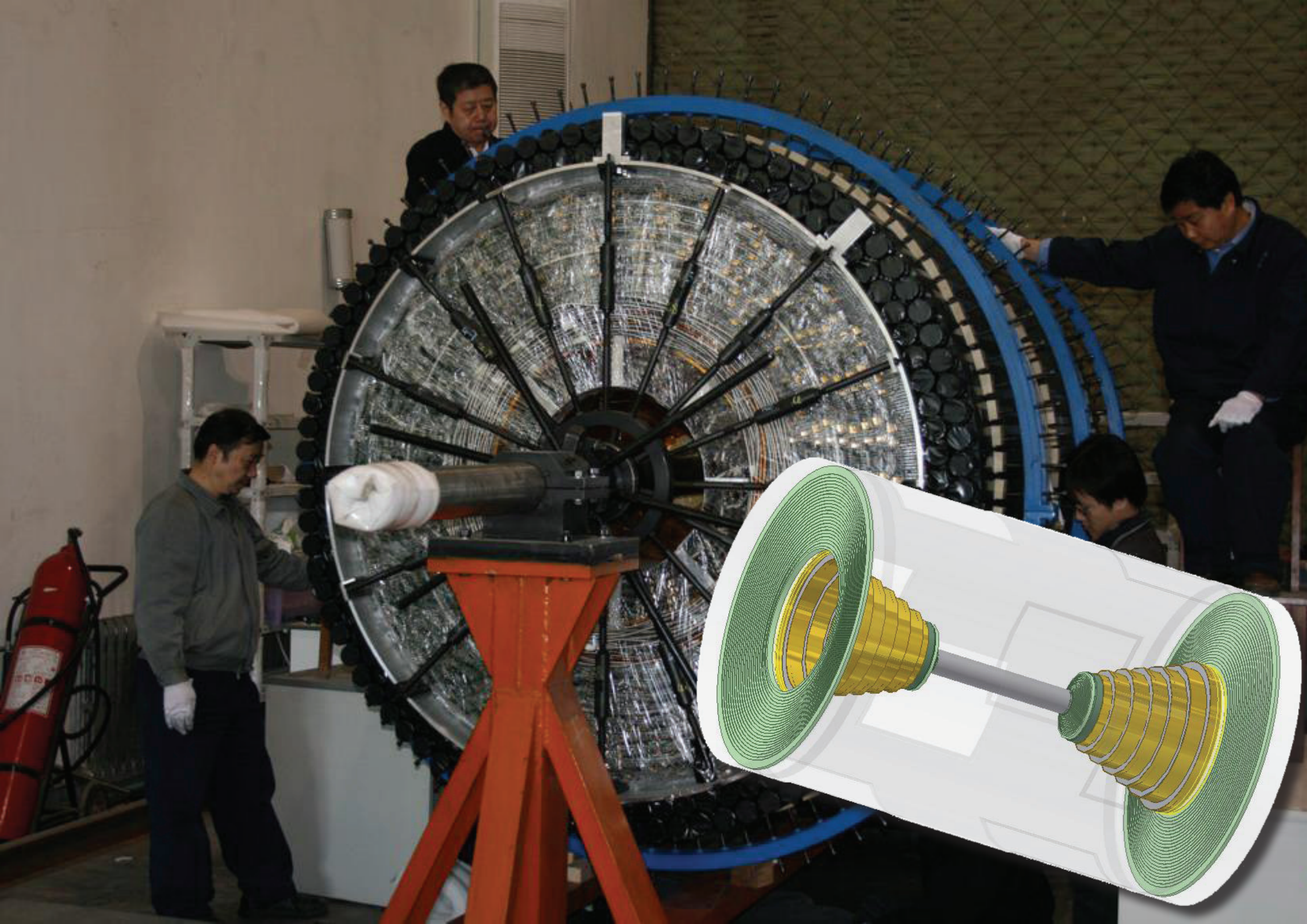
Photons:

$$\sigma_E/E = 2.5\% @ 1 \text{ GeV}$$

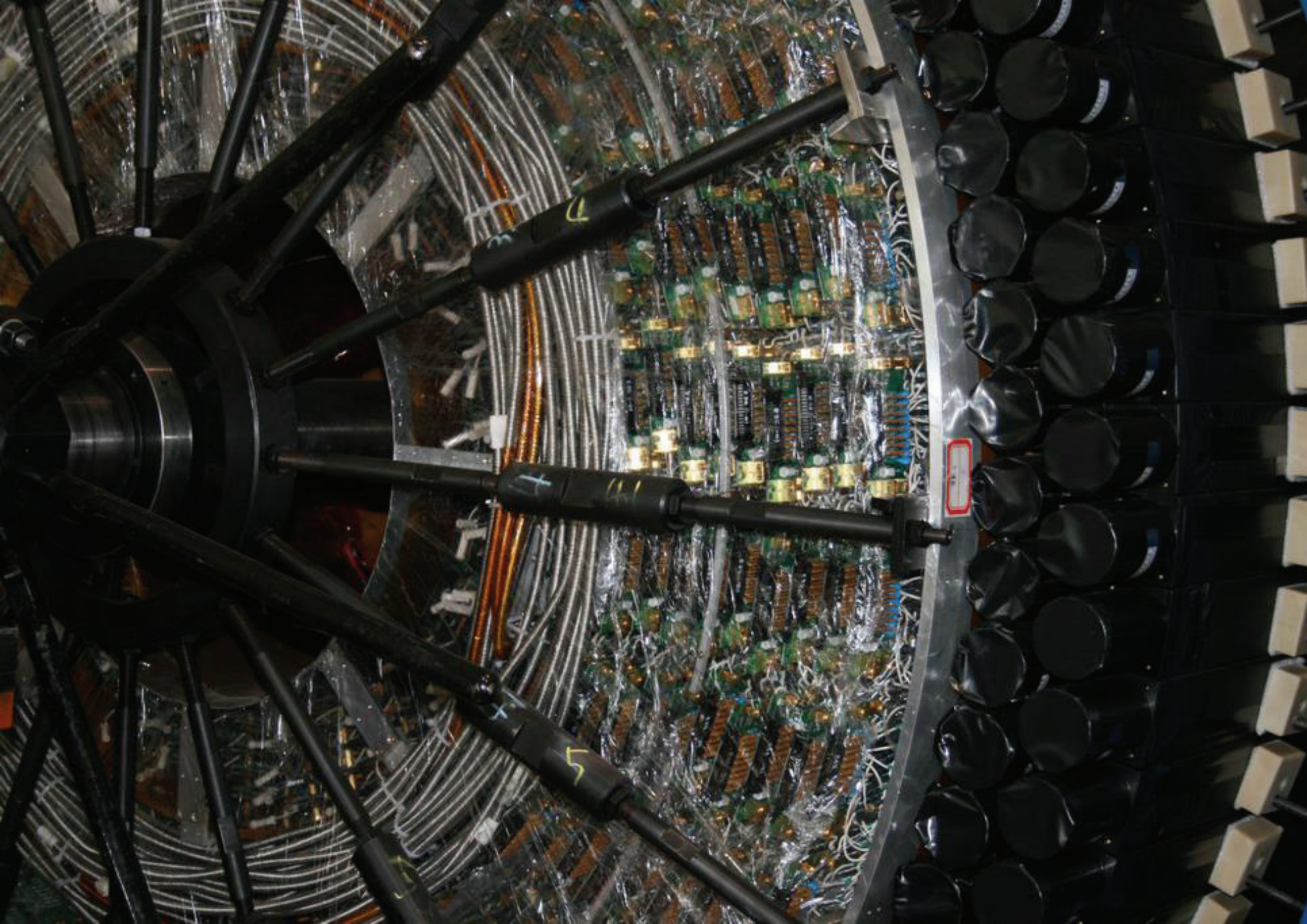
Read-out at up to 6 KHz







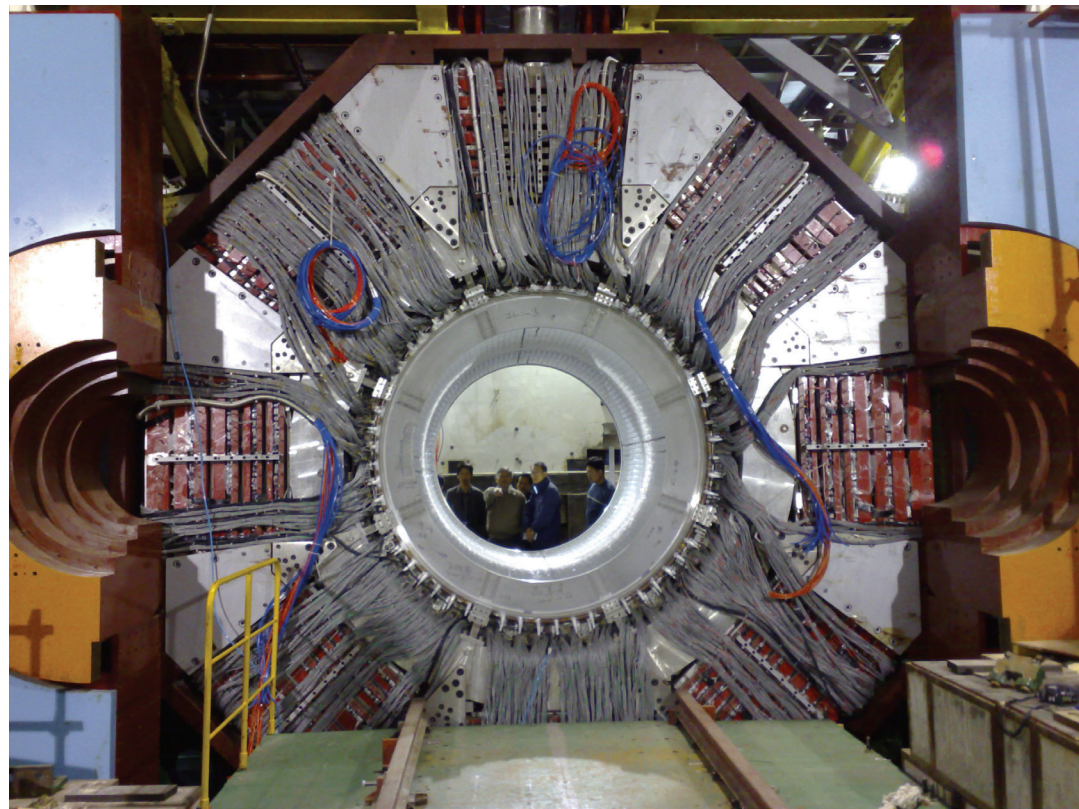














China

HongKong,  
China

Germany

Italy

Japan

Republic of  
Korea

Netherlands

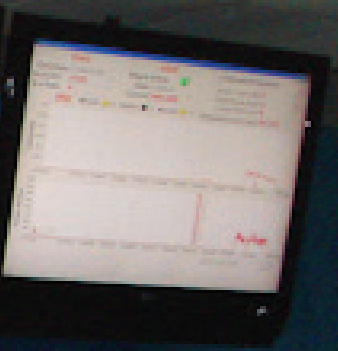
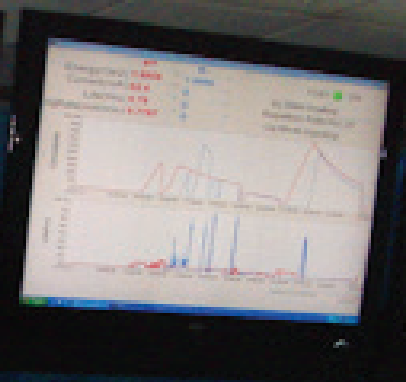


Russia

Pakistan



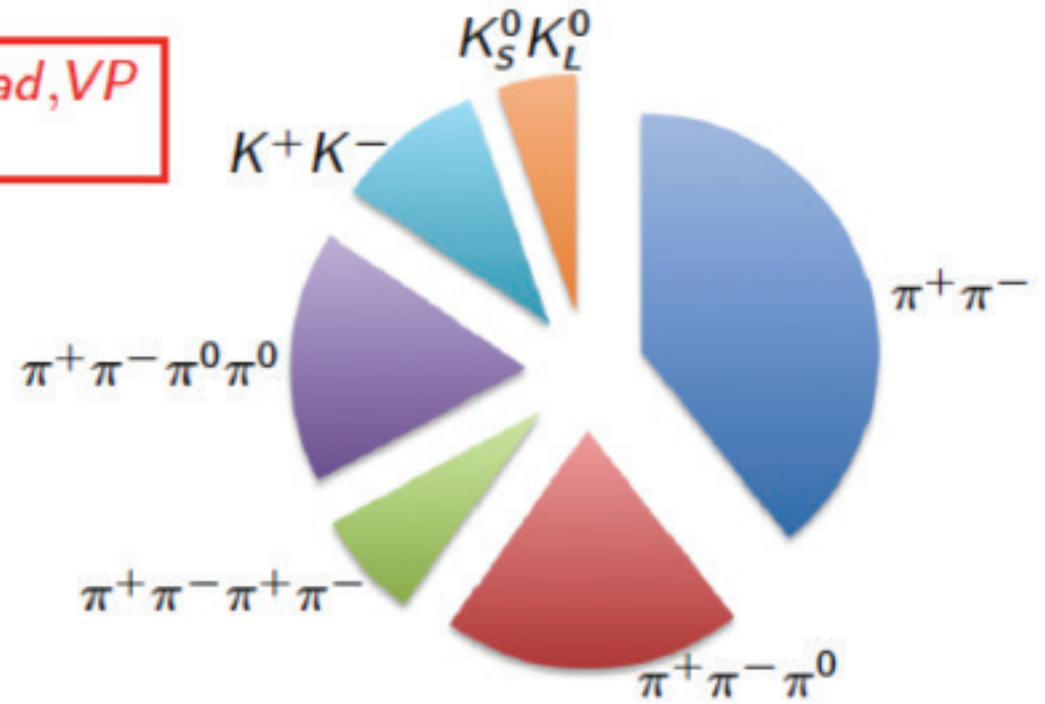
U.S.A.



$a_{\mu}^{had,VP}$

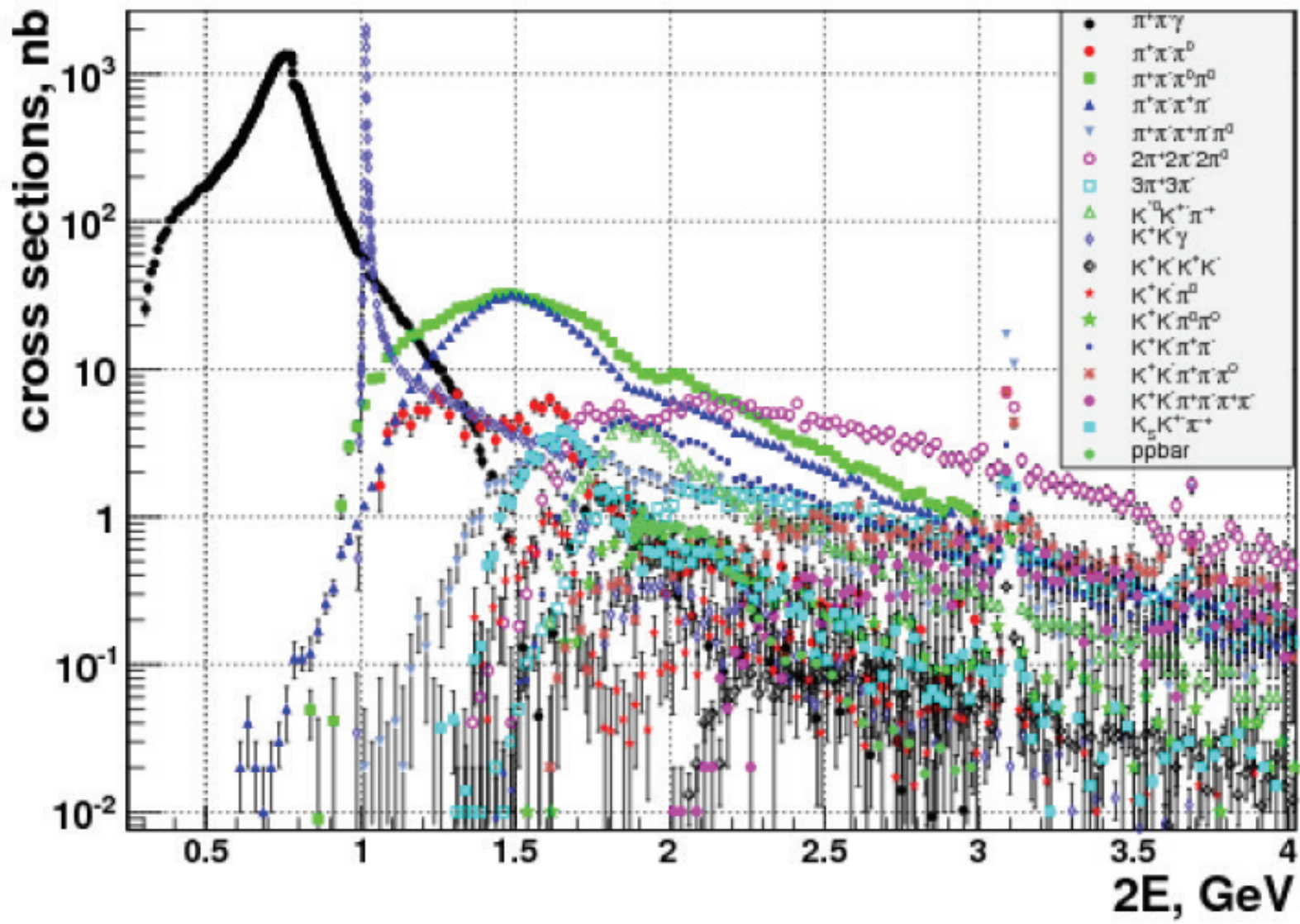


$\delta a_{\mu}^{had,VP}$



M. Davier, A. Hoecker, B. Malaescu and Z. Zhang, Eur. Phys. J. C 71 1515 (2011)



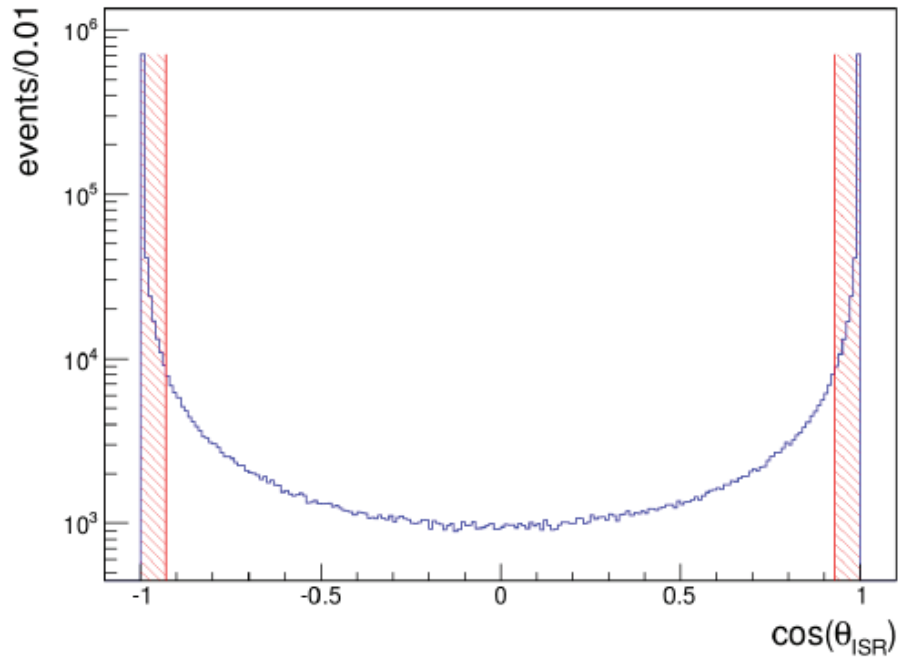


D. Bernard [BaBar Collaboration], PoS Hadron 2013, 126 (2013) [arXiv:1402.0618 [hep-ex]].

# How to go to low $s$ ?

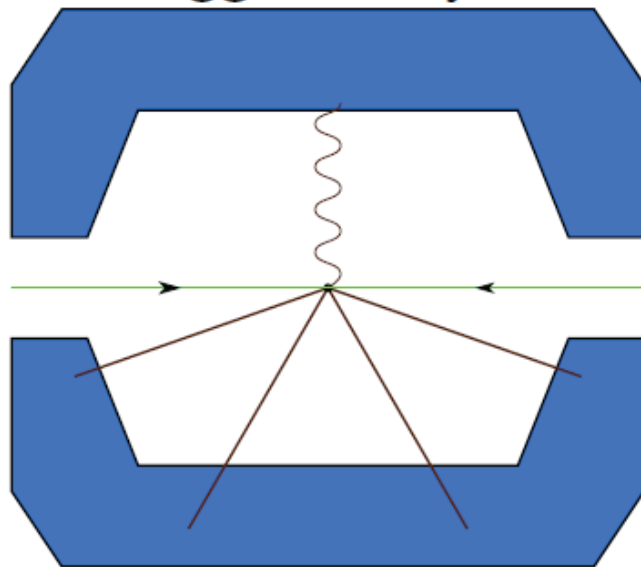
- Can tune beam energies in wide range (R-scans)
- Cannot go to threshold - particles need a minimum momentum to be detected
- Use initial state radiation (ISR) - lower  $s$
- $e^+e^- \rightarrow e^+e^-\gamma \rightarrow X$

polar angle distribution of ISR photons (MC)

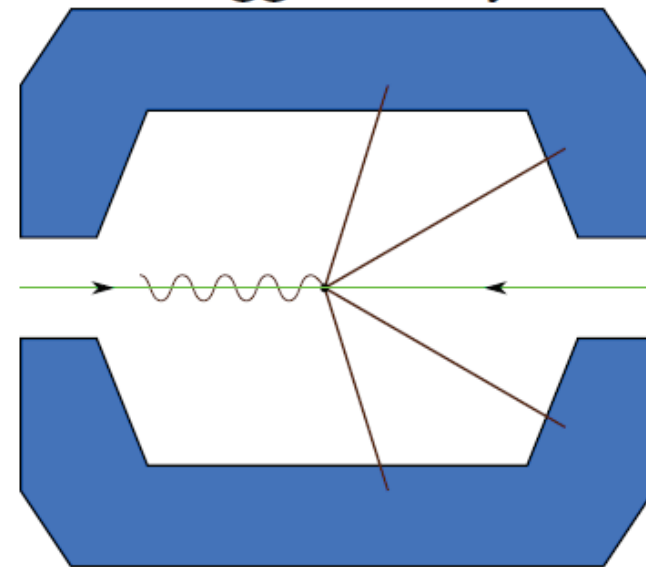


- Emission of ISR photons is suppressed by  $\alpha/\pi$
- High integrated luminosity needed for precision measurements
- Untagged analysis possible above  $\approx 1$  GeV

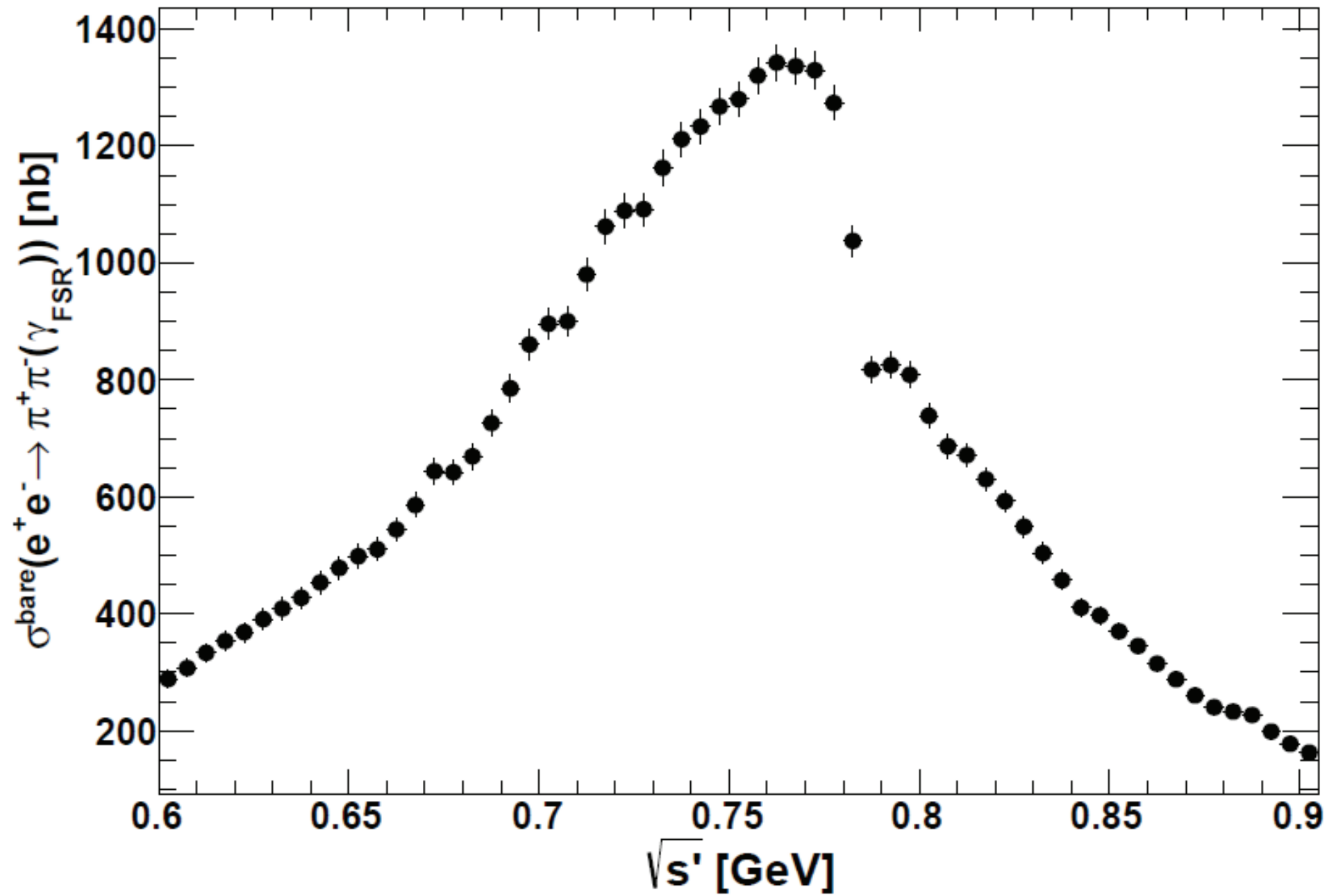
Tagged analysis

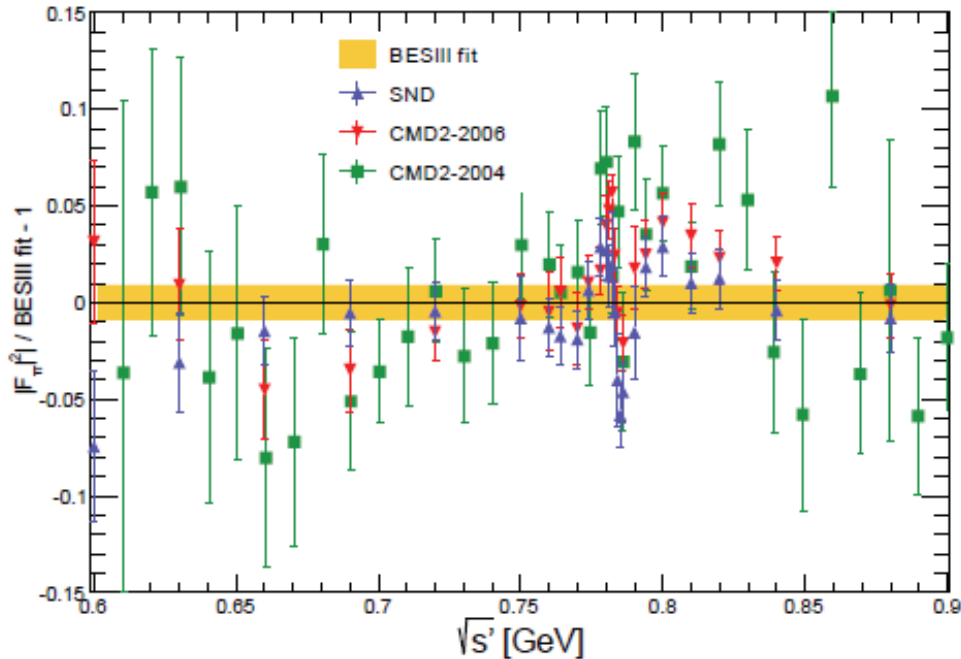
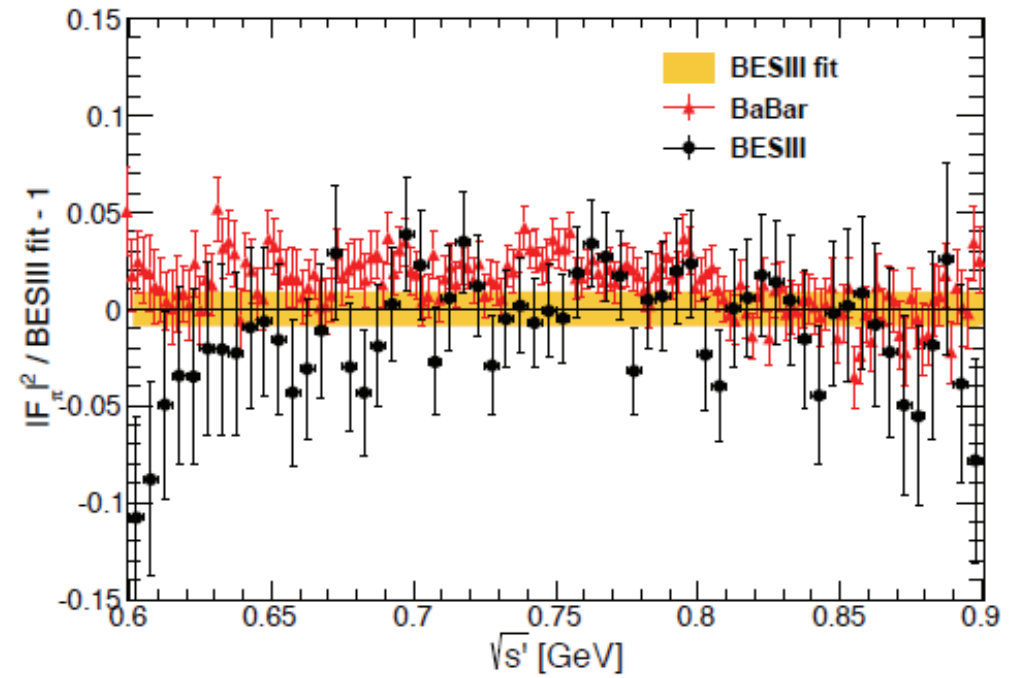
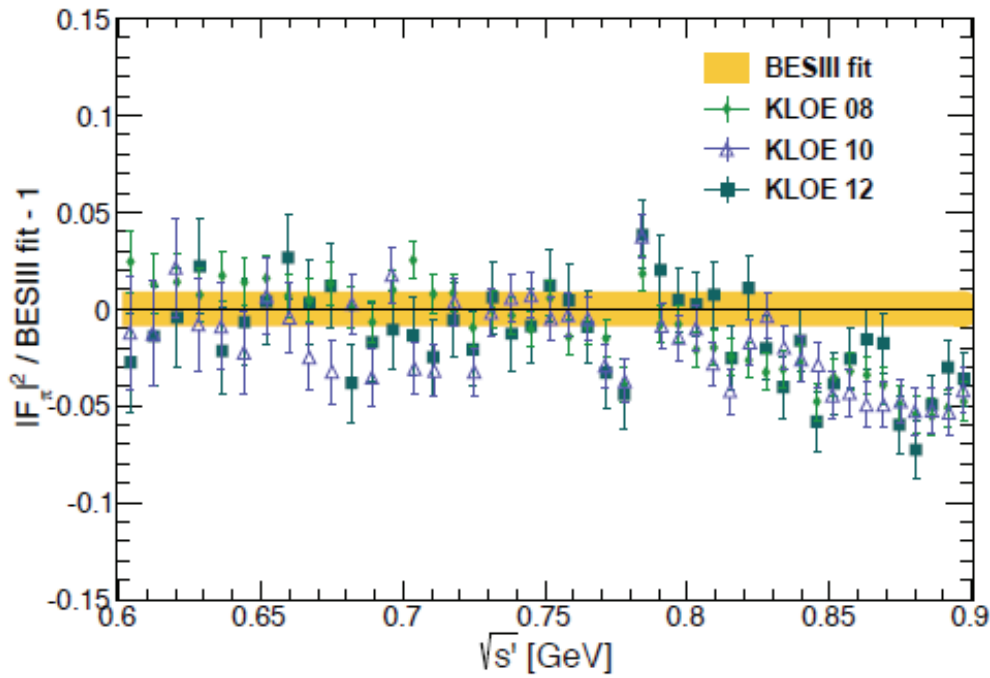


Untagged analysis



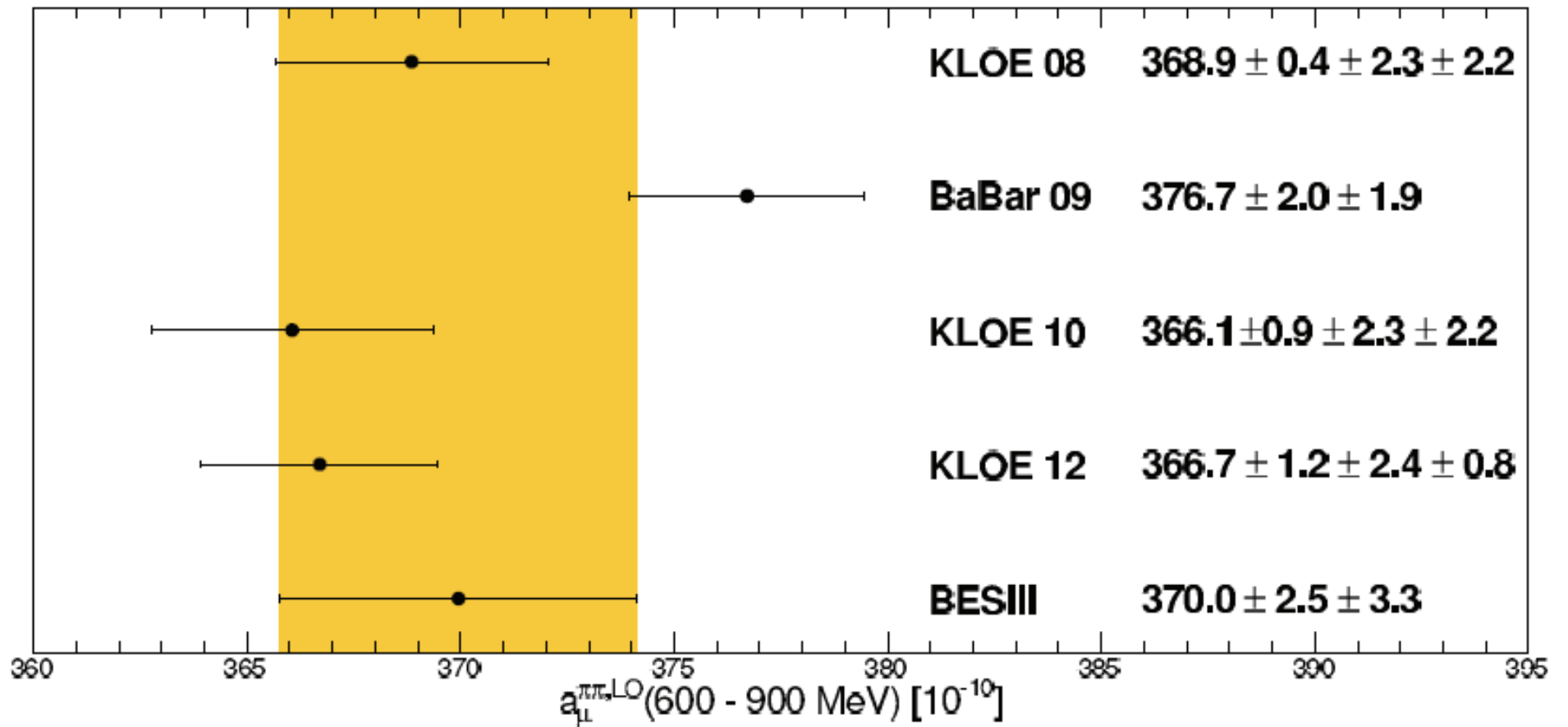






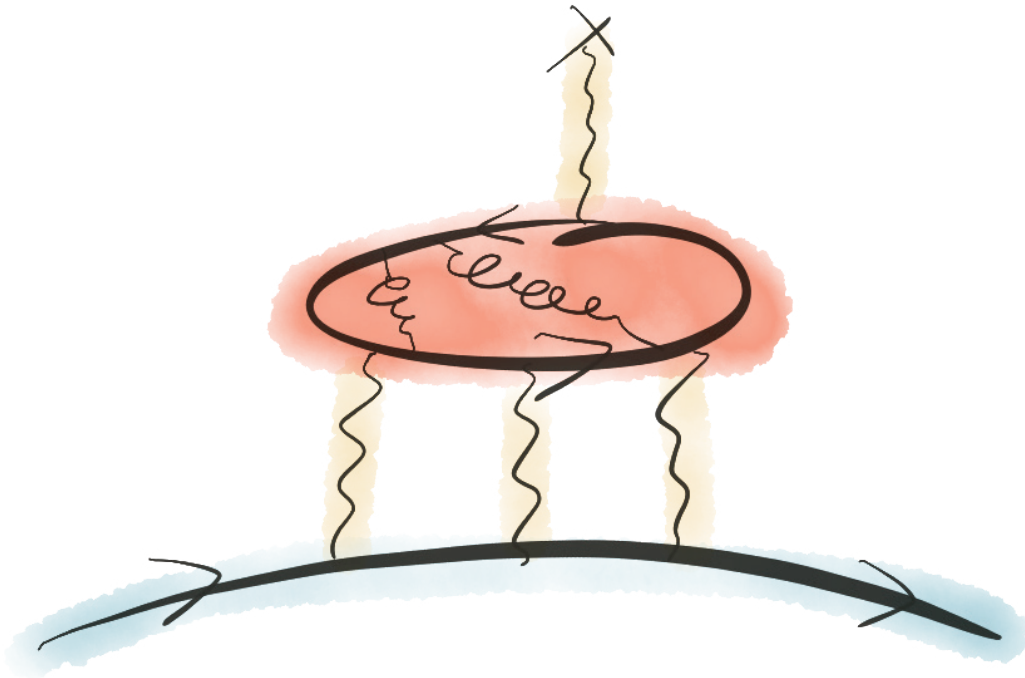
- New BESIII measurement agrees with KLOE and BaBar
- Small shift wrt. BaBar above  $\rho$ - $\omega$  interference

Martin Ripka, KPH



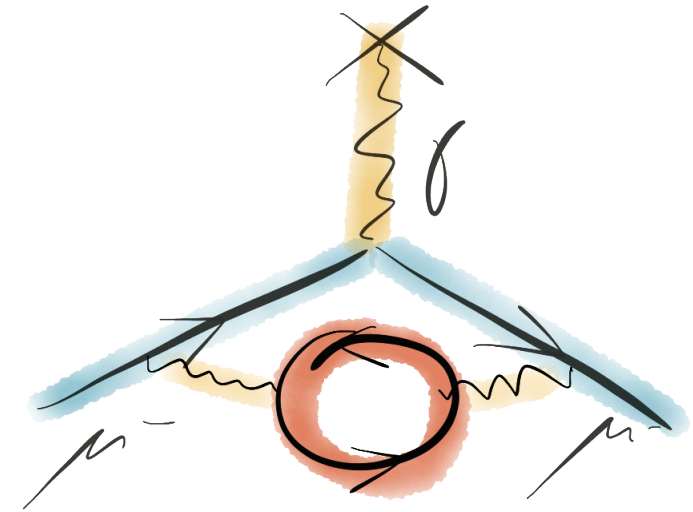
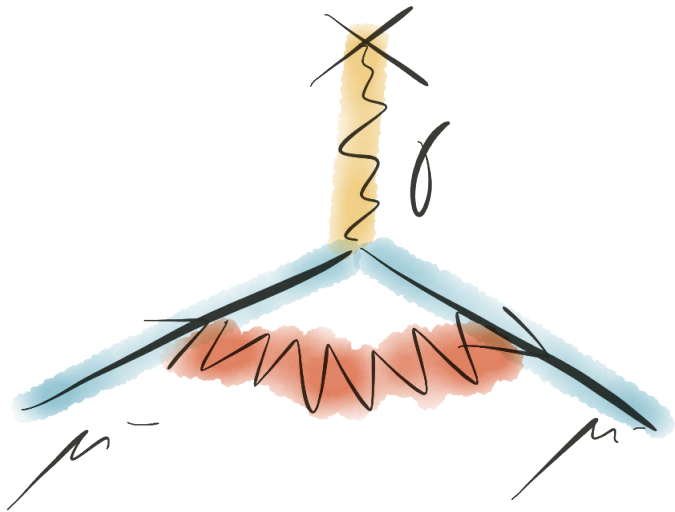


# Hadronic Light-by-Light Scattering



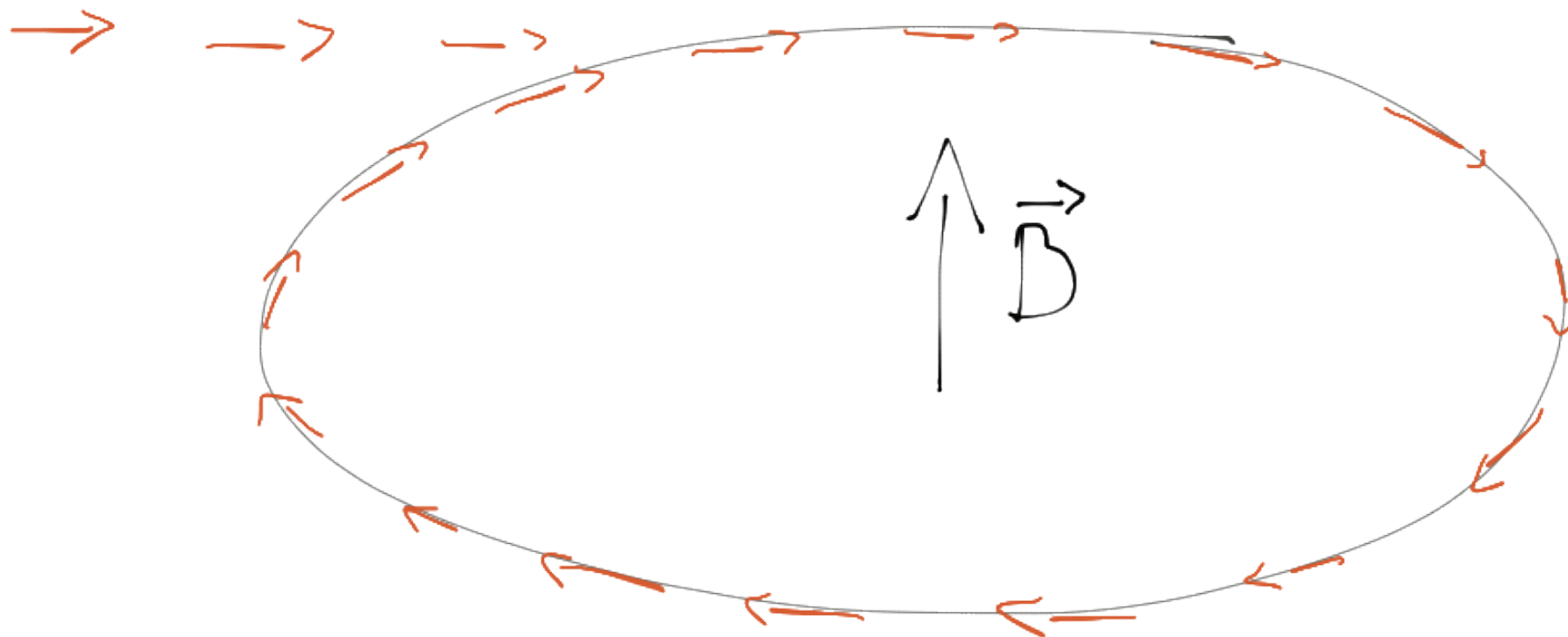
- No perturbative calculation possible
- Relies on hadronic models, where uncertainties are mostly guesswork (Glasgow consensus)
- In the works: Dispersive approach with experimental input (meson form factors) Mainz and Bern groups
- Lattice QCD also making a lot of progress might be competitive very soon

$$a_{SM} = 11\,659\,182.8(4.9) \times 10^{-10}$$
$$+ a_{\text{New Physics}}?$$



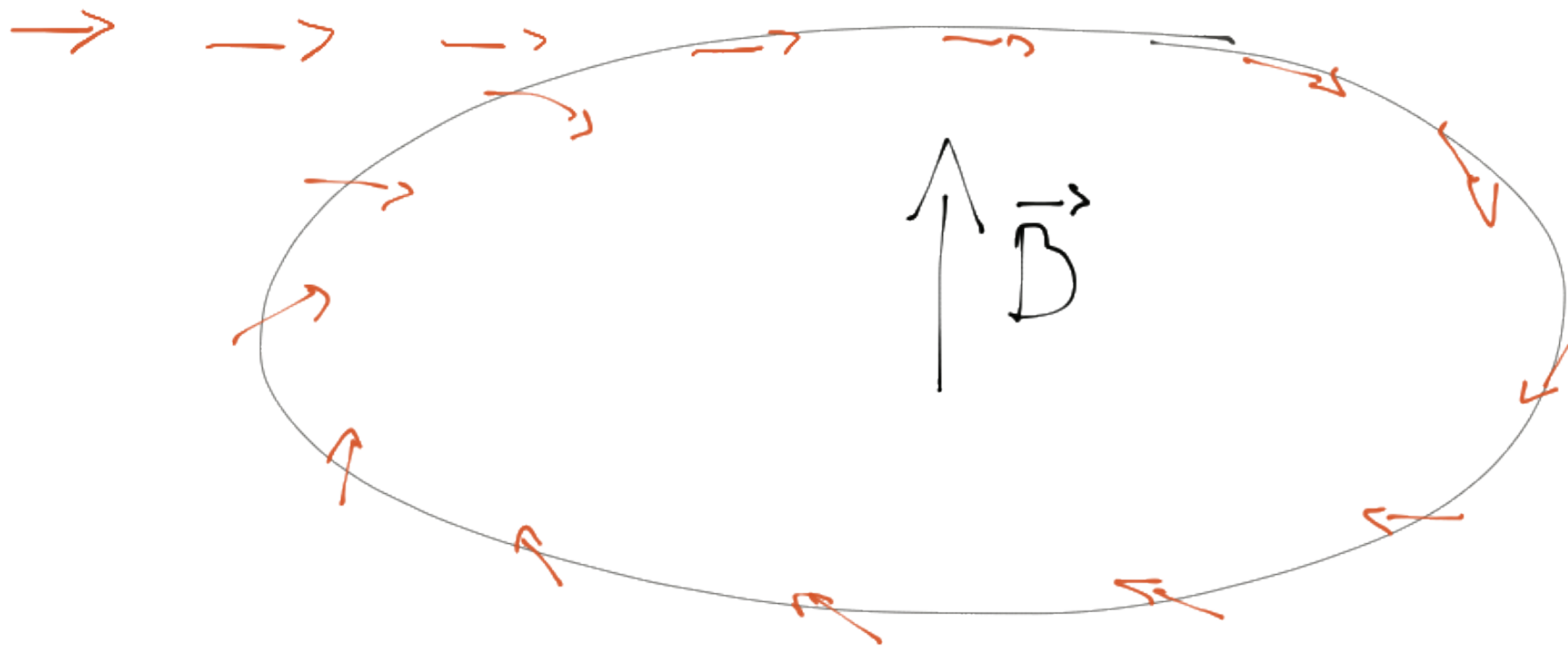
How about experiment?

$$g = 2$$





$g > 2$



# Reminder: Muons are a tertiary beam



Easy to produce with intense proton beams:

$10^8 \mu/s$  available

$> 10^{10} \mu/s$  planned

Polarized

Huge emittance

# Electrical focusing

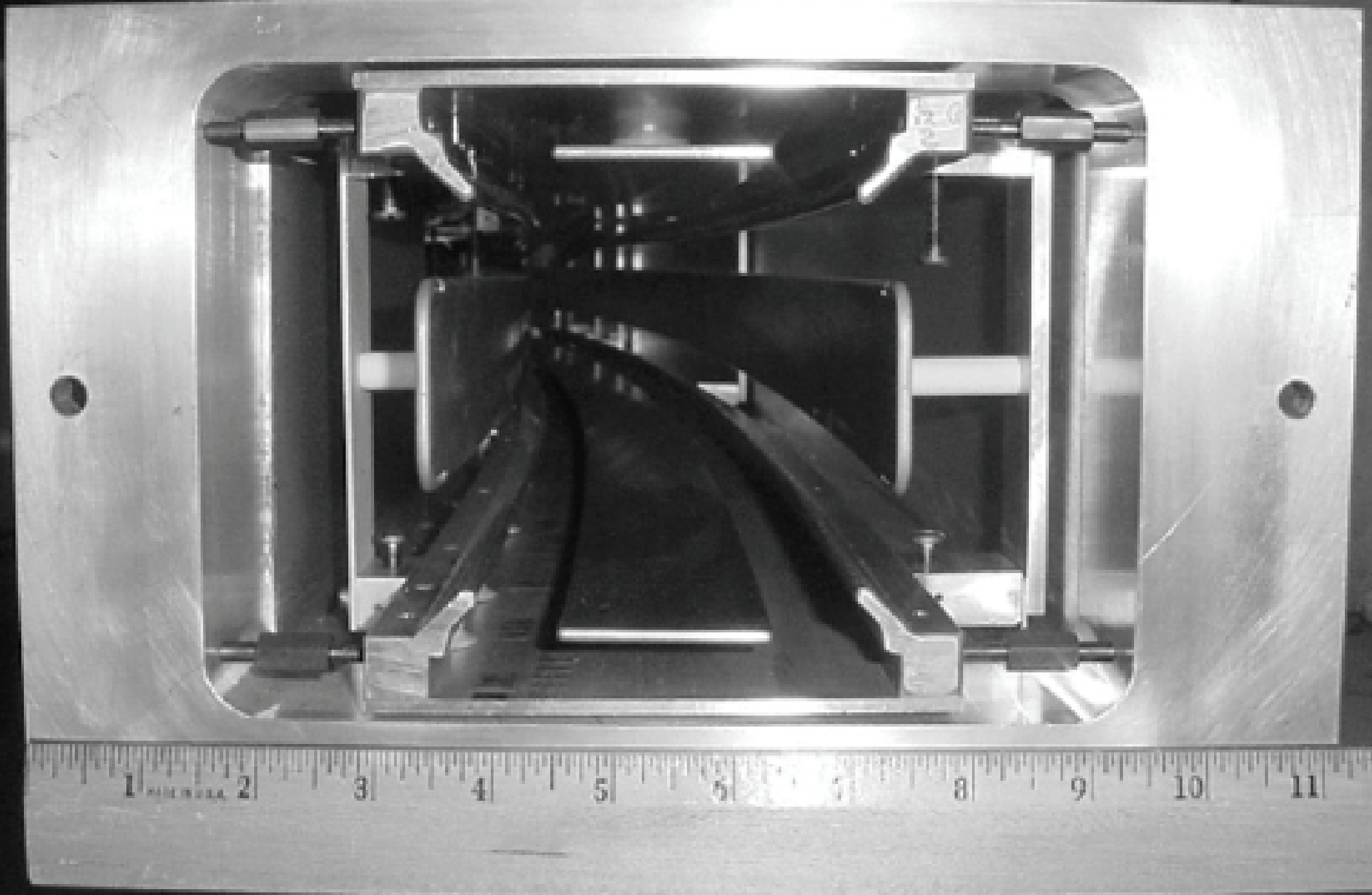
- Use electric quadrupole fields for focusing

In muon rest frame: 
$$\frac{d\vec{s}}{dt} = \vec{\mu} \times \vec{B}$$

In lab frame (all fields perpendicular to motion):

$$\frac{d\vec{s}}{dt} = \frac{q}{m} \left( a\vec{B} + \left( a - \frac{1}{1-\gamma^2} \right) (\vec{v} \times \vec{E}) \right) \times \vec{s}$$





# Electrical focusing

- Use electric quadrupole fields for focusing

In muon rest frame: 
$$\frac{d\vec{s}}{dt} = \vec{\mu} \times \vec{B}$$

In lab frame (all fields perpendicular to motion):

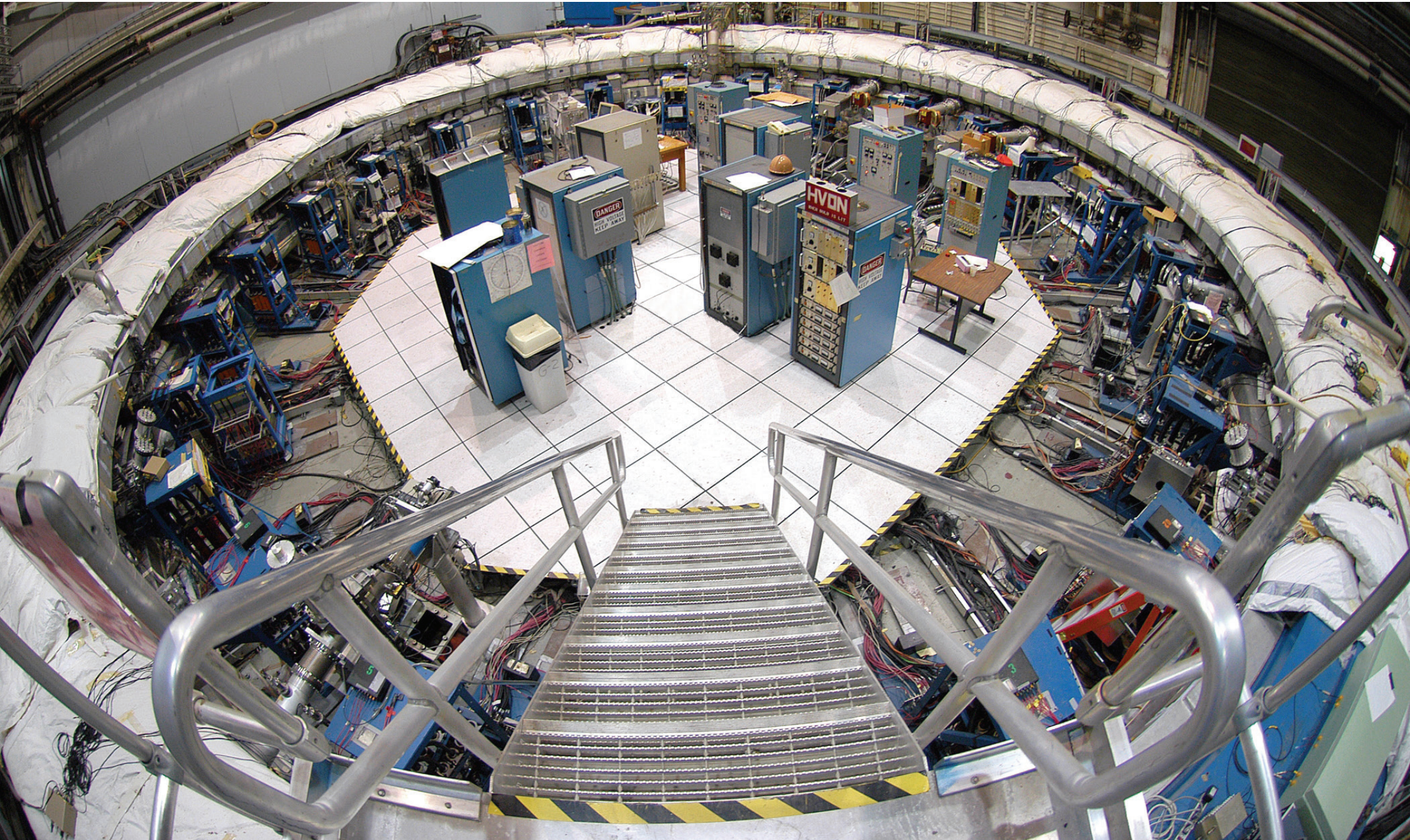
$$\frac{d\vec{s}}{dt} = \frac{q}{m} \left( a\vec{B} + \left( a - \cancel{\frac{1}{1-\gamma^2}} \right) (\vec{v} \times \vec{E}) \right) \times \vec{s}$$

$= 0$

Run at the “magic momentum” of 3.1 GeV/c



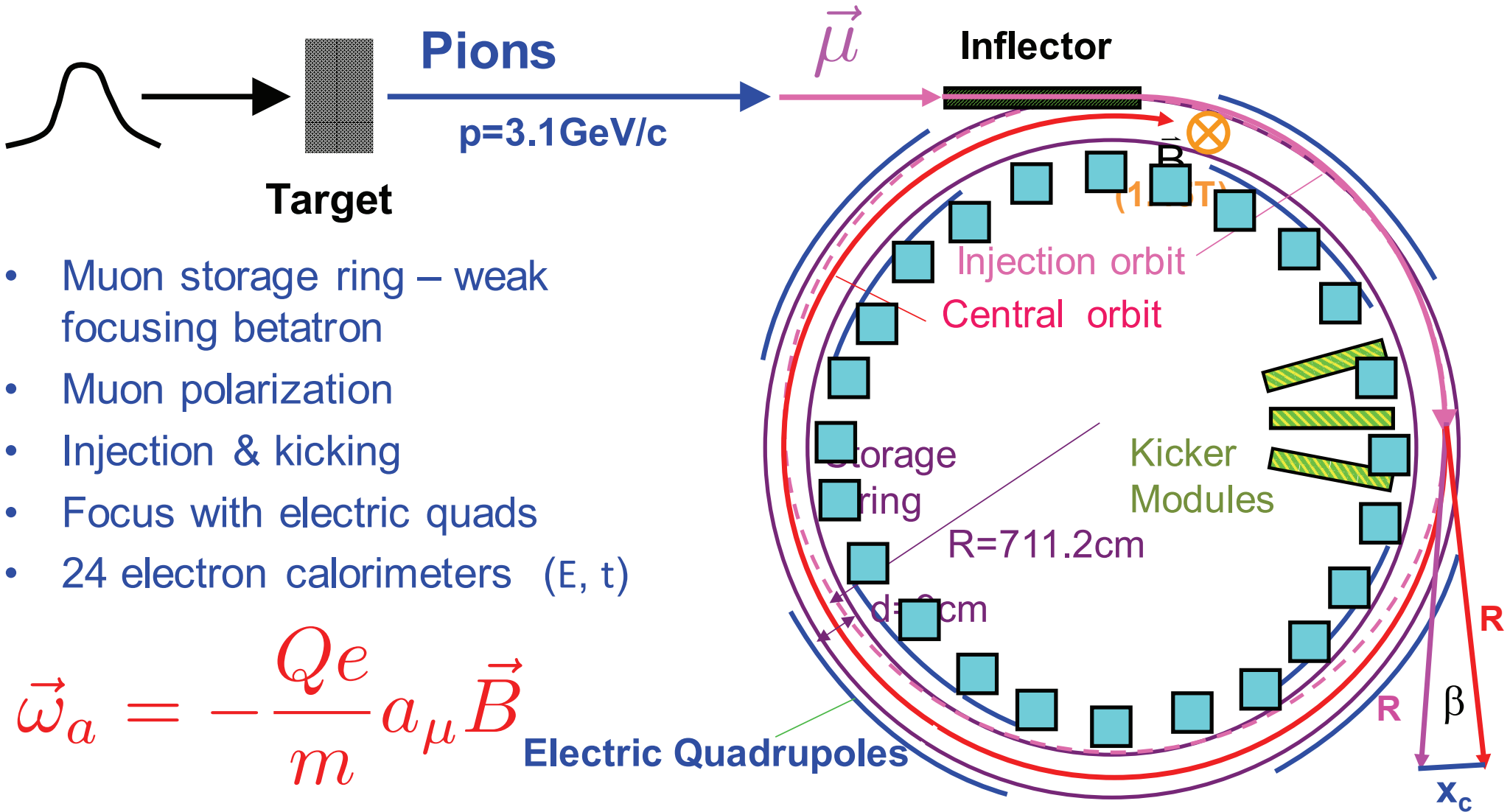
# g-2 ring at Brookhaven National Lab





narrow bunch of protons

$x_c \approx 77 \text{ mm}$   
 $\beta \approx 10 \text{ mrad}$   
 $B \cdot dl \approx 0.1 \text{ Tm}$

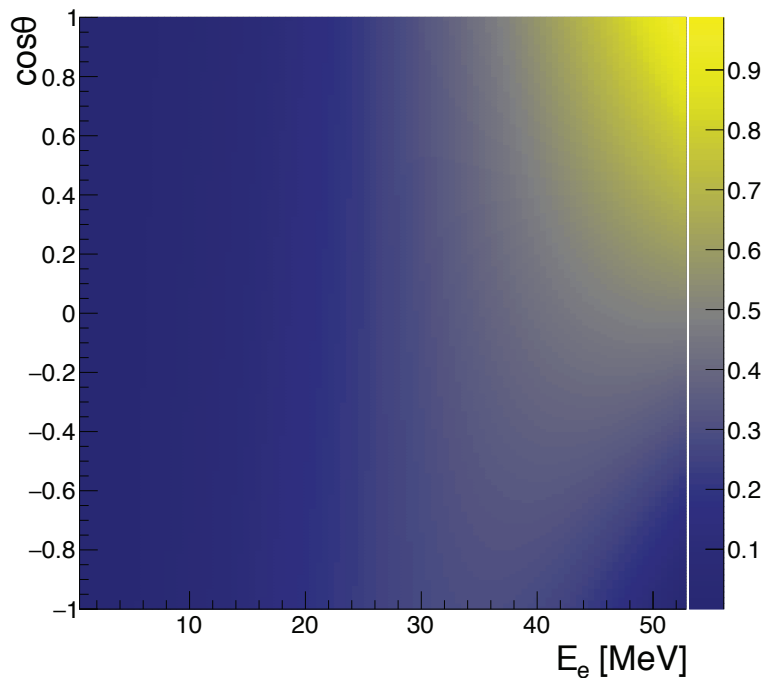
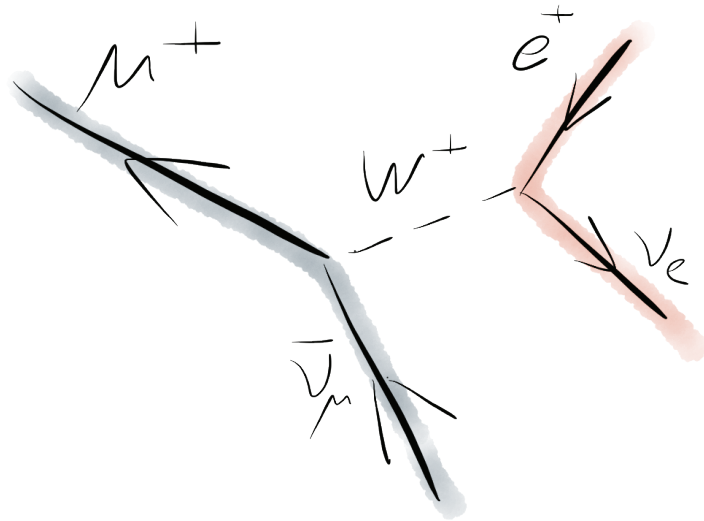


$$\vec{\omega}_a = -\frac{Qe}{m} a_\mu \vec{B}$$

Electric Quadrupoles

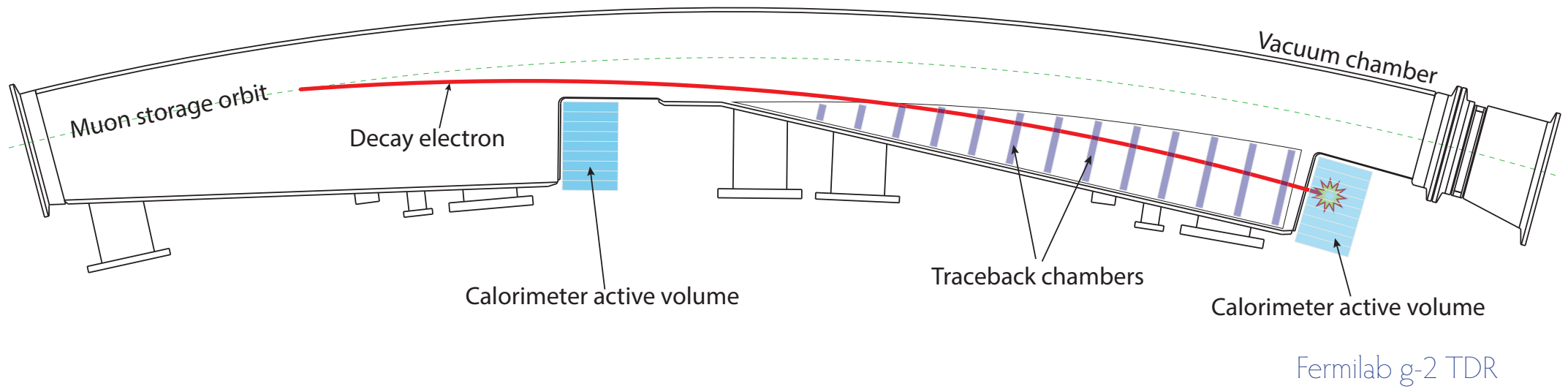
L. Roberts

# Where does the spin point?



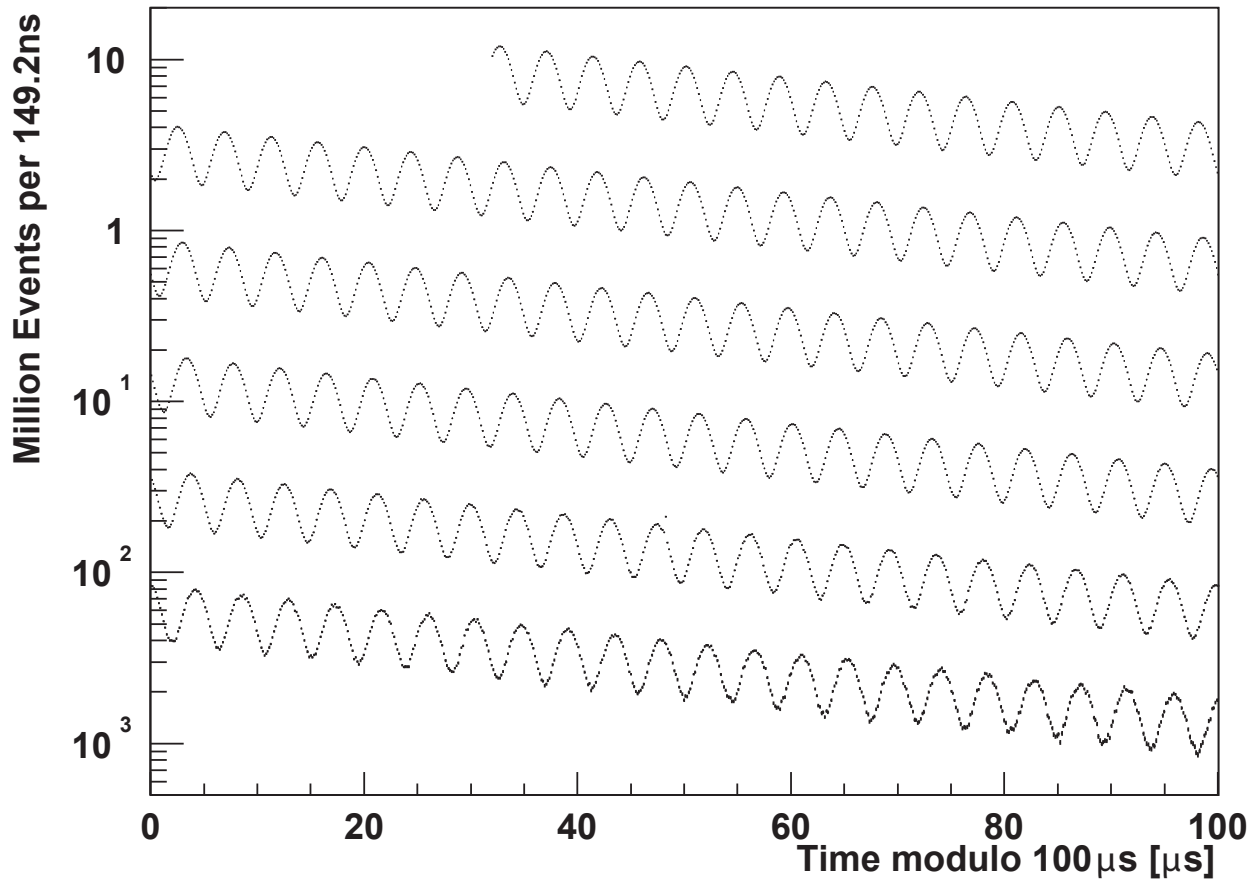
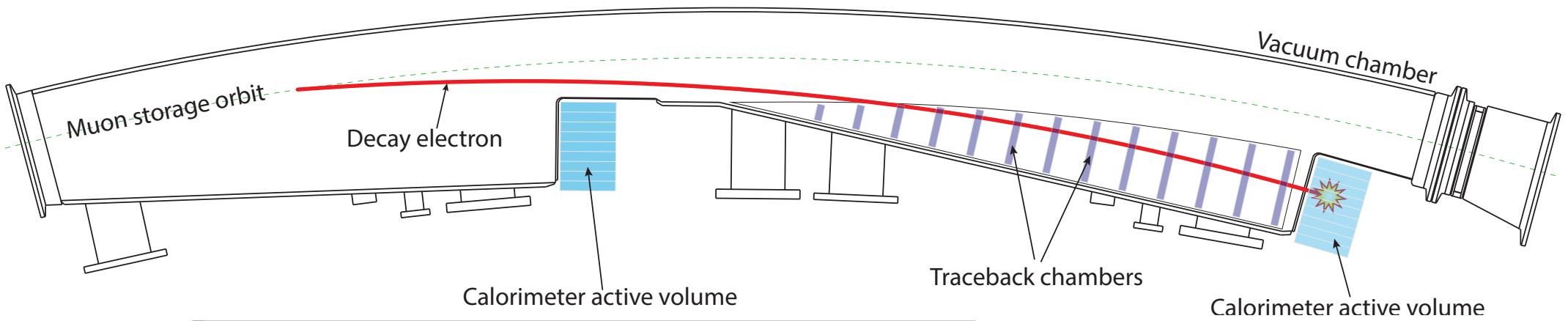
- 3-body muon decay (“Michel”-decay)
- Only electron/positron visible
- High energy  $e^-/e^+$  preferentially parallel/antiparallel to spin

# Detecting electrons





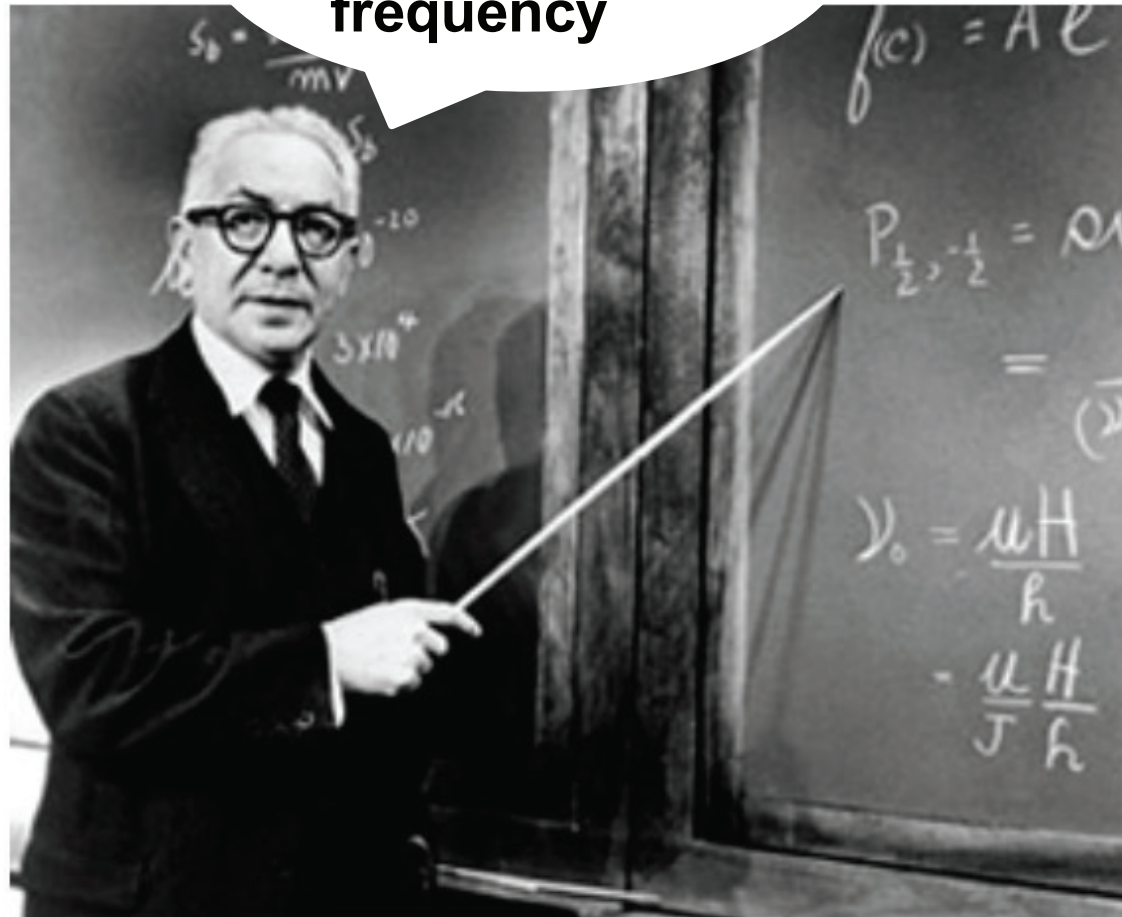
# Detecting electrons



G. Bennett, et al.,  
(Muon  $(g - 2)$  Collaboration),  
Phys. Rev. D73, 072003 (2006).

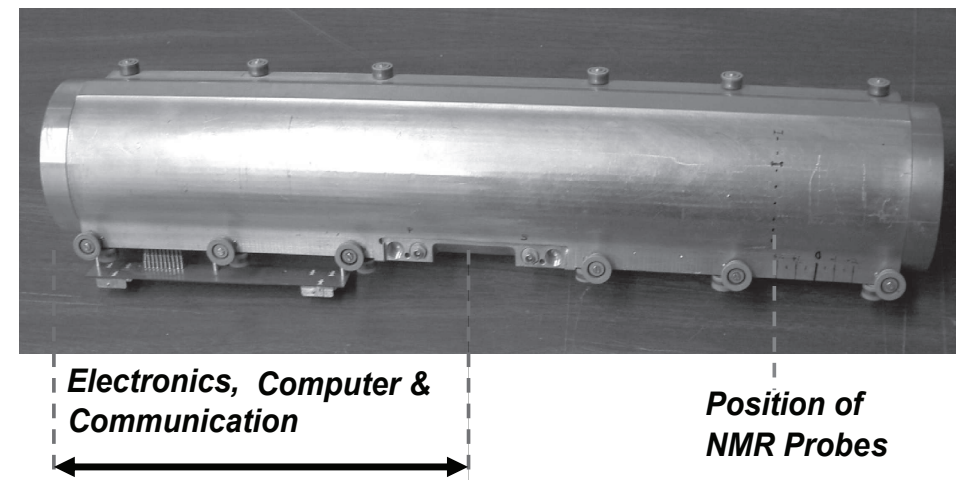
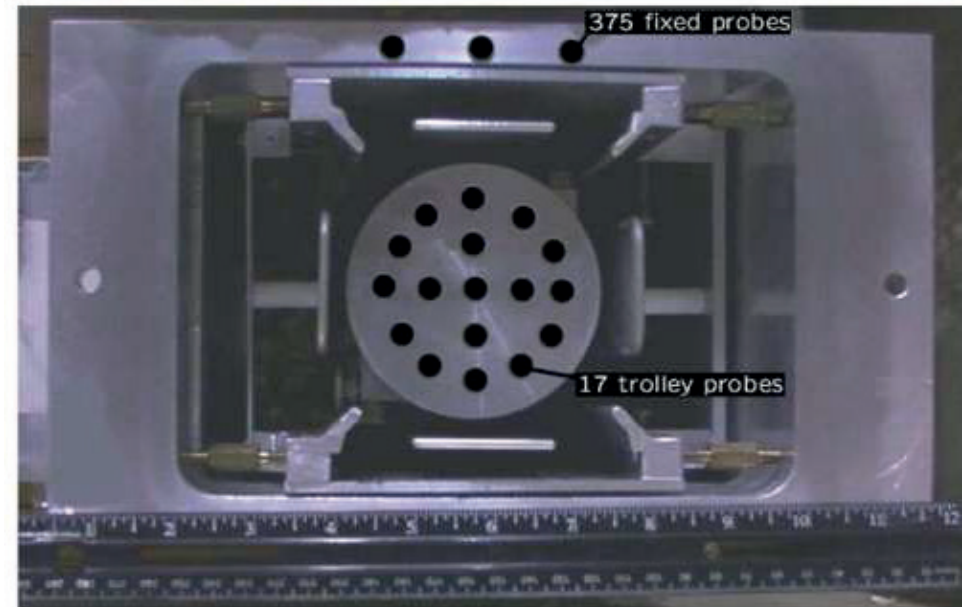
# I.I. Rabi

Never measure  
anything but  
frequency



# Measuring the field

- Use nuclear magnetic resonance probes
- Around ring
- In trolley



K. Jungmann



## We measure two frequencies: $\omega_a$ and $\omega_p$

- The magnetic field is normalized to the Larmor frequency of a free proton.
- Spherical absolute calibration probe ties our NMR frequency to the free proton.
- We must weight the magnetic field by the muon distribution to obtain  $\tilde{\omega}_p = \langle \omega_p \rangle_{\mu \text{ dist}}$

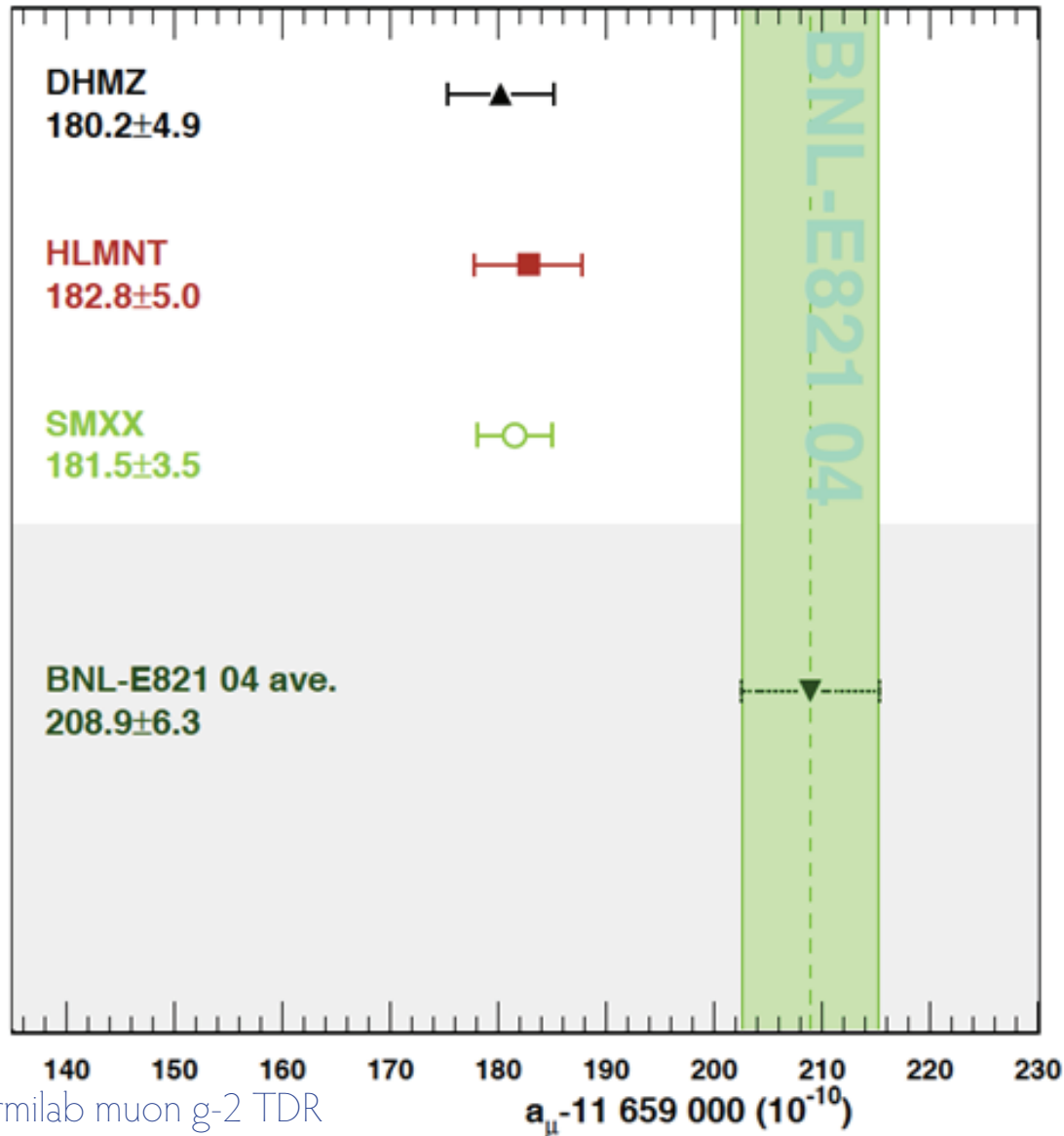
$$a_{\mu} = \left( \frac{g_e}{2} \right) \left( \frac{m_{\mu}}{m_e} \right) \left( \frac{\mu_p}{\mu_e} \right) \left( \frac{\omega_a}{\tilde{\omega}_p} \right)$$

- where the fundamental constants are known from other experiments.

L. Roberts

Putting it all together...

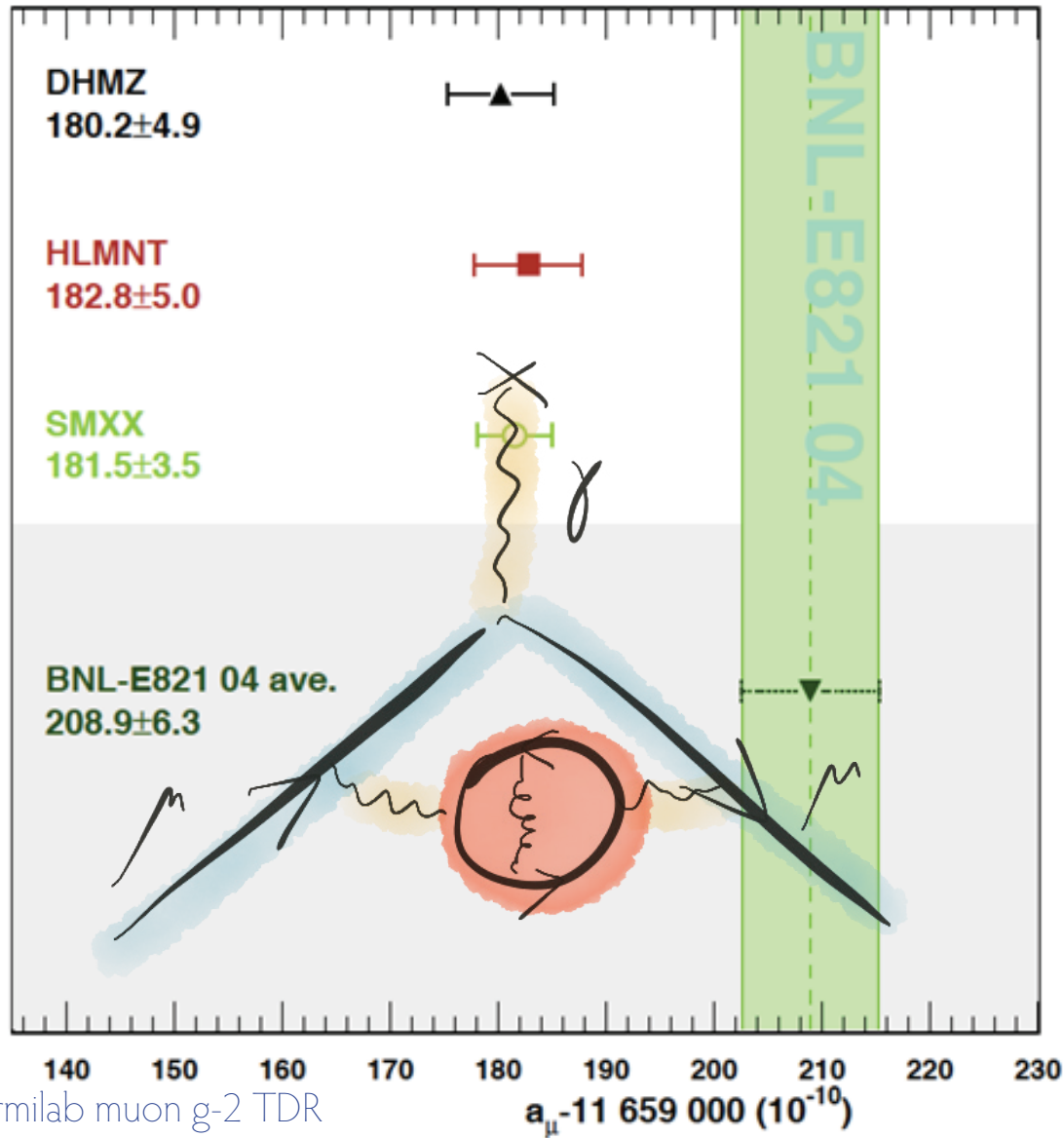
$$a_{SM} = 11\,659\,182.8(4.9) \times 10^{-10}$$
$$a_{exp} = 11\,659\,208.9(4.4)(3.3) \times 10^{-10}$$



Fermilab muon g-2 TDR  
arxiv:1501.06858

- SM prediction and measurement differ by 3 - 4  $\sigma$

# Putting it all together...



Fermilab muon g-2 TDR  
arxiv:1501.06858

- Statistical fluctuation?
- Problem with theory?
- Lots of work ongoing
- Problem with experiment?
- New physics?
- New measurements planned

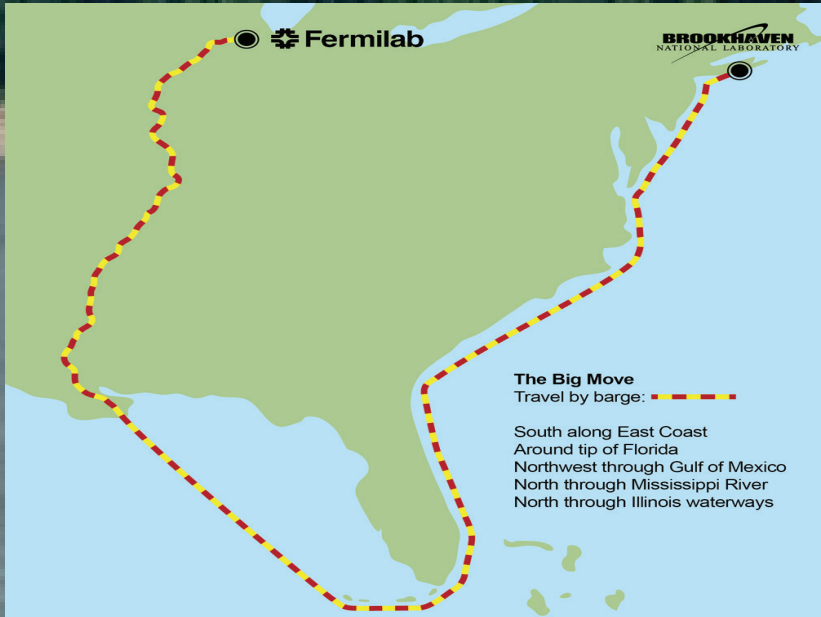


# The big move ...

- Bring ring from Brookhaven to Fermilab



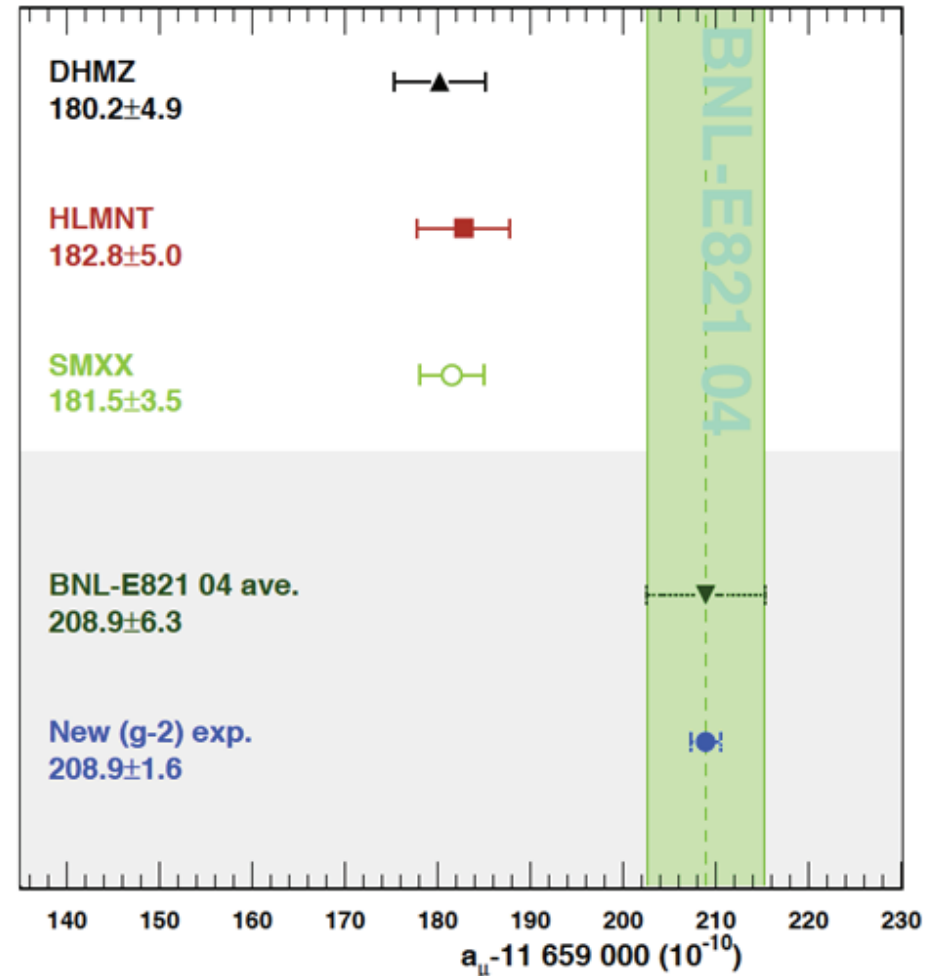




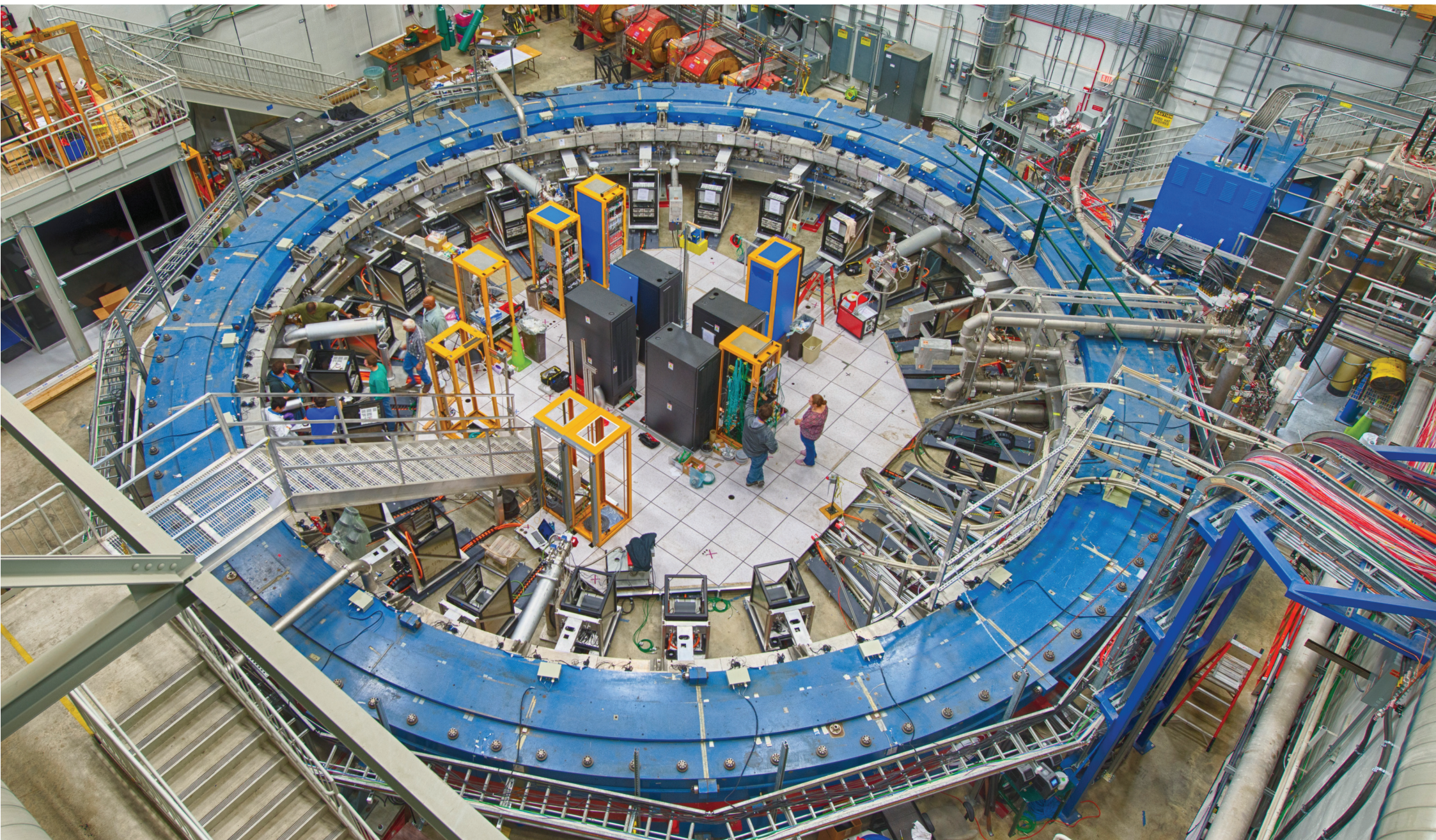
# Fermilab g-2

Improve over Brookhaven with:

- 20 x more muons
- Cleaner beam
- Better calorimeters, trackers
- More field probes
- Better environment control
- Goal: 4 times smaller error



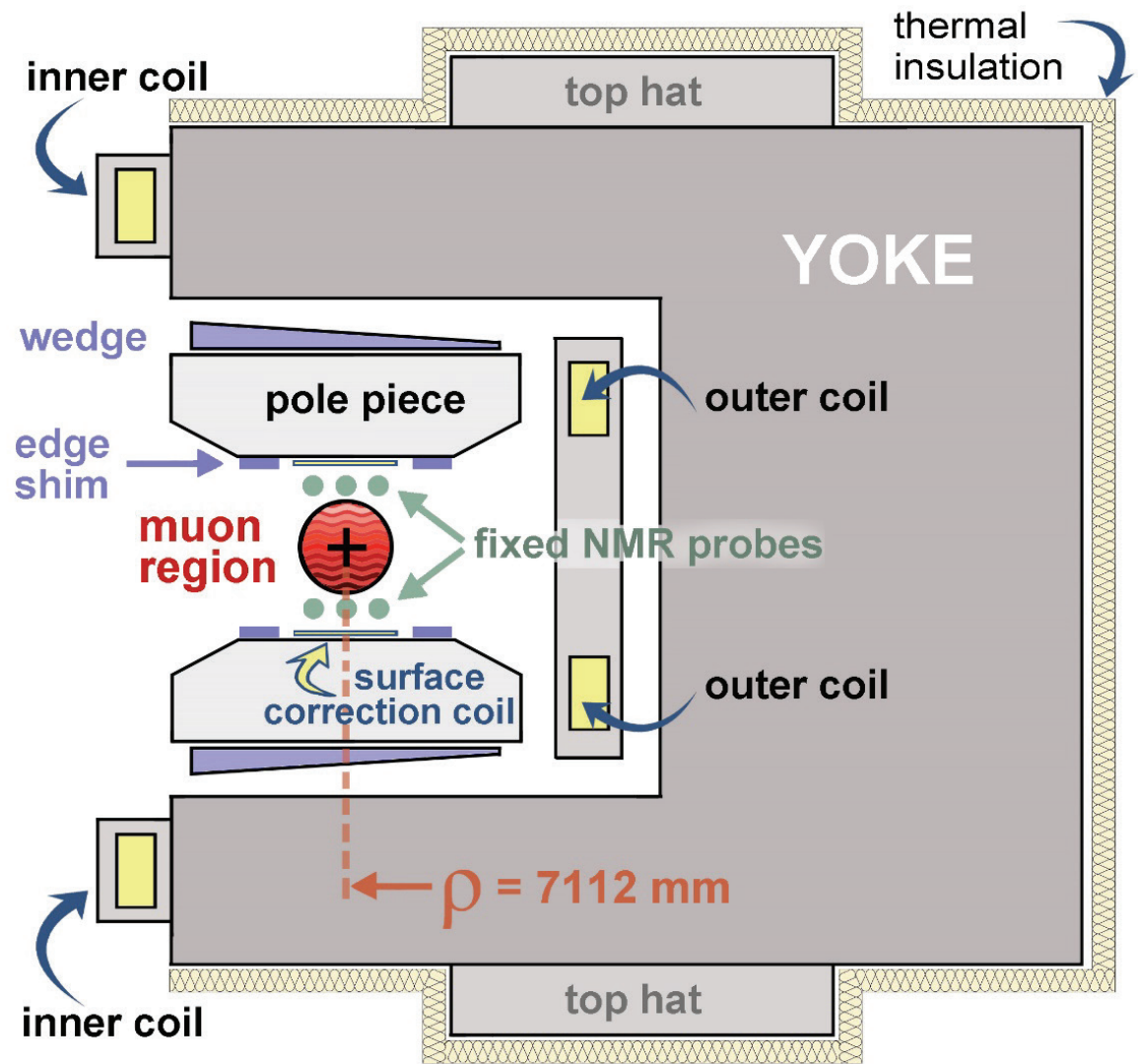






# Getting a good field

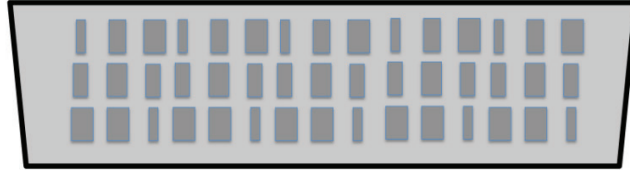
- B-field 1.45 T
- 12 Yokes
- 24 iron top hats: change effective  $\mu$
- 864 wedges: angle quadrupole and dipole
- Edge shims: quadrupole and sextupole field correction
- 8000 surface iron foils: change field locally
- Surface coils



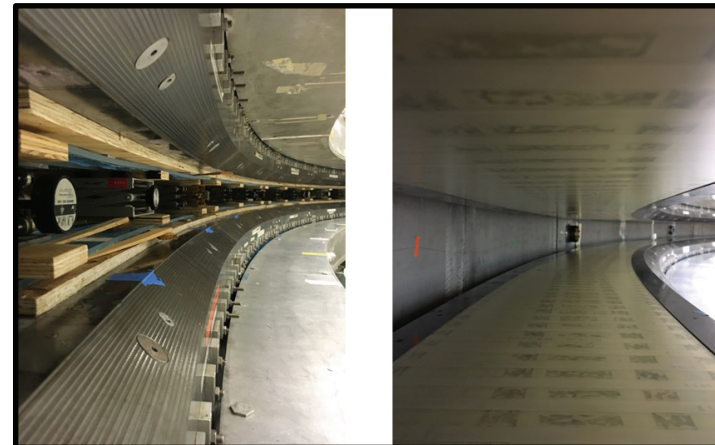
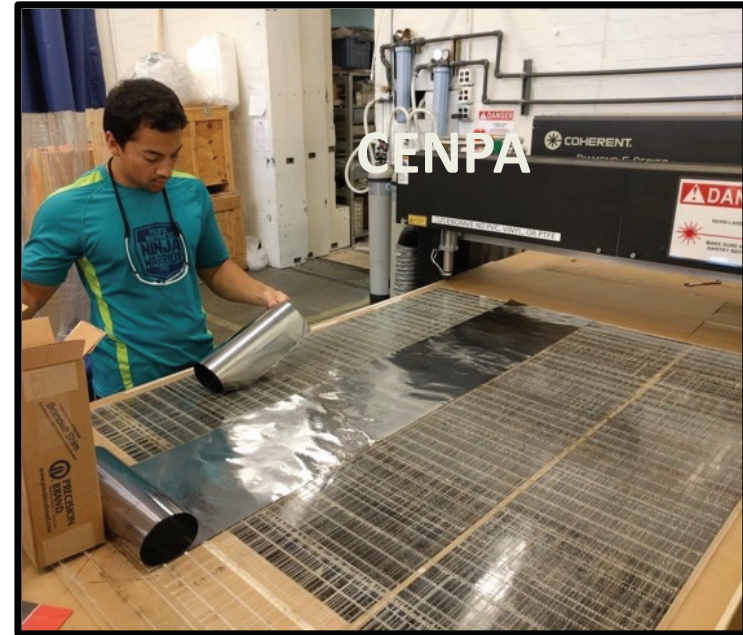
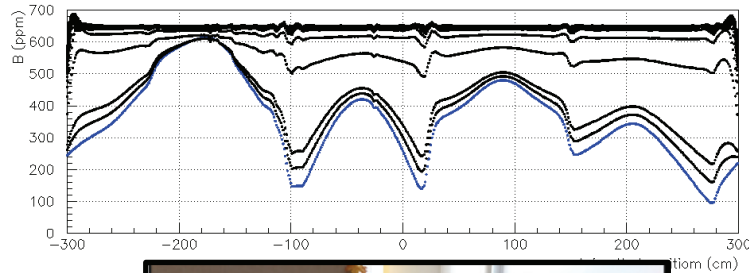
**g-2 Magnet in Cross Section**

# The final shimming tool: Iron Laminations

Cover each pole with a patchwork of foils in 41 azimuthal and 3 radial sections



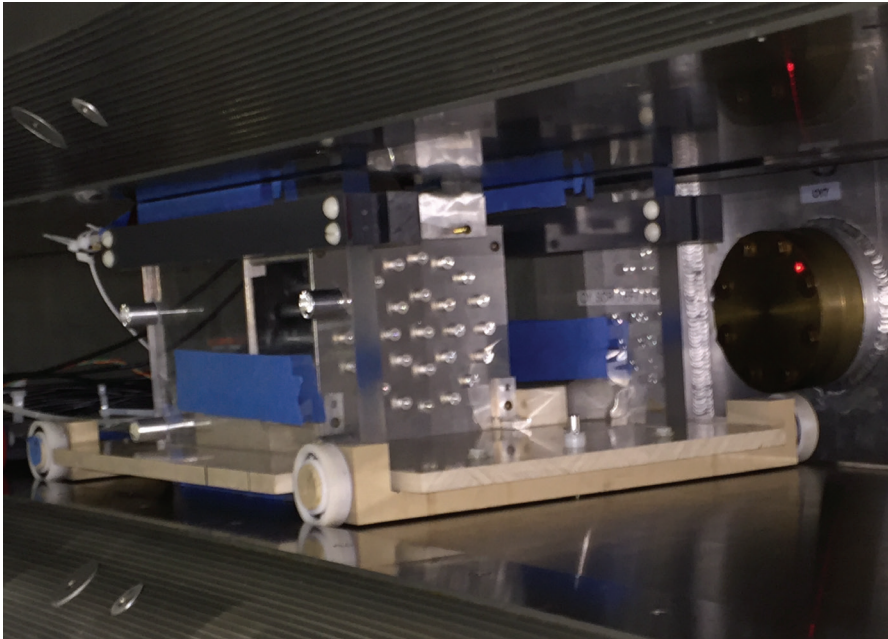
Determine optimal foil mass values by iterative procedure that minimizes field inhomogeneity around a target value  
– Dave Kawall U Mass



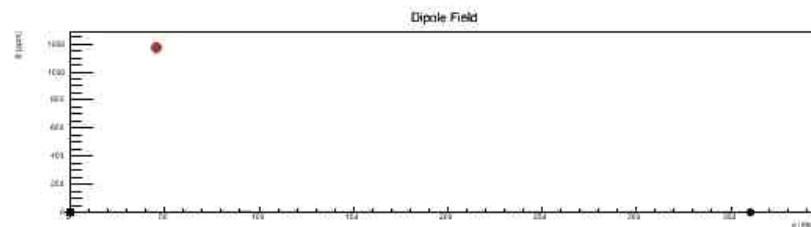
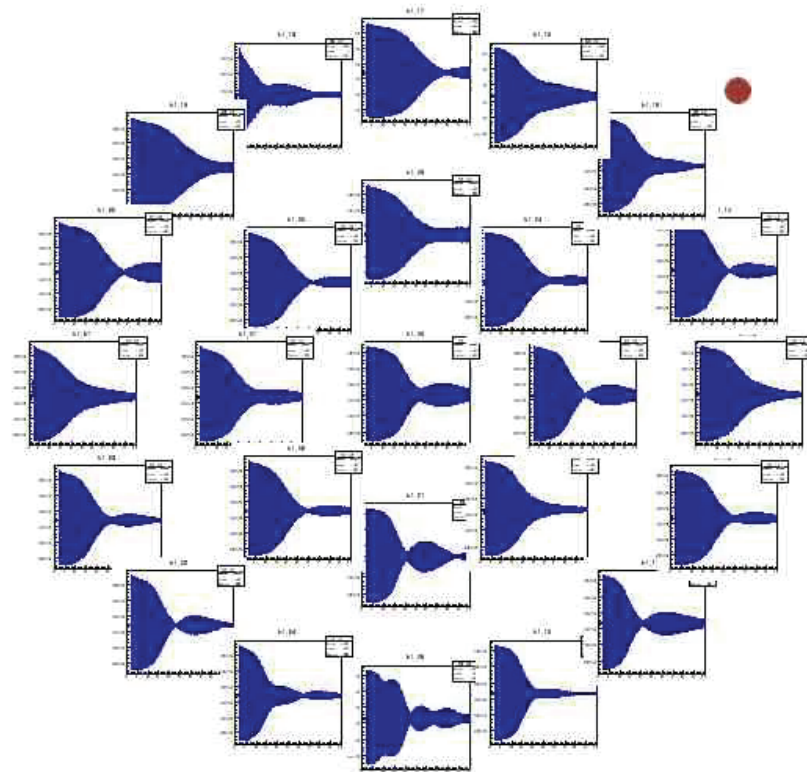
L. Roberts



- Use a special trolley

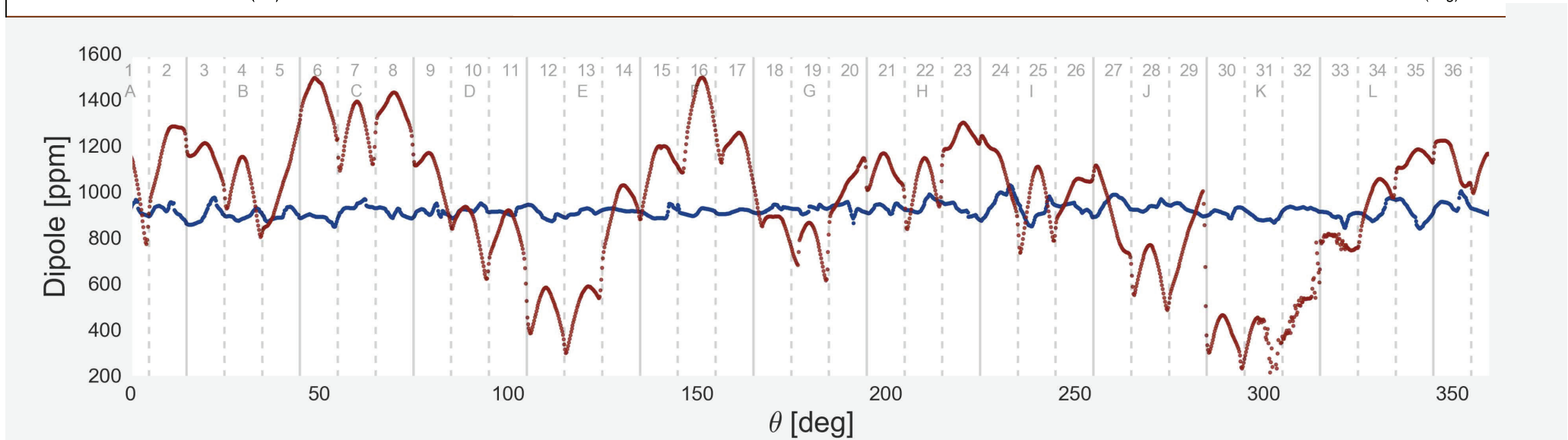
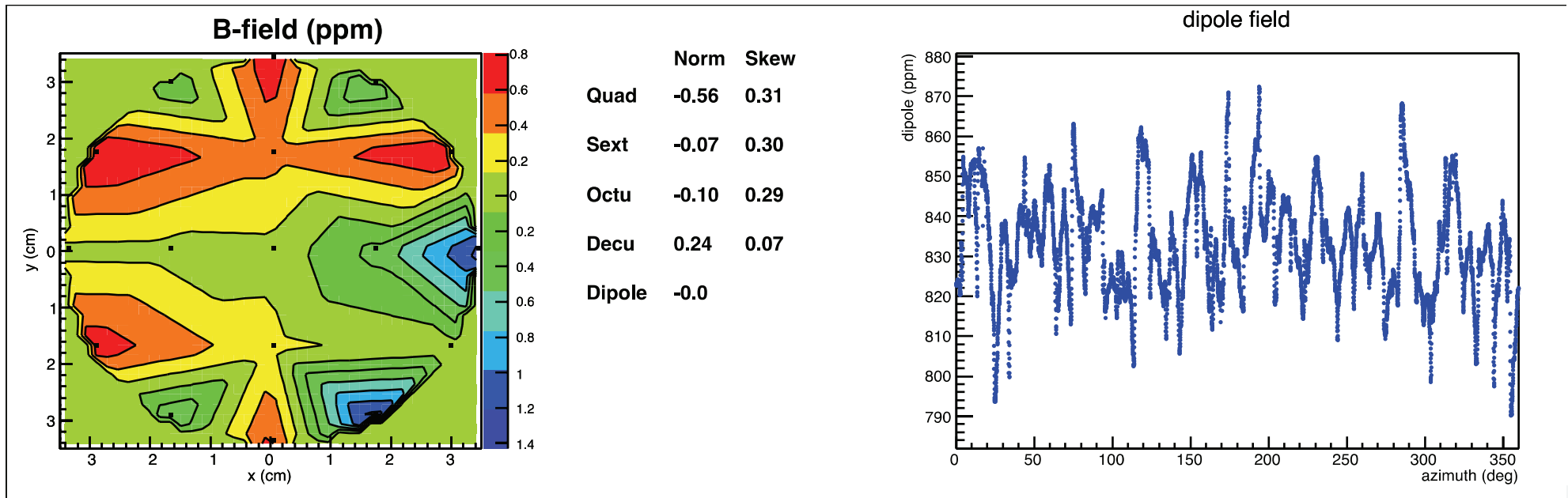


- Beating  $\Rightarrow$  gradients

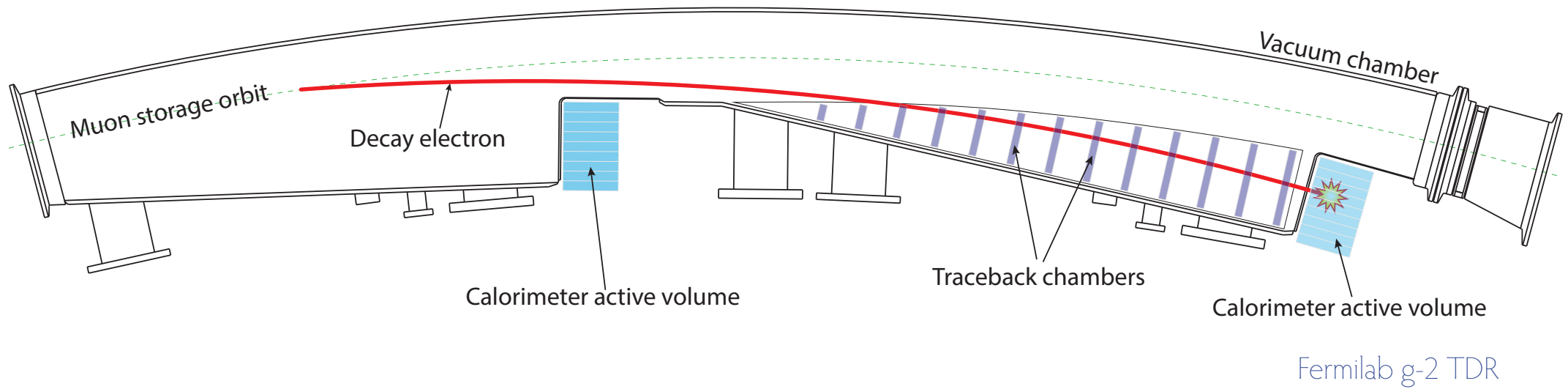


# Precision field

Point-to-point < 25 ppm



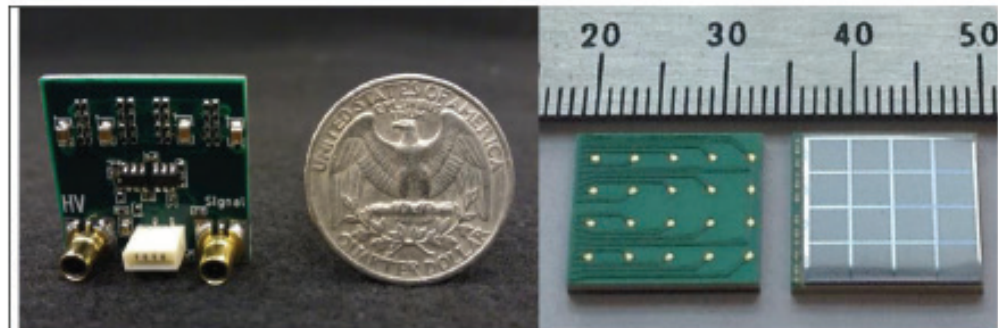
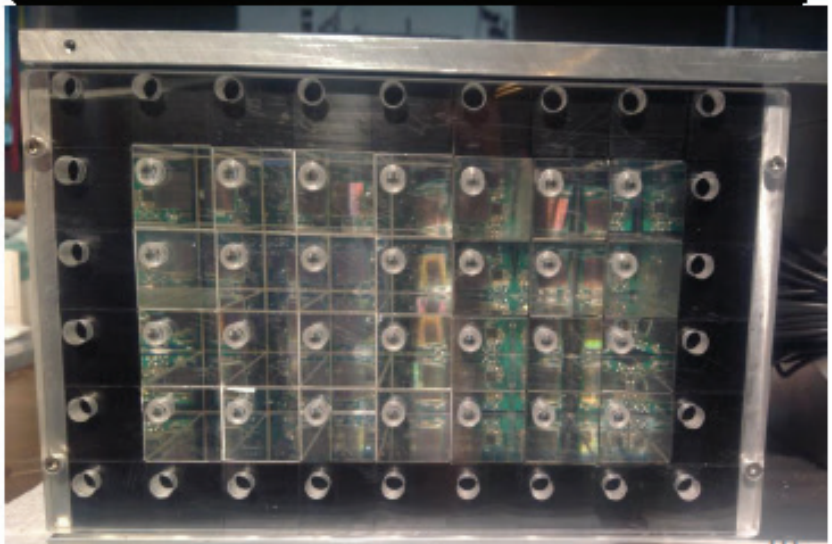
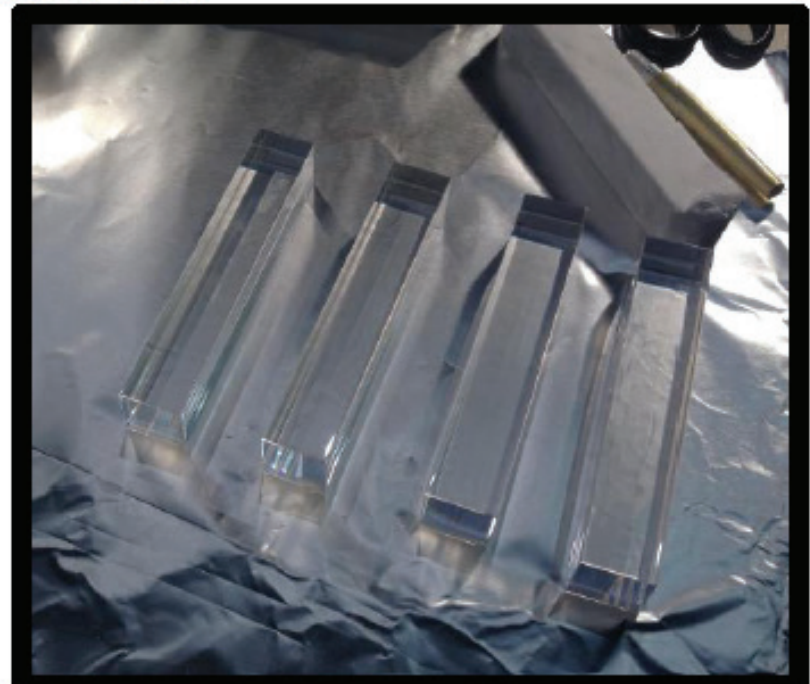
# Detecting electrons





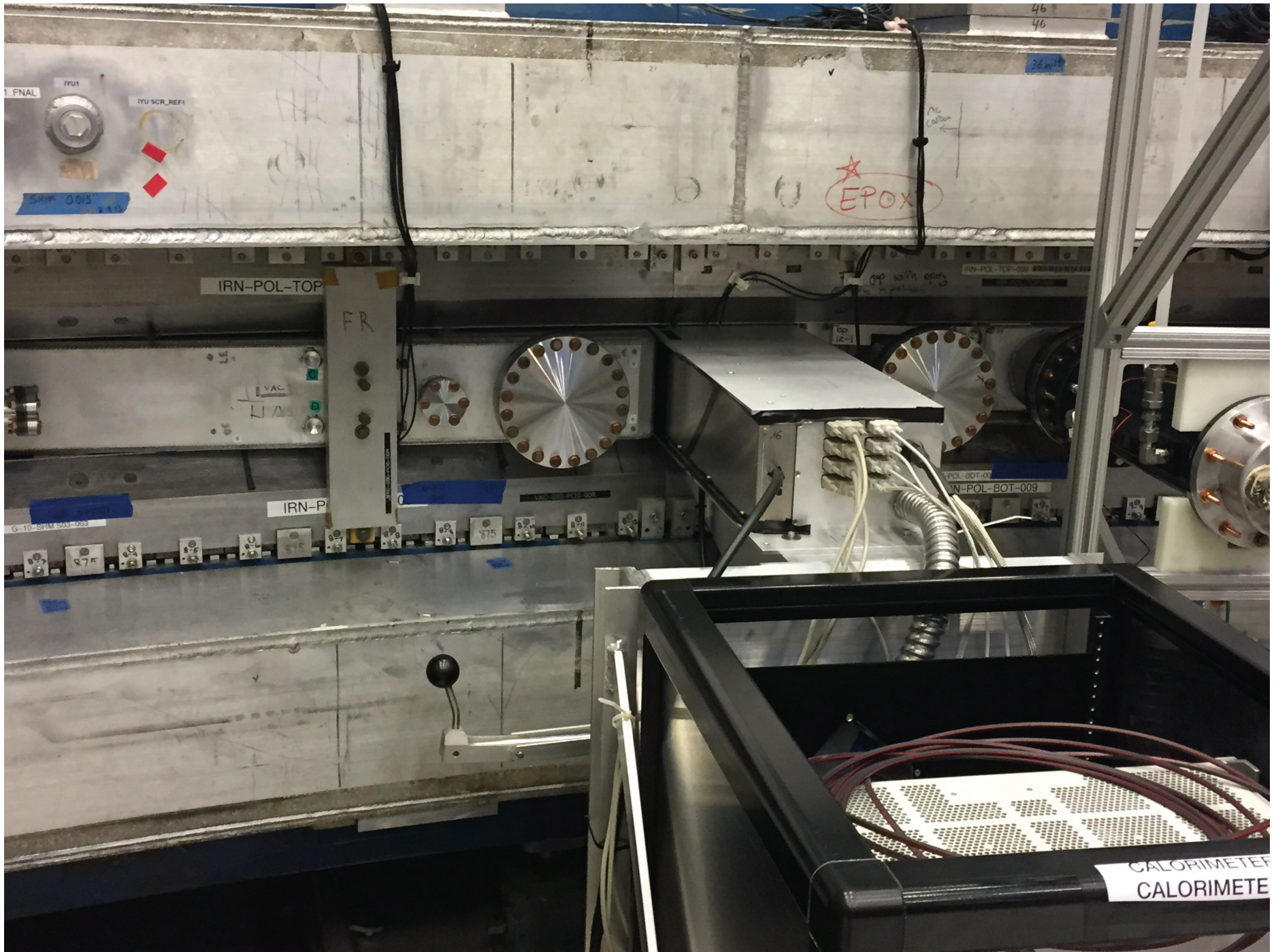
# Detecting electrons: $\text{PbF}_2$ calorimeters

- Cherenkov light gives short pulse duration (few ns)
- High density ( $7.77 \text{ g/cm}^3$ ), small Molière radius (2.1 cm)
- SiPMs unaffected by magnetic fields
- Segmentation reduces pileup
- Event rate in MHz range
- Few thousand pe per event ( $\sim 1.5 \text{ pe/MeV}$ )

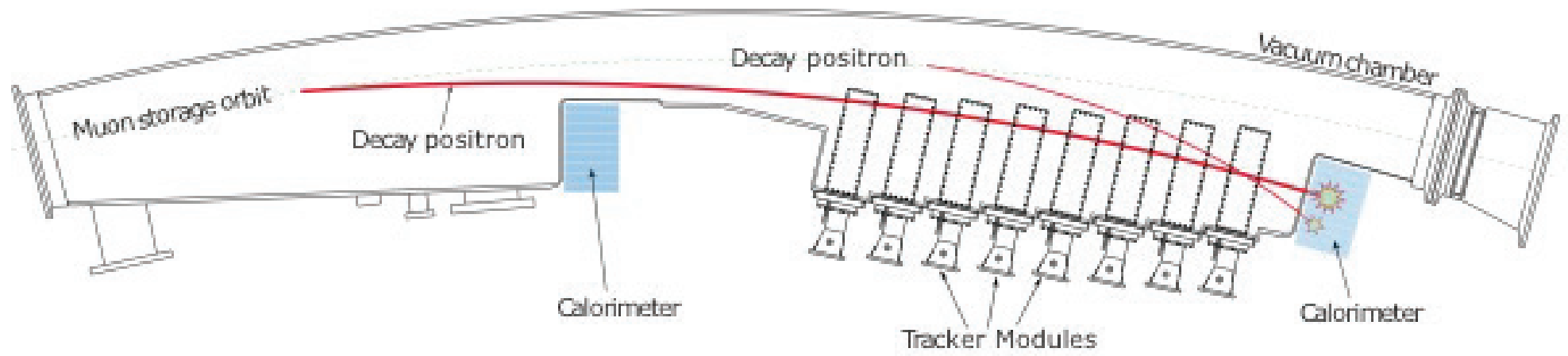


28-channel prototype calorimeter tested at SLAC

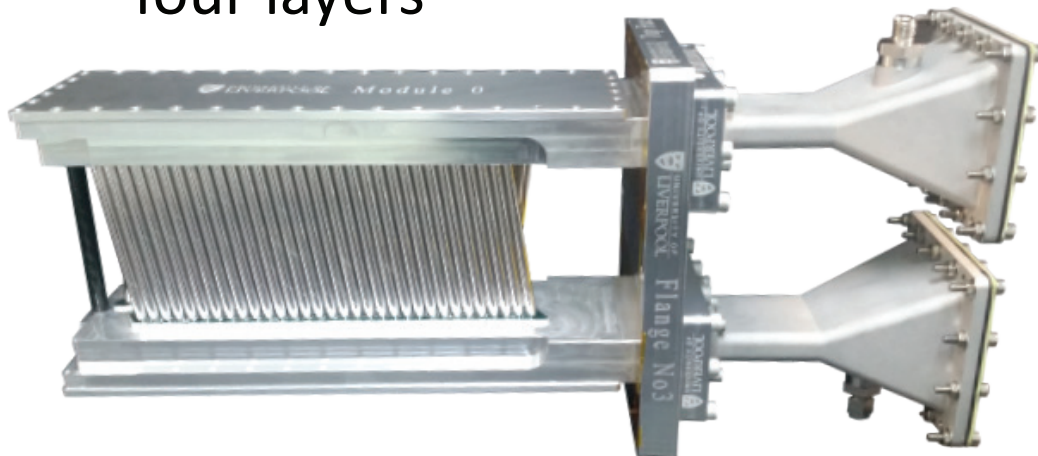








- Each module has 128 straws in four layers

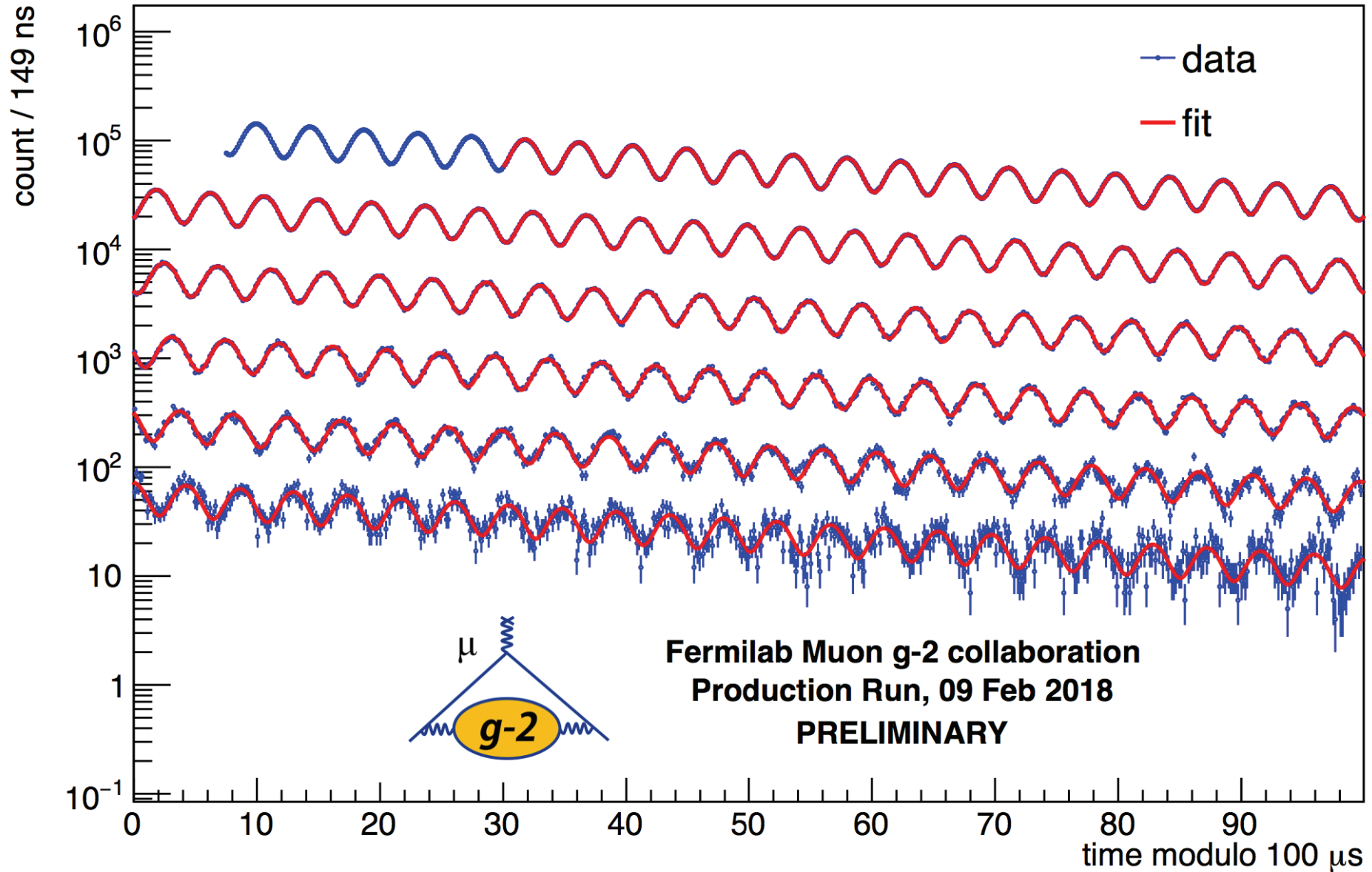


Muon's-eye view inside vacuum chamber

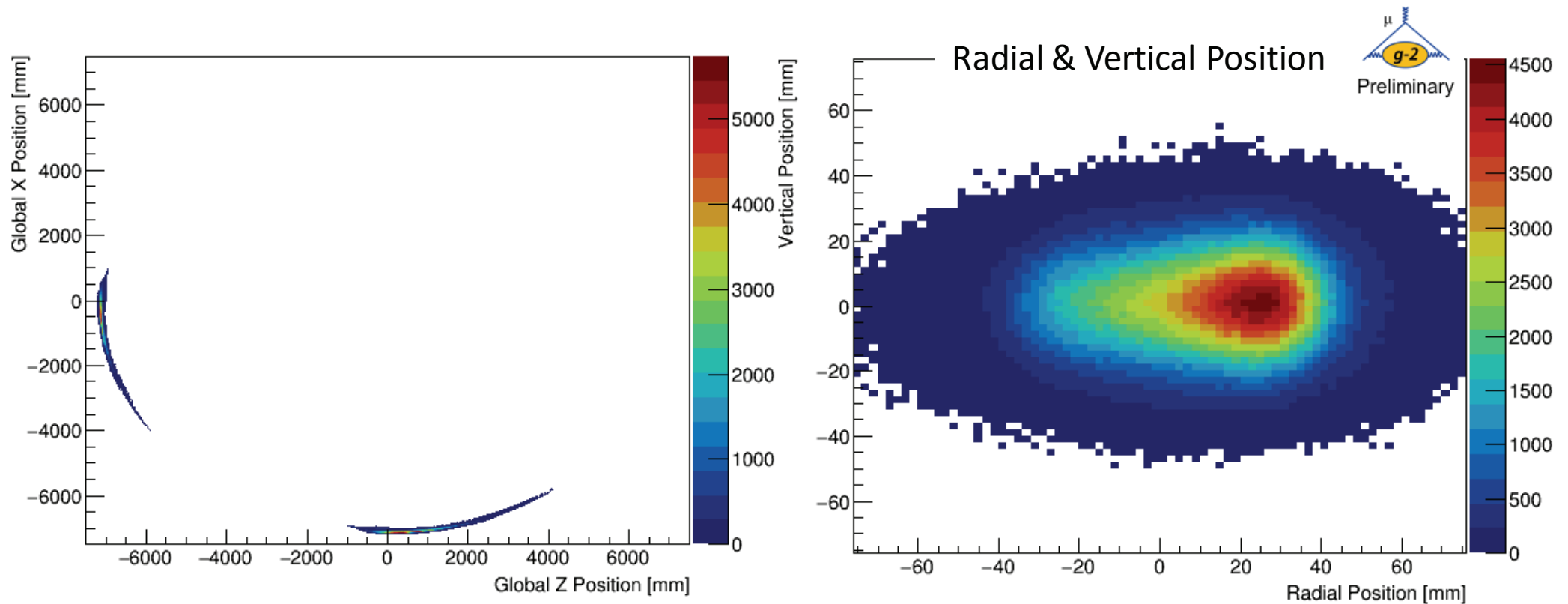




# Beam on!



# Where are the muons? (2/3 of trackers installed)



# Systematic Errors on $\omega_a$ (ppb)

| Category      | E821<br>[ppb] | E989 Improvement Plans   | Goal<br>[ppb] |
|---------------|---------------|--|---------------|
| Gain changes  | 120           | Better laser calibration<br>low-energy threshold                 | 20            |
| Pileup        | 80            | Low-energy samples recorded<br>calorimeter segmentation          | 40            |
| Lost muons    | 90            | Better collimation in ring                                       | 20            |
| CBO           | 70            | Higher $n$ value (frequency)<br>Better match of beamline to ring | < 30          |
| $E$ and pitch | 50            | Improved tracker<br>Precise storage ring simulations             | 30            |
| Total         | 180           | Quadrature sum   | 70            |

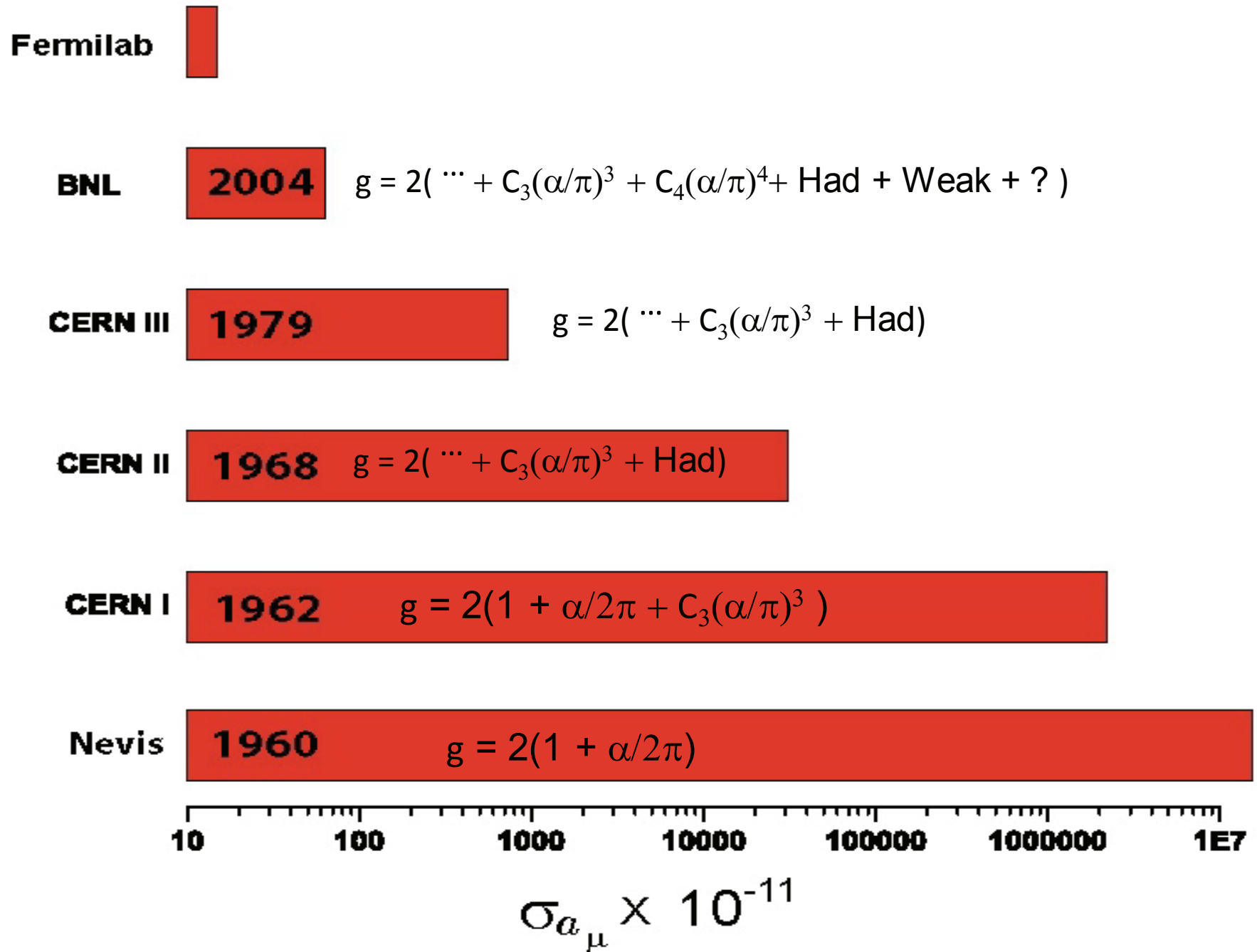


# Errors on the field measurement

| Source of uncertainty                             | R99<br>[ppb] | R00<br>[ppb] | R01<br>[ppb] | E989<br>[ppb] |
|---|--------------|--------------|--------------|---------------|
| Absolute calibration of standard probe            | 50           | 50           | 50           | 35            |
| Calibration of trolley probes                     | 200          | 150          | 90           | 30            |
| Trolley measurements of $B_0$                     | 100          | 100          | 50           | 30            |
| Interpolation with fixed probes                   | 150          | 100          | 70           | 30            |
| Uncertainty from muon distribution                | 120          | 30           | 30           | 10            |
| Inflector fringe field uncertainty                | 200          | –            | –            | –             |
| Time dependent external $B$ fields                | –            | –            | –            | 5             |
| Others †  | 150          | 100          | 100          | 30            |
| Total systematic error on $\omega_p$              | 400          | 240          | 170          | 70            |
| Muon-averaged field [Hz]: $\tilde{\omega}_p/2\pi$ | 61 791 256   | 61 791 595   | 61 791 400   | –             |

- †Higher multipoles, trolley temperature ( $\leq 50$  ppb/ $^\circ$  C) and power supply voltage response (400 ppb/V,  $\Delta V=50$  mV), and eddy currents from the kicker.

Experiment



Can we do a different experiment for  $g-2$ ?



New idea: Use cold muons

$$\frac{d\vec{s}}{dt} = \frac{q}{m} \left( a\vec{B} + \left( a - \frac{1}{1-\gamma^2} \right) (\vec{v} \times \vec{E}) \right) \times \vec{s}$$

No vertical focusing - no electric field

New idea: Use cold muons

$$\frac{d\vec{s}}{dt} = \frac{q}{m} \left( a\vec{B} + \left( a - \frac{1}{1-\gamma^2} \right) (\vec{v} \times \cancel{\vec{E}}) \right) \times \vec{s}$$

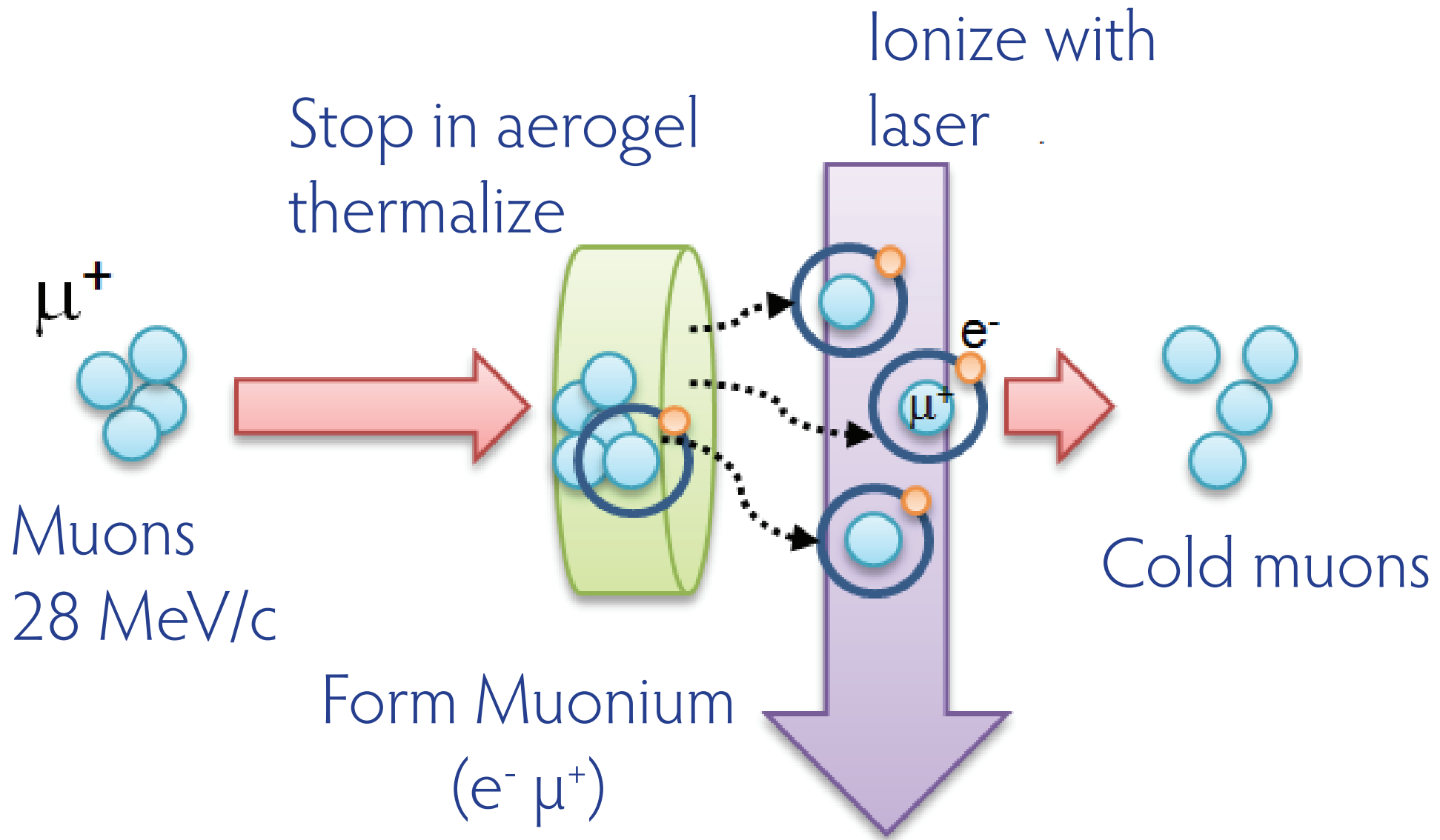
= 0

No vertical focusing - no electric field

Can run at lower momentum - smaller magnet

# Cold muons from muonium

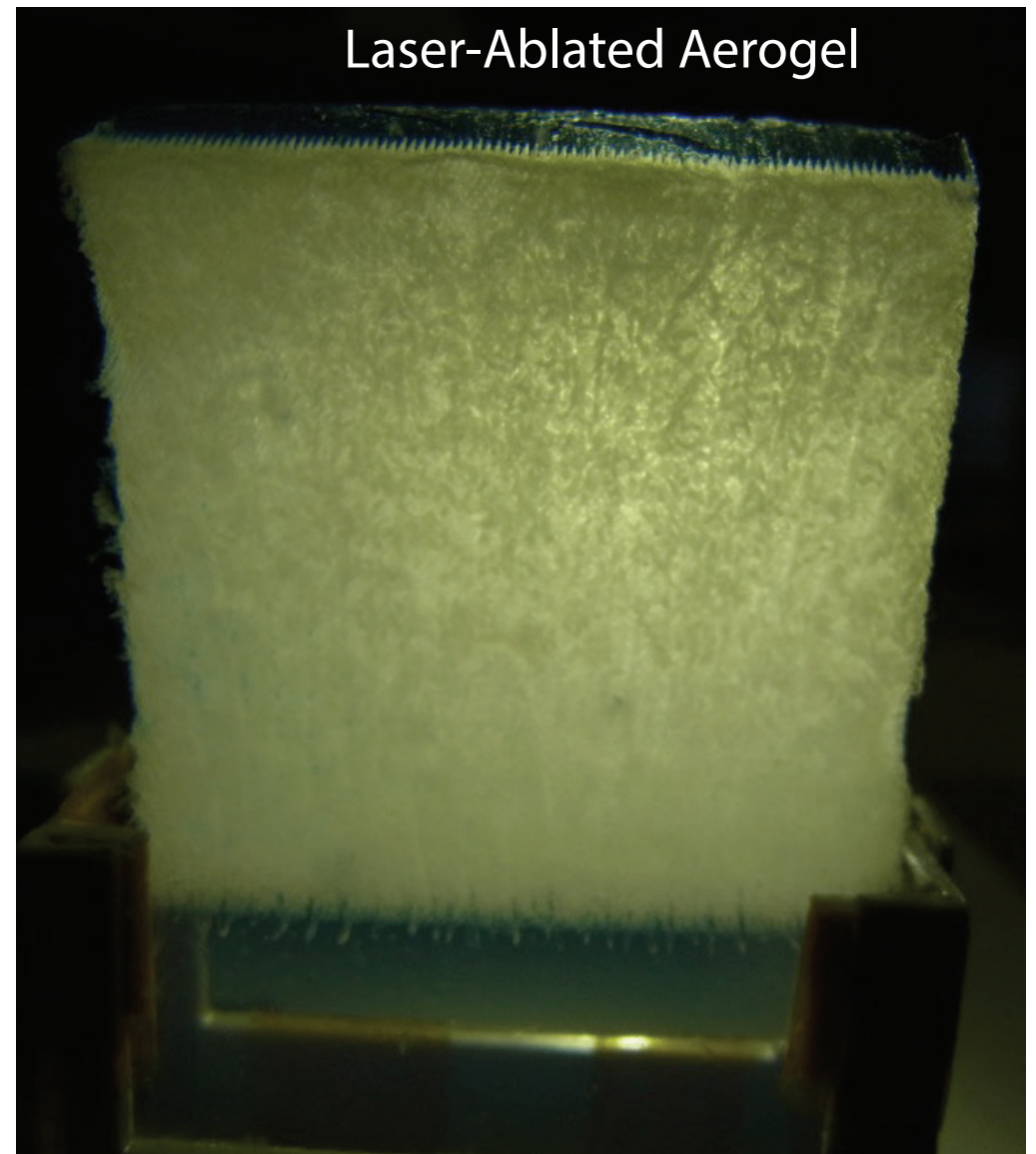
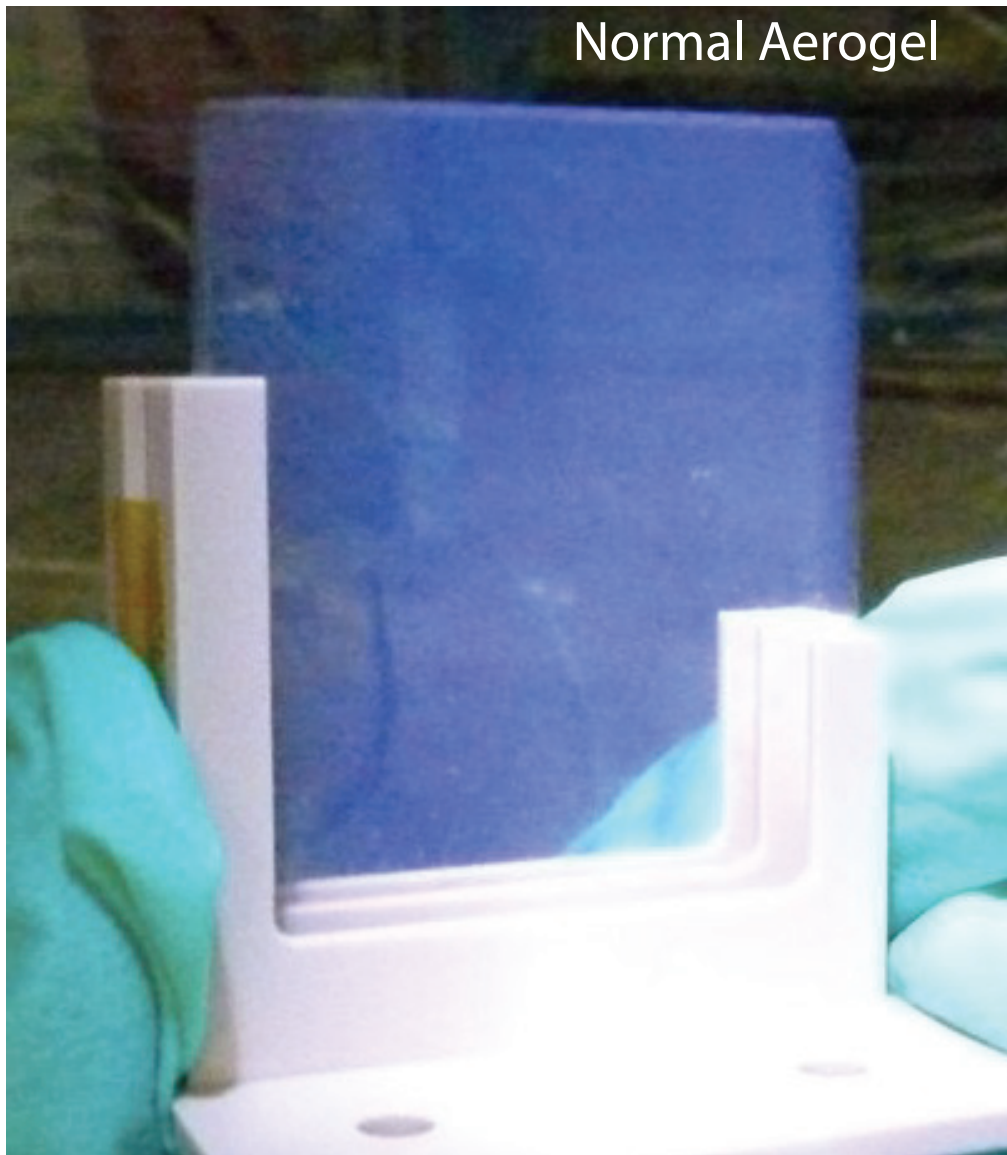
T. Mibe





# Muonium production in aerogel

T. Mibe



1 Muonium in vacuum per 14 muon stops

3 GeV proton beam  
(333  $\mu\text{A}$ )

Graphite target  
(20 mm)

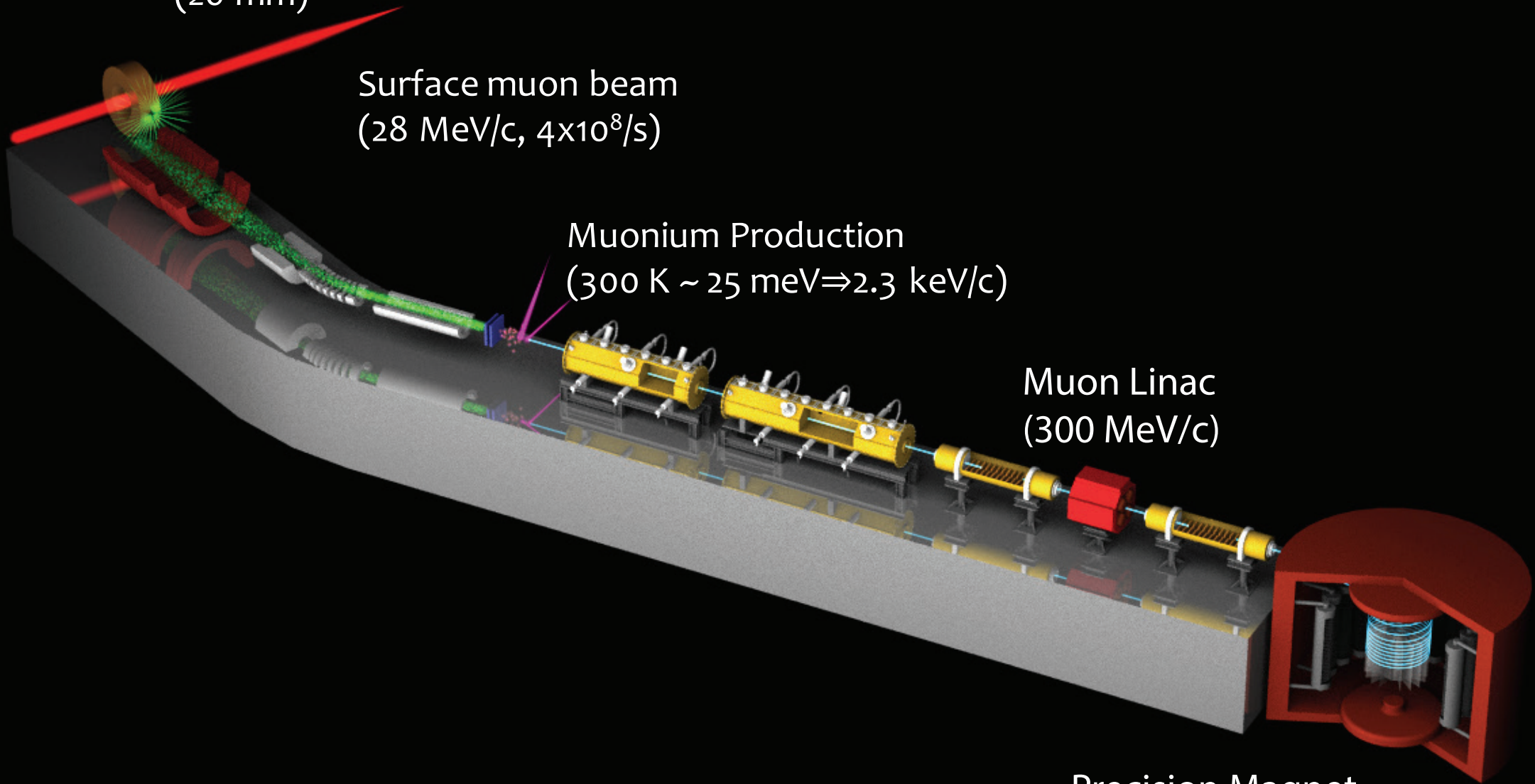
T. Mibe

Surface muon beam  
(28 MeV/c,  $4 \times 10^8/\text{s}$ )

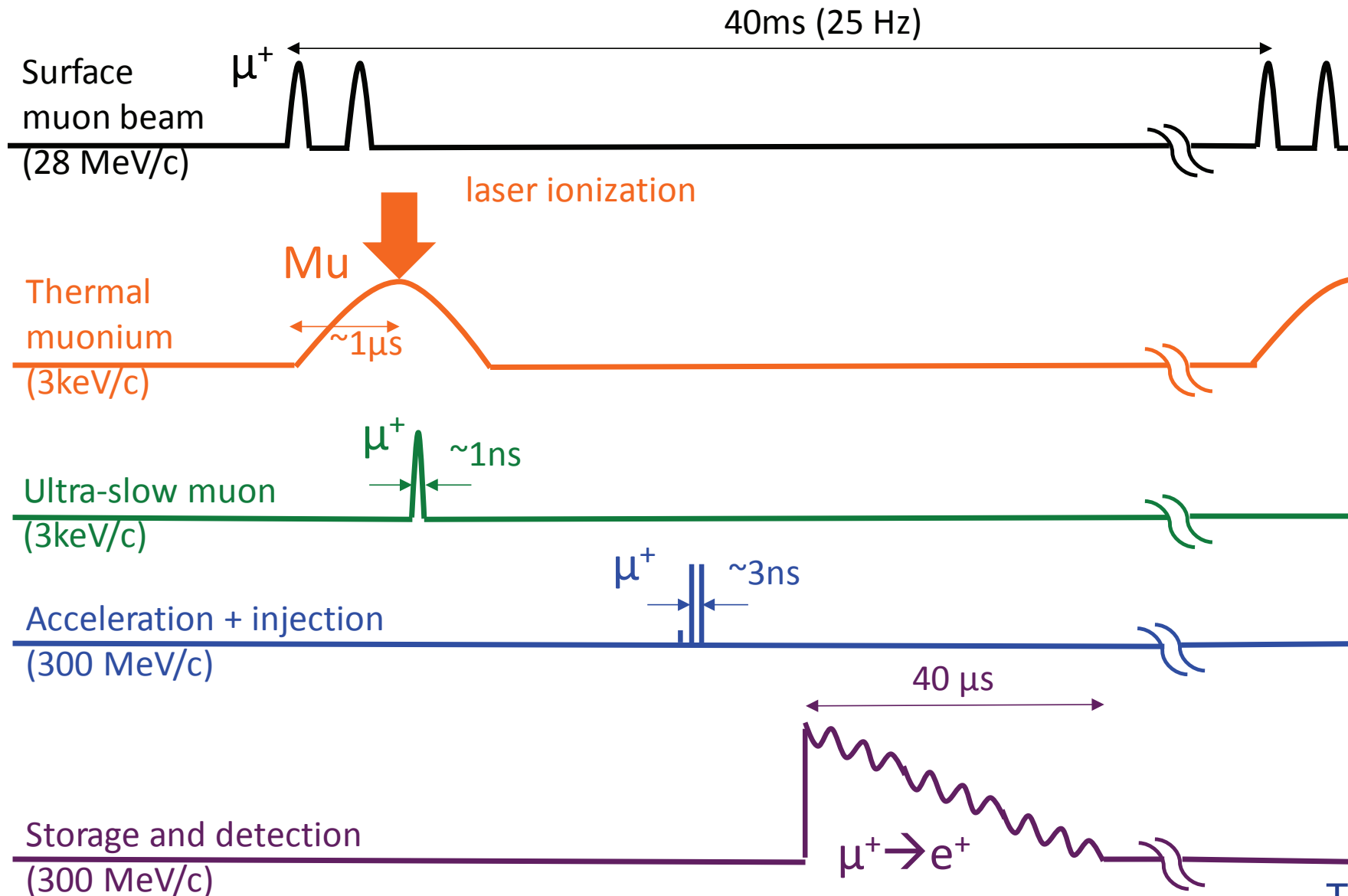
Muonium Production  
(300 K  $\sim$  25 meV  $\Rightarrow$  2.3 keV/c)

Muon Linac  
(300 MeV/c)

Precision Magnet  
(3T,  $\sim$  1 ppm local precision)

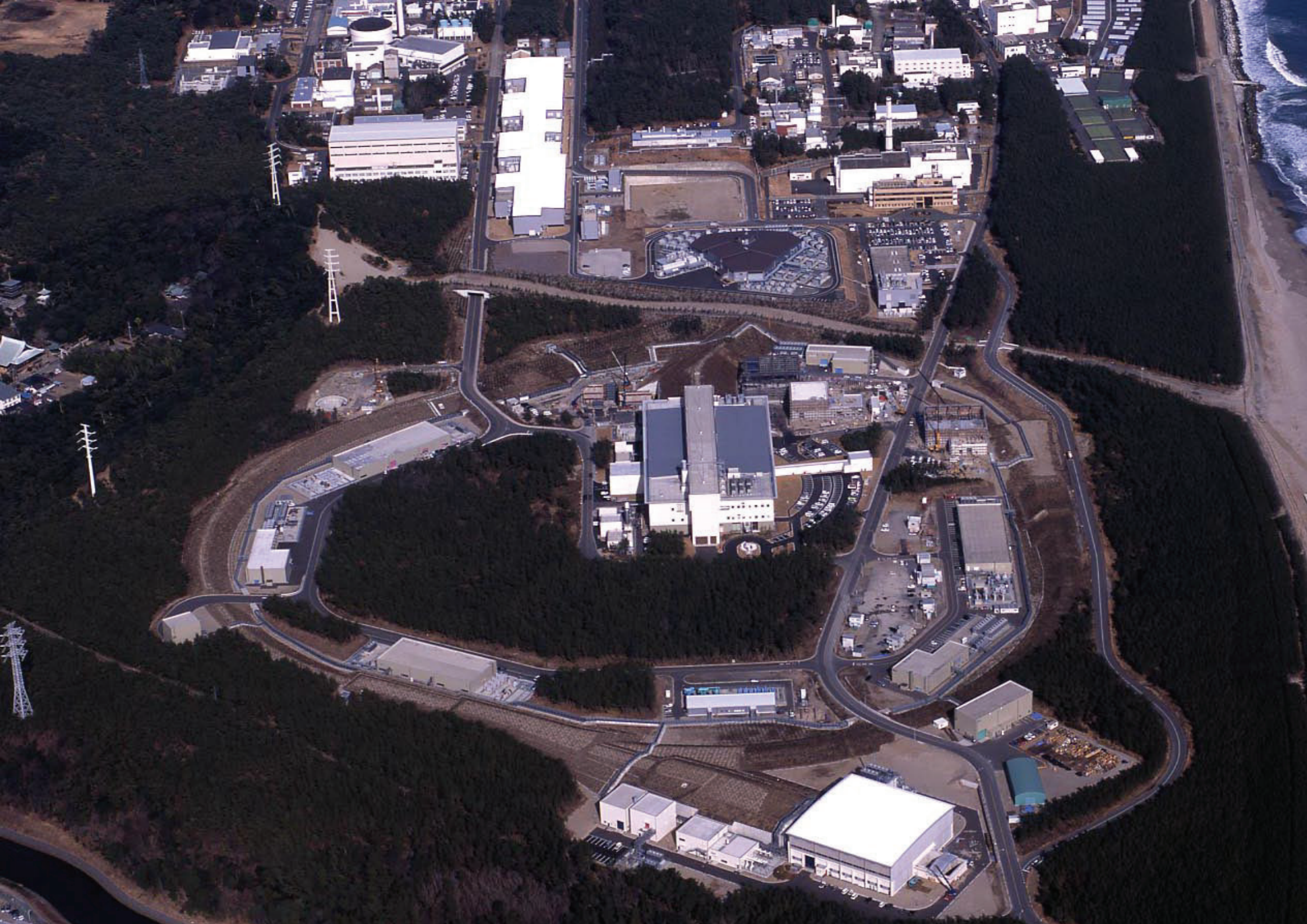


# Experimental sequence



T. Mibe

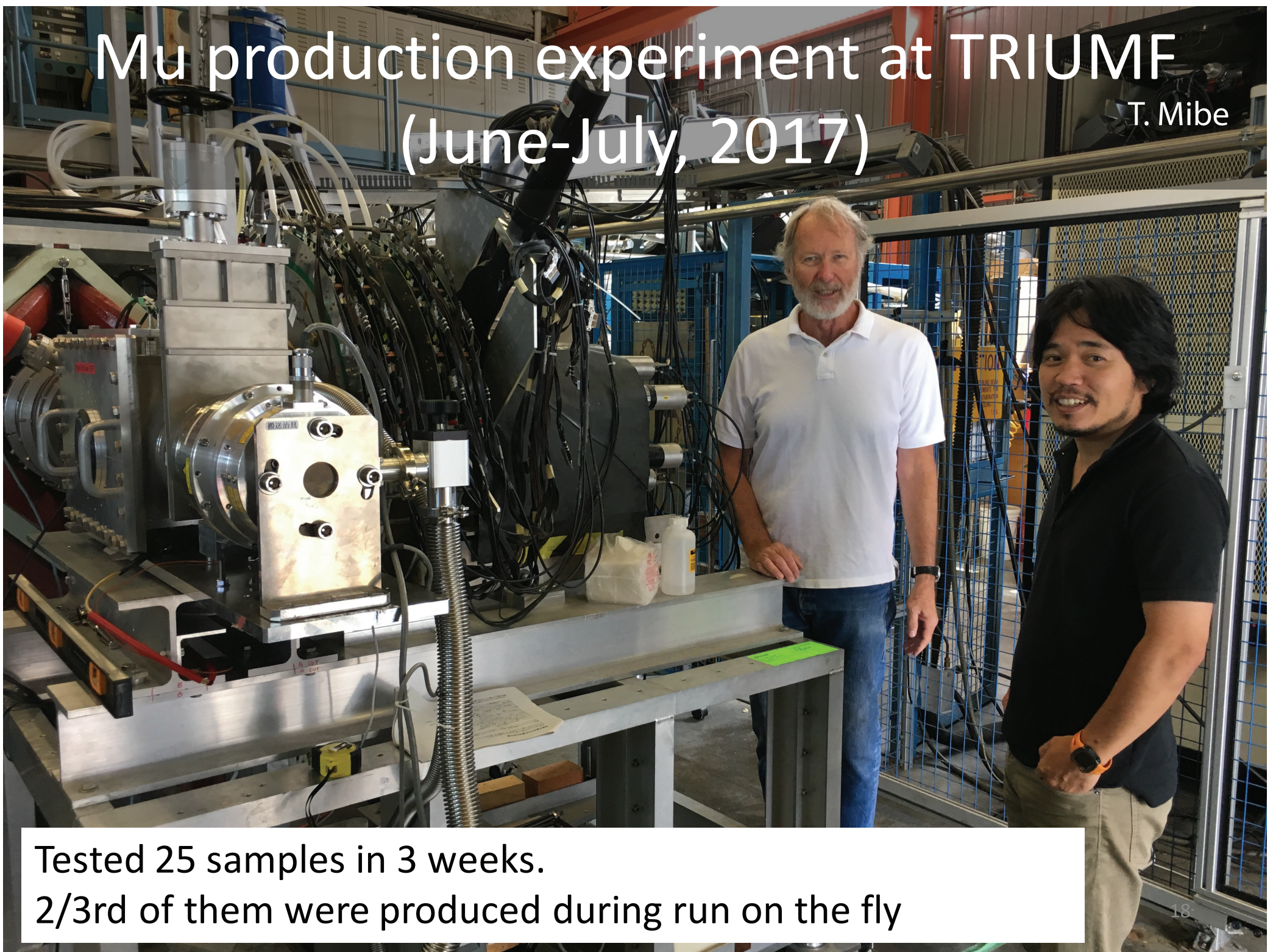






# Mu production experiment at TRIUMF (June-July, 2017)

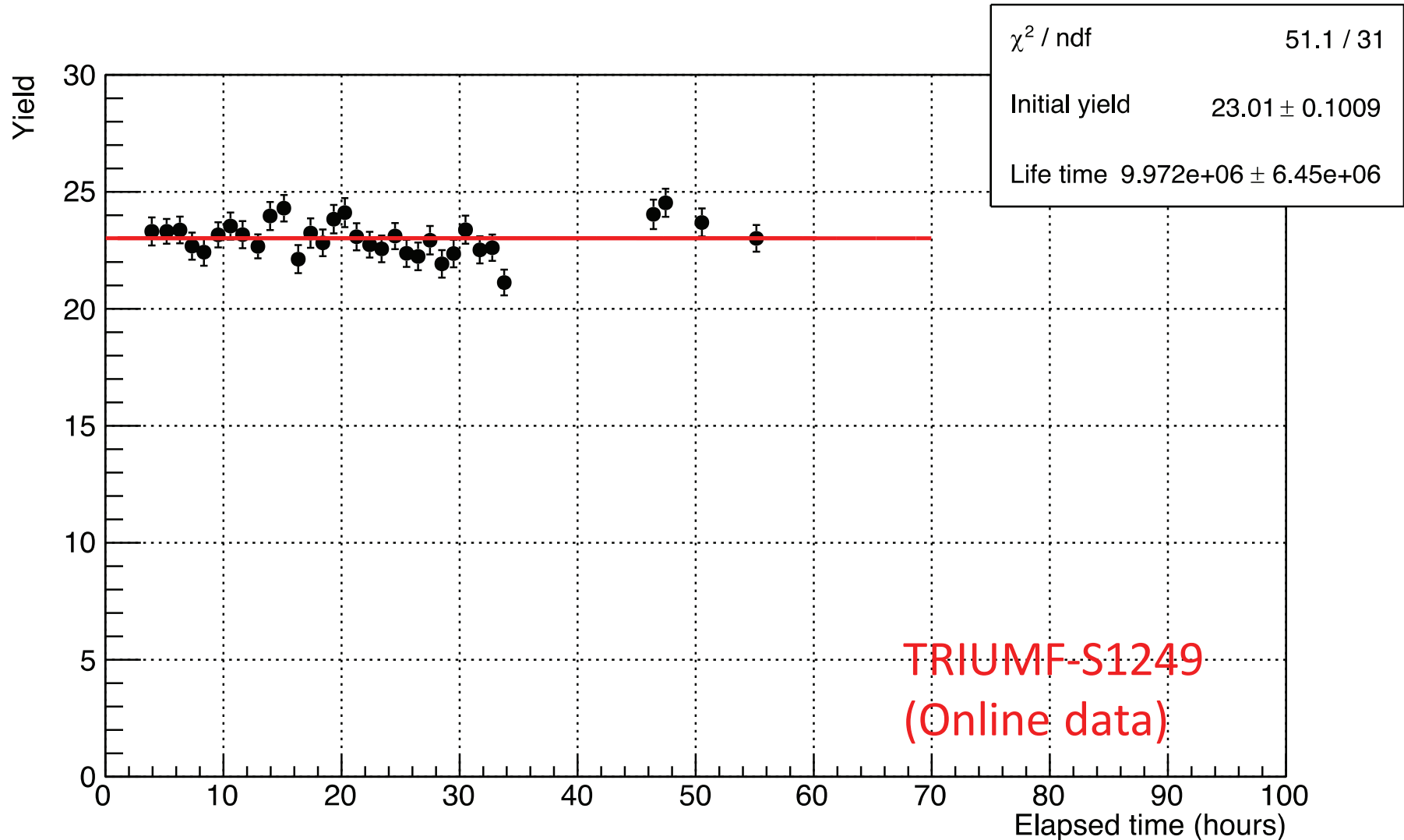
T. Mibe



Tested 25 samples in 3 weeks.  
2/3rd of them were produced during run on the fly



# Long-term stability of Mu yield

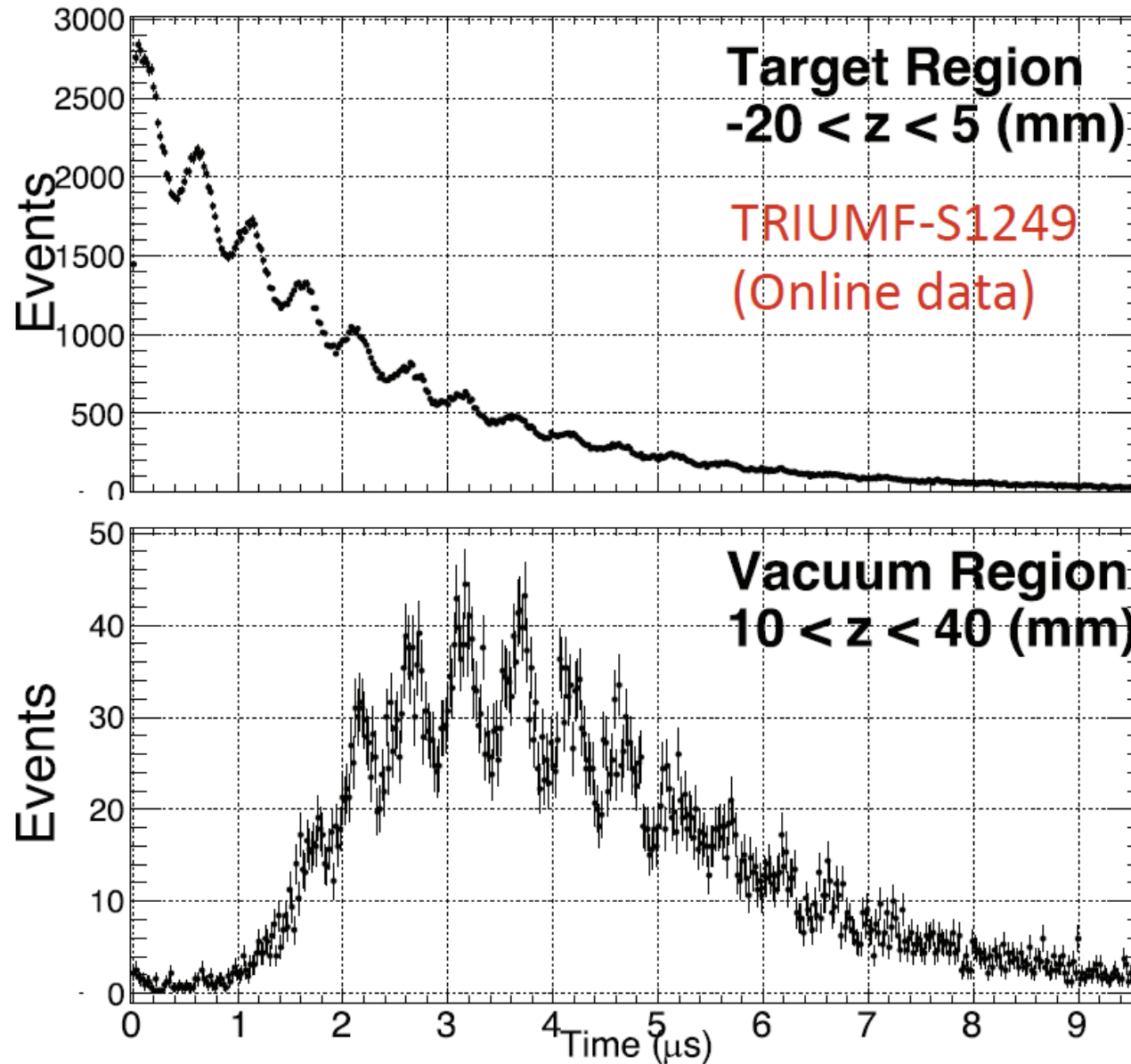


No hint of degradation observed for 2.5 days

T. Mibe



# Muonium spin precession in vacuum

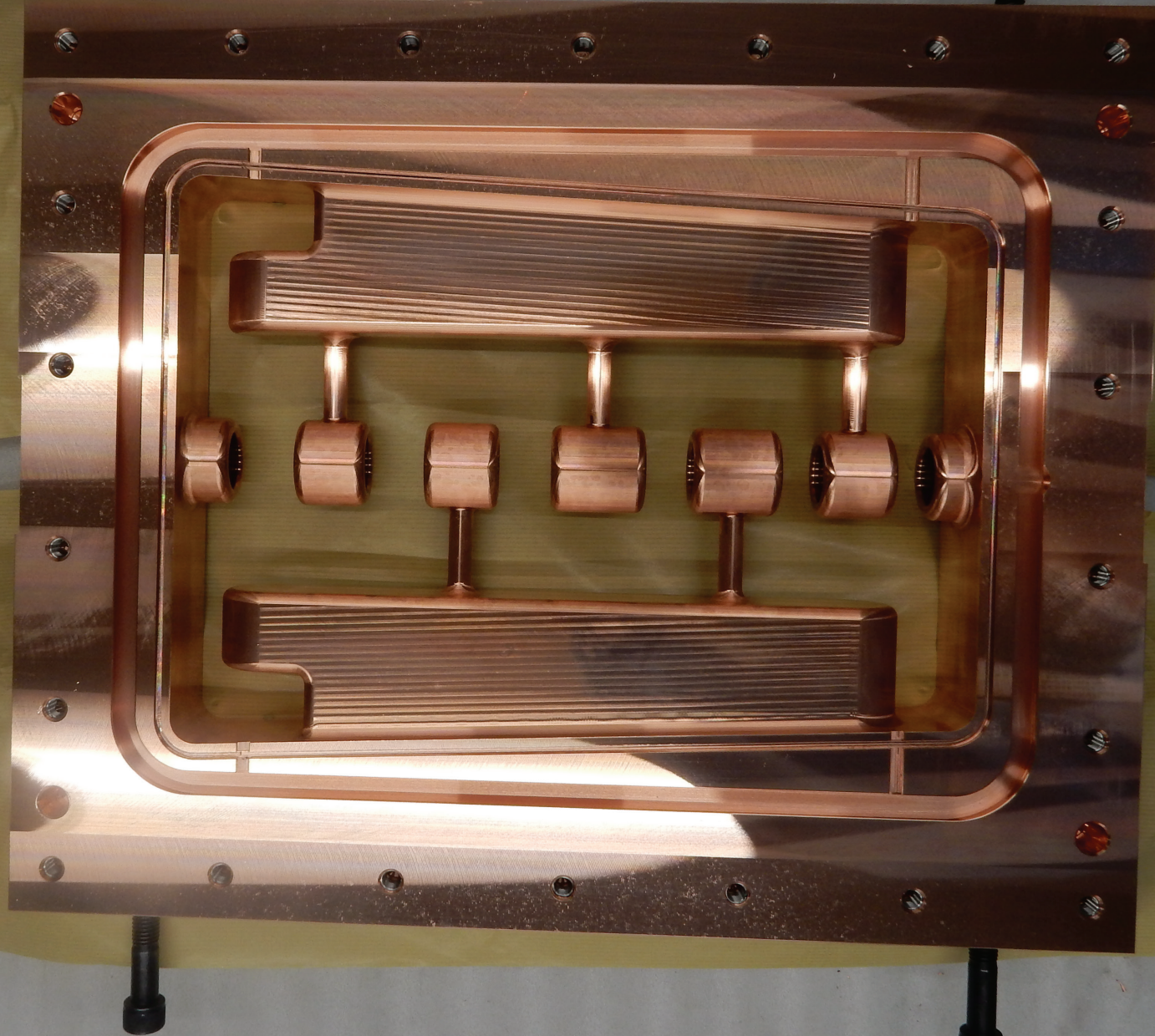


Reconfirmed  
polarization of Mu  
in vacuum.

T. Mibe  
20



An accelerating structure (IH-DTL cavity) to 1.3 MeV

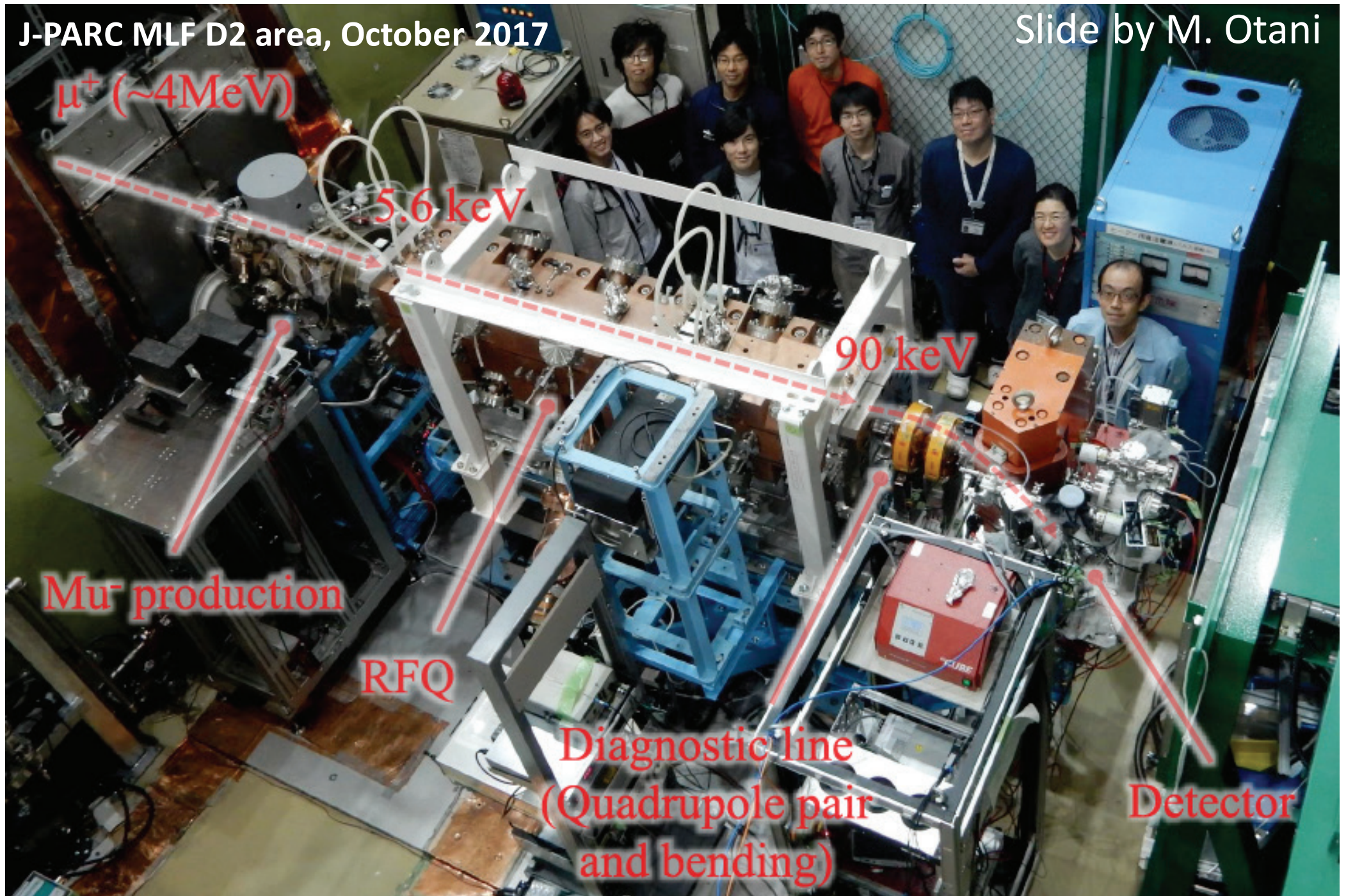




# Muon RF acceleration for the first time!

J-PARC MLF D2 area, October 2017

Slide by M. Otani

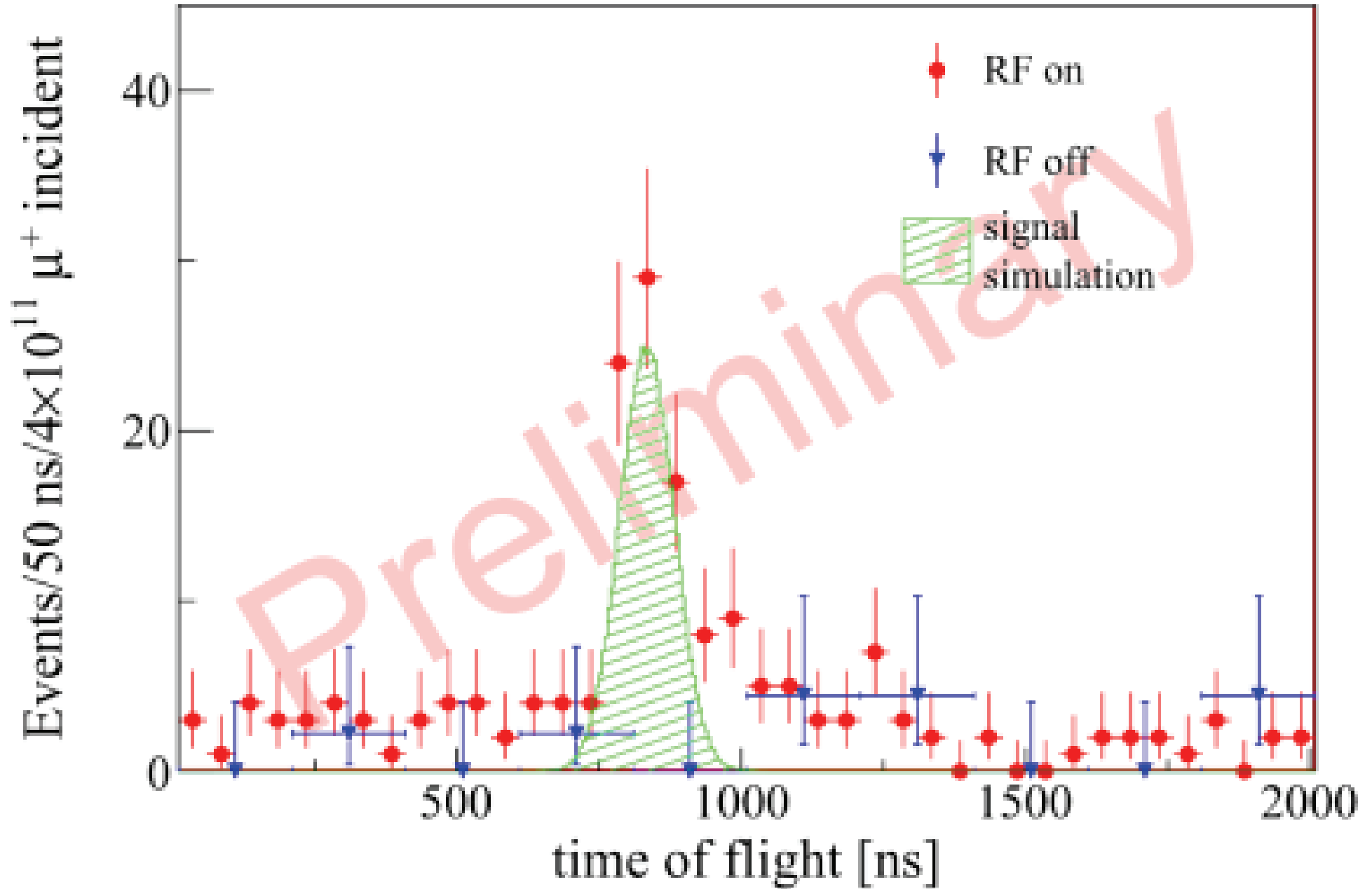




# Muon RF acceleration for the first time!

J-PARC MLF D2 area, October 2017

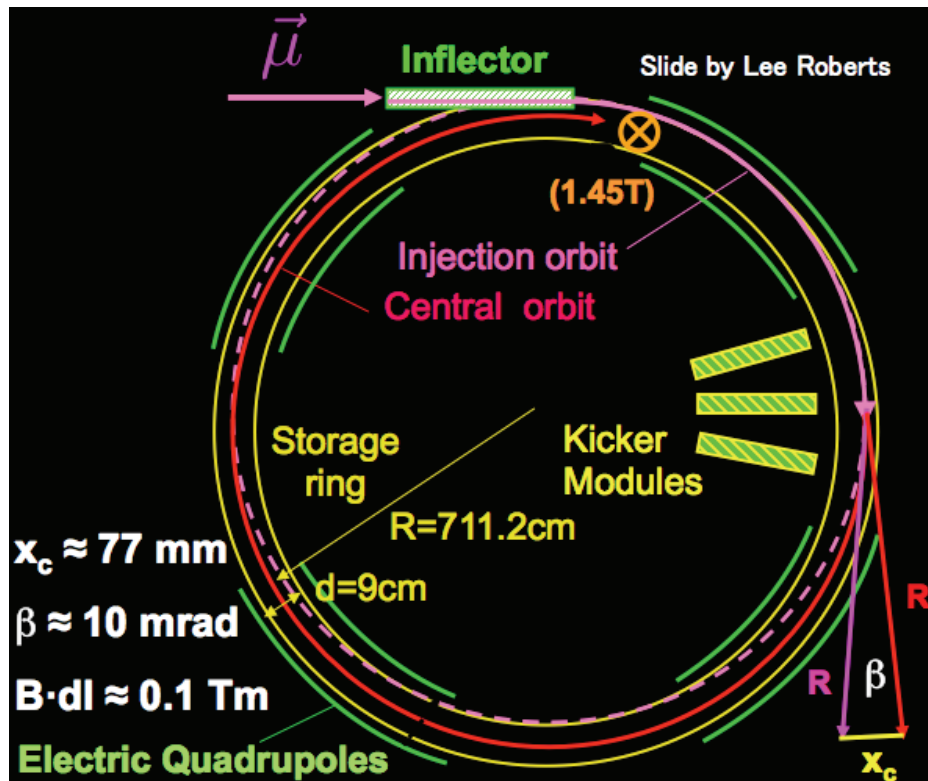
Slide by M. Otani



# Muon beam injection and storage

T. Mibe

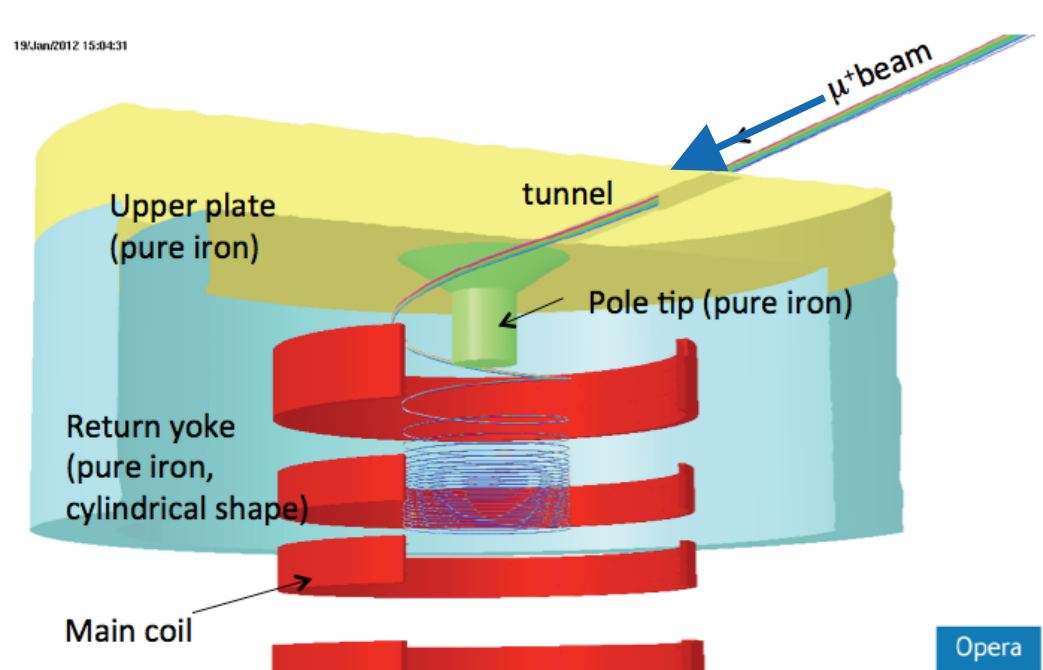
**Horizontal injection + kicker**  
**(BNL E821, FNAL E989)**



**Injection efficiency : 3-5%(\*)**

(\*) PRD73,072003 (2006)

**3D spiral injection + kicker**  
**(J-PARC E34)**

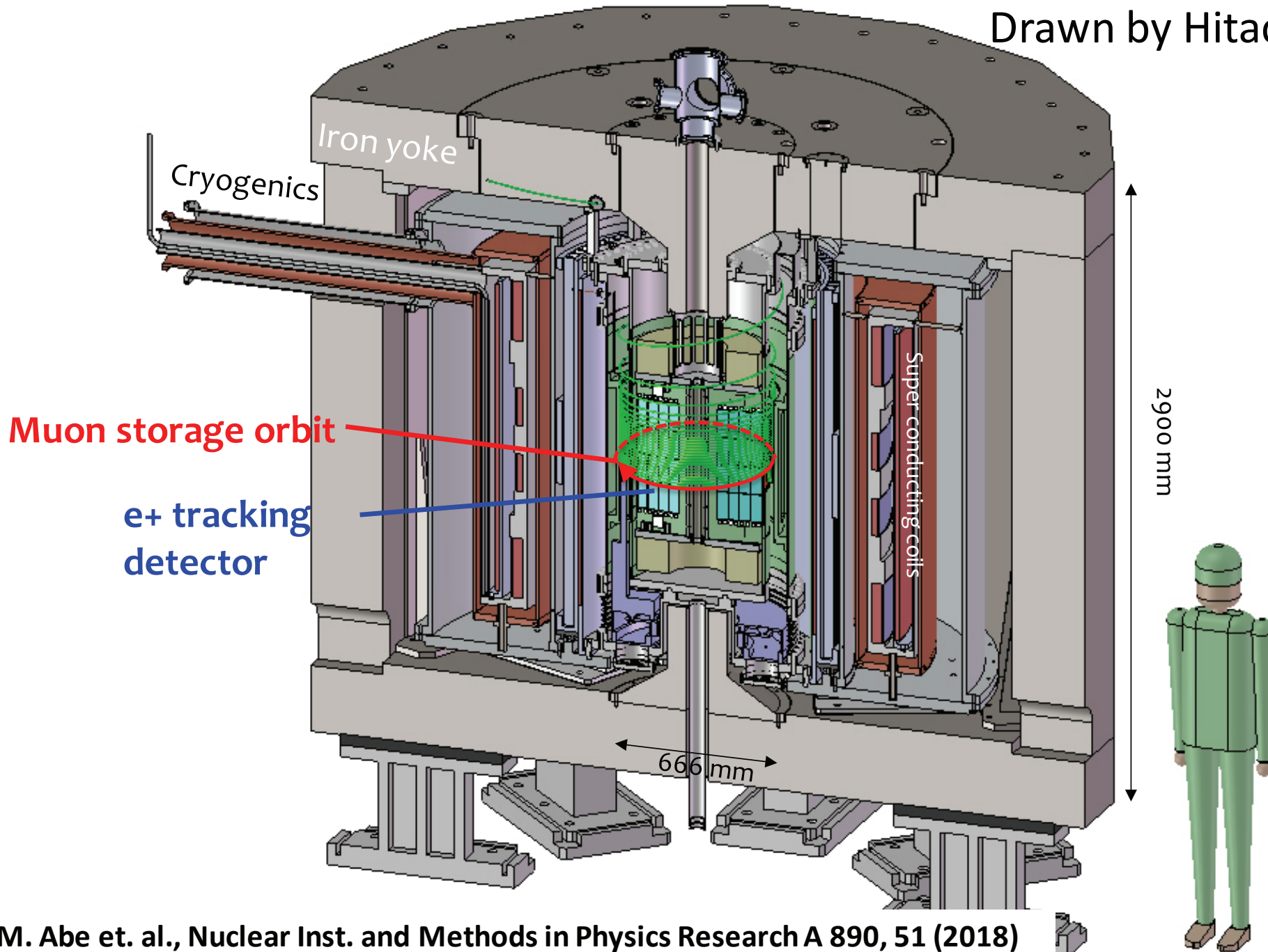


**Injection efficiency : ~85%**

H. Inuma et al., Nucl. Instr. And Methods. A 832, 51 (2016)

# Muon storage magnet and detector

Drawn by Hitachi Co.



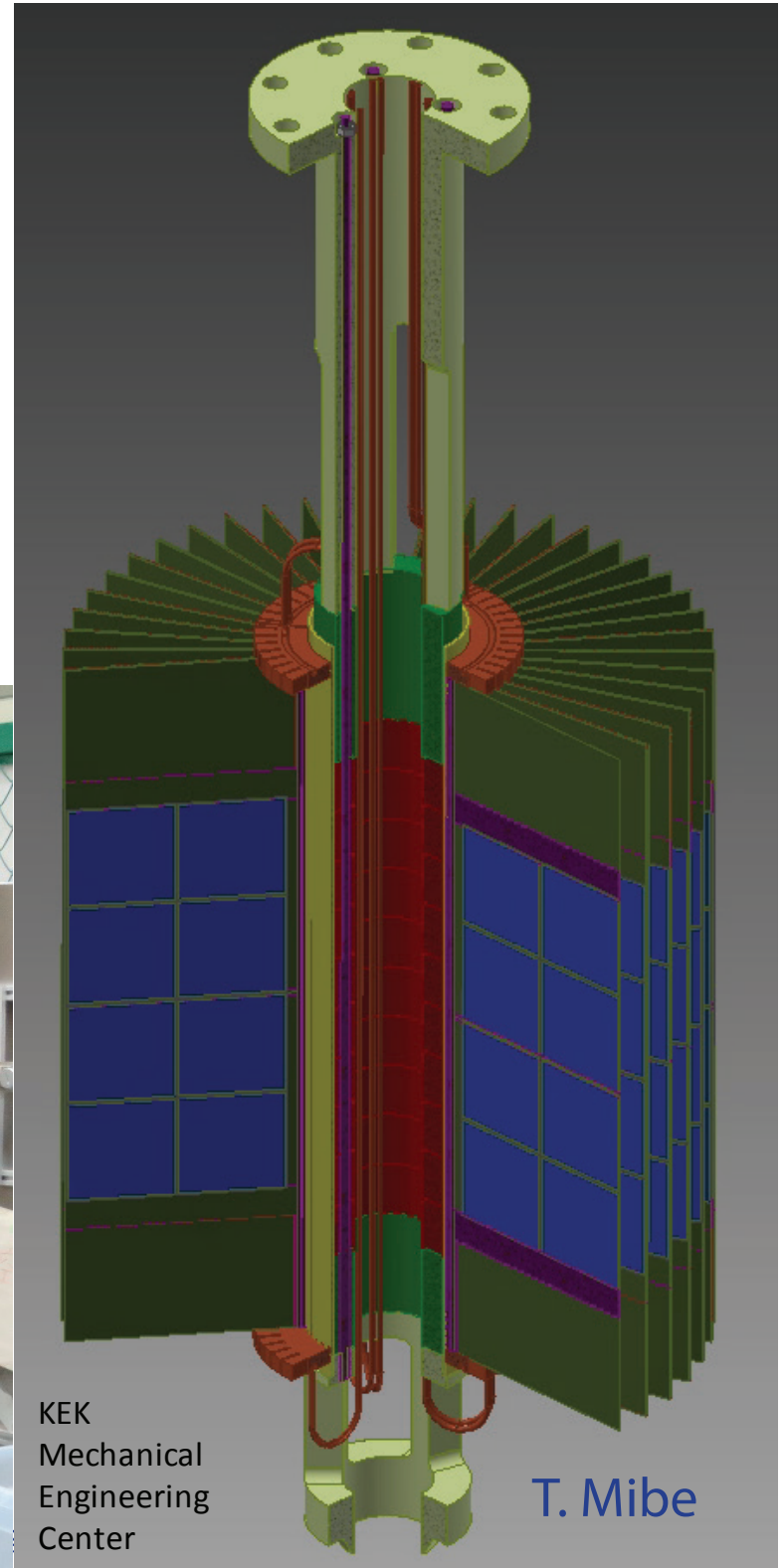
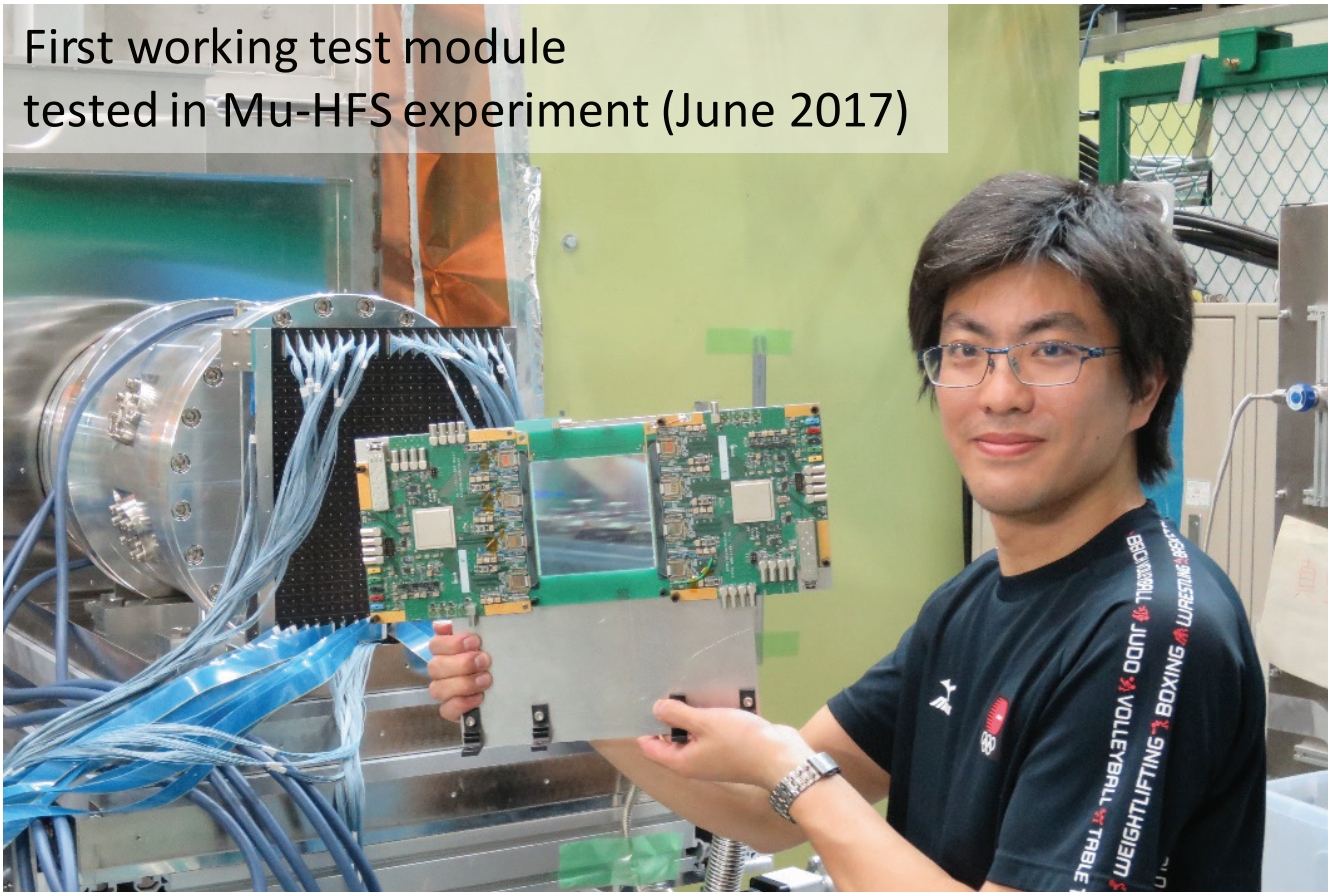
T. Mibe



# Positron tracking detector

- **A tracking detector ( vs. calorimeter)**
  - Robust against pileups
- **Partial funding available to construct a part of detector system**

First working test module tested in Mu-HFS experiment (June 2017)



KEK  
Mechanical  
Engineering  
Center

T. Mibe

# Muon $g-2$ : The future

- First results from Fermilab soon
- Theory continuously improving
- Cold muons have a large potential  
(thus another technique next...)
- Also look for electric dipole moment of the muon

MuCool:  
Another cool way to make cold muon beams?



# muCool: Goals

We are building a small device to compress  
the phase space of a surface  $\mu^+$  beam

- Compress phase space by 10 orders of magnitude
- Energy of  $\mu^+$  < 1 eV
- Beam size < 1 mm<sup>2</sup>
- Efficiency  $\sim 10^{-3}$
- Tagged beam
- Conserves initial polarisation
- Add-on to existing conventional surface  $\mu^+$  beam line

A. Eggenberger

# Phase Space Compression

- To reduce phase space a dissipative mechanism is needed
  - ➔ Slow down (stop)  $\mu^+$  in He gas
- After slowing down in gas:
  - ➔ low energy
  - ➔ large volume BUT: can steer  $\mu^+$  with electric and magnetic fields

## In our case:

Apply  $\vec{E} \times \vec{B}$ -fields in 3 successive compression stages:

1. Transverse (perpendicular to beam axis)
2. Longitudinal (along beam axis)
3. Final compression and extraction into vacuum

A. Eggenberger

# Key Ingredient

$$\vec{v}_{drift} = \frac{\mu E}{1 + \left(\frac{\omega}{\nu_{col}}\right)^2} \left[ \hat{\mathbf{E}} + \frac{\omega}{\nu_{col}} \hat{\mathbf{E}} \times \hat{\mathbf{B}} + \left(\frac{\omega}{\nu_{col}}\right)^2 (\hat{\mathbf{E}} \cdot \hat{\mathbf{B}}) \hat{\mathbf{B}} \right]$$

Position-dependent drift velocity vector in He gas in the presence of crossed electric and magnetic fields

$\omega = eB/m$ : cyclotron frequency  
 $\mu$ : muon mobility  
 $\nu_{col}$ : collision frequency

3 components with different weights:  
change in density (i.e. collision frequency)  $\rightarrow$  change in direction

high density  $\rightarrow \nu_{col}$  large  $\rightarrow \hat{\mathbf{E}}$  dominates

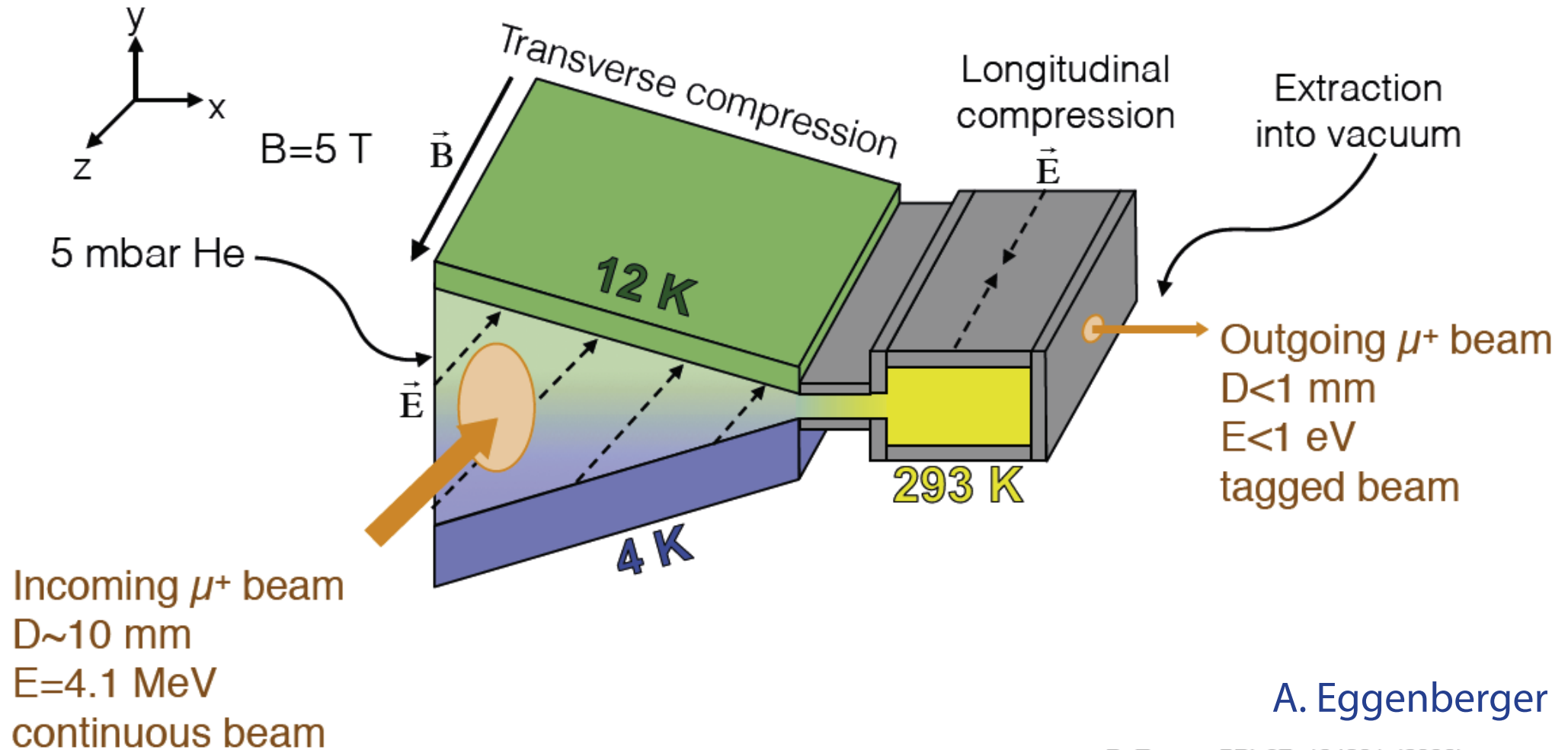
low density  $\rightarrow \nu_{col}$  small  $\rightarrow \hat{\mathbf{B}}$  dominates

A. Eggenberger



# 3 Compression Stages

Dimensions  $\sim 15 \times 5 \times 50 \text{ cm}^3$



A. Eggenberger

D. Taqqu, *PRL* **97**, 194801 (2006)  
Y. Bao et al., *PRL* **112**, 224801 (2014)

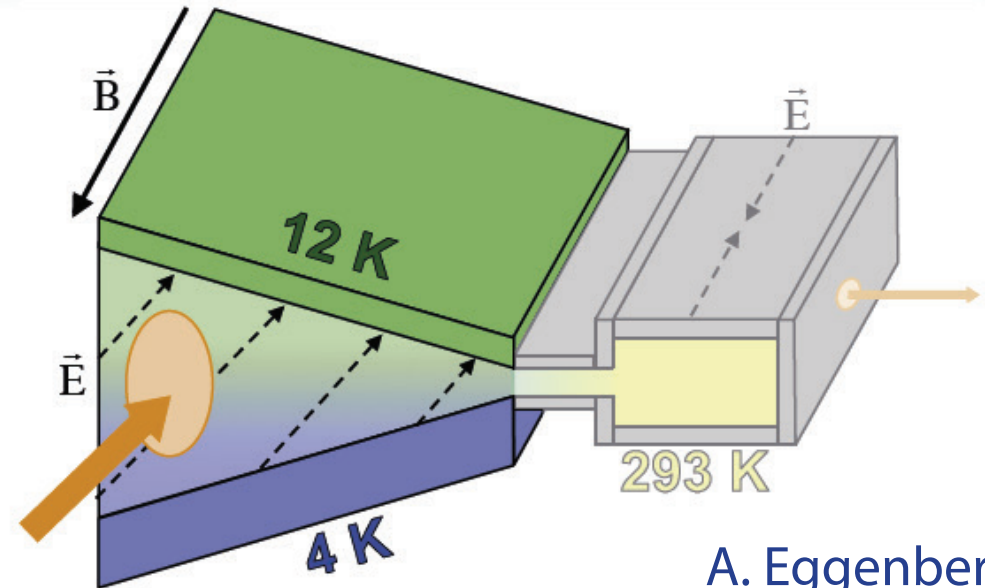
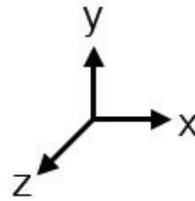
# Transverse Compression Stage

- 5 mbar He gas
- Cryogenic temperature
- Temperature gradient
- Crossed E- and B-fields

$$\hat{E} = \frac{1}{\sqrt{2}}(1, 1, 0)$$

$$\hat{B} = (0, 0, 1)$$

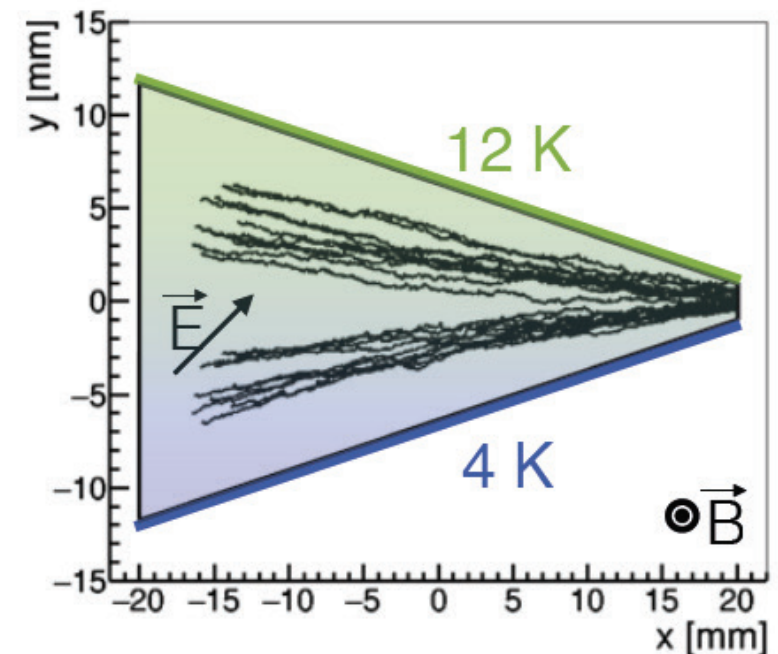
$$|\vec{E}| \approx 1.5 \text{ kV/cm}$$



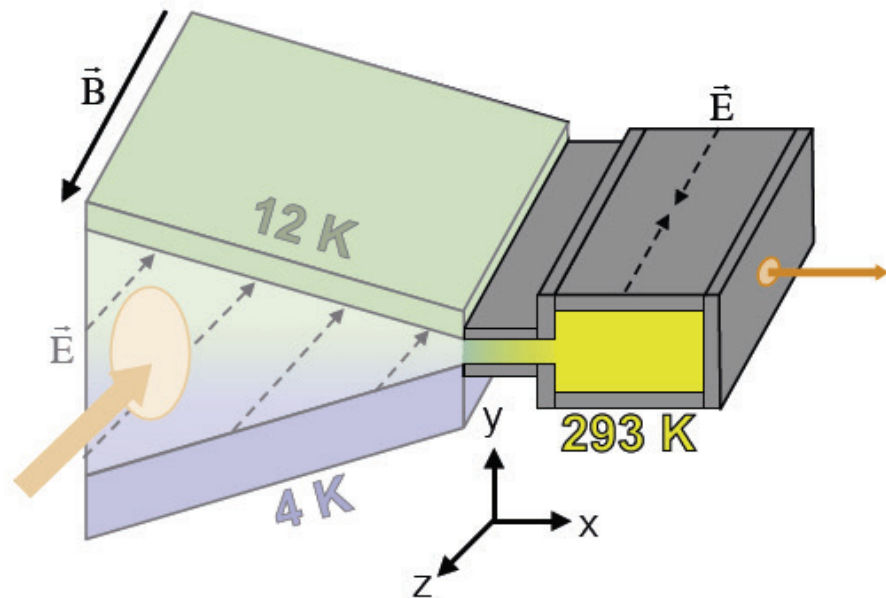
A. Eggenberger

$$\vec{v}_{drift} = \frac{\mu E}{1 + \left(\frac{\omega}{\nu_{col}}\right)^2} \left[ \hat{E} + \frac{\omega}{\nu_{col}} \hat{E} \times \hat{B} \right]$$

high density  $\rightarrow \nu_{col}$  large  $\rightarrow \hat{E}$  dominates  
 medium density  $\rightarrow \nu_{col}$  intermediate  $\rightarrow \hat{E} \times \hat{B}$  dominates



# Longitudinal Compression Stage



$$\vec{v}_{drift} = \frac{\mu E}{1 + \left(\frac{\omega}{\nu_{col}}\right)^2} \left[ \hat{E} + \left(\frac{\omega}{\nu_{col}}\right)^2 (\hat{E} \cdot \hat{B}) \hat{B} \right]$$

low density  $\rightarrow v_{col}$  small  $\rightarrow \hat{B}$  dominates

- 5 mbar He gas
- Room temperature
- Parallel  $\vec{E}$ - and  $\vec{B}$ -fields

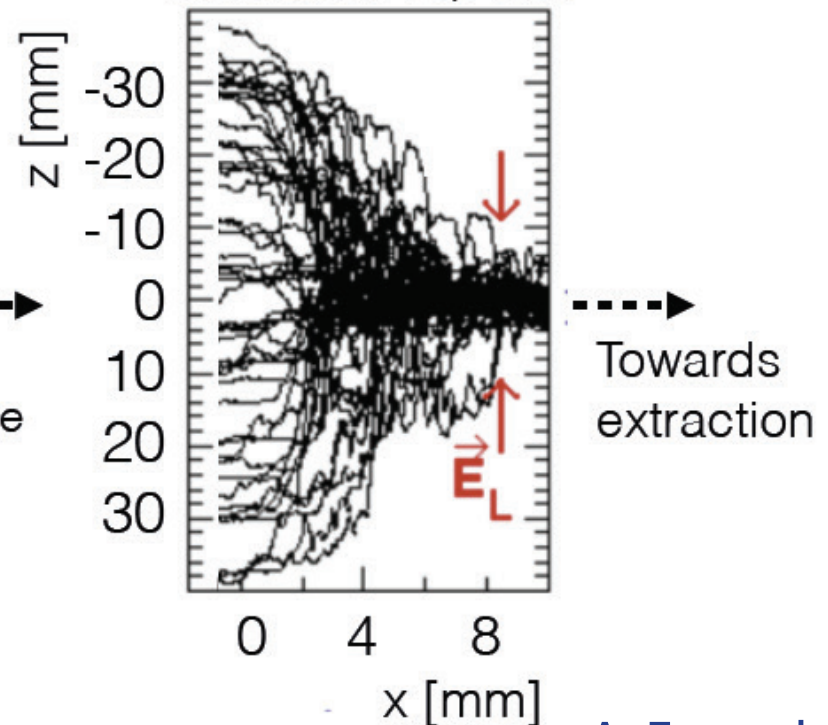
$$\hat{E} = \pm(0, 0, 1)$$

$$\hat{B} = (0, 0, 1)$$

$$|\vec{E}| \approx 60 \text{ V/cm}$$

.....  
 $\mu^+$  from  
 transverse stage

Simulation: Top view

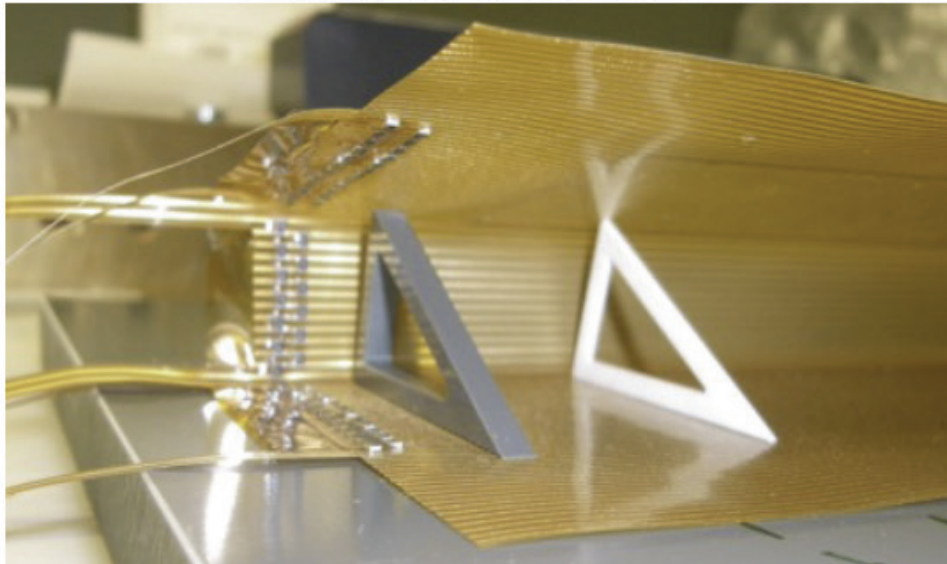


A. Eggenberger

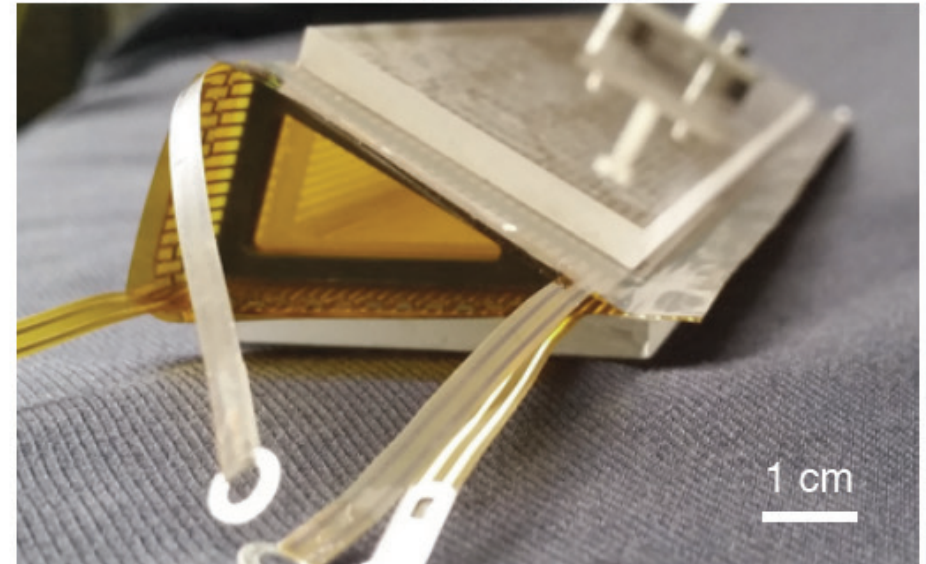


# Transverse Target

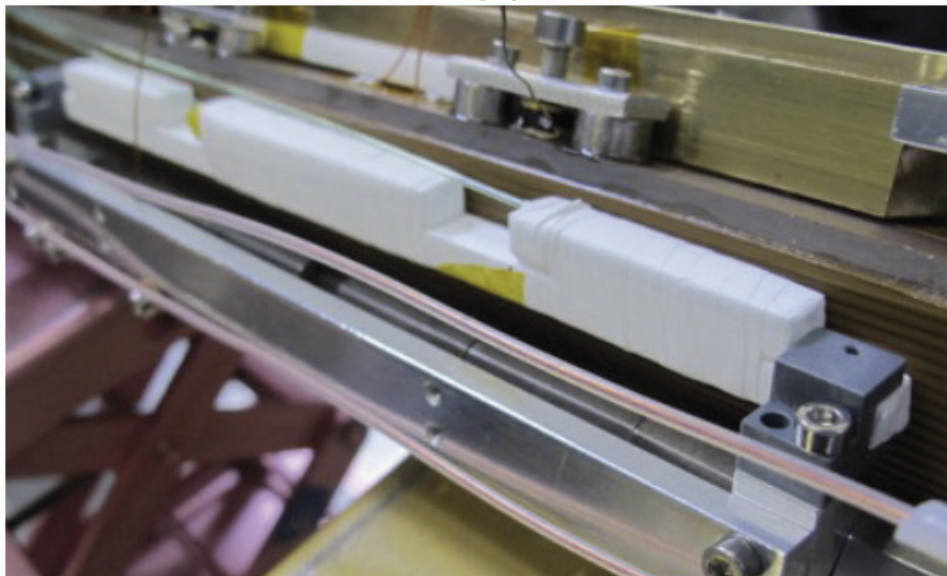
During construction



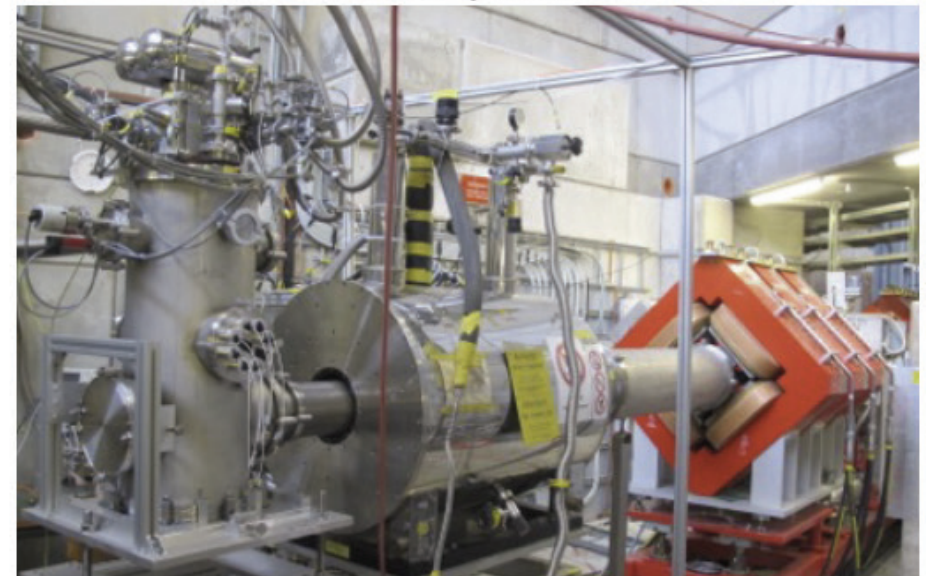
Finished target



Scintillators wrapped in Teflon



Setup at  $\pi E1$



# MuCool status

- Transverse and longitudinal compression demonstrated
- Both at once and extraction into vacuum to be done
- Cold beam could be used for  $g-2$  or electric dipole moment search
- Muon EDM shows up as an out-of plane precession of the spins...